



MATHS

NCERT - NCERT MATHEMATICS(BENGALI ENGLISH)

QUADRILATERALS

Illustrative Examples

1. ABCD is a parallelogram and $\angle A=60^{\circ}.$ Find the

remaining angles.

2. In a parallelogram $ABCD, \angle DAB = 40^\circ\,$ find the other

angles of the parallelogram.



3. Two adjacent sides of a parallelogram are 4.5 cm and 3 cm.

Find its perimeter.

Watch Video Solution

4. In a parallelogram ABCD, the bisectors of the consecutive angles angleA and angleB intersect at P. Show that $\angle APB = 90^{\circ}$.



5. \overrightarrow{AB} and \overrightarrow{DC} are two parallel lines and a transversal I, intersects \overrightarrow{AB} at P and \overrightarrow{DC} at R. Prove that the bisectors of the interior angles form a rectangle.

Watch Video Solution

6. In a triangle ABC, AD is the median drawn on the side BC is produced to E such that AD = ED prove that ABEC is a parallelogram.



7. In $\Delta ABC, D, E ext{ and } F$ are the midpoints of sides AB, BC

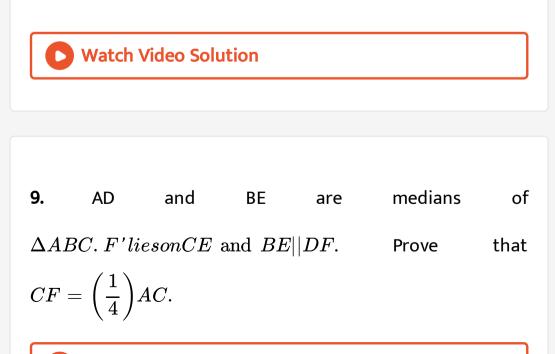
and CA respectively. Show that ΔABC is divided into four

congruent triangles, when the three midpoints are joined to

each other. (ΔDEF is called medial triangle)

Watch Video Solution

8. I, m and n are three parallel lines intersected by the transversals p and q at A, B, C and D,E, F such that they make equal intercepts AB and BC on the transversal p. Show that the intercepts DE and EF on q are also equal.



10. ABC is a triangle and through A, B, C lines are drawn parallel to BC, CA and AB respectively intersecting at P, Q and R. Prove that the perimeter of ΔPQR is double the perimeter of ΔABC .

Watch Video Solution

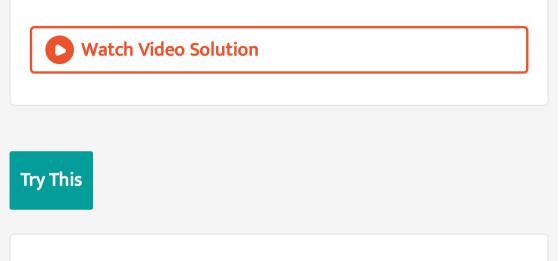
Think Discuss And Write

1. Show that the diagonals of a square are equal and right

bisectors of each other.

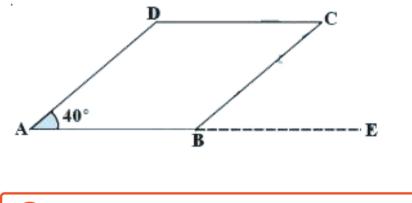
2. Show that the diagonals of a rhombus divide it into four

congruent triangles.



1. Extend AB to E . Find $\angle CBE$. What do you notice. What

kind of angles are $\angle ABC$ and $\angle CBE$?



2. Draw a triangle ABC and mark the midpoints E and F of two sides of triangle. \overline{AB} and \overline{AC} respectively. Join the point E and F as shown in the figure.

Measure EF and the third side BC of the triangle. Also measure $\angle AEF$ and $\angle ABC$.



Exercise 8 1

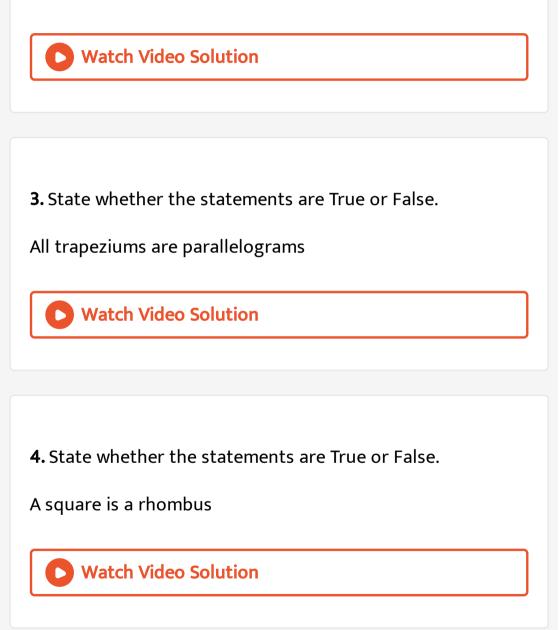
1. State whether the statements are True or False.

Every parallelogram is a trapezium



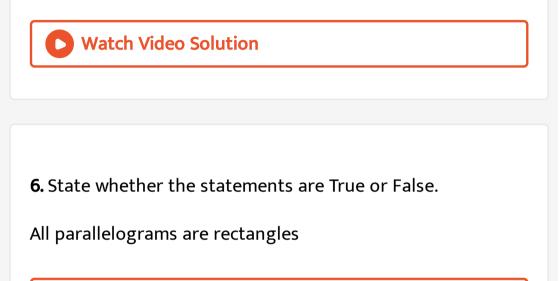
2. State whether the statements are True or False.

All parallelograms are quadrilaterals



5. State whether the statements are True or False.

Every rhombus is a square



Watch Video Solution

7. Complete the following table by writing (YES) if the property holds for the particular Quadrilateral and (NO) if

property does not holds.

	Properties	Trapezium	Parallelogram	Rhombus	Rectangle	square
a.	Only one pair of opposite sides are parallel	YES				
b.	Two pairs of opposite sides are parallel					
C.	Opposite sides are equal					
d.	Opposite angles are equal					
e.	Consecutive angles are supplementary					
£	Diagonals bisect each other	Þ				
g.	Diagonals are equal					
h	All sides are equal					
i	Each angle is a right angle					
j.	Diagonals are per- pendicular to each other.					

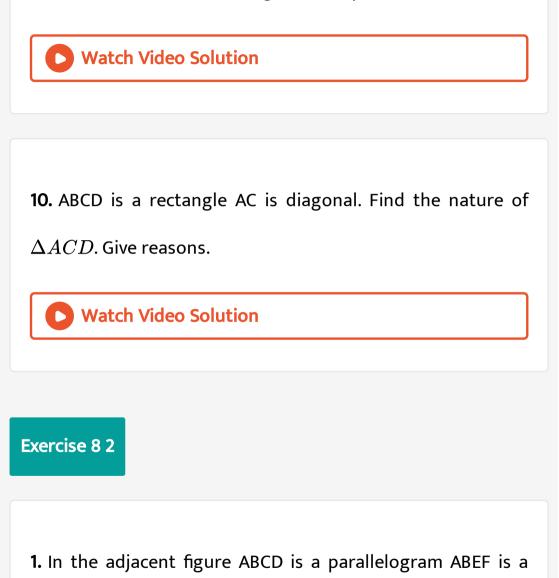


8. ABCD is trapezium in which AB||CD. If AD = BC, show

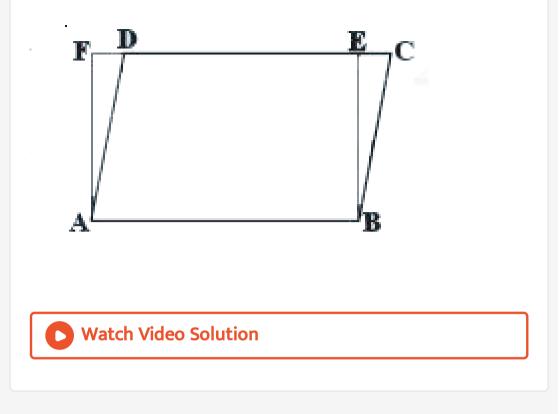
that $\angle A = \angle B$ and $\angle C = \angle D$.

9. The four angles of a quadrilateral are in the ratio 1: 2:3:4.

Find the measure of each angle of the quadrilateral.



rectangle show that $\Delta AFD\cong\Delta BEC.$



2. Show that the diagonals of a rhombus divide it four

congruent triangles.



3. If a quadrilateral ABCD, the bisector of $\angle C \angle D$ intersect at

0.

Prove that
$$\angle COD = rac{1}{2}(\angle A + \angle B)$$

Watch Video Solution

Exercise 8 3

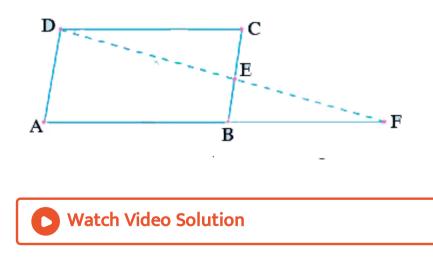
- 1. The opposite angles of a parallelogram are
- $\left(3x-2
 ight)^\circ \; ext{ and } \left(x+48
 ight)^\circ.$

Find the measure of each angle of the parallelogram.

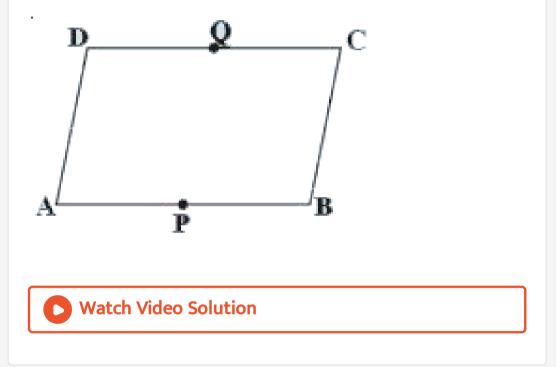
2. Find the measure of all the angles of a parallelogram, if one angle is 24° less than the twice of the smallest angle.



3. In the adjacent figure ABCD is a parallelogram and E is the midpoint of the side BC. If DE and AB are produced to meet at F, show that AF = 2AB.

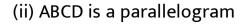


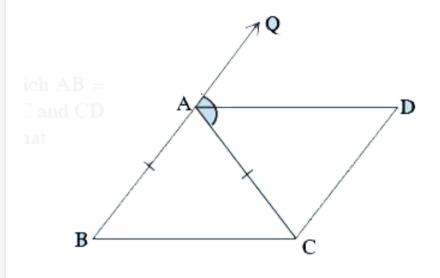
4. In the adjacent figure ABCD is a parallelogram P and Q are the midpoints of sides AB and DC respectively. Show that PBCQ is also a parallelogram.



5. ABC is an isosceles triangle in which AB = AC. AD bisects exterior angle QAC and CD||BA as shown in the figure. Show that

(i) $\angle DAC = \angle BCA$



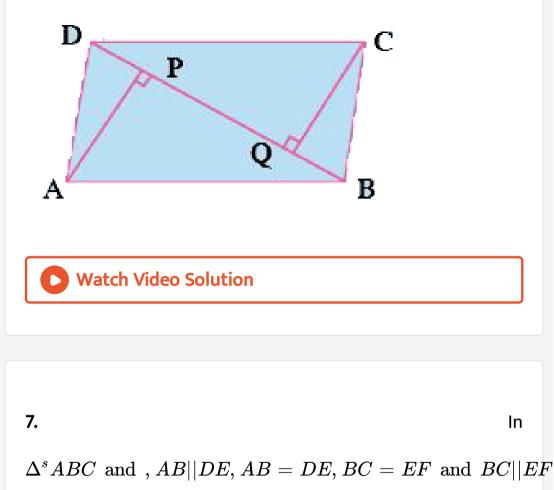




6. ABCD is a parallelogram AP and CQ are perpendiculars drawn from vertices A and C on diagonal BD (see figure) show that

(i) $\Delta APB \cong \Delta CQD$

(ii) AP = CQ

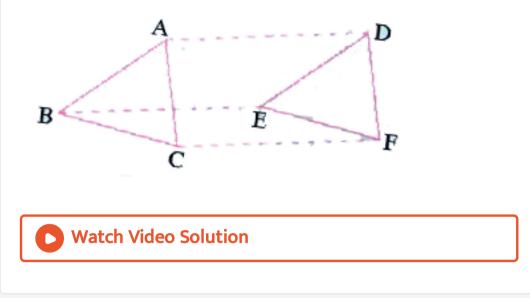


. Vertices A, B and C are joined to vertices D, E and F respectively (see figure). Show that

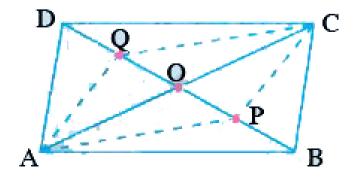
- (i) ABED is a parallelogram
- (ii) BCFE is a parallelogram

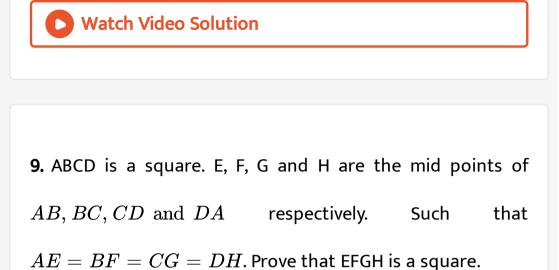
(iii) AC = DF

(iv) $\Delta ABC\cong \Delta DEF$



8. ABCD is a parallelogram. AC and BD are the diagonals intersect at O. P and Q are the points of tri section of the diagonal BD. Prove that $CQ \mid \mid AP$ and also AC bisects PQ (see figure).







Exercise 8 4

1. ABC is a triangle . D is a point of AB such that
$$AD = \frac{1}{4}AB$$
 and E is a point on AC such that $AE = \frac{1}{4}AC$. If $DE = 2cm$ find BC.

2. ABCD is quadrilateral E, F, G and H are the midpoints of AB, BC, CD and DA respectively. Prove that EFGH is a parallelogram.

Watch Video Solution

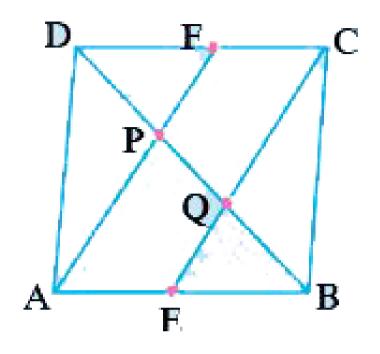
3. Show that the figure formed by joining the midpoints of

sides of a rhombus successively is a rectangle.

Watch Video Solution

4. In a parallelogram ABCD, E and F are the midpoints of the sides AB and DC respectively. Show that the line segments

AF and EC trisect the diagonal BD.





5. Show that the line segments joining the midpoints of the

opposite sides of a quadrilateral and bisect each other.



6. ABC is a triangle right angled at C. A line through the midpoint M of hypotenuse AB and Parallel to BC intersects AC at D. Show that

- (i) D is the midpoint of AC
- (ii) $MD \perp AC$
- (iii) $CM = MA = \frac{1}{2}AB$.

