

India's Number 1 Education App

MATHS

BOOKS - CHETAN MATHS (TAMIL ENGLISH)

SIMILARITY

Example

1. In $\triangle ABC$ ray BD bisects $\angle ABC - A - D - C$, side DE || side BC

$$A - E - B$$

then prove,
$$\frac{AB}{BC} = \frac{AE}{EB}$$



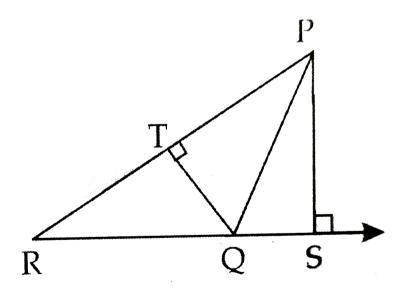
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Practice Set 11

1. Base of a triangle is 9 and height is 5. Base of another is 10 and height is 6. Find the ratio of areas of these triangles.



2. In the adjoining figure $PS \perp ray \ RQ$, seg $QT \perp seg \ PR$. If RQ = 6, PS = 6 and PR = 6





In

 $AP \perp BC, AD \mid BC$, then find $A(\Delta ABC) : A(\Delta BCD)$

adjoining

figure





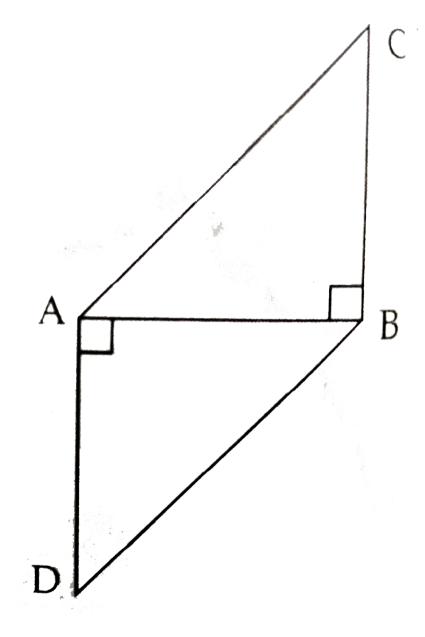
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4.

In

figure

 $BC \perp AB, AD \perp AB, BC = 4, AD = 8 \; ext{ then find } \; rac{A(\Delta ABC)}{A(\Delta ADB)}$

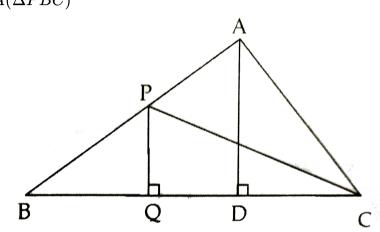




5. In the adjoining figure , $PQ \perp BC, AD \perp BC$ then find the following

ratios

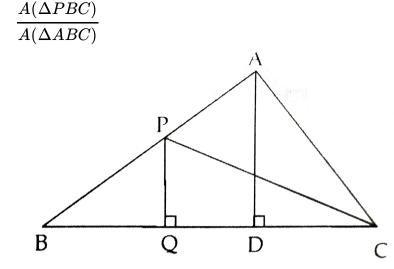
$$\frac{A(\Delta PQB)}{A(\Delta PBC)}$$





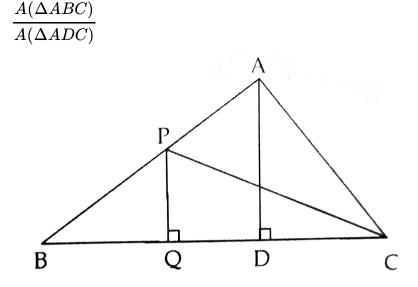
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6. In the adjoining figure , $PQ \perp BC, AD \perp BC$ then find the following ratios



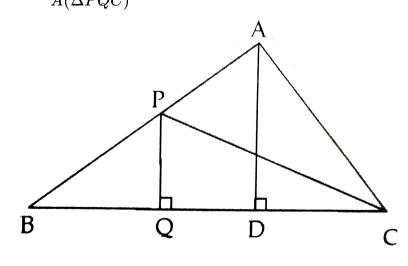


7. In the adjoining figure , $PQ \perp BC, AD \perp BC$ then find the following ratios





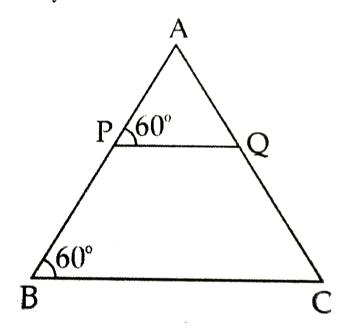
8. In the adjoining figure , $PQ \perp BC$, $AD \perp BC$ then find the following ratios $\frac{A(\Delta ADC)}{A(\Delta PQC)}$



Practice Set 12

1. Measurements of the some angles in the figure are given . Prove that

$$\frac{AP}{PB} = \frac{AQ}{QC}$$





2. In ΔPQR ,

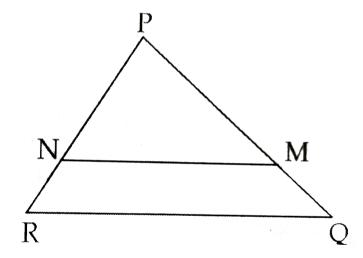
PM = 15,

PQ = 25,

PR = 20,

NR = 8

whether lin NM is parallel to side RQ? Give reason.



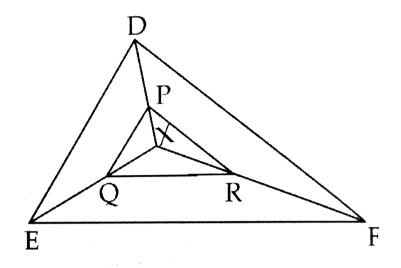


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3. In the adjoining figure X id any point in interior of triangle . Point X is joined to vertices of traingle. seg $PQ \mid DE$,

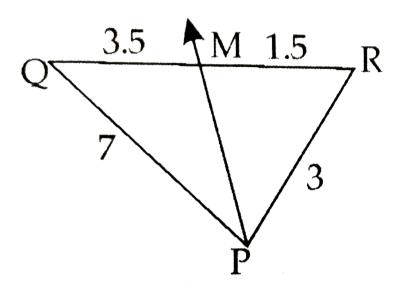
 ${
m seg}$ $QR \mid |{
m seg} EF$. Then fill in the blanks to prove that ,

seg $PR \mid | seg DF$.





4. Given below some triangles and lengths of line segments . Identity in which figures , Ray PM is bisector of $\angle QPR$.





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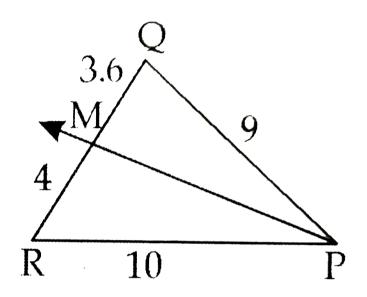
5. Given below some triangles and lengths of line segments . Identity in which figures , Ray PM is bisector of $\angle QPR$.

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6. Given below some triangles and lengths of line segments . Identity in which figures , Ray PM is bisector of $\angle QPR$.

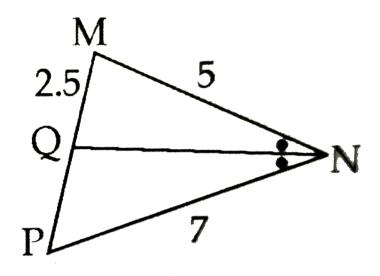




7. In

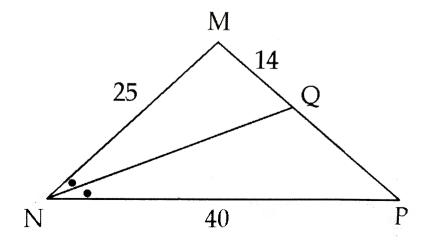
 ΔMNP , NQ is bisector of $\angle N$. if MN = 5, PN = 7, MQ = 2.5

then find QP.



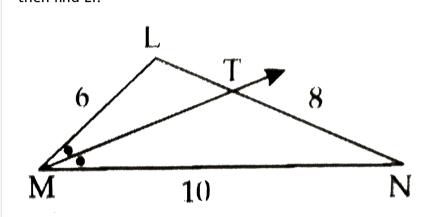


8. Find QP using given information in the figure.





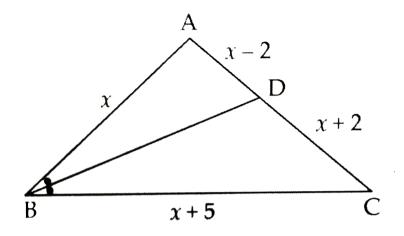
9. In





 $\triangle ABC$, seg BD bisects $\angle ABC$, if AB = x, BC = x + 5, AD = x - 2,

.Then find the value of x.





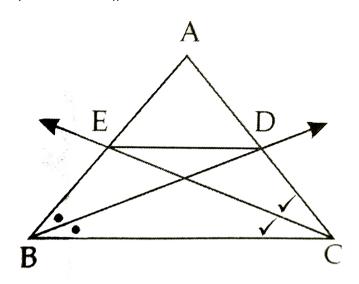
11.

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 $\triangle ABC$, seg BD bisects $\angle ABC$ and Ray CE bisects $\angle ACB$. if seg

In

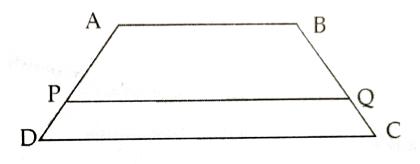
then prove that ED||BC.





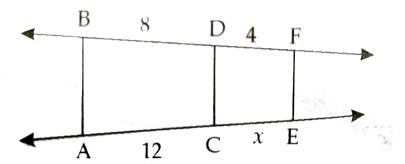
12. In trapezium ABCD ,side AB||sidePQ||sideDC. AP=15, PD= 12, QC =14. Find

BQ.





13. In the adjoining figure AB||CD||EF. Find x and AE.



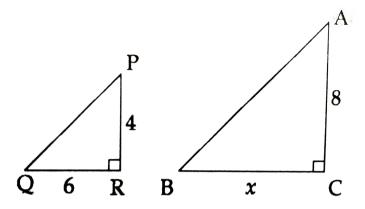


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Practice Set 13

1. As shown in adjoining figure, two poles of height 8 m and 4 mare perpendicular to ground. If the length of shodow of smaller pole due to sunlight is 6 m then how long will be the shadow of bigger pole at at the

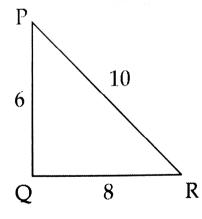
same time?

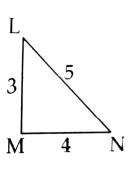




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2. Are the triangles in the figure given similar?



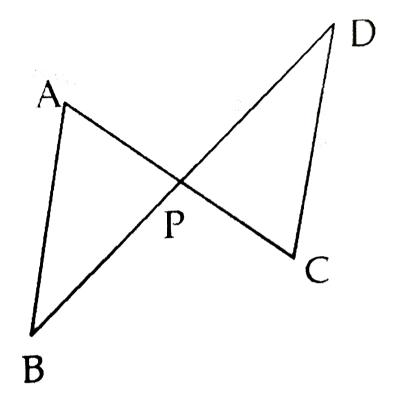




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3. In the figure seg AC and seg BD intersects each other at point P and

$$rac{AP}{CP} = rac{BP}{DP}$$
 . Then Prove that $\Delta ABP extstyle \Delta CDP$.

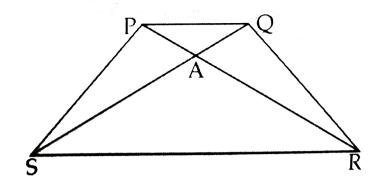




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4. In trapezium PQRS, side PQ|| side SR. AR= 5 AP and AS = 5AQ. Prove that

: SR = 5PQ

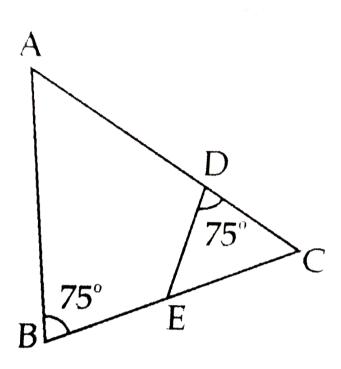


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5. In adjoining figure, $\angle ABC=75^\circ$, $\angle EDC=75^\circ$ state which two traiangles are similar and by which test ? Also traingles by a proper one

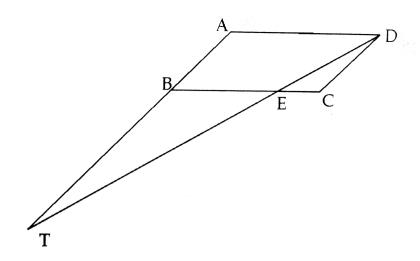
to one correspondence





6. \square ABCD is a parallelogram. Point E is on side BC , line DE intersects

Ray AB in point . T Prove that : DE imes BE = CE imes TE.

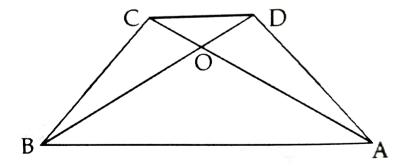


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7. In trapezium ABCD , side $AB \mid \mid DC$ Diagonals AC and BD intersect in

O . If
$$AB=20,\,DC=6,\,OB=15.$$
 Find OD.

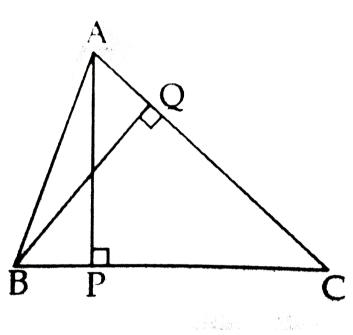




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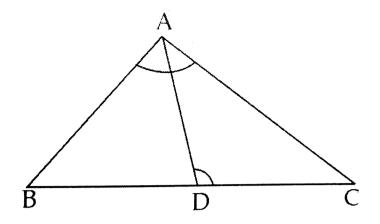
8. In

 $\Delta ABC, AP \perp BC, BQ \perp AC, B-P-C, A-Q-C$ then prove that





9. In the figure , in ΔABC , point D on side BC is such that , $\Delta BAC\cong \Delta ADC$ then prove that , $CA^2\equiv CB imes CD$.





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Practice Set 14

1. If $\Delta ABC \sim \Delta PQR$ and AB: AP = 2:3, then fill in the blanks.

$$rac{A(\ riangle \ ABC)}{A(\ riangle \ PQR)} = rac{\left(AB
ight)^2}{\left(PQ
ight)^2} = rac{2^2}{3^2} = \ rac{\Box}{\Box}$$



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2. Ratio of correspoding sides of two similar traingles is 3:5, then find ratio of their area.



3. If ΔABC ~ ΔPQ , $A(\Delta ABC)=80$, $A(\Delta PQR)=125$, then fill in the blanks.



4. ΔLMN $\sim \Delta PQR, 9 imes A(\Delta PQR) = 16 imes A(\Delta LMN).$ If QR = 20 , then find MN.

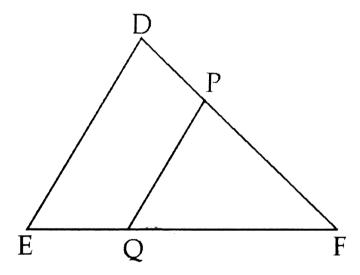


5. Areas two similar triangles are 225 sq. cm , 81 sr. cm If a side of the smaller traingles is 12 cm , then find correspoding side of bigger traingle.



- **6.** ΔABC and ΔDEF are equilateral triangles. If $A(\Delta ABC)$: $A(\Delta DEF)=1$: 2 and AB=4, find DE.
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7. In the adjoining figure , seg $PQ \mid \ | \ \, {
m seg} \ DE, A(\Delta PQF) = 20$ sq units . PF = 2 , then find $A(\ \Box\ DPQE)$ by completing the following activity.

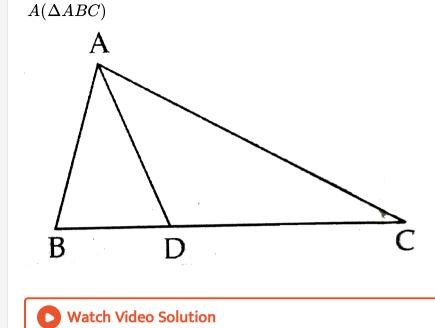


1. In $\Delta ABC, B-D-C$ and BD=7, BC=20 Then find the following ratio.

$$\frac{A(\Delta ABD)}{A(\Delta ADC)}$$
A
B
D

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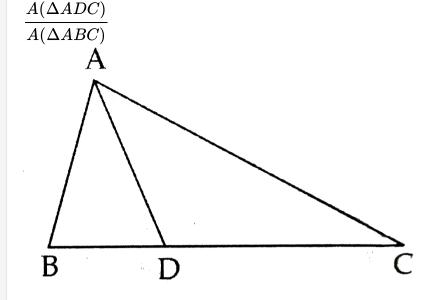
2. In $\Delta ABC, B-D-C$ and BD=7, BC=20 Then find the following ratio.





 $A(\Delta ABD)$

3. In
$$\Delta ABC, B-D-C$$
 and $BD=7, BC=20$ Then find the following ratio.



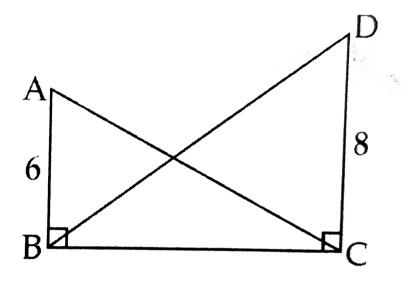


4. Ratio of areas of two triangles with equal height is 2:3. If base of smaller trainagle is 6 cm then what is the correponding base of the bigger triangles.



5. In the figure given

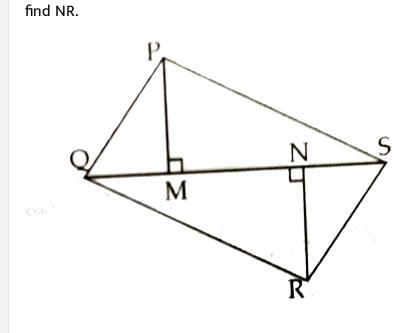
$$ngle ABC=ngle DCB=90^{\circ}$$
 . $AB=6,DC=8. ext{ then}rac{A(\Delta ABC)}{A(\Delta DCB)}$?



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6. In the adjoining figure ,

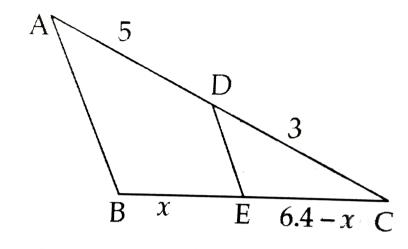
 $PM = 10 ext{cm} A(\Delta PQS) = 100 ext{ sq cm} A(\Delta QRS) = 110 ext{ sq cm}$ then





7. In the figure
$$A-D-C$$
 and $B-E-C$ seg $DE \mid |$ side AB if $AD=5, DC=3,$

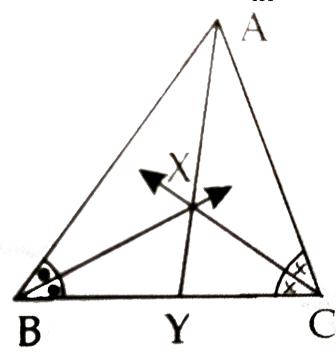
then find BE.





8. In the adjoining figure bisectors of $\angle B$ and $\angle C$ intersect each other in point X. Line AX intersects side BC in point Y.

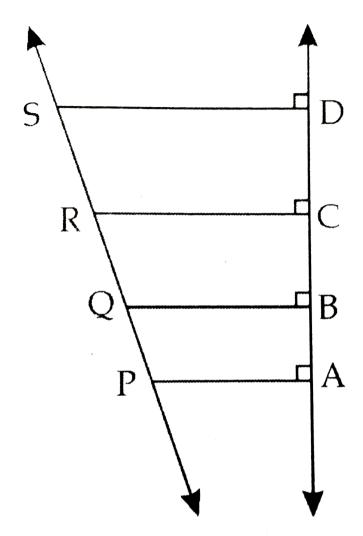
 $AB=5, AC=4, BC=6 ext{then find } rac{AX}{XY}.$





9. In the figure given seg PA, seg QB, seg RC and seg SD are perpendicular to line AD. $AB=60,\,BC=70,\,CD=80\,$ and $PS=280,\,$ then find PQ,

QR and RS.

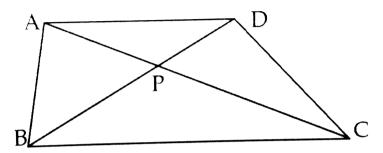




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10. In $\square \, ABCD, \, \mathrm{seg} \, |AD| \mid \mathrm{seg} \, |BC|$. Diagonal AC and diagonal BC

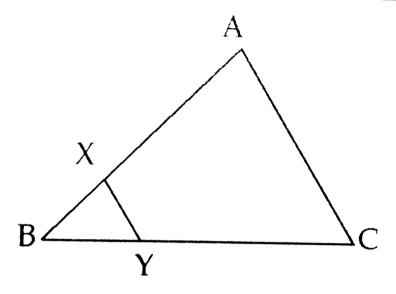
intersect each other in point P. Then show that $\frac{AP}{PD} = \frac{PC}{BP}$





11. In the adjoining figure , XY \parallel seg AC . If 2AX=3 imes BX and XY=9.

Complete the activity to find the value of AC.





12. ΔMNT ~ ΔQRS : Length of altitude drawn from vertex T is 5 and length of altitude drawn from vertex S is 9 . Find $\frac{A(\Delta TMN)}{A(\Delta SQR)}$



Problem Set 1 Mcqs

1. If in ΔABC and ΔPQR for some one- one correpondence if

$$\frac{AB}{QR} = \frac{BC}{PR} = \frac{CA}{PQ}$$
 then

A.
$$\Delta PQR$$
 ~ ΔABC

B.
$$\Delta PQR$$
 ~ ΔCAB

C.
$$\Delta CBA$$
 ~ ΔPQR

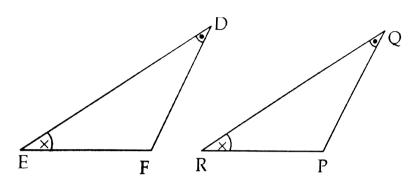
D.
$$\Delta BCA$$
 ~ ΔPQR

Answer: A::B::C::D



2. If in $\Delta DEF ext{-}\Delta PQR$. $\angle D\cong \angle Q,$ $\angle R\cong \angle E$, then which of the

following statement is false?



A.
$$\frac{EF}{PR} = \frac{DF}{PQ}$$

$$\mathrm{B.}\,\frac{DE}{PQ}=\frac{EF}{RP}$$

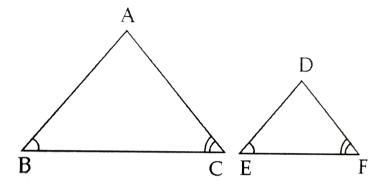
C.
$$\frac{DE}{QR} = \frac{DF}{PQ}$$

$$\mathrm{D.}\,\frac{EF}{RP}=\frac{DE}{QR}$$

Answer: B



3. In $\triangle ABC$ and $\triangle DEF$. $\angle B\cong \angle E, \angle F\cong \angle C$ and AB=3DE then which statement regarding two triangles is true?



- A. The triangles are not congruent and not similar.
- B. The triangles are similar but not congruent.
- C. The triangles are congruent and similar.
- D. None of the statements above is true.

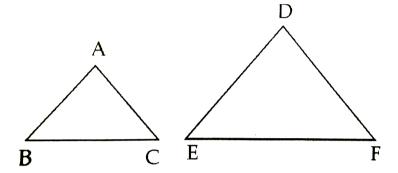
Answer: A::B::C



4. ΔABC and ΔDEF both are equilateral triangles.

 $A(\Delta ABC)$: $A(\Delta DEF)=1$: 2. If AB = 4 , then what is the length of DE

?



A.
$$2\sqrt{2}$$

B. 4

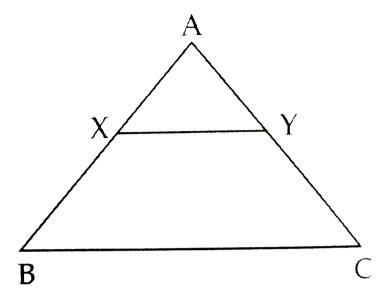
C. 8

D. $4\sqrt{2}$

Answer: B::D



 $\ensuremath{\mathbf{5.}}$ In the figure seg XY|| BC , then which of the following statement is true?





6. In $\Delta ABC, AB=3 {
m cm}, BC=2 {
m cm} \ {
m and} \ AC=2.5 {
m cm} \ \Delta DEF \sim \Delta ABC, EF=2 {
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m$

What is the perimeter of ΔDEF ?

A. 30 cm

 $\mathsf{B.}\ 22.5\mathrm{cm}$

C. 15 cm		
D. 7.5cm		
Answer: A::C		
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7. The sides of two similar tria	ingles are 4 : 9 . What	
area?		

is the ratio of their

A. 2:3

B. 4:9

C. 81:16

D. 16:81

Answer: D



8. The areas of two similar traingles are $18\mathrm{cm}^2$ and $32\mathrm{cm}^2$ respectively.

What is the ratio of their corresponding sides?

- A. 3:4
- B. 4:3
- C.9:16
- D. 16:9

Answer: C::D



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9.

 ΔABC - ΔPQR , AB=6cm, BC=8cm, AC=10cm and QR=6cm.

- . What is the length of side PR?
 - A. 8 cm
 - B. 10 cm

C.	$4.5 \mathrm{cm}$
D.	7.5cm

Answer: D



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10. In ΔXYZ , ray YM is the bisector of ΔXYZ where XY= YZ and X- M - Z

, then which of the relation is true?

A. XM=MZ

B. XM
eq MZ

 $\mathsf{C}.\,XM>MZ$

D. None

Answer:



11. In ΔABC , $AB=6{
m cm}$, $BC=8{
m cm}$ and $AC=10{cm}\Delta ABC$ is enlarged to ΔPQR such that the largest side is 12.5 cm . What is the length of the smallest side of ΔPQR ?

 $\mathsf{A.}\ 7.5\ \mathsf{cm}$

B. 9 cm

C. 8 cm

D. 10 cm

Answer: a



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12. In $\triangle ABC$, B-D-C and BD=6cm, DC=4cm what is the ratio $A(\triangle ABC)$ to $A(\triangle ACD)$?

A. 2:3

B.5:2

Answer: B



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In

13.

$\Delta XYZ, PQ \mid |YZ, X-P-Y| \text{ and } X-Q-Z. \text{ If } \frac{XP}{PY} = \frac{4}{13} \text{ and } XQ$

What is XZ?

A. 15.6 cm

B.20.4 cm

 $D.\,10.2\,cm$

Answer: B::C::D

C.7.8 cm



14. In ΔABC , P is a point on side BC such that BP = 4 cm and PC = 7 cm.

$$A(\Delta APC): A(\Delta ABC) = \dots$$

A. 11:7

B. 7:11

C. 4:7

D. 7:4

Answer: B



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15. In ΔPQR seg RS is the bisector $\angle PQR, PS = 8, SQ = 6, PR = 20$ then QR =

of

A. 10

B. 15

C. 30 D. 40

Answer: B



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16. In $\triangle ABC$, line $PQ \mid | \mathrm{side}BC, AP = 3, BP = 6, AQ = 5$ then the value of CQ is

A. 20

B. 10

C. 5

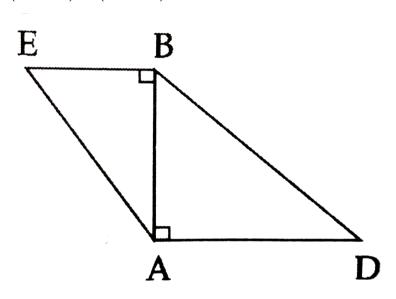
D. 16

Answer: B



Problems For Practice

1. In the adjoining figure , $BE \perp \sec AB$ and $\sec BA \perp \sec AD$. If BE = 6, AD =9 , the find $A(\Delta ABE)$: $A(\Delta BAD)$





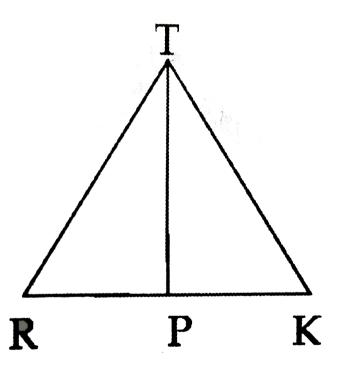
2. The ratio of the areas of two traiangles with the common base is 6:5. Height of the larger triangles is 9 cm gt Then find the correspoding height of the smaller triangle.

3. In the adjoining figure, RP: PK = 3.2, then find the value of

(i) $A(\Delta TRP)$: $A(\Delta TPK)$

(ii) $A(\Delta TRK)$: $A(\Delta TPK)$

(iii) $A(\Delta TRP)$: $A(\Delta TRK)$

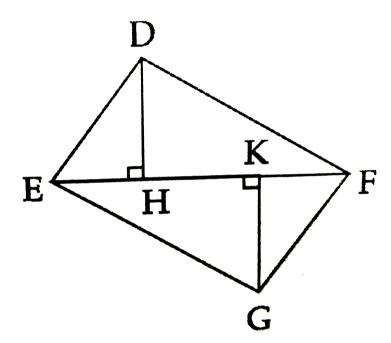




4. In the adjoining figure $\operatorname{seg}\ DH\perp\operatorname{seg}\ EF, \ \operatorname{seg}\ GK\perp\operatorname{seg}\ EF.$

If DH = 12 cm , GK =20 cm and $A(\Delta DEF)=300^{\circ}\,\mathrm{cm}^2$, then find

- (i) EF
- (ii) $A(\Delta GEF)$

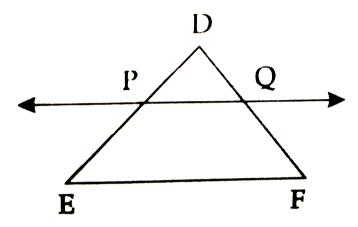


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5. The ratio of the areas of two triangles with equal height is 3 : 2 . The base of the larger triangle is 18 cm . Find the corresponding base of the smaller triangle.

6. In

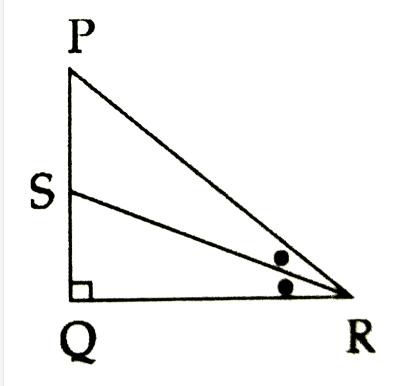
$$\Delta DEF$$
, line $PQ \mid \text{ | side}EF$. $DQ = 1.8, QF = 5.4, PE = 7.2$. find DE .





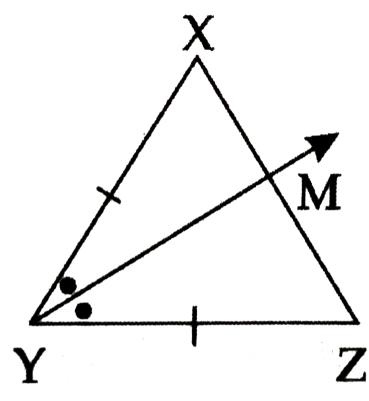
7. In ΔPQR seg RS is bisector of $\angle PRQ$. PS=6, SQ=8, PR=15.

Find QR.



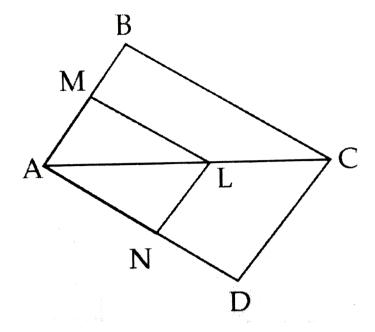


8. In ΔXYZ , XY=YZ. Ray YM bisects $\angle XYZ$. X-M-Z prove that M is midpoints of seg XZ.





9. In the adjoining figure , seg ML || seg BC , seg NL || seg DC. Prove that AM : AB = AN: AD .

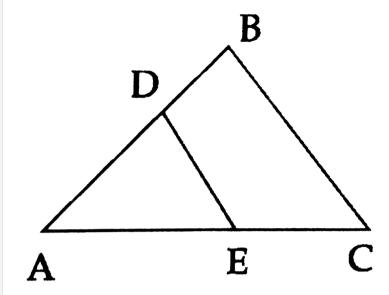




10. \Box ABCD is a trapezium in which AB|| DC and its diagonals intersect each other at points O . Show that AO : BO = CO : DO.

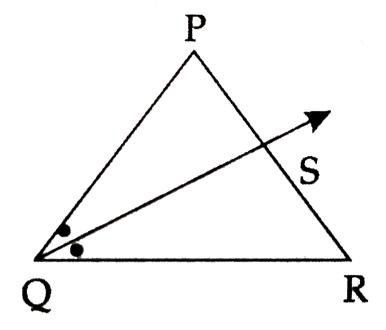


11. Point D and E are the points on sides AB and AC such athat AB = 5.6, AD = 1.4, AC =7.2 and AE = 1.8. Show that DE||BC.



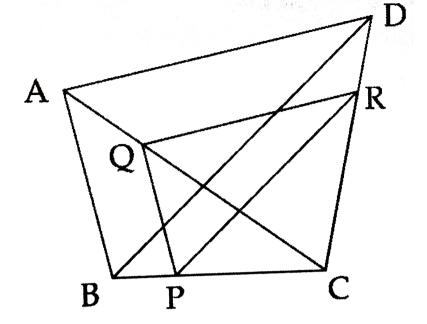
12. In ΔPQR , ray QS bisects of $\angle PQR$. P-S-R. Show that

$$\frac{A(\Delta PQS)}{A(\Delta QRS)} = \frac{PQ}{QR}$$





13. In the adjoining figure , seg PQ \parallel AB. Seg PR \parallel seg BD. Prove that QR||AD.

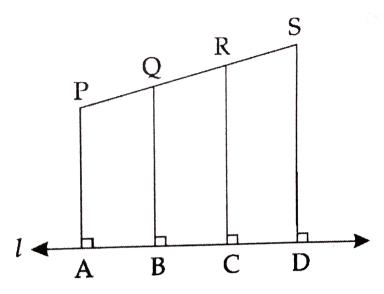




In the adjoining figure , 14.

seg PA, seg QB, seg RC and seg SD are \perp to line AB=6, BC=6

then find PQ, QR and RS.





15. A vertical pole of a length 6 m casts a shadow of 4 m long on the ground . At the same time a tower casts a shadow 28 m long . Find the height of the tower.



16. In

 $\Delta ABC, AB=5, BC=6, AC=7.$ $\Delta PQR\text{-}\Delta ABC.$ Perimeter of ΔPQR

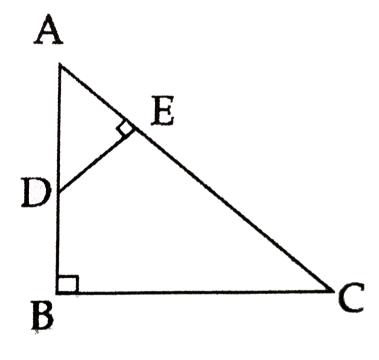


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17. In

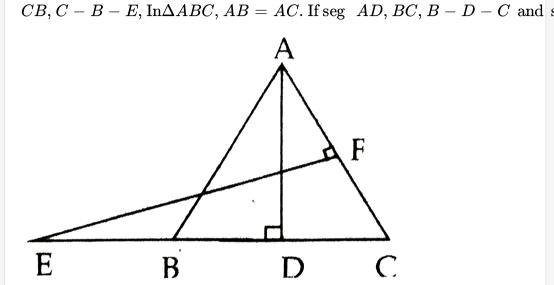
 $\Delta ABC, \angle B = 90^{\circ}, \text{seg } DE \perp \text{side } AC. AD = 6, AB = 12, AC = 18,$

, then find AE.





18. E is a point on side



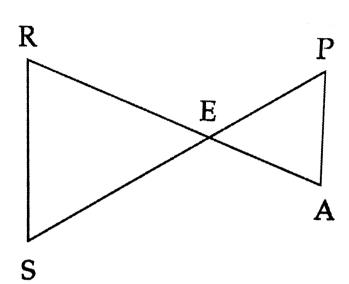


19. D is a point on side BC of ΔABC such that , $\angle ADC = \angle BAC$. Show that $AC^2 = BC \times DC$.



20.

In $\Delta RES, RE=15, SE=10. \ \mathrm{In} \Delta PEA, PE=8, AE=12. \ \mathrm{Prove} \ \mathrm{that} \Delta RE$



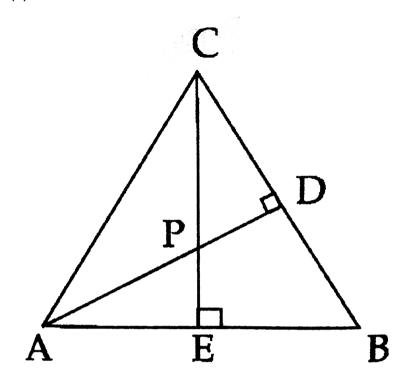


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the adjoining 21. In $\operatorname{seg}\ Ce\ \bot \quad \operatorname{side}\ AB, \quad \operatorname{seg}AD\ \bot \quad \operatorname{side}\ BC.$ Prove that figure

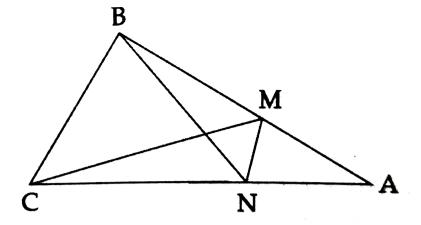
(i) $\triangle AEP \sim \triangle CDP$

(ii) $\Delta AEP \sim \Delta ADB$





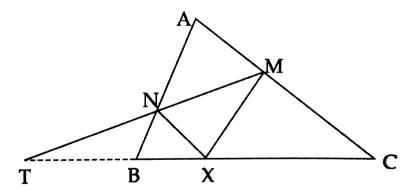
22. In the adjoining figure , if $\Delta ABN\cong \Delta ACM$ show that ΔAMN - ΔABC .





23. Let X be any point on side BC of ΔABC seg XM \parallel side AB and seg XN

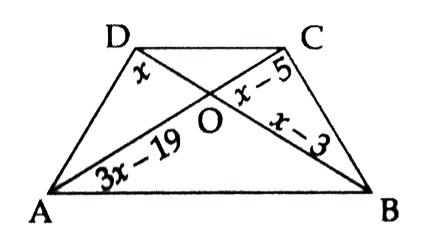
||side CA . M - N- T , T - B - X . Prove that : $TX^2 = TB.\ TC.$





24. In the adjoining figure , seg AB \parallel side DC , OD = x OB = x -3 , OC = x-5 ,

OA = 3x - 19. Find the value of x.





25. $\Delta DEF \text{-}\Delta MNK$ If DE = 5 and MN = 6 , then find the value of

$$A(\Delta DEF) : A(\Delta MNK)$$



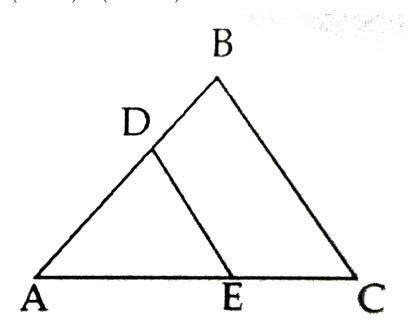
26. If $\triangle ABC \sim \triangle DEF$ such that the area of $\triangle ABC$ is 9cm^2 and the area of $\triangle DEF$ is 16cm^2 . If BC = 2.1 cm . Find

length of EF.



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27. In the adjoining figure, seg DE|| side BC . If DE : BC =3: 5 , then find $A(\Delta ADE):A(\Delta DBCE)$





28. In $\triangle ABC$, PQ is a line segment intesecting AB at point P and AC at point Q. PQ || BC. If PQ divides $\triangle ABC$ into two equal parts equal in area, find BP: AB.



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29. In $\triangle ABC$, $\angle ABC = 90^{\circ}$. $\triangle PAB$, $\triangle QAC$ and $\triangle RBC$ are the equilateral triangles contructed on sides AB, AC and BC repectively. Prove that $: A(\Delta PAB) + A(\Delta RBC) = A(\Delta QAC)$

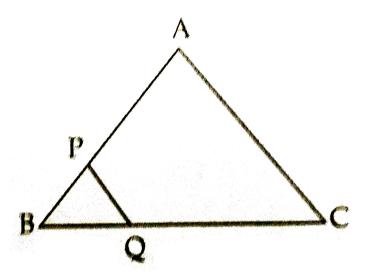


30. In $\triangle ABC$, seg DE|| side BC. If $2A(\triangle ADE) = A(\Box DBCE)$. Show that $BC = \sqrt{3} \times DE$.



1. Select the appropriate alternative : In the adjoining figure ,

 $PQ \mid \ \mid AC. \ BP = 6, PA = 8, BQ = 9$, then QC =



A. 15

B. 12

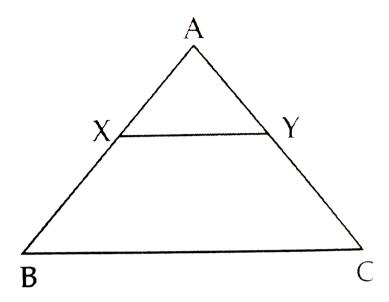
C. 18

D. 20

Answer:



2. In the figure seg XY|| BC, then which of the following statement is true?



A.
$$\frac{AB}{AC}=rac{AX}{AY}$$

$$\mathrm{B.}\,\frac{AX}{XB}=\frac{AY}{AC}$$

$$\operatorname{C.}\frac{AX}{YC} = \frac{AY}{XB}$$

$$\mathrm{D.}\,\frac{AB}{YC}=\frac{AC}{XB}$$

Answer:



3. Solve the following questions :

$$\Delta ABC \sim \Delta PQRA(\Delta ABC) : A(\Delta PQR) = 9 : 16$$
Find $BC : QR$.

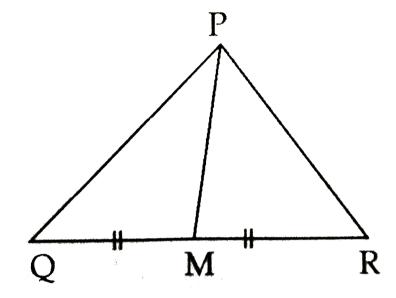


4. Solve the following questions : ΔPQR , seg RS is the bisector of $\angle PRQ$. PS=8, SQ=6, PR=20, the solution of APQR is the section of APQR is the section

5. Perform any one the following activities:

In the adjoining figure , seg PM is a median . Prove that

$$A(\Delta PQM) = A(\Delta PRM)$$

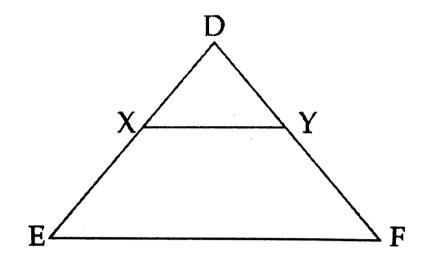




6. Perform any one the following activities:

In the adjoining figure, DX = 4, DE = 8, FY = 6, OF = 12. Complete the

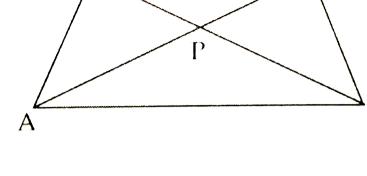
follwing activity to prove that seg XY || seg EF.





7. Attempt any Two of the following:

In $\ \Box \ ABCD$,seg AB $\|$ seg CD . Diagonal AC and BD intersect each other



 $A(\Delta ABP)$



at point P . Prove :

that $AC^2 = BC \times DC$.

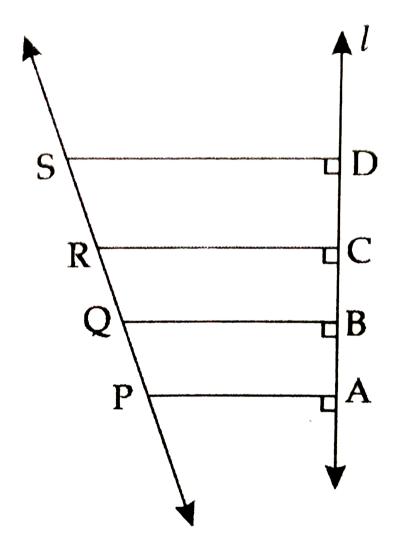
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9. Attempt any Two of the following:

In the adjoining figure seg PA , seg QB seg RC and seg SD are \perp line I .

8. D is a point on side BC of $\triangle ABC$ such that , $\angle ADC = \angle BAC$. Show

AB = 60, BC = 70, CD = 80. If PS = 280, then PQ, QR, RS.

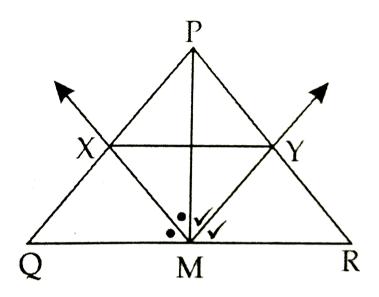




10. Atempt any two of the following:

In ΔPQR ray MX and ray MY bisect $\angle PMQ$ and $\angle PMR$ respectively .

P- X - Q , P - Y - R . Seg PM is a median , prove that seg XY \parallel seg QR





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11. Atempt any two of the following:

In the adjoining figure , in the adjoining figure , i

$$B$$
 Q
 C

 ΔABC , A-P-B and A-Q-CProve that

 $AP \times A$

 $A(\Delta APQ)$

12. Atempt any two of the following:

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angle in the ratio of the remaining sides.

Prove: In a triangle the angle bisector divides the side opposite to the

