



### **PHYSICS**

# **BOOKS - SUNIL BATRA 41 YEARS IITJEE PHYSICS (HINGLISH)**

### **MOTION**

Jee Main And Advanced



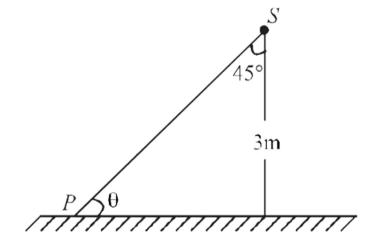
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2. Four person K,L,M and N are initally at the corners of a square of side of length d. If every person starts moving, such that K always heads

towards L, L heads towards M, M heads directly towards N and N heads towards K, then the four perons will meet after



3. Spotlight S rotates in a horizontal plane with constant angular velocity of 0.1 radian //second. The spot of light p moves a long the wall at a distance of 3 m . The velocity of the spot pwhen theta = <math>45(@)(see-fig.)is...... m//s`





**4.** Two balls of different masses are thrown vertically upwards with the same speed . They pass through the point of projection in their downward motion with the same speed ( Neglect air resistance ).



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**5.** A projectile fired from the ground follows a parabolic path. The speed of the projectile is minimum at the top of its path.



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**6.** State whether the statement given below is true or false, giving reason in brief: "Two identical trains are moving on rails along the equator on the earth in opposite directions with the same speed. They will exert the same pressure on the rails"



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**7.** A river is flowing from west to east at a speed of  $5metresper \min ute$  .

A man on the south bank of the river , capable of swimming at  $10metresper\ min\ ute$ , in still water , wants to swim across the river in the shortest time . He should swim in a direction

A. due north

B.  $30(\circ)$  east of north

C.  $30(\circ)$  west of north

D.  $60(\circ)$  east of north

#### **Answer: A**



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**8.** A boat which has a speed of 5km per hour in still water crosses a river of width 1 km along the shortest possible path in fifteen minutes. The velocity of the river water in km per hour is :-

**A.** 1

B. 3

C. 4

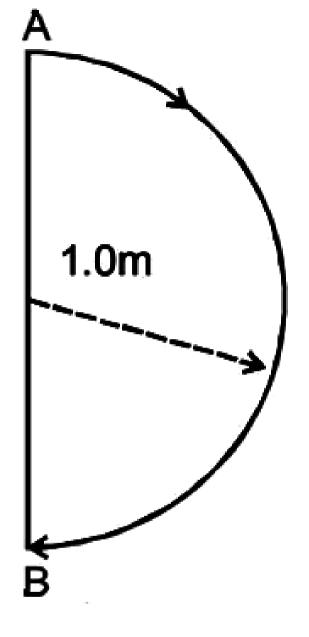
D.  $\sqrt{41}$ 

#### **Answer: B**



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 $\mbox{\bf 9.} \ \mbox{ln} \ 1.0s, \mbox{ a particle goes from point } A \mbox{ to point } B \mbox{ , moving in a semicircle}$ of radius 1.0m (see figure ). The magnitude of the average velocity



A.  $3.14m\,/\,s$ 

B. 2.0m/s

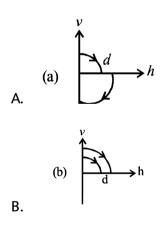
 $\mathsf{C.}\,1.0m\,/\,s$ 

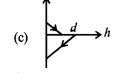
#### Answer: B



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**10.** A ball is dropped vertically from a height d above the ground . It hits the ground and bounces up vertically to a height  $(d)/(2).\ Neg \leq ct \in g \subset sequent motion$  and airresis an ce, its velocity vvaries with the heighth above the ground as





$$(d) \xrightarrow{d} h$$

Answer: A



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11. A particle starts sliding down a frictionless inclined plane. If  $S_n$  is the distance travelled by it from time  $t=n-1\sec$ , to  $t=n\sec$ , the ratio

$$\frac{S_n}{s_{n+1}}$$
 is

A. 
$$\dfrac{2n-1}{2n+1}$$

B. 
$$\frac{2n+1}{2n}$$

C. 
$$\dfrac{2n}{2n+1}$$

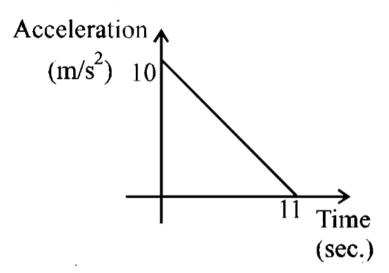
D. 
$$\frac{2n+1}{2n-1}$$

### **Answer: A**



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12. A body starts from rest at time t=0 , the acceleration time graph is shown in the figure . The maximum velocity attained by the body will be



A. 110m/s

B. 55m/s

C. 650m/s(a)

D. 550m/s

#### **Answer: A**



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**13.** The velocity - displacement graph of a particle moving along a straight line is shown

The most suitable acceleration - displacement graph will be



- A. 📄
- В. 📄
- C. 📝
- D. 📝

### **Answer: A**

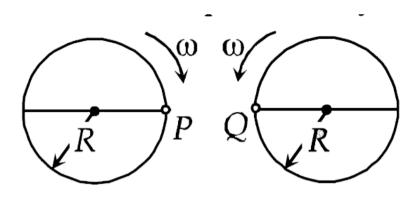


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**14.** Two identical discs of same radius R are rotating about their axes in opposite directions with the same constant angular speed  $\omega$ . The discs are in the same horizontal plane. At time t=0, the points P and Q are facing each other as shown in the figure. The relative speed between the

two points P and Q is  $v_r.$  In one time period (T) of rotation of the discs ,

 $\boldsymbol{v_r}$  as a function of time is best represented by

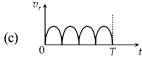




A.



В.



C.

$$(d) \quad 0 \quad T \quad t$$

D.

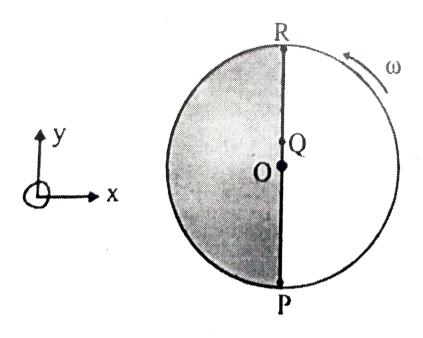
### Answer: A



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**15.** Consider a disc rotating in the horizontal plane with a constant angular speed  $\omega$  about its centre O . The disc has a shaded region on one side of the diameter and an unshaded region on the other side as shown in the figure. When the disc is in the orientation as shown, two pebbles P and Q are simultaneously projected at an angle towards R. The velocity of projection is in the y-z plane and is same for both pebbles with respect to the disc. Assume that (i) they land back on the disc before the disc has completed  $\frac{1}{8}$  rotation, (ii) their range is less than half the disc radius,

and (iii) w remains constant throughout. Then



- A. p lands in the shaded region and Q in the unshaded region.
- $\operatorname{B.}{\cal P}$  landa in the unshaded region and  ${\cal Q}$  in the shaded region.
- C. Both  ${\cal P}$  and  ${\cal Q}$  land in the unshaded region.
- D. Both  ${\cal P}$  and  ${\cal Q}$  land in the shaded region.

### **Answer: C**



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**16.** A particle is moving eastwards with a velocity of 5m/s. In 10s the velocity changes to 5m/s nothwards. The average acceleration in this time is

A. zero

- B.  $1/\sqrt{2}m/s^2$  towards no rth west
- C.  $1/\sqrt{2}m/s^2$  towards no rth east
- D.  $1/2m/s^2$  towards no rth west

#### Answer: B



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17. A particle of mass m moves on the  $x-a\xi s$  as follows: it starts from rest at t=0, from the point x=0, and comes to rest at t=l at the point x=1. No other information is available about its motion at intermediate times (0 < t < l). If  $\alpha$  denotes the instantaneous accelartion of the particle , then:

A.  $\alpha$  cannot remain positive for all t in the interval  $0 \leq t \leq 1$ .

B.  $|\alpha|$  cannot exceed 2 at any point in its path .

C. |lpha| must be  $\ \geq 4$  at some point or points in its path .

D.  $\alpha$  must change sign during the motion , but no other assertion can be made with the information given .

### Answer: A::C::D



**18.** The coordinate of a particle moving in a plane are given by  $x(t)=a\cos(pt)$  and  $y(t)=b\sin(pt)$  where a,b(< a) and P are positive constants of appropriate dimensions . Then

A. the path of the particle is an ellipse

B. the velocity and acceleration of the particle are normal to each other at  $t=\pi/(2p)$ 

C. the accelaration of the particle is always directed towards a focus

D. the distance travelled by the particle in time interval

$$t=0 
ightarrow t=\pi/(2p)$$
 is  $a$ 

Answer: A::B::C



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**19.** A car accelerates from rest at a constant rate  $\alpha$  for some time, after which it decelerates at a constant rate  $\beta$ , to come to rest. If the total time elapsed is t seconds. Then evalute (a) the maximum velocity reached and (b) the total distance travelled.



**20.** The displacement x of particle moving in one dimension, under the action of a constant force is related to the time t by the equation  $t=\sqrt{x}+3$ 

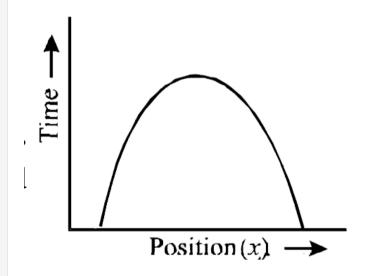
where  $xis \in meters \,\, ext{and} \,\, t \in \sec onds$  . Find

- (i) The displacement of the particle when its velocity is zero, and
- (ii) The work done by the force in the first  $6 \sec onds$ .



**21.** Answer the following giving reasons in brief:

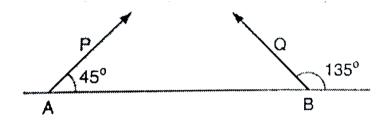
Is the time variation of position, shown in the figure observed in nature?



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**22.** Particles P and Q of mass 20g and 40g respectively are simu ltaneously proejected from points A and B on the ground. The initial

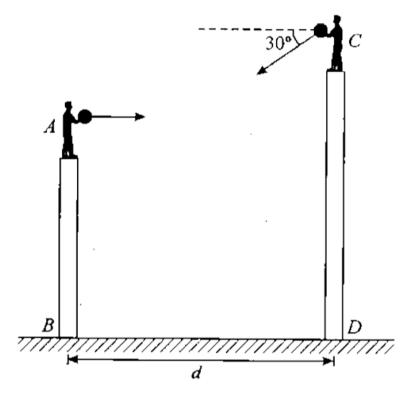
velocities of P and Q make  $45^{\circ}$  and  $135^{\circ}$  angles respectivley with the horizontal AB as shown in the Fig. 5.44 Each particle has an initial speed of 49m/s . the separation AB is 249m. both particles travel in the same vertical plane and undergo a collision. After collision P retraces its path. Determine the position of q when it hits the grou.d How much time after the collision does the particle Q take to reach the ground? (Take g =  $9.8m/s^2$ )





23. Two towers AB and CD are situated at a distance d apart, as shown in figure. AB is 20 m high and CD is 30 m high from the ground. An object of mass m is thrown from the top of AB horizontally with a velocity of 10 m/s towards CD. Simultaneously another object of mass 2 m is thrown from the top of CD at an angle of  $60^{\circ}$  to the horizontal towards AB with the same magnitude of initial velocity as that oft he first object. The two

objects move in the same vertical plane, collide in mid air and stick to each other (i) calculate the distance between the towers and (ii) find the position where the objects hit the ground.





**24.** Two guns situated at the top of a hill of height 10m fire one shot each with the same speed  $5\sqrt{3}m/s$  at some interval of time. One gun fires horizontal and the other fores upwards at an angle of  $60^\circ$  with the

horizontal. Two shots collide in air at a poit P. Find (i) time-interval between the firing and (ii) coordinates of the point P. Take the origin of coordinates system at the foot of the hill right below the muzzle and trajectorise in the x-y plane.

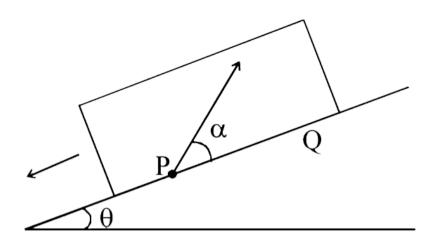


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**25.** A large , heavy box is sliding without friction down a smooth plane of inclination  $\theta$  . From a point P on the bottom of the box , a particle is projected inside the box . The initial speed of the particle with respect to the box is u , and the direction of projection makes an angle  $\alpha$  with the bottom as shown in Figure .

- (a) Find the distance along the bottom of the box between the point of projection p and the point Q where the particle lands . ( Assume that the particle does not hit any other surface of the box . Neglect air resistance .)
- (b) If the horizontal displacement of the particle as seen by an observer on the ground is zero , find the speed of the box with respect to the

ground at the instant when particle was projected .

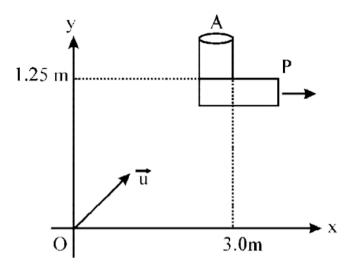




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26. An object A is kept fixed at the point x=3m and y=1.25m on a plank p raised above the ground . At time t=0 the plank starts moving along the +x direction with an acceleration  $1.5m/s^2$ . At the same instant a stone is projected from the origin with a velocity  $\overrightarrow{u}$  as shown . A stationary person on the ground observes the stone hitting the object during its downward motion at an angle  $45^\circ$  to the horizontal . All the motions are in the X-Y-plane . Find  $\overrightarrow{u}$  and the time after which the

stone hits the object . Take  $g=10m\,/\,s$ 





with

small trolley A is moving along a straight line parallel to the  $y-a\xi s$ ( see figure) with a constant velocity of  $\left(\sqrt{3}-1\right)m/s$ . At a particular instant , when the line OA makes an angle of  $45(\ \circ\ )$  with the  $x-a\xi s$  , a ball is thrown along the surface from the origin O. Its velocity makes an angle  $\phi$ 

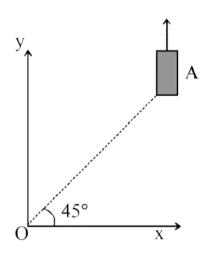
**27.** On a frictionless horizontal surface , assumed to be the x-y plane , a

 $x-a\xi s$  and  $ithits the trol \leq y.$  (a) The motion of the ball is observed on the contract of the contract o

the

theta  $made by the velocity \stackrel{\longrightarrow}{\longrightarrow} rof the ball with the ext{ x-axis} in this frame .$ 

(b) Find the speed of the ball with respect to the surface , if  $\phi = \left(4 heta
ight)/(4).$ 





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**28.** STATEMENT -1 : For an observer looking out through the window of a fast moving train , the nearby objects appear to move in the opposite direction to the train , while the distant objects appear to be stationary . STATEMENT - 2 : If the observer and the object are moving at velocities  $\overrightarrow{v}_1$  and  $\overrightarrow{v}_2$  respecttively with refrence to a laboratory frame , the velocity of the object with respect to a laboratory frame , the velocity of the object with respect to the observer is  $\overrightarrow{v}_2 - \overrightarrow{v}(1)$  .

- (a) Statement -1 is True, statement -2 is true, statement -2 is a correct
- explanation for statement -1
- (b) Statement 1 is True, Statement -2 is True, statement -2 is NOT a correct explanation for statement -1
- (c) Statement 1 is True, Statement 2 is False
- (d) Statement -1 is False, Statement -2 is True



**29.** A train is moving along a straight line with a constant acceleration a.

A body standing in the train throws a ball forward with a speed of  $10ms^{-1}$ , at an angle of  $60^{\circ}$  to the horizontal . The body has to move forward by 1.15 m inside the train to cathc the ball back to the initial height, the acceleration of the train, in  $ms^{-2}$ , is:



**30.** A ball whose kinetic energy is E , is projected at an angle of  $45\,^\circ$  to the horizontal . The kinetic energy of the ball at the highest point of its

flight will be

A.  ${\cal E}$ 

 $\mathrm{B.}\;\frac{E}{\sqrt{2}}$ 

c.  $\frac{E}{2}$ 

 $\mathsf{D.}\ zero$ 

#### **Answer: C**



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31. From a building two balls A and B are thrown such that A is thrown upwards and B downwards ( both vertically with the same speed ). If  $v_A$  and  $v_B$  are their respective velocities on reaching the ground , then

A.  $v_B>v_A$ 

B.  $v_A=v_B$ 

C.  $v_A>v_B$ 

| D. their velocities depend on their masses.                                    |
|--|
| Answer: B  |
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|  |
| <b>32.</b> A car , moving with a speed of $50km/hr$ , can be stopped by brakes |
| after at least $6m.$ If the same car is moving at a speed of $100km/hr$ , the  |
| minimum stopping distance is   |
| A. $12m$   |
| B.18m  |
| C.24m  |
| D. $6m$  |
| Answer: C  |
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**33.** A boy playing on the roof of a 10m high building throws a ball with a speed of 10m/s at an angle of  $30(\circ)$  with the horizontal. How far from the throwing point will the ball be at the height of 10m from the ground ?

$$\left[g = 10m/s^2, \sin 30^\circ = rac{1}{2}, \cos 30^\circ = rac{\sqrt{3}}{2}
ight]$$

- A. 5.20m
- B. 4.33m
- C. 2.60m
- D. 8.66m

### **Answer: D**



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34. The co-ordinates of a moving particle at anytime 't' are given by  $x=\alpha t^3 \text{ and } y=\beta t^3$ . The speed of the particle at time 't' is given by

A. 
$$3t\sqrt{lpha^2+eta^2}$$

B. 
$$3t^2\sqrt{lpha^2+eta^2}$$

C. 
$$t^2\sqrt{lpha^2+eta^2}$$

D. 
$$\sqrt{lpha^2+eta^2}$$

### Answer: B



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**35.** A ball is released from the top of a tower of height h metre. It takes T second to reach the ground. What is the position of the ball in  $\frac{T}{3}$ 

second?

A.  $\frac{8h}{9}$  meters from the ground

B.  $\frac{7h}{9}$  meters from the ground

C.  $\frac{h}{9}$  meters from the ground

D.  $\frac{17h}{18}$  meters from the ground

# Answer: A

**36.** If 
$$\overrightarrow{A} \times \overrightarrow{B} = \overrightarrow{B} \times \overrightarrow{A}$$
 , then the angle between  $A \to B$  is

A. 
$$\frac{\pi}{2}$$

B. 
$$\frac{\pi}{3}$$

$$\mathsf{C}.\left(\pi\right)$$

D. 
$$\frac{\pi}{4}$$

#### **Answer: C**



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**37.** A projectile can have the same range 'R' for two angles of projection .

If  ${}^{\prime}T_{1}{}^{\prime}$  and  ${}^{\prime}T_{2}{}^{\prime}$  to be times of flights in the two cases, then the product

of the two times of flights is directly proportional to .

A. R

- C.  $\frac{1}{R^2}$
- D.  $R^2$

### Answer: A



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38. Which of the following statements is FALSE for a paricle moving in a circle with a constant angular sppeed?

- A. The acceleration vector points to the centre of the circle
- B. The acceleration vector is tangent to the circle
- C. The velocity vector is tangent to the circle
- D. The velocity and acceleration vectors are perpendicular to each other.

### Answer: B

**39.** An automobile travelling with a speed 60km/h , can brake to stop within a distance of 20m . If the car is going twice as fast i. e. , 120km/h, the stopping distance will be

- A. 60m
- B.40m
- $\mathsf{C}.\,20m$
- D.80m

#### Answer: D



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**40.** A ball is thrown from a point with a speed 'v^(0)' at an elevation angle of  $\theta$  . From the same point and at the same instant , a person starts

running with a constant speed  $\frac{v_0}{2}$  to catch the ball . Will the person be able to catch the ball? If yes, what should be the angle of projection  $\theta$ ?

A. No

B. yes,  $30(\circ)$ 

 $C. yes, 60(\circ)$ 

D. yes  $,45(\circ)$ 

### **Answer: C**



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41. A car, starting from rest, accelerates at the rate (f) through a distance (S), then continues at constant speed for some time (t) and then decelerates at the rate f/2 to come to rest. If the total distance is 5S,

then prove that 
$$S=rac{1}{2}\,/\,ft^2.$$

A. 
$$S=rac{1}{6}ft^2$$

$$\mathsf{B}.\,S=\,\mathit{ft}$$

C. 
$$s=rac{1}{4}ft^2$$

D. 
$$s=rac{1}{72}ft^2$$

#### Answer: D



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- **42.** A particle is moving eastwards with a velocity of  $5ms_{-1}$ . In  $10\sec onds$  the velocity changes to  $5ms^{-1}$  northwards. The average
- acceleration in this time is
  - A.  $\frac{1}{2}ms^{-2}$  towards north
  - B.  $\dfrac{1}{\sqrt{2ms^{-2}}}$  towards north east
  - C.  $\frac{1}{\sqrt{2ms^{-2}}}$  towards north -west
  - D. zero

Answer: C

**43.** The relation between time t and distance x is  $t=ax^2+bx$  where a and b are constants. The acceleration is

A. 
$$2bv^3$$

$$B. - 2abv^2$$

$$\mathsf{C.}\,2av^2$$

$$D. - 2av^3$$

#### **Answer: D**



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**44.** A particle located at x=0 at time t=0, starts moving along with the positive x-direction with a velocity 'v' that varies as  $v=a\sqrt{x}$ . The displacement of the particle varies with time as

A. 
$$t^2$$
B.  $t$ 

 $\mathsf{B}.\,t$ 

C.  $t^{\frac{1}{2}}$ 

D.  $t^3$ 

# **Answer: A**



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- **45.** A particle is projected at  $60(\circ)$  to the horizontal with a kinetic energy K . The kinetic energy at the highest point is
  - A. K/2
  - $\mathsf{C}.\ Zero$

 $\mathsf{B}.\,K$ 

D. K/4

Answer: D

**46.** The velocity of a particle is  $v=v_0+>+ft^2$ . If its position is x=0 at t=0, then its displacement after unit time (t=1) is

A. 
$$(v_0+g/2+f)$$

B. 
$$(v_0+g/2+3f)$$

$$\mathsf{C.}\left(v_0+\frac{g}{2}+(f)/(3)\right.$$

D. 
$$(v_0 + g + f)$$

### Answer: C



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**47.** A body is at rest at x=0. At t=0, it starts moving in the positive x-direction with a constant acceleration . At the same instant another body passes through x=0 moving in the positive x-direction with a constant speed . The position of the first body is given by  $x_1(t)$  after time

't', and that of the second body by  $x_2(t)$  after the same time interval . which of the following graphs correctly describes  $(x_1-x_2)$  as a function of time 't' ?

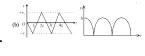
- A. 戻
- В. 📄
- C. 📝
- D. 📝

#### **Answer: B**



**48.** Consider a rubber ball freely falling from a height h = 4.9 m on a horizontal elastic plate. Assume that the duration of collision is negligible and the collision with the plate is totally elastic. Then the velocity as a function of time and the height as a function of time will be:

A. (a) o b b c b b c b



### **Answer: B**



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- **49.** A particle has an initial velocity of  $3\hat{i}+4\hat{j}$  and an acceleration of  $0.4\hat{i}+0.3\hat{j}$ . Its speed after 10s is :
  - A.  $7\sqrt{2}$  units

  - B. 7units
  - $\mathsf{C}.\,8.5 units$
  - ${\tt D.}\ 10 units$

Answer: A

**50.** A particle is moving with velocity  $\overrightarrow{v}=k\Big(y^{\,\widehat{\frown}\,}(i)+x\hat{j}\Big)$ , where k is a constant . The genergal equation for its path is

A. 
$$y = x^2 + cons \tan t$$

$$\operatorname{B.}y^2 = x + cons \tan t$$

$$\mathsf{C}.\,xy=cons\tan t$$

$$D. y^2 = x^2 + cons \tan t$$

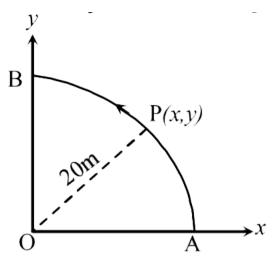
#### **Answer: D**



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**51.** A point p moves in counter - clockwise direction on a circular path as shown in the figure . The movement of 'p' is such that it sweeps out in the figure . The movement of 'p' is such that it sweeps out a length  $s=t^3+5$  , where s is in metres and t is in seconds . The radius of the

path is 20m . The acceleration of 'P' when t=2s is nearly .



A. 
$$13m/s^2$$

B. 
$$12m/s^2$$

$$\mathsf{C.}\,7.2m\,/\,s^2$$

D. 
$$14m/s^2$$

### **Answer: D**



**52.** For a particle in uniform circular motion , the acceleration  $\overrightarrow{a}$  at a point  $p(R,\theta)$  on the circle of radiu R is ( Here  $\theta$  is measured from the  $x-a\xi s$  )

A. 
$$-rac{v^2}{R}{\cos heta}\hat{i}+rac{v^2}{R}{\sin heta}\hat{j}$$

$$\mathsf{B.} - rac{v^2}{R} \mathrm{sin}\, heta \hat{i} + rac{v^2}{R} \mathrm{cos}\, heta \hat{j}$$

$$\mathsf{C.} - rac{v^2}{R} \!\cos heta \hat{i} - rac{v^2}{R} \!\sin heta \hat{j}$$

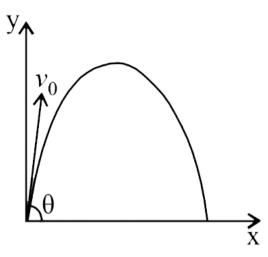
D. 
$$-rac{v^2}{R}\hat{i}+rac{v^2}{R}\hat{j}$$

### **Answer: C**



**53.** A small particle of mass m is projected at an angle  $\theta$  with the x- axis with an initial velocity  $v_0$  in the x-yplane as shown in the figure . At a time  $t<\frac{v_0\sin\theta}{g}$ , the angular momentum of the particle is

where  $\hat{i},\,\hat{j}\;\;\mathrm{and}\;\;\hat{k}$  are unit vectors along  $x,\,y\;\;\mathrm{and}\;\;z$  - axis respectively.



A. 
$$-mgv_0t^2\cos heta\hat{j}$$

B.  $mgv_0t\cos\theta\hat{k}$ 

 $\mathsf{C.} - \frac{1}{2} mgv_0 t^2 \cos\theta \hat{k}$ 

D.  $\frac{1}{2} mgv_0 t^2 \cos \theta \hat{i}$ 

### **Answer: C**



**54.** An object , moving with a speed of 6.25m/s, is decelerated at a rate

given by:

 $rac{dv}{dt} = -2.5 \sqrt{v}$  where v is the instantaneous speed . The time taken by

the object, to come to rest, would be:

- A. 2s
- B.4s
- C. 8 s'
- D. 1 s`

### Answer: A



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55. A water fountain on the ground sprinkles water all around it. If the speed of water coming out of the fountains is v, the total area around the fountain that gets wet is:

B. 
$$\frac{\pi}{2} \frac{v^4}{g^2}$$
C.  $\pi \frac{v^2}{g^2}$ 
D.  $\pi \frac{v^2}{g}$ 

C. 
$$\pi \frac{v^2}{g^2}$$

D. 
$$\pi \frac{v^2}{q}$$

### **Answer: A**



## **Watch Video Solution**

56. A boy can throw a stone up to a maximum height of 10 m. The maximum horizontal distance that the boy can throw the same stone up to will be:

A. 
$$20\sqrt{2}m$$

$$\mathsf{B.}\ 10m$$

C. 
$$10\sqrt{2}m$$

D. 
$$20m$$

#### **Answer: D**



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**57.** Two cars of mass  $m_1$  and  $m_2$  are moving in circle of radii  $r_1$  and  $r_2$ , respectively. Their speeds are such that they make complete circles in the same time t. The ratio of their centripetal acceleration is :

A.  $m_1 r_1 \colon m_2 r(2)$ 

B.  $m_1 : m_2$ 

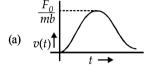
C.  $r_1 : r_2$ 

D. 1:1

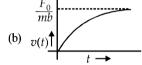
### **Answer: C**



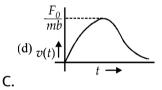
**58.** A particle of mass m is at rest the origin at time t=0. It is subjected to a force  $F(t)=F_0e^{-bt}$  in the x - direction. Its speed v(t) is depicted by which of the following curves ?



A.



В.



D. 📝

Answer: B



**59.** A projectile is given an initial velocity of  $(\hat{i}+2\hat{j})m/s$ , where  $\hat{i}$  is along the ground and  $\hat{j}$  is along the vertical . If  $g=10m/s^2$ , the equation of its trajectory is :

A. 
$$y=x-5x^2$$

$$B. y = 2x - 5x^2$$

C. 
$$4y = 2x - 5x^2$$

D. 
$$4y = 2x - 25x^2$$

### Answer: B



**60.** From a tower of height H, a particle is thrown vertically upwards with a speed u. The time taken by the particle, to hit the ground, is n times that taken by it to reach the highest point of its path. The relative between H, u and n is:

A. 
$$2qH = n^2u^2$$

$$\mathsf{B.}\,gH=(n-2)^2u^2$$

C. 
$$2gH=
u^2(n-2)$$

D. 
$$gH=(n-2)u^2$$

#### **Answer: C**

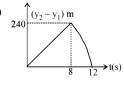


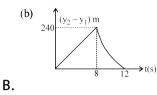
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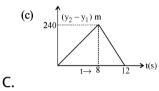
**61.** Two stones are thrown up simultaneously from the edge of a cliff 240m high with initial speed of 10m/s and 40m/s respectively . Which of the following graph best represents the time variation of relative position of the speed stone with respect to the first ?

( Assume stones do not rebound after hitting the groumd and neglect air resistance , take  $g=10m\,/\,s^2ig)$ 

( The figure are schematic and not drawn to scale )







(d) 
$$_{240}$$
  $\xrightarrow{(y_2-y_1) \text{ m}}$   $_{12}$   $\xrightarrow{t(s)}$ 

### Answer: B

A.

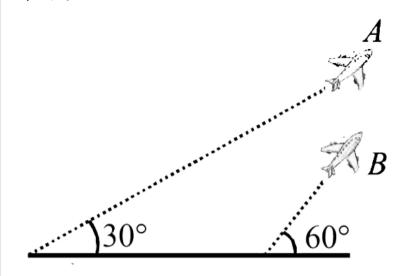


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**62.** Airplanes A and B are flying with constant velocity in the same vertical plane at angles  $30^\circ$  and  $60^\circ$  with respect to the horizontal respectively as shown in figure . The speed of A is  $100\sqrt{3}m/s$  . At time

t=0s, an observer in A finds B at a distance of 500m. The observer sees

B moving with a constant velocity perpendicular to the line of motion of A . If at  $t=t_0$ , A just escapes being hit by  $B,\,t_0$  , A just escapes being hit by  $B,\,t_0$  in seconds is





**63.** A rocket is moving in a gravity free space with a constnat acceleration of  $2ms^{-1}$  along +x direction (see Fig.5.126). The length of a chamber inside the rocket is 4m. A ball is thrown from th left end of the chamber in +x direction with a speed of 0.3  $ms^{-1}$  relaitve to the rocket. At the same time , another ball is thrown in -x direction with a speed of 0.2ms^(-1)` from its right and relative to the rocket. the time in seconds

when the two balls hit each other is:

