



## MATHS

## BOOKS - NCERT EXEMPLAR MATHS (HINGLISH)

## TRIANGLES



1. In figure, if  $\angle BAC = 90^{\circ}$  and  $AD \perp BC$ .

Then,



## A. $BD. CD = BC^2$

 $\mathsf{B}.\,AB\cdot AC=BC^2$ 

$$\mathsf{C}.\,BD\cdot CD = AD^2$$

D.  $AB \cdot AC = AD^2$ 

## Answer: C

2. If the diagonals of a rhombus are 12cm and

16cm, find the length of each side.

A. 9 cm

B. 10 cm

C. 8 cm

D. 20 cm

**Answer: B** 



**3.** If  $\triangle ABC \sim \triangle EDF$  and  $\triangle ABC$  is not similar to  $\triangle DEF$ , then which of the following is not true?

A.  $BC \cdot EF = AC \cdot FD$ 

 $\mathsf{B.} AB \cdot EF = AC \cdot DE$ 

 $\mathsf{C}.\,BC\cdot DE = AB\cdot EF$ 

 $\mathsf{D}.\,BC\cdot DE = AB\cdot FD$ 

#### Answer: C

4. If in two  $\triangle ABC$  and  $\triangle PQR$ ,  $\frac{AB}{QR} = \frac{BC}{PR} = \frac{CA}{PQ}$ , then

A.  $\Delta PQR$  ~  $\Delta CAB$ 

В.  $\Delta PQR \sim \Delta ABC$ 

C.  $\Delta CBA \sim \Delta PQR$ 

D.  $\Delta BCA$  ~  $\Delta PQR$ 

**Answer: A** 

5. In figure, two line segments AC and BD intersects each other at the point P such that PA = 6 cm, PB = 3 cm, PC = 2.5 cm, PD=5 cm,  $\angle APB = 50^{\circ}$  and  $\angle CDP = 30^{\circ}$ . Then,  $\angle PBA$  is equal to



A.  $50^{\circ}$ 

B.  $30^{\circ}$ 

C.  $60^{\circ}$ 

D.  $100\,^\circ$ 

#### Answer: D

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6. In  $\Delta DEF$  and  $\Delta PQR$ , it is given that  $\angle D = \angle Q$  and  $\angle R = \angle E$ , then which of the

following is not true?

A. 
$$\frac{EF}{PR} = \frac{DF}{PQ}$$
  
B.  $\frac{DE}{PQ} = \frac{EF}{RP}$ 

C. 
$$\frac{DE}{QR} = \frac{DF}{PQ}$$
  
D.  $\frac{EF}{RP} = \frac{DE}{QR}$ 

## **Answer: B**



## 7. In $\triangle ABC$ and $\triangle DEF$ , $\angle B = \angle E, \angle F = \angle C$

and AB=3DE. Then, the two triangles are

A. congruent but not similar

B. similar but not congruent

C. neither congruent nor similar

D. congruent as well as similar

#### Answer: B



**Answer: A** 



9. If  $\triangle ABC \sim \triangle DFE$ ,  $\angle A = 30^{\circ}$ ,  $\angle C = 50^{\circ}$ , ,AB=5 cm,AC=8 cm and DF=7.5 cm. Then, which of the following is true?

A.  $DE=12cm, \angle F=50^{\,\circ}$ 

B.  $DE=12cm, \angle F=100^{\,\circ}$ 

C.  $EF=12cm, \angle D=100^{\,\circ}$ 

D.  $EF=12cm, \angle D=30^{\,\circ}$ 

## **Answer: B**



**10.** If in 
$$\triangle ABC$$
 and  $\triangle DEF$ ,  $\frac{AB}{DE} = \frac{BC}{FD}$ , then they will be similar, when

A. 
$$\angle B = \angle E$$

- $\mathsf{B}. \angle A = \angle D$
- $\mathsf{C}. \angle B = \angle D$
- D.  $\angle A = \angle F$

Answer: C



11. If 
$$\Delta ABC \sim \Delta QRP$$
,  $\frac{ar(\Delta ABC)}{ar(\Delta PQR)} = \frac{9}{4}$ , AB=18

cm and BC=15 cm, then PR is equal to

A. 10*cm* 

B. 12cm

C. 
$$\frac{20}{3}cm$$

D. 8*cm* 

## Answer: A



**12.** If S is a point on side PQ of a  $\Delta PQR$  such that PS=QS=RS, then

A.  $PR \cdot QR = RS^2$ B.  $QS^2 + RS^2 = QR^2$ C.  $PR^2 + QR^2 = PQ^2$ 

 $\mathsf{D}.\, PS^2 + RS^2 = PR^2$ 

### Answer: C



**13.** Is the triangle with sides 25 cm, 5 cm and 24 cm a right triangle? Give reason for your answer.

A. No, not satisfy pythagoras theorem

B. Yes

C. not sure

D. No, not satisfied Thales Theorem

Answer: A



**14.** It is given that  $\Delta DEF \sim \Delta RPQ$ . Is it true to say that  $\angle D = \angle R$  and  $\angle F = \angle P$ ? Why?

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**15.** A and B are respectively the points on the sides PQ and PR of a  $\Delta PQR$  such that PQ =12.5 cm, PA= 5 cm, BR = 6 cm and PB = 4 cm. Is AB || QR? Give reason for your answer.

16. In figure BD and CE intersect each other at the

point P. Is $\Delta PBC \sim \Delta PDE$ ? Why?



. Is  $\Delta QPR$ ~ $\Delta TSM$ ? Why ?

**18.** Is the following statement true? Why? "Two quadrilaterals are similar, if their corresponding angles are equal".



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**19.** Two sides and the perimeter of one triangle are respectively three times the corresponding sides and the perimeter of the other triangle. Are the two triangles similar? Why?



**20.** If in two right triangles, one of the acute angles of one triangle is equal to an acute angle of the other triangle. Can you say that two triangles will be similar? Why?

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**21.** The ratio of the corresponding altitudes of two similar triangles is  $\frac{3}{5}$ . Is it correct to say that ratio of their areas is  $\frac{6}{5}$ ? Why?

22. D is a point on side QR of  $\Delta PQR$  such that PD  $\perp$  QR. Will it be correct to say that  $\Delta PQD$ - $\Delta RPD$ ? Why?

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# 23. In figure, if $\angle D = \angle C$ , then it is true that $\triangle ADE \sim \triangle ACB$ ? Why?



**24.** Is it true to say that, if in two triangles, an angle of one triangle is equal to an angle of another triangle and two sides of one triangle are proportional to the two sides of the other triangle, then the triangles are similar? Give reason for your answer.

25. In 
$$PQR, \ QM \perp PR$$
 and  $PR^2 - PQ^2 = QR^2.$ Prove that  $QM^2 = PM imes MR$ 



**26.** Find the value of x for which DE||AB in given

## figure.



A. 1

 $\mathsf{B.}\,3$ 

**C**. 4

 $\mathsf{D}.2$ 

#### Answer: D

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27. In figure, if  $\angle 1 = \angle 2$  and  $\Delta NSQ = \Delta MTR$ ,

then prove that  $\Delta PTS \sim \Delta PRQ$ .

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**28.** Diagonals of a trapezium PQRS intersect each other at the point 0 ,PQ||RS and PQ=3 RS. Find the



**29.** In figure , if AB||DC and AC, PQ intersect each other at the point O. Prove that OA.CQ=OC.AP.



30. Find the altitude of an equilateral triangle of

side 8 cm.

A.  $5\sqrt{3}$ 

B.  $3\sqrt{3}$ 

C.  $4\sqrt{3}$ 

D.  $2\sqrt{3}$ 

Answer: C



## **31.** If $\Delta ABC \sim \Delta DEF$ , AB=4cm, DE=6,EF=9 cm and

FD=12 cm, then find the perimeter of  $\Delta ABC$ .



**32.** In figure, if DE||BC, then find the ratio of ar (  $\Delta ADE$ ) and ar(DECB).



A. 1:3

B. 1:2

C.2:5

D. 3:5

#### Answer: A



**33.** ABCD is a trapezium in which AB||DC and P,Q are points on AD and BC respectively, such that

PQ||DC, if PD=18 cm, BQ=35 cm and QC=15 cm. Find

AD.



**34.** Corresponding sides of two triangles are in the ratio 2:3. If the area of the smaller triangle is  $48 \ cm^2$ , determine the area of the larger triangle.

A.  $106 cm^2$ 

 $\mathsf{B.}\,110cm^2$ 

C.  $108 cm^2$ 

## D. $104cm^2$

## Answer: C

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**35.** In a  $\Delta PQR$ , N is a point on PR, such that QN  $\perp$  PR. If PN  $\cdot$  NR= $QN^2$ , then prove that  $\angle PQR = 90^{\circ}$ .

**36.** The areas of two similar triangles are  $36 \text{ cm}^2$ and  $100 \text{ cm}^2$ . If the length of a side of the smaller triangle in 3 cm, find the length of the corresponding side of the larger triangle.



**37.** In given figure, if  $\angle ACB = \angle CDA, AC = 8cm$  and AD = 3cm,



**38.** A 15 high tower casts a sshadow 24 long at a certain time at the same time, a telephone pole casts a shadow 16 long. Find the height of the telephone pole.



**39.** Foot of a 10 m long ladder leaning against a verticle wall is 6 m away from the base of the wall. Find the height of the point on the wall where the top of the ladder reaches.

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**40.** In given figure, if  $\angle A = \angle C$ , AB= 6 cm, BP = 15

cm, AP = 12 cm and CP= 4 cm, then find the lengths



**41.** It is given that  $\Delta ABC \sim \Delta EDF$  such that AB=5

cm, AC=7 cm, DF= 15 cm and DE = 12 cm. Find the

lengths of the remaining sides of the triangles.



**42.** If a line is drawn to one side of a triangle to intersect the other two sides in distinct points, prove that the other two sides are divided in the same ratio.



43. In the given figures, if PQRS is a parallelogram

and AB||PS, then prove that OC||SR.



**44.** A 5 m long ladder is placed leaning towards a vertical wall such that it reaches the wall such that it reaches the wall at a point 4 m high. If the foot of the ladder is moved 1.6 m towards the wall, then find the distance by which the top of the ladder would slide upwards on teh wall.



**45.** For going to a city B from city A there is a route via city C such that  $AC \perp CB$ , AC =2x km and CB = 2(x + 7) km. It is proposed to construct a

26 km highway which directly connects the two cities A and B. Find how much distance will be saved in reaching city B from city A after the construction of the highway.



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**46.** A flag pole 18 m high casts a shadow 9.6 m long. Find the distance of the top of the pole from the far end of the shadow.

A. 21.4m

B. 20.4m

C. 30.4m

D.40.4m

Answer: B



**47.** A street light bulb is fixed on a pole 6 m above the level of the street. If a women of height 1.5 m casts a shadow of 3 m, then find how far she is away from the base of the pole. B. 7m

C. 6m

D. 9m

Answer: D

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**48.** In given figure, ABC is a triangle right angled at B and BD  $\perp$  AC. If AD=4 cm and CD= 5 cm, then

## find BD and AB.



**49.** In given figure PQR is a right angled triangle, right angled at Q and QS  $\perp$  PR. If PQ=6 cm and

PS=4cm, then find QS, RS and QR.



**50.** If  $\Delta PQR$ , PD  $\perp$  QR such that D lies on QR, if PQ=a,PR=b,QD=c and DR=d, then prove that (a+b) (a-b)=(c+d)(c-d).

**51.** In a quadrilateral ABCD,  $\angle A + \angle D = 90^{\circ}$ . Prove that

 $AC^2 + BD^2 = AD^2 + BC^2$ 

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52. In given figure, I || m and liner segments AB, CD

and EF are concurrent at point P. Prove that



**53.** 14 In Fig. 6.21, PA, QB Rc and SD are all perpendiculars to a line l, AB 6 cm, Bc 9 cm, CD g



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**54.** O is the point of intersection of the diagonals AC and BD of a trapezium ABCD with AB||DC. Through O , aline segment PQ is drawn parallel to AB meeting AD in P and BC in Q, prove that PO=QO.



55. In figure, line segment DF intersects the side AC of a  $\Delta ABC$  at the point E such that E is the mid-point of CA and  $\angle AEF - \angle AFE$ . Prove that BD BF $\overline{CD} = \overline{CE}$  $\Box$  $\vdash$ 



**56.** Prove that the area of the semicircle drawn on the hypotenuse of a right angled triangle is equal to the sum of the areas of the semicircles drawn on the other two sides of the triangle



57. Equilateral triangles are drawn on the sides of

a right triangle. Show that the area of the triangle

on the hypotenuse is equal to the sum of the

areas of triangles on the other two sides.

