

India's Number 1 Education App

#### **MATHS**

# **BOOKS - TARGET MATHS (HINGLISH)**

#### **VECTORS**

# **Classical Thinking**

**1.** If 
$$\overrightarrow{a}=\hat{i}-\hat{j}$$
 and  $\overrightarrow{b}=-2\hat{i}+m\hat{j}$  are two collinear vectors, then

m =

A. 4

B. 3

C. 2

D.  $\frac{1}{2}$ 

**Answer: C** 

**2.** The vectors 
$$\bar{a}$$
 and  $\bar{b}$  are non-collinear The value of  $x$  for which the vectors  $\overrightarrow{c}=(x-2)\overrightarrow{a}+\overrightarrow{b}$  and  $\overrightarrow{d}=(2x+1)\overrightarrow{a}-\overrightarrow{b}$  are collinear, is

B. 
$$\frac{1}{2}$$

C.  $\frac{1}{3}$ 

D. 3

**Answer: C** 



**3.** If 
$$3i-2j+5k \ ext{and} \ -2i+pj-qk$$
 are collinear vectors, then

A. 
$$p=rac{4}{3},$$
  $q=rac{-10}{3}$ 

B. 
$$p = \frac{10}{3}, q = \frac{4}{3}$$

C. 
$$p=rac{-4}{3},$$
  $q=rac{10}{3}$ 
D.  $p=rac{4}{3},$   $q=rac{10}{3}$ 

#### **Answer: D**



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**4.** The points  $A(\overline{a})$ ,  $B(\overline{b})$ ,  $C(\overline{c})$  will be collinear if

A. 
$$ar{a}+ar{b}+ar{c}=ar{0}$$

B. 
$$ar{a} imesar{b}+ar{b} imesar{c}+ar{c} imesar{a}=ar{0}$$

C. 
$$ar{a}$$
.  $ar{b}$   $+$   $ar{b}$ .  $ar{c}$   $+$   $ar{c}$ .  $ar{a}$   $=$   $ar{0}$ 

D. 
$$ar{a} imes(ar{b}+ar{c})+ar{b} imes(ar{c}+ar{a})+ar{c} imes(ar{a}+ar{b})=0$$

#### **Answer: B**



**5.** If  $ar{a}=\hat{i}+\hat{j},$   $ar{b}=2\hat{i}-\hat{j}$  and  $ar{r}=2\hat{i}-4\hat{j},$  then express  $\overrightarrow{r}$  as linear combination of  $ar{a}$  and  $ar{b}$ 

A. 
$$ar{r}=2ar{a}+2ar{b}$$

B. 
$$ar{r}=\,-\,2ar{a}+2ar{b}$$

C. 
$$ar{r}=2ar{a}-2ar{b}$$

D. 
$$ar{r}=\,-\,2ar{a}-2ar{b}$$

6.

**Answer: B** 

# **Watch Video Solution**

$$\overline{A}=(x+4y)ar{a}+(2x+y+1)ar{b} \ ext{and} \ \overline{B}=(y-2x+2)ar{a}+(2x-3y-1)$$

, where  $ar{a} \ \ {
m and} \ \ ar{b}$  are non-collinear vectors, if  $3\overline{A} = 2\overline{B}, \ \ {
m then}$ 

Let

A. 
$$x=1,\,y=2$$

B. 
$$x = 2, y = 1$$

$$g - 1$$

C. 
$$x = 2, y = -1$$

D. 
$$x = -1, y = 2$$

#### Answer: C



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# **7.** A vector coplanar with the non-collinear vectors $ar{a} \ { m and} \ ar{b}$ is

A. 
$$ar{a} imes ar{b}$$

B. 
$$ar{a}+ar{b}$$

C. 
$$ar{a}$$
.  $ar{b}$ 

D. 
$$ar{a} imes 3ar{b}$$

### **Answer: B**



- **8.** The vectors  $ar{a},\,ar{b}\,\,{
  m and}\,\,ar{a}+ar{b}$  are
  - A. Collinear
  - B. Coplanar
  - C. Non-coplanar
  - D. Non-collinear

#### Answer: B



- **9.**  $\bar{p}$  and  $\bar{q}$  are position vectors of two points P and Q. The position vectors of a point which divides PQ internally in the ratio  $2\colon 5$  is
- A.  $rac{ar{p}+ar{q}}{7}$ 
  - B.  $\frac{5ar{p}+2ar{q}}{7}$
  - C.  $\dfrac{2p+5q}{7}$
  - D.  $rac{ar p ar q}{7}$

#### **Answer: B**



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**10.** The co-ordinates of the points which divides line segment joining the point  $A(2,3,\,-1)$  and B(3,1,4) internally in the ratio  $2\colon 3$  are

A. 
$$\left(\frac{-12}{5}, \frac{-11}{5}, 1\right)$$

B. 
$$\left(\frac{12}{5}, \frac{11}{5}, 1\right)$$

c. 
$$\left(\frac{-12}{5}, \frac{-11}{5}, \frac{1}{5}\right)$$

D. 
$$\left(\frac{12}{5}, \frac{11}{5}, \frac{1}{5}\right)$$

#### **Answer: B**



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**11.** If O is origin and C is the mid - point of A (2, -1) and B (-4, 3). Then value of OC is

A. 
$$\hat{i}+\hat{j}$$

B. 
$$\hat{i}-\hat{j}$$

$$\mathsf{C.} - \hat{i} + j$$

D. 
$$-\hat{i}-\hat{j}$$

#### **Answer: C**



AB

- **12.** If the position vectors of the points A and B are  $\hat{i}+3\hat{j}-\hat{k}$  and
- $3\hat{i}-\hat{j}-3\hat{k},$  then what will be the position vectors of the mid point of

A. 
$$\hat{i} + 2\hat{j} - \hat{k}$$

B. 
$$2\hat{i}+\hat{j}-2\hat{k}$$

C. 
$$\hat{i}+\hat{j}-\hat{k}$$

D. 
$$\hat{i}+\hat{j}-2\hat{k}$$



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**13.** Position vectors of a point which divides line joining points A and B whose position vectors are  $2\hat{i}+\hat{j}-\hat{k}$  and  $\hat{i}-\hat{j}+2\hat{k}$  externally in the ratio  $5\colon 2$  is

A. 
$$rac{1}{3}\Big(\hat{i}-7\hat{j}+12\hat{k}\Big)$$

B. 
$$-rac{1}{3}\Big(\hat{i}+7\hat{j}-12\hat{k}\Big)$$

C. 
$$\hat{i}-7\hat{j}+12\hat{k}$$

D. 
$$\hat{i} + 7\hat{j} - 12\hat{k}$$

#### **Answer: A**



**14.** If  $P \equiv (2, -1, 4), Q \equiv (3, 2, 1)$  then the co-ordinates of the point which divides PQ externally in the ratio 2:1 are

A. 
$$(4, 5, 2)$$

B. 
$$(-4, 5, -2)$$

C. 
$$(-4, -5, 2)$$

D. 
$$(4, 5, -2)$$

#### **Answer: D**



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**15.** If the point A(5, a, -1), B(2, -7, k) and  $P\left(\frac{17}{4}, \frac{11}{4}, 0\right)$  are collinear, then the ratio in whihc P divides AB is

A. 
$$1:2$$

D. 1:3

#### **Answer: D**



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- **16.** If A(2,3,-4), B(m,1,-1), C(3,2,2) and G(3,2,n) is the centroid of  $\Delta ABC$ , then the values of m and n respectively are
  - A. -4, 1
  - $\mathsf{B.}\,3,\,4$
  - C. 4, 3
  - D. 4, -1

#### Answer: D



17. If  $A(a,2,2),\,B(a,b,1)\,$  and  $\,C(1,2,\,-2)\,$  are the vertices of triangle

ABC and G(2,1,c) is centroid, then values of a,b and c are

A. 
$$a = \frac{1}{2}, b = 1, c = 1$$

B. 
$$a=rac{5}{2}, b=-1, c=rac{1}{3}$$

C. 
$$a=-1, b=1, c=rac{3}{2}$$

D. 
$$a = \frac{1}{2}, b = \frac{1}{2}, c - 1$$

### Answer: B



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**18.** If  $\hat{i},\hat{j},\hat{k}$  are the unit vectors and mutually perpendicular, then  $\left[\hat{i}\hat{k}\hat{j}\right]$  is equal to

A. 0

B. -1

C. 1

#### Answer: B



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- **19.** The scalar triple product of the vectors  $2\hat{i}$ ,  $3\hat{j}$  and  $-5\hat{k}$  is
  - A. 0
  - B. 10
  - $\mathsf{C.}-15$
  - D. 30

#### **Answer: D**



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**20.** The value of  $\left(\hat{i}+\hat{j}
ight)$ .  $\left[\left(\hat{j}+\hat{k}
ight) imes\left(\hat{k}+\hat{i}
ight)
ight]$  is

B. 1

 $\mathsf{C.}-1$ 

D. 2

**Answer: D** 

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**21.** If  $\bar{a} = \hat{i} - \hat{j} + \hat{k}, \bar{b} = \hat{i} + \hat{j} - \hat{4}k, \bar{c} = -\hat{i} + \hat{j} - \hat{k}$ , then

# $\left[\bar{a}\bar{b}\bar{c}\right] =$

A. 2

\_\_\_

B. 3

C. 6

D. 5

Answer: D

**22.** If

$$ar a=3\hat{\ i}-2\hat{\ j}+2\hat{\ k},$$
  $ar b=6\hat{\ i}+4\hat{\ j}-2\hat{\ k}$  and  $ar c=3\hat{\ i}-2\hat{\ j}-4\hat{\ k},$  then  $ar aar (ar b imesar c)$  is

- A. 122
- B. 144
- C. 120
- D. 120

#### **Answer: B**



to

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**23.** Let  $ar{a},\,ar{b}\ \ {
m and}\ \ ar{c}$  three vectors, Then scalar triple product  $\left[ar{a}ar{b}ar{c}
ight]$  is equal

- A.  $[ar{b},ar{a},ar{c}]$
- B.  $\left[ar{a},ar{c},ar{b}
  ight]$
- C.  $[ar{c},ar{b},ar{a}]$
- D.  $[ar{b},ar{c},ar{a}]$

# **Answer: D**



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**24.** If  $ar{a},\,ar{b},\,ar{c}$  are three vectors, then  $\left[ar{a},\,ar{b},\,ar{c}
ight]$  is not equal to

- - A.  $\left[ar{b}ar{c}ar{a}
    ight]$
  - B.  $\left[ar{c}ar{a}ar{b}
    ight]$
- C.  $-\lceil ar{b}ar{a}ar{c}
  ceil$
- D.  $\left[ar{b}ar{a}ar{c}
  ight]$

**Answer: D** 

**25.** 
$$\left[\hat{i}\hat{k}\hat{j}\right] + \left[\hat{k}\hat{j}\hat{i}\right] + \left[\hat{j}\hat{k}\hat{i}\right]$$

- A. 1
- B. 3
- $\mathsf{C.}-3$
- D. -1

#### **Answer: D**



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## **26.** The scalar triple product of vectors is zero if\_\_\_\_\_

- A. One of the vectors is zero vectors
- B. Any two vectors are non-collinear
- C. the three vectors are non-coplanar

D. All of the above

Answer: A



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- **27.** If ar a, ar b, ar c are non-coplanar vectors then ar a+2ar b ar a+ar c ar b ar b = 0
  - A. 0

B.  $\left[ar{a},ar{b},ar{c}
ight]$ 

C.  $-\left[ar{a},ar{b},ar{c}
ight]$ 

D.  $2ig[ar{a},ar{b},ar{c}ig]$ 

Answer: C



**28.** If  $\bar{a}, \bar{b}, \bar{c}$  are non-coplanar vectors, then three points with position vectors  $\bar{a}-2\bar{b}+3\bar{c}, 2\bar{a}+m\bar{b}-4\bar{c}$  and  $-7\bar{b}+10\bar{c}$  will be collinear if m equals

**29.** The vectors  $\hat{i} + 2\hat{j} + 3\hat{k}$ ,  $\hat{\lambda}i + 4\hat{j} + 7\hat{k}$  and  $-3\hat{i} - 2\hat{j} - 5\hat{k}$ 

- A. 2
- B. 3
- C. 0
- D. -1

#### Answer: B



- are collinear, if  $\lambda$  equals
  - **A.** 3
  - B. 4

C. 5

D. 6

#### Answer: A



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**30.** If  $\bar{a}, \bar{b}, \bar{c}$  are any vectors, then which of these sets of vectors are coplanar

A. 
$$ar{a}+ar{b},ar{b}+ar{c},ar{c}+ar{a}$$

B. 
$$ar{a} imesar{b}$$
,  $ar{b} imesar{c}$ ,  $ar{c} imesar{a}$ 

C. 
$$\bar{a}-\bar{b}$$
,  $\bar{b}-\bar{c}$ ,  $\bar{c}-\bar{a}$ 

D. 
$$ar{a}+2ar{b},$$
  $ar{b}+2ar{c},$   $ar{c}+2ar{a}$ 

#### **Answer: C**



**31.** If  $ar{a}=\hat{i}-\hat{j}+\hat{k}, ar{b}=\hat{i}+2\hat{j}-\hat{k}$  and  $ar{c}=3\hat{i}+p\hat{j}+5\hat{k}$  are coplanar then the value of p will be

$$A.-6$$

B.-2

C. 2

D. 6

#### Answer: A



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**32.** If the vectors  $\hat{i} + 3\hat{j} - 2\hat{k}$ ,  $2\hat{i} - \hat{j} + 4k$  and  $3\hat{i} + 2\hat{j} + x\hat{k}$  are coplanar, then the value of x is

$$A.-2$$

B. 2

C. 1

#### **Answer: B**



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**33.** If vectors  $\hat{i}+\hat{j}+\hat{k},\hat{j}-\hat{i},\hat{i}+2\hat{j}+a\hat{k}$  are coplanar, then a is equal to

$$\mathsf{A.}\,\frac{3}{2}$$

B. 3

 $\mathsf{C.}-3$ 

D. 0

#### **Answer: A**



**34.** For any vectors  $ar{a}, \, ar{b}, \, ar{c}$  correct statement is

A. 
$$ar{a}$$
.  $\left(ar{b} imesar{c}
ight)=\left(ar{c} imesar{b}
ight)$ .  $ar{a}$ 

B. 
$$ar{a} imes \left(ar{b} imesar{c}
ight)=ar{b} imes \left(ar{c} imesar{a}
ight)$$

C. 
$$ar{a} imes \left(ar{b} imesar{c}
ight)=\left(ar{a} imesar{b}
ight) imesar{c}$$

D. 
$$ar{a}$$
.  $\left(ar{b} imesar{c}
ight)=ar{b}$ .  $\left(ar{c} imesar{a}
ight)$ 

#### **Answer: D**



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**35.**  $\left[ar{a} \quad ar{b} \quad ar{a} imes ar{b}
ight]$  is equal to

A. 
$$\left|ar{a} imesar{b}
ight|$$

B. 
$$\left|ar{a} imesar{b}
ight|^2$$

D. None of these

#### **Answer: B**



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- **36.** If  $ar{a} \ {
  m and} \ ar{b}$  be parrallel vectors, then  $ar{a} \ ar{c} \ ar{b} =$ 
  - A. 0
  - B. 1
  - C. 2
  - D. 3

#### **Answer: A**



- **37.** If  $ar{a},\,ar{b},\,ar{c}$  are any three coplanar unit vectors then
  - A.  $ar{a}$ .  $\left(ar{b} imesar{c}
    ight)=1$

B. 
$$ar{a}.\left(ar{b} imesar{c}
ight)=3$$

C. 
$$(ar{a} imesar{b})$$
.  $c=0$ 

D. 
$$(ar{c} imesar{a})$$
.  $b=1$ 

#### **Answer: C**



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**38.** If  $\bar{a}=\frac{11}{2}\hat{i}$ ,  $\bar{b}=12\hat{j}$  and  $\bar{c}=\frac{13}{3}\hat{k}$  represents the three co-

terminus edges of a parallelopiped, then its volume is given by

A. 510

B. 145

C. 286

D. 268

#### Answer: C



**39.** Three concurrent edges OA, OB, OC of a parallelopiped are by three represented vectors  $\hat{2i} + \hat{j} - \hat{k}, \hat{i} + \hat{2j} + \hat{3k}$  and  $\hat{-3i} - \hat{j} + \hat{k}$  the volume of the solid so formed in cubic unit is

- A. 5
- B. 6
- C. 7
- D. 8

#### Answer: A



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40. If  $ar{a} = -3\hat{i} + 7\hat{j} + 5\hat{k}, \, \bar{b} = -3\hat{i} + 7\hat{j} - 3\hat{k} \, \, \text{and} \, \, c = 7\hat{i} - 5\hat{j} - 3\hat{k}$ are the three coterminus edges of a parallelopiped, then its volume is

- A. 108 B. 210 C. 272 D. 308 **Answer: C** Watch Video Solution The volume of the tetrahedron whose vertices 41.
- are A(1, -1, 10), B(-1, -3, 7), C(5, -1, 1) and D(7, -4, 7) is
  - A. 26
  - B. 29

C. 32

D. None of these

**Answer: B** 

42. The volume of the tetrahedron with vertices

$$5\hat{i} - \hat{j} + \hat{k}, 7\hat{i} - 4\hat{j} + 7\hat{k}, \hat{i} - 6\hat{j} + 10\hat{k} \text{ and } - \hat{i} - 3\hat{j} + 7\hat{k} \text{ is}$$

- A. 7
- B. 3
- C. 15
- D. 11

#### **Answer: D**



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**43.** The sum of the three vectors determined by the medians of triangle directed from the vertices is

A. 0

$$C. - 1$$

$$\mathsf{D.}\; \frac{1}{3}$$

# Answer: A



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# **Critical Thinking**

The points with respective position vectors 1.  $60\hat{i} + 3\hat{j}, 40\hat{i} - 8\hat{j}, x\hat{i} - 52\hat{j}$  are collinear if x is equal to

A. - 40

B. 40

C. 20

D. - 20

#### **Answer: A**



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**2.** If the vectors  $\hat{i}+\hat{2k}$ ,  $\hat{j}+\hat{k}$  and  $\hat{\lambda i}+\hat{\mu j}$  collinear, then

A. 
$$\lambda=2, \mu=1$$

B. 
$$\lambda=2, \mu=-1$$

$$C. \lambda = -1, \mu = 2$$

D. 
$$\lambda = -1$$
,  $\mu = -2$ 

#### **Answer: C**



then

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3. If the vectors  $-\hat{i}+3\hat{j}+2\hat{k},\ -4\hat{i}+2\hat{j}-2\hat{k}$  and  $5\hat{i}+\lambda\hat{j}+\mu\hat{k}$  are collinear

A. 
$$\lambda=5, \mu=10$$

B. 
$$\lambda=2, \mu=-1$$

C. 
$$\lambda=-5, \mu=10$$

# D. $\lambda=5, \mu=-10$

#### **Answer: A**



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4. If three points A,B and C have position vectors (1,x,3),(3,4,7) and (y,-2,-5),

respectively and if they are collinear, then find (x,y).

A. 
$$2, -3$$

B. 
$$-2, 3$$

D. 
$$-2, -3$$

# Answer: A

**5.** If the position vectors of the point A,B,C be  $\hat{i}+\hat{j},\hat{i}-\hat{j}$  and  $\hat{a}\hat{i}+\hat{b}\hat{j}+\hat{c}\hat{k}$  respectively then the point A,B,C are collinear if

A. 
$$a = b = c = 1$$

B.  $a=1,\,b \;\; \mathrm{and} \;\; c$  are arbitary scalars

C. 
$$a = b = c = 0$$

D. 
$$c=0,\,a=1\, ext{ and }\,b$$
 is arbitary scalar

#### **Answer: D**



**6.** Three points whose position vectors are ar a+ar b, ar a-ar b and ar a+kar b are collinear, then the value of k is

Α	7ero

- B. Only negative real number
- C. Only positive real number
- D. Every real number

#### **Answer: D**



- **7.** If  $\bar{a}$ ,  $\bar{b}$  and  $\bar{c}$  be there non-zero vectors, no two of which are collinear. If the vectors  $\bar{a}+2\bar{b}$  is collinear with  $\bar{c}$  and  $\bar{b}+3\bar{c}$  is collinear with a, then  $(\lambda \text{ being some non-zero scalar})\bar{a}+2\bar{b}+6\bar{c}$  is equal to
  - A.  $\lambda ar{a}$
  - B.  $\lambda ar{b}$
  - C.  $\lambda ar{c}$
  - D. 0

#### **Answer: D**



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- **8.** If the points A,B,C and D have position vectors ar a,2ar a+ar b,4ar a+2ar b and 5ar a+4ar b respectively, then three collinear points are
  - $\mathsf{A}.\,A,\,B,\,D$
  - B.A,B,C
  - C. B, C, D
  - D.A,C,D

#### Answer: A



9.

If

 $ar{a}=2ar{p}+3ar{q}-ar{r},$   $ar{b}=ar{p}-2ar{q}+2ar{r}$  and  $ar{c}=-2ar{p}+ar{q}-2ar{r}$  and  $\overline{R}=3ar{p}$ where ar p, ar q, ar r are non-coplanar vectors, then  $\overline R$  in terms of ar a, ar b, ar c is

If  $ar{a}+ar{b}+ar{c}=\lambdaar{d}$  and  $ar{b}+ar{c}+ar{d}=\muar{a}$  and  $ar{a},ar{b},ar{c}$ 

A.  $5\bar{a}+2\bar{b}+3\bar{c}$ 

C. 
$$2ar{a}+5ar{b}+3ar{c}$$

 $\mathsf{B.}\,3\bar{a}+5\bar{b}+2\bar{c}$ 

D. 
$$5ar{a}+3ar{b}+2ar{c}$$

#### **Answer: C**



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coplanar, then  $ar{a}+ar{b}+ar{c}+ar{d}$  is equal to

- A.  $\mu \bar{b}$ 
  - B.  $\lambda \bar{a}$

$$\mathsf{C}.\,ar{\mathsf{0}}$$

D. 
$$(\lambda \mid \mu) \bar{a}$$

#### **Answer: C**



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**11.** A and B are two points. The position vector of A is 6b-2a. A point P divides the line AB in the ratio 1:2. if a-b is the position vector of P, then the position vector of B is given by

A. 
$$7ar{a}-15ar{b}$$

B. 
$$7ar{a}+15ar{b}$$

C. 
$$15ar{a}-7ar{b}$$

D. 
$$15ar{a}+7ar{b}$$

#### **Answer: A**



**12.** If  $\bar{a}, \bar{b}, \bar{c}$  are the position vectors of the points A, B, C respectively and  $2\bar{a}+3\bar{b}-5\bar{c}=\bar{0}$ , then find the ratio in which the point C divides line segment AB.

- A. 2:3
- $\mathsf{B.}\,3\!:2$
- C. 3:5
- D. 5:2

#### **Answer: B**



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**13.** If  $\overline{OA} = \hat{i} + 3\hat{j} - 2\hat{k}$  and  $\overline{OB} = 3\hat{i} + \hat{j} - 2\hat{k}$ , then the vectors

 $\overline{OC}$  which bisects  $\angle AOB$  is equal to

A. 
$$\hat{i}-\hat{j}-\hat{k}$$

$$\texttt{B.}\,2\big(\hat{\phantom{a}}i+\hat{\phantom{a}}j+\hat{\phantom{a}}k\big)$$

$$\mathsf{C.-\hat{i}+\hat{j}-\hat{k}}$$

D. 
$$2(\hat{i} + \hat{j} - \hat{k})$$

### Answer: D



### **Watch Video Solution**

- **14.**  $\bar{a}, \, \bar{b}$  are position vectors of points A and B. If P divides AB in the ratio
- 3:1 and Q is the mid-point of AP, then position vectors of Q will be

A. 
$$rac{1}{2}ig(ar{a}-ar{b}ig)$$

B. 
$$rac{1}{2}ig(ar{a}+ar{b}ig)$$

C. 
$$rac{1}{8}ig(5ar{a}+3ar{b}ig)$$

D. 
$$rac{1}{8}ig(5ar{a}-3ar{b}ig)$$

### Answer: C



**15.** If  $2ar{a}+ar{b}=3ar{c}, ext{ then A divides BC in the ratio}$ 

A. 3:1 externally

 $\mathsf{B.}\,3\!:\!1$  internally

 $\mathsf{C.}\ 1:3$  externally

D. 1:3 internally

### Answer: A



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**16.** In  $\Delta ABC$ , P is the mid point of BC,Q divides CA internally in the ratio

2:1 and R divides AB externally in the ratio 1:2 then

A. R divides PQ externally in the ratio 2:1

B. P,Q,R are collinear

C. P divides QR externally in the ratio 3:2

D. Q divides PR internally in the ration 3:2

#### **Answer: B**



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**17.** If 
$$\vec{a}=\hat{i}-\hat{k}, \vec{b}=x\hat{i}+\hat{j}+(1-x)\hat{k}$$
 and  $=\stackrel{c}{i}y\hat{i}+x\hat{j}+(1+x-y)\hat{k}.$  Then  $\left[\vec{a},\vec{b},\vec{c}\right]$  depends on

A. only x

B. only y

C. neither x nor y

D. both x and y

### Answer: C



**18.** If the points (1, 1, 2), (2, 1, p), (1, 0, 3) and (2, 2, 0) are co-planar then value of p is

- A. 1
- B. 2
- C. -1
- D. 0

### Answer: A



19.

- If the points A, B, C and D with position vectors  $\hat{i} + \hat{j} + \hat{k}, \hat{2i} + \hat{j} + \hat{k}, \hat{i} + \hat{2j} + \hat{j}k$  and  $\hat{k} + \hat{j} + \hat{k}$ are coplanar then  $\lambda$  is equal to
  - A. 5
  - B. 7

D. 
$$\frac{13}{8}$$

### **Answer: D**



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**20.** If  $\hat{a}i + \hat{j} + \hat{k}$ ,  $\hat{i} - \hat{b}j + \hat{k}$ ,  $\hat{i} + \hat{j} - \hat{c}k$  are coplanar, then

abc+2 is equal to

A. 
$$a+b-c$$

B. a-b-c

 $\mathsf{C}.\,a+b+c$ 

D.a-b+c

### **Answer: B**



given vectors

 $\left(\,-\,bc,\,b^2+bc,\,c^2+bc
ight)\left(a^2+ac,\,\,-\,ac,\,c^2+ac
ight)\,\,{
m and}\,\,\left(a^2+ab,\,b^2+ab,\,\,-\,ac,\,c^2+ac
ight)$ are coplanar, where none of a, b and c is zero then

A. 
$$a^2 + b^2 + c^2 = 1$$

$$\operatorname{B.}bc+ca+ab=0$$

C. 
$$a + b + c = 0$$

D. 
$$a^2 + b^2 + c^2 = bc + ca + ab$$

### **Answer: B**



- **22.** If  $ar{a}, ar{b}, ar{c}$  are non-zero, non collinear vectors, then the vectors  $ar{a}-ar{b}+ar{c}, 4ar{a}-7ar{b}-ar{c} \ \ ext{and} \ \ 3ar{a}+6ar{b}+6ar{c}$  are
  - A. collinear
  - B. Coplanar

C. both collinear and co-planar

D. neither collinear nor coplanar

### **Answer: D**



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**23.** Given vectors  $ar{a},ar{b},ar{c}$  such that  $ar{a}.\left(ar{b} imesar{c}
ight)=\lambda
eq0$  the value of

$$ig(ar{b} imesar{c}ig).ig(ar{a}+ar{b}+ar{c}ig)/\lambda$$
 is

A. 3

B. 1

 $\mathsf{C.} - 3\lambda$ 

D.  $\frac{3}{\lambda}$ 

### **Answer: B**



**24.** For any three vectors  $ar{a}, ar{b}$  and  $ar{c}, \left(ar{a} - ar{b}\right) \left[\left(ar{b} + ar{c}\right) imes \left(ar{c} + ar{a}\right)\right]$  is equal to:

**25.** If  $ar{a}, ar{b}$  and  $ar{c}$  are three non-coplanar vectors, then :

A. 
$$2ar{a}.\left(ar{b} imesar{c}
ight)$$

B. 
$$\begin{bmatrix} ar{a} & ar{b} & ar{c} \end{bmatrix}$$

C. 
$$\left[ar{a} \quad ar{b} \quad ar{c}
ight]^2$$

### **Answer: D**



$$\left(\bar{a} + \bar{b} + \bar{c}\right) \cdot \left[\left(\bar{a} + \bar{b}\right) \times \left(\bar{a} + \bar{c}\right)\right] =$$

B. 
$$egin{bmatrix} ar{a} & ar{b} & ar{c} \end{bmatrix}$$

C. 
$$-\left[ar{a}ar{b}ar{c}
ight]$$

D. 
$$2ig[ar{a},ar{b},ar{c}ig]$$

### **Answer: C**



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**26.** If ar r=lig(ar b imesar cig)+m(ar c imesar a)+nig(ar a imesar big) and ig[ar aar bar cig]= 2, then l+m+n is equal to

A. 
$$ig(ar{a}+ar{b}+ar{c}ig)ar{r}$$

B. 
$$rac{ar{1}}{2}ig(ar{a}+ar{b}+ar{c}ig)ar{r}$$

C. 
$$rac{1}{3}ig(ar{a}+ar{b}+ar{c}ig)ig(ar{a}+ar{b}+ar{c}ig)$$

D. 
$$rac{2}{3}ig(ar{a}+ar{b}+ar{c}ig)ar{r}$$

### Answer: B



**27.** The volume of parallelopiped with vector 
$$ar a+2ar b-ar c$$
,  $ar a-ar b$  and  $ar a-ar b-ar c$  is equal to  $kar aar bar c$  then  $k=0$ 

28. If the volume of parallelopiped with coterminus edges

 $-\hat{p}i + 5k$ ,  $\hat{i} - \hat{j} + \hat{q}k$  and  $3\hat{i} - 5\hat{j}$  is 8 then

$$A. - 3$$

B. 3

C. 2

D.-2

### Answer: B



- - A. 5pq + 18 = 0
  - $B.\,3pq-18=0$
  - $\mathsf{C.}\,pq+18=0$

D. 
$$pq - 18 = 0$$

#### **Answer: A**



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- **29.** If the volumes of tetrahearon where vertices (1,2,0),(2,0,4),(-1,2,0) and  $(-1,1,\lambda)$  is  $\frac{2}{3}cu$ , unit, find the value of  $\lambda$ 
  - A. 0
  - B. 1
  - C. 4
  - $\mathsf{D.}-2$

### **Answer: B**



**30.** If D is the mid -point of side AB of  $\Delta ABC$ , then  $\overline{AB}+\overline{BC}+\overline{AC}$ =

A. 
$$2ig(\overline{AD}-\overline{BD}ig)$$

B. 
$$2ig(\overline{DC}-\overline{BD}ig)$$

$$\mathsf{C.}\,2ig(\overline{BD}-\overline{CA}ig)$$

D. 
$$2ig(\overline{BD}-\overline{AC}ig)$$

### Answer: B



**31.** The vector  $\overline{AB}=3\hat{i}+4\hat{k}$  and  $\overline{AC}=5\hat{i}-2\hat{j}+4\hat{k}$  are the sides of a triangle ABC. The length of the median through A is

A. 
$$\sqrt{288}$$

$$B. \sqrt{18}$$

$$\mathsf{C.}\,\sqrt{72}$$

D. 
$$\sqrt{33}$$

### **Answer: D**



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**32.** If G and G' are the centroids of the triangle ABC and A'B'C', then the value of  $\overline{AA'}+\overline{BB'}+\overline{CC'}$  equals

- A.  $\overline{GG}$ '
- $\operatorname{B.} 2\overline{G}\overline{G}{}'$
- C.  $3\overline{G}\overline{G}$
- D.  $\frac{2}{3}\overline{G}\overline{G}'$

#### Answer: C



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**33.** If S is circumcentre, O is orthocentre of  $\Delta ABC$ , then  $\overrightarrow{SA} + \overrightarrow{SB} + \overrightarrow{SC}$  =

A. 
$$\overline{SO}$$

B.  $2\overline{SO}$ 

 $\mathsf{C}.\,\overline{OS}$ 

D. 2 $\overline{OS}$ 

### **Answer: A**



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**34.** If A(-3, -2, 0), B(3, -3, 1) and C(5, 0, 2) are three successive

vertices of parallelogram ABCD, then its fourth vertex D is

A. (1, 1-1)

B. (-1, 1, 1)

C. (1, -1, 1)

D. (2, -3, 5)

**Answer: B** 



**35.** In a trapezium, if the vectors  $\overline{BC}=\lambda(AD), \overline{P}=\overline{AC}+\overline{BD}$  is collinear with  $\overline{AD}$  and  $\overline{P} = \mu \overline{AD}$ , then

A. 
$$\mu=\lambda+1$$

B. 
$$\lambda=\mu+1$$

$$\mathsf{C.}\,\lambda + \mu = 1$$

D. 
$$\mu=2+\lambda$$

### **Answer: A**



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## **Competitive Thinking**

**1.** If the point (1,0), (0,1) and (x,8) are collinear, then the value of x is equal to

- A. 5
  - B.-6
  - C. 6
  - D.-7

### **Answer: D**



- **2.** The points with position vectors  $20\hat{i} + p\hat{j}$ ,  $5\hat{i} \hat{j}$  and  $10\hat{i} 13\hat{j}$ are collinear. The value of p is
  - A. 7
  - B. -37
  - $\mathsf{C.}-7$
  - D. 37



**3.** If the points  $P(\bar{a}+2\bar{b}+\bar{c})$ .  $Q(2\bar{a}+3\bar{b})$  and  $R(\bar{b}+t\bar{c})$  are collinear, where  $\bar{a},\bar{b},\bar{c}$  are three non-coplanar vectors, then the value of t is

$$A.-2$$

$$\mathsf{B.}-\frac{1}{2}$$

c. 
$$\frac{1}{2}$$

D. 2

Answer: D



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**4.** If the position vectors of the points A,B,C are  $\bar{a},\bar{b}$  and  $3\bar{a}-2\bar{b}$  respectively, then the position A,B,C are

A. Collinear

B. Non-collinear

C. Forming a right angled triangle

D. None of these

### Answer: A



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- **5.** If  $ar a, \, ar b, \, ar c$  are three non-zero vectors which are pairwise non-collinear. If ar a+3ar b is collinear with ar c and ar b+2ar c is collinear with ar a, then
- $ar{a}+3ar{b}+6ar{c}$  is

A.  $ar{c}$ 

в. $\bar{0}$ 

 $\mathrm{C.}\,\bar{a}+\bar{c}$ 

D.  $ar{a}$ 

Answer: B

**6.** If the vectors 
$$3\hat{i} + 2\hat{j} - \hat{k}$$
 and  $6\hat{i} - 4x\hat{j} + y\hat{k}$  are parallel, then the value of  $x$  and  $y$  will be

A. 
$$-1, -2$$

B. 
$$1, -2$$

$$C. -1, 2$$

### **Answer: A**



**7.** If the vectors 
$$3\hat{i} + \hat{j} - 5\hat{k}$$
 and  $a\hat{i} + b\hat{j} - 15\hat{k}$  are collinear, if

A. 
$$a = 3, b = 1$$

$$\mathtt{B.}\,a=9,b=1$$

C. 
$$a = 3, b = 3$$

D. 
$$a = 9, b = 3$$

#### Answer: D



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**8.** If  $\bar{a}, \bar{b}$  are non-collinear vectors and x,y are scalars such that

$$xar{a}+yar{b}=ar{0}$$
, then

- A. x=0, but y is not necessarily zero
- B. y = 0, but x is nont necessary zero

$$C. x = 0, y = 0$$

D. None of these

### Answer: C



**9.** If ar a, ar b, ar c are non-collinear vectors such that for some scalar x,y,z,xar a+yar b+zar c=0, then

A. 
$$x = 0, y = 0, z = 0$$

B. 
$$x 
eq 0, y 
eq , z = 0$$

$$\mathsf{C.}\, x = 0, y \neq 0, z \neq 0$$

D. 
$$x 
eq 0, y 
eq 0z 
eq 0$$

#### **Answer: A**



### **Watch Video Solution**

**10.**  $\overrightarrow{a}$  and  $\overrightarrow{b}$  are two non collinear vectors then  $x\overrightarrow{a}+y\overrightarrow{b}$  (where x and y are scalars) represents a vector which is (A) parallel to  $\overrightarrow{a}$  (C) coplanar with  $\overrightarrow{a}$  and  $\overrightarrow{b}$  (D) none of these

A. Parallel to 
$$ar{b}$$

B. Parallel to 
$$\bar{a}$$

C. Coplanar with 
$$ar{a} \; ext{and} \; ar{b}$$

D. None of these

### **Answer: C**



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- $ar{a}=\hat{i}+\hat{j}-\hat{j}\hat{k}, ar{b}=\hat{2}\hat{i}-\hat{j}+\hat{k}$  and  $ar{c}=\hat{3}\hat{i}+\hat{k}$  and  $ar{c}=mar{a}+nar{b}$

If

- B. 1
- C. 2

then m+n

A. 0

- D. -1

**Answer: C** 



- 12. The position vectors of the point which divides internally in the ratio
- $2\!:\!3$  the join of the points  $2ar{a}-3ar{b}$  and  $3ar{a}-2ar{b}$ , is

A. 
$$\frac{12}{5}ar{a}+\frac{13}{5}ar{b}$$

B. 
$$\frac{12}{5} \bar{a} - \frac{13}{5} \bar{b}$$

C. 
$$rac{3}{5}ar{a}-rac{2}{5}ar{b}$$

D. 
$$\frac{2}{5}ar{a}=rac{3}{5}ar{b}$$

#### **Answer: B**



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**13.** Let A(1, -1, 2) and B(2, 3-1) be two points. If a point P divides

AB internally in the ratio 2:3, then the position vector of P is

A. 
$$\frac{1}{\sqrt{5}}(\hat{i}+\hat{j}+\hat{k})$$

B. 
$$\frac{1}{\sqrt{3}} (\hat{i} + 6\hat{j} + \hat{k})$$

C. 
$$rac{1}{\sqrt{3}}ig(\hat{i}+\hat{j}+\hat{k}ig)$$
D.  $rac{1}{5}ig(\hat{7}\hat{i}+\hat{3}\hat{j}+\hat{4}\hat{k}ig)$ 

### **Answer: D**



**14.** If  $z_1$  and  $z_2$  are z co-ordinates of the point of trisection of the segment joining the points  $A(2,1,4),\,B(\,-1,3,6)$  then  $z_1+z_2=$ 

**A.** 1

B. 4

C. 5

D. 10

### Answer: D



**15.** If the position vector of a point A is  $\overrightarrow{a} + 2\overrightarrow{b}$  and  $\overrightarrow{a}$  divides AB in the ratio 2: 3, then the position vector of B, is

- A.  $ar{a}+ar{b}$
- B.  $\bar{a}$
- C.  $ar{a}-3ar{b}$
- D.  $ar{b}$

#### **Answer: C**



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**16.** Assertion (A): If (-1,3,2) and (5,3,2) are respectively the orthocentre and circumcentre of a triangle, then (3,3,2) is its centroid. Reason (R): Centroid of a triangle divides the line segment joining the orthocentre and the circumcentre in the ratio 1:2,

A. A and R are true and R is correct explanation to A.

B. A and R are true but R is not the correct explanation to A.

C. A is true, R is false.

D. A is false. R is true.

### **Answer: C**



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17. orthocentre centroid If the and of triangle are

(-3, 5, 2) and (3, 3, 4) respectively, then its circumcentre is

A.(6,2,5)

B. (6, 2, -5)

C.(6, -2, 5)

D. (6, -2, -5)

### Answer: A



**18.** L and M are two points with position vectors  $2\overrightarrow{a}-\overrightarrow{b}$  and  $\overrightarrow{a}+2\overrightarrow{b}$ , respectively. The position vector of the pont N which divides the line segment LM in the ratio 2:1 externally is

- A.  $3 \bar{b}$
- B.  $4ar{b}$
- C.  $5ar{b}$
- D.  $3ar{a}+4ar{b}$

### Answer: C



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**19.** The position vector of a point R which divides the line joining two points P and Q whose position vectors are  $\hat{i} + 2\hat{j} - \hat{k}$  and  $-\hat{i} + \hat{j} - \hat{k}$  respectively, in the ratio 2:1 externally is

A. 
$$-3\hat{i} - \hat{k}$$

 $B. \hat{3i} + \hat{k}$ 

C.  $\hat{2i} + \hat{j} - \hat{k}$ 

D. None of these

### **Answer: A**



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## **20.** If $3\overline{P}+2\overline{R}-5\overline{Q}=ar{0}$ , then

A. P, Q, R are collinear

B. P, Q, R vertices of a  $\Delta$ 

C. Q divides PR externally

D. None of these

### **Answer: A**



**21.** If three points A,B,C are collinear, whose position vectors are  $\hat{i}-2\hat{j}-8\hat{k},5\hat{i}-2\hat{k}$  and  $11\hat{i}+3\hat{j}+7\hat{k}$  respectively, then the ratio in which B divides AC is

- A. 1:2
- B. 2:3
- C. 2:1
- D. 1:1

### Answer: B



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**22.** Let  $\square PQRS$  be a quadrilateral. If M and N are the mid-points of the sides PQ and RS respectively, then PS+QR=

A.  $3\overline{MN}$ 

$${\rm B.}\,4\overline{MN}$$

 $\mathsf{C.}\,2\overline{MN}$ 

D.  $2\overline{NM}$ 

### **Answer: C**



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# **23.** In $\triangle ABC$ , L, M, N are points on BC, CA, AB respectively, dividing

them in the ratio 1:2,2:3,3:5, if the point K divides AB in the ratio 5:3,

then 
$$\dfrac{\left|\overline{AL}+\overline{BM}+\overline{CN}
ight|}{\left|\overline{CK}
ight|}=$$

A. 
$$\frac{1}{15}$$

$$\mathsf{B.}\;\frac{2}{5}$$

C. 
$$\frac{5}{8}$$
D.  $\frac{3}{5}$ 

**24.** Let G be the centroid of a triangle ABC and O be any other point, then

$$\overline{OA} + \overline{OB} + \overline{OC}$$
 is equal to

 $A. \bar{0}$ 

B.  $\overline{OG}$ 

 $C.3\overline{OG}$ 

D. None of these

### **Answer: C**



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**25.** If A, B, C are the vertices of a triangle whose position vectros are

$$\overrightarrow{a}$$
 ,  $\overrightarrow{b}$  ,  $\overrightarrow{c}$  and  $G$  is the centroid of the  $\Delta ABC$ , then

$$\overline{GA} + \overline{GB} + \overline{GC} =$$

A. 
$$\bar{0}$$

B. 
$$ar{a}+ar{b}+ar{c}$$

C. 
$$rac{ar{a}+ar{b}+ar{c}}{3}$$

D. 
$$rac{ar{a}+ar{b}-ar{c}}{3}$$

### **Answer: A**



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**26.** If  $\bar{a} = 2\hat{i} + \hat{j} - \hat{k}$ ,  $\bar{b} = \hat{i} + 2\hat{j} + \hat{k}$  and  $\bar{c} = \hat{i} - \hat{j} + 2\hat{k}$ , then

- $ar{a}.\left(ar{b} imesar{c}
  ight)=$ 
  - A. 6
  - B. 10
  - C. 12
  - D. 24

### **Answer: C**

27. If 
$$ar{a}=\hat{i}+\hat{j}+\hat{k},ar{b}=2\hat{i}+\lambda\hat{j}+\hat{k},ar{c}=\hat{i}-\hat{j}+4\hat{k}$$
 and  $ar{a}.\left(ar{b}\timesar{c}\right)=$ 

, then 
$$\lambda$$
 is equal to

C. 9

## Answer: A



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**28.** If  $ar{a}$  is perpendicular to  $ar{b}$  and  $ar{c}, |ar{a}|=2, \left|ar{b}\right|=3, |ar{c}|=4$  and the angle between  $\bar{b} \ {
m and} \ \bar{c}$  is  $\frac{2\pi}{3}$ . then  $\begin{bmatrix} \bar{a} & \bar{b} & \bar{c} \end{bmatrix}$  is equal to

A. 
$$4\sqrt{3}$$

B.  $6\sqrt{3}$ 

C.  $12\sqrt{3}$ 

D.  $18\sqrt{3}$ 

### **Answer: C**



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**29.** If  $ar{a},\,ar{b},\,ar{c}$  are mutually prependicular vectors having megnitudes  $1,\,2,\,3$ 

respectively, then  $\left[ar{a}+ar{b}+ar{c}ar{b}-ar{a}\quadar{c}
ight]=$ 

A. 0

B. 6

C. 12

D. 18

**Answer: C** 

**30.** The value of 
$$\left[ ar{a} - ar{b}, \, ar{b} - ar{c}, \, ar{c} - ar{a} 
ight]$$
, where

$$|ar{a}|=1, \left|ar{b}
ight|=5 \,\, ext{and} \,\, |ar{c}|=3 \, ext{is}$$

B. 1

C. 2

D. 4

### **Answer: A**



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**31.** The value of 
$$\left(ar{a}-ar{b}
ight)$$
.  $\left[\left(ar{b}-ar{c}
ight) imes\left(ar{c}-ar{a}
ight)
ight]$  is

B.  $2egin{bmatrix} ar{a} & ar{b} & ar{c} \end{bmatrix}$ 

C. 
$$3ar{a}$$
  $ar{b}$   $ar{c}$ 

D. None of these

### Answer: A



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## **32.** If a vector $\overline{\alpha}$ lie in plane $\bar{\beta}$ and $\bar{\gamma}$ then which is correct

A. 
$$\left[\overline{lpha}\,,ar{eta},ar{\gamma}
ight]=0$$

B. 
$$[\overline{lpha}\,,ar{eta},ar{\gamma}]=1$$

C. 
$$\left[\overline{lpha}\,,ar{eta},ar{\gamma}
ight]=3$$

D. 
$$\left[ar{eta},ar{\gamma},\overline{lpha}\,
ight]=1$$

## Answer: A



**33.** If 
$$ar a, \, ar b, \, ar c$$
 are three coplanar vectors, then  $ar [ar a + ar b \quad ar b + ar c \quad ar c + ar a] =$ 

**34.** If  $ar{a}, ar{b}, ar{c}$  be any three non-coplanar vectors,

then

A. 
$$\left[ar{a}ar{b}ar{c}
ight]$$

B. 
$$2igl[ar{a}ar{b}ar{c}igr]$$

C. 
$$3ig[ar{a}ar{b}ar{c}ig]$$

## Answer: D



$$egin{bmatrix} ar{a} + ar{b} & ar{b} + ar{c} & ar{c} + ar{a} \end{bmatrix} =$$

A. 
$$egin{bmatrix} ar{a} & ar{b} & ar{c} \end{bmatrix}$$

B. 
$$2ig[ar{a} \quad ar{b} \quad ar{c}ig]$$

c. 
$$egin{bmatrix} ar{a} & ar{b} & ar{c} \end{bmatrix}^2$$

D. 
$$2egin{bmatrix} ar{a} & ar{b} & ar{c} \end{bmatrix}^2$$

#### **Answer: B**



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**35.** Let  $\overline{A}=\hat{i}+\hat{j}+\hat{k},\overline{B}=\hat{i},\overline{C}=C_1\hat{i}+C_2\hat{j}+C_3\hat{k}$  if

 $C_2=\ -1 \ {
m and} \ C_3=$  1, then make three vectors coplanar

A. 
$$C_1 = 0$$

B. 
$$C_1 = 1$$

$$\mathsf{C.}\,C_1=2$$

D. No value of  $C_1$  can be found

#### **Answer: D**



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**36.** If the vectors  $2\hat{i} - \hat{j} + \hat{k}$ ,  $\hat{i} + 2\hat{j} - 3\hat{k}$  and  $3\hat{i} + \lambda\hat{j} + 5\hat{k}$  be

coplanar, then  $\lambda=$ 

**A.** 
$$-1$$

B.-2

 $\mathsf{C.}-3$ 

D.-4

## **Answer: D**



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# **37.** If the vectors $\hat{\lambda}i + \hat{j} + \hat{j}k$ , $\hat{i} + \hat{\lambda}j - \hat{k}$ and $\hat{2}i - \hat{j} + \hat{\lambda}k$ are

coplanar if

A. 
$$\lambda=-2$$

 $B.\lambda = 0$ 

C. 
$$\lambda=2$$

D.  $\lambda = 1$ 

## **Answer: A**

**38.** If the vectors 
$$4\hat{i}+11\hat{J}+m\hat{k}$$
,  $7\hat{i}+2\hat{j}+6\hat{k}$  and  $\hat{i}+5\hat{j}+4\hat{k}$  are coplanar, then m is equal to

$$D. -10$$

### Answer: C



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**39.** If the vectors  $2\hat{i} + 2\hat{j} + 6\hat{k}$ ,  $2\hat{i} + \lambda\hat{j} + 6\hat{k}$ ,  $2\hat{i} - 3\hat{j} + \hat{k}$  are coplanar, then the value of  $\lambda$  is

$$A. - 10$$

- B. 1
- C. 0
  - D. 2

## **Answer: D**



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- 40. If the four points with position vectors
- $-2\hat{\;i}+\hat{\;j}+\hat{\;k},\,\hat{\;i}+\hat{\;j}+\hat{\;k},\,\hat{\;j}-\hat{\;k}$  and  $\hat{\lambda}j+\hat{\;k}$  are coplanar, then  $\bar{\lambda} =$ 
  - A. 1
  - B. 2
  - C. -1
  - D. 0

## **Answer: A**

**41.** If the vectors 
$$ar a=\hat i+\hat j+\hat k, ar b=\hat i-\hat j-2\hat k$$
 and  $ar c=\hat x\hat i+(x-2)\hat j-\hat k$  are

coplanar, then 
$$x=$$

$$D.-2$$

## Answer: D



**42.** If the point having the position vectors 
$$3\hat{i}-2\hat{j}-\hat{k},2\hat{i}+3\hat{j}-4\hat{k},-\hat{i}+\hat{j}+2\hat{k}$$
 and  $4\hat{i}+5\hat{j}+\lambda\hat{j}k$  are coplanar then  $\lambda=$ 

A. 
$$-8$$

B. 8

c. 
$$\frac{146}{17}$$

D. 
$$\frac{-146}{17}$$

### **Answer: D**



- **43.** If  $\bar{a},\bar{b}$  and  $\bar{c}$  are non-coplanar vectors and the four points with position vectors  $2\bar{a}+3\bar{b}-\bar{c},\bar{a}-2\bar{b}+3\bar{c},3\bar{a}+4\bar{b}-2\bar{c},k\bar{a}-6\bar{b}+6\bar{c}$  are coplanar, then k

  - A. 0
  - B. 1
  - C. 2
  - D. 3

### **Answer: B**



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**44.** If the vectors  $\hat{a}i+\hat{j}+\hat{k},\hat{i}+\hat{b}j+\hat{k}$  and  $\hat{i}+\hat{j}+\hat{c}k$  are coplanar  $(a\neq b\neq c\neq 1)$ , then the value of abc-(a+b+c)=

- A. 2
- B.-2
- C. 0
- D. -1

### **Answer: B**



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**45.** The number of distinct real value of  $\lambda$ , for which the vector  $-\lambda^2\hat{i} + \hat{j} + \hat{k}, \hat{i} - \lambda^2\hat{j} + \hat{k} \text{ and } \hat{i} + \hat{j} - \lambda^2\hat{k} \text{ are coplanar,is}$ 

- A. Zero
- B. One
- C. Two
- D. Three

## **Answer: C**



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- **46.** The number of distinct real values of  $\lambda$  for which the vectors  $ar{a} = \lambda^3 \hat{\ }i + \hat{\ }k, ar{b} = \hat{\ }i - \lambda^3 \hat{\ }j ext{ and } ar{c} = \hat{\ }i + (2\lambda - \sin\lambda)\hat{\ }j - \lambda\hat{\ }k$ 
  - A. 0

coplanar is

- B. 1
- C. 2
- D. 3

#### **Answer: B**



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**47.** If  $\bar{a}, \bar{b}, \bar{c}$  are non coplanar vectros and  $\lambda$  is a real number then the vectors  $\overline{+}\,2\bar{b}\,+\,3\bar{c},\,\lambda\bar{b}\,+\,4\bar{c}$  and  $(2\lambda-1)\bar{c}$  are non coplanar for (A) all values of lamda (B) non value of lamda (C) all except two values of lamda (D) all except one vaue of lamda

- A. No value of  $\lambda$
- B. all except one value of  $\lambda$
- C. all except two values of  $\lambda$
- D. all values of  $\lambda$

### **Answer: C**



**48.** If the origin and the point p(2, 3, 4), q(1, 2, 3)R(x, y, z) are coplanar then

A. 
$$x-2y-z=0$$

$$\mathsf{B.}\,x + 2y + z = 0$$

$$\mathsf{C.}\,x-2y+z=\ -0$$

$$\mathsf{D.}\,2x-2y+z=0$$

### **Answer: C**



**49.** A vector perpendicular to 
$$2\hat{i} + \hat{j} + \hat{k}$$
 and coplanar  $\hat{i} + 2\hat{j} + \hat{k}$  and  $\hat{i} + \hat{j} + 2\hat{k}$  is

A. 
$$5 (\hat{\ } j - ar{k})$$

B. 
$$\hat{\ }i+7\hat{\ }j-\hat{\ }k$$

$$\mathsf{C.}\,5\big(\hat{\phantom{a}}j+\hat{\phantom{a}}k\big)$$

D. 
$$\hat{2i} - \hat{7j} - \hat{k}$$

### **Answer: A**



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**50.** Given three arbitary vectors  $ar{a}, ar{b}, ar{c},$  then vectors

$$\overline{lpha}\,=5ar{a}+6ar{b}+7ar{c},$$
  $eta=7ar{a}-8ar{b}+9ar{c},$   $ar{y}=3ar{a}+20ar{b}+5ar{c}$  are

- A. collinear
- B. Coplanar
- C. Non-coplanar
- D. None of these

### **Answer: B**



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**51.** If  $\bar{x}$ .  $\bar{a}=0$ ,  $\bar{x}$ .  $\bar{b}=0$  and  $\bar{x}$ .  $\bar{c}=0$  for some non-zero vectors x, then

the TRUE statement is

A. 
$$\left[ar{a}\quad ar{b}\quad ar{c}
ight]=0$$

B. 
$$ig[ar{a} \quad ar{b} \quad ar{c}ig] 
eq 0$$

C. 
$$\left[ar{a} \quad ar{b} \quad ar{c}
ight] = 1$$

D. None of these

### Answer: A



**52.** which of the following expression are meaningful?

A. 
$$ar{u}$$
.  $(ar{v} imes ar{w})$ 

B. 
$$(ar{u}.\ ar{v}).\ ar{w}$$

C. 
$$(ar{u}.\ ar{v}) imes ar{w}$$

D. 
$$ar{u} imes(ar{v}.\,ar{w})$$

### **Answer: A**



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53. Out of the following which one is not true?

- A.  $ar{a}$ .  $\left(ar{b} imesar{c}
  ight)$
- B.  $(ar{b} imesar{c})$ .  $ar{a}$
- C.  $(ar{a} imesar{b})$ .  $ar{c}$
- D.  $(ar{a}.\,ar{c}) imesar{b}$

#### Answer: D



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**54.** For three vectors  $\overrightarrow{u}$ ,  $\overrightarrow{v}$ ,  $\overrightarrow{w}$  which of the following expressions is not eqal to any of the remaining three?

A. 
$$ar{u}$$
.  $(ar{v} imes ar{w})$ 

B.  $(ar{v} imes \overline{w})$ .  $ar{u}$ 

C.  $\bar{v}$ .  $(\bar{u} \times \overline{w})$ 

D. 
$$(ar{u} imesar{v})$$
 .  $\overline{w}$ 

## Answer: C

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**55.** 
$$ar{a}.\left(ar{a} imesar{b}
ight)=$$

A. 
$$ar{b}$$
.  $ar{b}$ 

в.
$$\overline{a^2}$$
. $ar{b}$ 

## D. $ar{a}^2+ar{a}.~ar{b}$

**Answer: C** 

**56.** If 
$$\bar{a},\,\bar{b},\,\bar{c}$$
 are non-coplaner vectors, then

$$\frac{\bar{a}.\,\bar{b}\times\bar{c}}{\bar{c}\times\bar{a}.\,\bar{b}}+\frac{\bar{b}.\,\bar{a}\times\bar{c}}{\bar{c}.\,\bar{a}\times\bar{b}}=$$

A. 0

B. 2

 $\mathsf{C}.-2$ 

D. None of these

#### Answer: A



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## **57.** If $ar{a}, ar{b} \ ext{and} \ ar{c}$ are non-coplanar, then the value of $ar{a}.\left\{rac{ar{b} imesar{c}}{3ar{b}.\left(ar{c} imesar{a} ight)} ight\}-ar{b}.\left\{rac{ar{c} imesar{a}}{2ar{c}\left(ar{a} imesar{b} ight)} ight\}$ is

A. 
$$\frac{-1}{2}$$

$$\mathsf{B.}\,\frac{-1}{3}$$

$$\mathsf{C.}\,\frac{-1}{6}$$
 
$$\mathsf{D.}\,\frac{1}{6}$$

**Answer: C** 



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**58.** 
$$ar{a}.$$
  $\left[ar{b}+ar{c}
ight) imes\left(ar{a}+ar{b}+ar{c}
ight)
ight]$  is equal to

A. 
$$\left[ar{a} \quad ar{b} \quad ar{c}
ight]$$

B. 
$$2ar{a} ar{b} ar{c}$$

C. 
$$3ar{a}$$
  $ar{b}$   $ar{c}$ 

D. 0

## **Answer: D**



**59.** 
$$\left( ar{a} + ar{b} \right)$$
.  $\left( ar{b} + ar{c} \right) imes \left( ar{a} + ar{b} + ar{c} \right) =$ 

A. 
$$-egin{bmatrix} ar{a} & ar{b} & ar{c} \end{bmatrix}$$

B. 
$$ar{[}ar{a} \quad ar{b} \quad ar{c}ar{]}$$

D. 
$$2ar{a} ar{b} ar{c}$$

## **Answer: B**



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**60.** If  $\bar{a} = \frac{1}{\sqrt{10}} (\hat{3}i + \hat{k}), \bar{b} = \frac{1}{7} (\hat{2}i + \hat{3}j - \hat{6k})$ , then the value of

$$ig(2ar{a}-ar{b}ig).\left\{ig(ar{a} imesar{b}ig) imesig(ar{a}+2ar{b}ig)
ight\}$$
 is

A. 
$$-5$$

$$B.-3$$

### **Answer: A**



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- **61.** If  $\bar{p}=\frac{\bar{b}\times\bar{c}}{\bar{a}\ \bar{b}\ \bar{c}}, \bar{q}=\frac{\bar{c}\times\bar{a}}{\bar{a}\ \bar{b}\ \bar{c}}, \bar{r}=\frac{\bar{a}\times\bar{b}}{\bar{a}\ \bar{b}\ \bar{c}}$ , where  $\bar{a},\bar{b},\bar{c}$  are three non-coplanar vectors, then the value of  $(\bar{a}+\bar{b}+\bar{c}).(\bar{p}+\bar{q}+\bar{r})$  is given by
  - A. 3
  - B. 2
  - C. 1
  - D. 0

### Answer: A



**62.** If 
$$\overrightarrow{u},\overrightarrow{v},\overrightarrow{w}$$
 are three non-coplanar  $\left(\overrightarrow{u}+\overrightarrow{v}-\overrightarrow{w}\right).\left(\overrightarrow{u}-\overrightarrow{v}\right) imes\left(\overrightarrow{v}-\overrightarrow{w}\right)$  equals

vectors,

the

B. 
$$ar{u}$$
.  $(ar{v} imes ar{w})$ 

C. 
$$ar{u}$$
.  $(ar{w} imes ar{v})$ 

D. 
$$3ar{u}.~(ar{v} imesar{w})$$

## **Answer: B**



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**63.** If  $ar a, \, ar b, \, ar c$  are three non-coplanar vectors and  $ar p, \, ar q, \, ar r$  are defined by the  $ar{p}=rac{ar{b} imesar{c}}{ar{a}ar{b}ar{c}},ar{q}=rac{ar{c} imesar{a}}{ar{a}ar{b}ar{c}},ar{r}=rac{ar{a} imes b}{ar{a}ar{b}ar{c}}$ relations then

$$abc$$
  $abc$   $(ar{a}+ar{b}).\,ar{p}+ig(ar{b}+ar{c}ig).\,ar{q}+ig(ar{c}+ar{a}).\,ar{r}=$ 

$$(a - b) \cdot p + (b + c) \cdot q + (c + a) \cdot r =$$

A. 0

D. 3

**Answer: D** 



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**64.** If a, b and c are non-coplanar vectors and  $d=\lambda a+\mu b+
u c$ , then  $\lambda$  is equal to

A.  $\frac{[dbc]}{}$ 

[bac]

 $\mathsf{B.}\;\frac{[bcd]}{[bca]}$ 

C.  $\frac{[bdc]}{c}$ [abc]

**Answer: B** 



**65.** If  $\overrightarrow{u}$  ,  $\overrightarrow{v}$  ,  $\overrightarrow{w}$  are non -coplanar vectors and p,q, are real numbers then

the equality

$$\left[ 3\overrightarrow{u} \, p\overrightarrow{v} \, p\overrightarrow{w} 
ight] - \left[ p\overrightarrow{v} \, \overrightarrow{w} \, q\overrightarrow{u} 
ight] - \left[ 2\overrightarrow{w} - q\overrightarrow{v} \, q\overrightarrow{u} 
ight] = 0$$
 holds for

A. exactly one value of (p. q)

B. exactly two value of (p. q)

C. more than two but not all values of  $(p.\ q)$ 

D. all values of (p,q)

#### Answer: A



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**66.** If  $\bar{a}, \bar{b}, \bar{c}$  are non-coplanar vectors and  $\lambda$  is a real numbers then

$$\left[\lambdaig(ar{a}+ar{b}ig)\lambda^2ar{b}\quad\lambdaar{c}
ight]=egin{bmatrix}ar{a}&ar{b}+ar{c}&ar{b}\end{bmatrix}$$
 for

A. exactly three values of  $\lambda$ 

B. exactly two values of  $\lambda$ 

C. exactly one value of  $\lambda$ 

D. no value of  $\lambda$ 

#### Answer: D



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- **67.** If the vectors  $2\hat{i} 3\hat{j}$ ,  $\hat{i} + \hat{j} \hat{k}$  and  $3\hat{i} \hat{k}$  form three concurrent edges of a parallelopiped, then the volume of parallelopiped is
  - A. 8
  - B. 10
  - C. 4
  - D. 14

### **Answer: C**



68. The volumes of the parallelopiped whose edges are represented by

$$ar{a} = 2\hat{\;\;} i - 3\hat{\;\;} j + \hat{\;\;} k, ar{b} = \hat{\;\;} i - \hat{\;\;} j + 2\hat{\;\;} k, ar{c} = 2\hat{\;\;} i + \hat{\;\;} j - \hat{\;\;} k$$
 is

- A. 14 cu. Units
- B. 16 cu. Units
- C. 18 cu. Units
- D. 20 cu. Units

#### Answer: A



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**69.** If the volume of the tetrahedron formed by the coterminus edges  $\bar{a}, \bar{b}$  and  $\bar{c}$  is 4, then the volume of the parallelopiped formed by the coterminous edges  $\bar{a} \times \bar{b}, \bar{b} \times \bar{c}$  and  $\bar{c} \times \bar{a}$  is

A. 144

B. 16

C. 48

D. 576

## **Answer: D**



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## 70. The volume of a parallelopiped whose edges are represented by $-12ar{i}+\lambdaar{k},3ar{j}-ar{k}\ ext{and}\ 2ar{i}+ar{j}-15ar{k}$ is 546 then $\lambda=_{-}$ -

- - A. 3
  - B. 2
  - $\mathsf{C.}-3$
  - D.-2

### **Answer: C**



**71.** If the three co-terminous edges of a paralleloP1ped are represented by

 $ar{a}-ar{b},$   $ar{b}-ar{c},$   $ar{c}-ar{a}$ , then its volume is

- A.  $\left[ar{a}ar{b}ar{c}
  ight]$
- B.  $2igl[ar{a}ar{b}ar{c}igr]$
- C.  $\left[ar{a}ar{b}ar{c}
  ight]^2$
- D. 0

### **Answer: D**



72.

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 $ar{a} = 2\hat{\;\;} i - 3\hat{\;\;} j + 5\hat{\;\;} k, \, ar{b} = 3\hat{\;\;} i - 4\hat{\;\;} j + 5\hat{\;\;} k \, ext{ and } \, ar{c} = 5\hat{\;\;} i - 3\hat{\;\;} j - 2\hat{\;\;} k,$ 

then the volume of the parallelopiped with co-terminus edges

If

$$ar{a}+ar{b},ar{b}+ar{c},ar{c}+ar{a}$$
 is

B. 5

C. 8

D. 16

## **Answer: D**



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## 73. The volume of a tetrahedron (in cubic units) whose vertices are

$$\hat{4i} + \hat{5j} + \hat{k}, -\hat{j} + \hat{k}, \hat{3i} + \hat{9j} + \hat{k}$$
 and  $-\hat{2i} + \hat{4j} + \hat{k}$  is

A. 
$$\frac{14}{3}$$

C. 6

B. 5

D. 30

**Answer: B** 

**74.** The vectors  $\overline{AB}=3\hat{i}+5\hat{j}+4\hat{k}$  and  $\overline{AC}=5\hat{i}-5\hat{j}+2\hat{k}$  are sides of a triangle ABC The length of the median through A is

- A.  $\sqrt{13}$  units
- B.  $2\sqrt{5}$  units
- C. 5 units
- D. 10 units

#### Answer: C



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**75.** A(4,3,5), B(0,-2,2) and C(3,2,1) are three points. The coordinates of the point in which the bisector of  $\angle BAC$  meets the side  $\overline{BC}$  is

A. 
$$\left(\frac{15}{8}, \frac{4}{8}, \frac{11}{8}\right)$$
B.  $\left(\frac{12}{7}, \frac{2}{7}, \frac{10}{7}\right)$ 

C. 
$$\left(\frac{9}{5}, \frac{2}{5}, \frac{7}{5}\right)$$
D.  $\left(\frac{3}{2}, 0, \frac{3}{2}\right)$ 

## Answer: A



**76.** If 
$$4\overrightarrow{i} + 7\overrightarrow{j} + 8\overrightarrow{k}$$
,  $2\overrightarrow{i} + 3\overrightarrow{j} + 4\overrightarrow{k}$  and  $2\overrightarrow{i} + 5\overrightarrow{j} + 7\overrightarrow{j}$  are the position vectors of the vertices of A,B and C of a triangle ABC, then the position vector of the point where the bisector of  $\angle A$  meets BC

A. 
$$rac{1}{3}\Big(\hat{6}\hat{i}+1\hat{3}\hat{j}+1\hat{8}\hat{k}\Big)$$

B. 
$$rac{3}{2}ig(\hat{6}i+1\hat{2}j-\hat{8}kig)$$

C. 
$$rac{1}{3}\Big(-\hat{6i}-\hat{8j}-\hat{9k}\Big)$$

D. 
$$rac{2}{3}\Big(-6\hat{\;i}-12\hat{\;j}+8\hat{\;k}\Big)$$

### **Answer: A**



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77. consider the points A,B,C and D with position vector

$$7\overrightarrow{i}-4\overrightarrow{j}+7\overrightarrow{k},\overrightarrow{i}-6\overrightarrow{j}+10\overrightarrow{k},-\overrightarrow{i}-3\overrightarrow{j}+4\overrightarrow{k}$$

and

 $5\overrightarrow{i}-\overrightarrow{j}+\overrightarrow{k}$  respectively then ABCD is

A. parallelogram but not a rhombus

B. square

C. rhombus

D. rectangle

### **Answer: C**



 $\overrightarrow{AB}.\overrightarrow{AC}+\overrightarrow{BC}.\overrightarrow{BA}+\overrightarrow{CA}.\overrightarrow{CB}$  is equal to:

78. In a right angled triangle ABC, the hypotenuse AB =p, then

**79.** Let  $ar{a}=\hat{2i}+\hat{j}+\hat{k}, ar{b}=\hat{i}+\hat{2j}-\hat{k}$  and a unit vectors  $ar{c}$  be

A. 
$$3p^2$$

B. 
$$\frac{3p^2}{2}$$

C.  $p^2$ 

D.  $\frac{p^2}{2}$ 

**Answer: C** 



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coplanar. If 
$$ar{c}$$
 is prependicular to $ar{a}$ , then  $ar{c}=$ 

A. 
$$\frac{1}{\sqrt{2}} \left( -\hat{j} + \hat{k} \right)$$

B. 
$$\dfrac{1}{\sqrt{3}}\Big(-\hat{\;\;}i-\hat{\;}j-\hat{\;\;}k\Big)$$

C. 
$$\frac{1}{\sqrt{5}}(\hat{i}-2\hat{j})$$

D. 
$$\frac{1}{\sqrt{3}} (\hat{i} - \hat{j} - \hat{k})$$

Answer: A



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## **Evaluation Test**

**1.** Given  $ar{a},\,ar{b},\,ar{c}$  are three non-zero vectors, no two of which are collinear. If the vector  $\left(ar{a}+ar{b}
ight)$  is collinear with  $ar{c}$  and  $\left(ar{b}+ar{c}
ight)$  is collinear with  $ar{a}$ , then

$$:$$
  $ar{a}+ar{b}+ar{c}$ =

A. a unit vectors

B. a null vectors

C. equally inclined to  $\bar{a}, \, \bar{b}, \, \bar{c}$ 

D. None of these

## **Answer: B**



Dayarah walan calanta

**2.** If 
$$ar a, ar b, ar c$$
 are three non-coplanar vectors such that  $ar r_1=ar a-ar b+ar c, ar r_2=ar b+ar c-ar a, ar r_3=ar c+ar a+ar b, ar r=2ar a-3ar b+4ar c,$  if

A. 
$$\lambda_1=7$$

B. 
$$\lambda_1 + \lambda_3 = 3$$

$$\mathsf{C.}\,\lambda_1+\lambda_2+\lambda_3=5$$

 $\bar{r} = \lambda_1 \bar{r}_1 + \lambda_2 \bar{r}_2 + \lambda_3 \bar{r}_3$ , then

D. 
$$\lambda_3 + \lambda_2 = 2$$

### Answer: B



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 $a\hat{i}+a\hat{j}+c\hat{k},\,\hat{i}+\hat{k}\;\; ext{and}\;\;\;c\hat{i}+c\hat{j}+b\hat{k}$  lie in a plane then c is

3. Let a,b,c be distinct non- negative numbers . If the vectors

A. The arithmetic mean of a and b

B. The geometric mean of a and b

C. The harmonic mean of a and b

D. Equal to zero

#### Answer: B



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- **4.** The edges of a parallelopiped are of unit length and are parallel to non-coplanar unit vectors  $\overrightarrow{a}, \overrightarrow{b}, \overrightarrow{c}sucht$  hat a.hatb=hatb
- .hatc=hatc.hata=1/2`. Then, the volume of parallelopiped is

A. 
$$\frac{1}{\sqrt{2}}$$
 cubic units

B. 
$$\frac{1}{2\sqrt{2}}$$
 cubic units

C. 
$$\frac{\sqrt{3}}{2}$$
 cubic units

D. 
$$\frac{1}{\sqrt{3}}$$
 cubic units

### Answer: A

are

$$a\hat{\ }i+\hat{\ }j+\hat{\ }k,\hat{\ }i+b\hat{\ }j+\hat{\ }k \ \ ext{and} \ \ \hat{\ }i+\hat{\ }j+c\hat{\ }k(a
eq b
eq c
eq 1)$$
 coplanar, then the value of  $\dfrac{1}{1-a}+\dfrac{1}{1-b}+\dfrac{1}{1-c}=$ 

$$A. - 1$$

$$\mathsf{B.}-\frac{1}{2}$$

c. 
$$\frac{1}{2}$$

D. 1

## Answer: D



- 6. The value of a so that volume of parallelopiped formed by vectors
- $\hat{i}+\hat{a}\hat{j}+\hat{k},\hat{j}+\hat{a}\hat{k},\hat{a}\hat{i}+\hat{k}$  becomes minimum is

A. 
$$\sqrt{3}$$

B. 2

$$\mathsf{C.}\,\frac{1}{\sqrt{3}}$$

D. 3

## **Answer: C**



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**7.** If ar a. ar b=ar b. ar c=ar c. ar a=0 then the value of ar a=ar b ar c is equal to

A. 1

B.-1

C.  $|ar{a}| |ar{b}| |ar{c}|$ 

D. 0

## **Answer: C**



**8.** Let  $\bar{a}=-\hat{i}-\hat{k}, \bar{b}=-\hat{i}+\hat{j}$  and  $\bar{c}=\hat{i}+2\hat{j}+3\hat{k}$  be three given vectors. If  $\bar{r}$  is a vector such that  $\bar{r}\times\bar{b}=\bar{c}\times\bar{b}$  and  $\bar{r}.\ \bar{a}=0$ , then the value of  $\bar{r}.\ \bar{b}$  is

- A. 4
- B. 8
- C. 6
- D. 9

### Answer: D



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**9.** If  $ar{a}$  and  $ar{b}$  are vectors such that  $|ar{a}+ar{b}|=\sqrt{29}$  and  $ar{a} imes\left(\hat{2}\hat{i}+\hat{3}\hat{j}+\hat{4}\hat{k}\right)=\left(\hat{2}\hat{i}+\hat{3}\hat{j}+\hat{4}\hat{k}\right) imesar{b},$  then a possible value of  $(ar{a}+ar{b})$ .  $\left(-\hat{7}\hat{i}+\hat{2}\hat{j}+\hat{3}\hat{k}\right)$  is

- A. 0
- B. 3
- C. 4
- D. 8

### Answer: C



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**10.** If the vectors  $\overrightarrow{a}$ ,  $\overrightarrow{b}$ ,  $\overrightarrow{c}$  are non -coplanar and l,m,n are distinct

$$\left[ \overrightarrow{la} + \overrightarrow{mb} + \overrightarrow{b} + \overrightarrow{nc} \quad \overrightarrow{lb} + \overrightarrow{mc} + \overrightarrow{na} \quad \overrightarrow{lc} + \overrightarrow{ma} + \overrightarrow{nb} \right] = 0 ext{ then}$$

A. 
$$lm+mn+nl=0$$

$$\operatorname{B.}l+m+n=0$$

C. 
$$l^2 + m^2 + n^2 = 0$$

D. 
$$l^3 + m^3 + n^3 = 0$$

#### **Answer: B**



11. P is any point on the circumference of the circumcircle of  $\Delta ABC$ . H is the orthocentre, M is the midpoint of PH and D is the midpoint of BC. Then

- A. DM is parallel to AC
- B. DM is perpendicular to AP
- C. `DM is perpendicular to AB
- D. None of these

### **Answer: B**



 $10\hat{~i} + 13\hat{~j} + 16\hat{~k}, 30\hat{~i} + 33\hat{~j} + 36\hat{~k} \text{ and } 47\hat{~i} + 50\hat{~j} + 53\hat{~k}$  are

- A. Collinear
- B. Coplanar
- C. Non-coplanar
- D. Mutually perpendicular

### **Answer: B**



- **13.** If the volume of parallelopiped whose concurrent edges are  $3\hat{i} \hat{j} + 4\hat{k}$ ,  $2\hat{i} + \lambda\hat{j} \hat{k}$  and  $-5\hat{i} + 2\hat{j} + \lambda\hat{k}$  is 110 cu. units, then the value of  $\lambda$  is
  - A. 3
  - B. 5

D. 
$$\frac{31}{3}$$

### Answer: A



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**14.** If the vectors  $\hat{5i} - \hat{xj} + \hat{3k}$  and  $-\hat{3i} + \hat{2j} - \hat{yk}$  are parallel, the value of x and y respectively are

A. 
$$\frac{10}{3}, \frac{9}{5}$$

B. 
$$-\frac{10}{3}$$
,  $-\frac{9}{5}$ 

c. 
$$\frac{9}{5}$$
,  $\frac{10}{3}$ 

$${\rm D.} - \frac{9}{5}, \; - \; \frac{10}{3}$$

### Answer: A



**15.** If the position vector of p is  $3ar p+ar q\ \ {
m and}\ \ ar p$  divides PQ internally in the ratio 3: 4, the position vector of Q is

A. 
$$rac{1}{3}(5ar{p}+4ar{q})$$

B. 
$$\frac{1}{3}(4ar{p}+5ar{q})$$

$$\mathsf{C.}\,\frac{-1}{3}(5\bar{p}+4\bar{q})$$

D. 
$$\dfrac{-1}{3}(4ar{p}+5ar{q})$$

### **Answer: C**



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16.

 $A(\bar{a})=3\hat{\ }i+2\hat{\ }j, B\big(\bar{b}\big)=5\hat{\ }i+3\hat{\ }j+2\hat{\ }k, C(\bar{c})=-9\hat{\ }i+6\hat{\ }j-3\hat{\ }k$  are vectors of triangle ABC, if AD is the angle bisector of angle BAC, then the co-ordinates of the point D are

A. 
$$\left(-\frac{19}{8}, \frac{57}{16}, \frac{17}{16}\right)$$

D. 16

Answer: D

B. 4

C. 8

A. 2

is equal to

(l,0,0),(0,m,0) and (0,0,n) respectively. Then,  $\dfrac{AB^2+BC^2+CA^2}{l^2+m^2+n^2}$ 



B.  $\left(\frac{19}{8}, \frac{57}{16}, \frac{17}{16}\right)$ 

 $C.\left(\frac{19}{8}, \frac{57}{16}, \frac{17}{16}\right)$ 

D.  $\left(\frac{19}{8}, \frac{57}{16}, \frac{17}{16}\right)$ 



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17. In  $\Delta ABC$  the mid points of the sides AB, BC and CA are

Answer: C

**18.** Find the coordinates of the foot of the perpendicular drawn from point A(1,0,3) to the join of points B(4,7,1) and C(3,5,3).

$$\mathsf{A.}\left(\frac{5}{3},\frac{7}{3},\frac{17}{3}\right)$$

B. (5, 7, 17)

C. 
$$\left(\frac{5}{7}, -\frac{7}{3}, \frac{17}{3}\right)$$

$$\mathsf{D.}\left(-\frac{5}{7},\frac{7}{3},\frac{17}{3}\right)$$

Answer: A

