



MATHS

NCERT - NCERT MATHEMATICS(GUJRATI ENGLISH)

AREAS

Example

1. ABCD is parallelogram and ABEF is a rectangle and DG is perpendicular

on AB.

Prove that (i) ar (ABCD) = ar(ABEF)

(ii) ar (ABCD) = AB imes DG

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2. Triangle ABC and parallelogram ABEF are on the same base, AB as in between the same parallels AB and EF. Prove that ar $(\Delta ABC) = \frac{1}{2}$ ar(|| gm ABEF)

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3. Find the area of a figure formed by joining the mid-points of the adjacent sides of a rhombus with diagonals 12 cm. and 16 cm.

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4. Show that the median of a triangle divides it into two triangles of equal areas.



5. In the figure, ABCD is a quadrilateral. AC is the diagonal and DE || AC and also DE meets BC produced at E. Show that ar(ABCD) = ar (ΔABE).





1. If 1cm represents 5m, what would be an area of 6 square cm. represent?



cm. Find the area of ΔADB .



 $\angle QPS = \angle SQR = 90^\circ, PQ = 12cm, PS = 9cm, QR = 8cm ext{ and } SR =$

(Hint: PQRS has two parts)



3. Find the area of trapezium ABCD as given in the figure in which ADCE is

a rectangle. (Hint: ABCD has two parts)



4. ABCD is a parallelogram. The diagonals AC and BD intersect each other at 'O'. Prove that $ar(\Delta AOD) = ar(\Delta BOC)$. (Hint: Congruent figures have equal area)



1. The area of parallelogram ABCD is $36cm^2$. Calculate the height of parallelogram ABEF if AB = 4.2 cm



2. ABCD is a parallelogram. AE is perpendicular on DC and CF is perpendicular on AD. If AB = 10 cm, AE = 8 cm and CF = 12 cm. Find AD.





3. If E, F G and H are respectively the midpoints of the sides AB, BC, CD and

AD of a parallelogram ABCD, show that ar(EFGH) $=rac{1}{2}$ ar (ABCD) .



4. P and Q are any two points lying on the sides DC and AD respectively of a parallelogram ABCD show that $ar(\Delta APB) = ar\Delta(BQC)$



5. P is a point in the interior of a parallelogram ABCD. Show that (i) ar $(\Delta APB) + ar(\Delta PCD) = \frac{1}{2}ar(ABCD)$ (ii) $ar(\Delta APD) + ar(\Delta PBC) = ar(\Delta APB) + ar(\Delta PCD)$

(Hint : Throught , P draw a line parallel to AB)



6. Prove that the area of a trapezium is half the sum of the parallel sides multiplied by the distance between them.



7. PQRS and ABRS are parallelograms and X is any point on the side BR.

Show that

(i) ar(PQRS) = ar(ABRS)

(ii)
$$ar(\Delta AXS) = \frac{1}{2}ar(PQRS)$$

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8. A farmer has a field in the form of a parallelogram PQRS as shown in the figure. He took the mid- point A on RS and joined it to points P and Q. In how many parts of field is divided? What are the shapes of these parts ?

The farmer wants to sow groundnuts which are equal to the sum of pulses and paddy. How should he sow? State reasons?



9. Prove that the area of a rhombus is equal to half of the product of the

diagonals.



1. In a triangle ABC (see figure), E is the midpoint of median AD, show that

(i) ar $\Delta ABE = ar\Delta ACE$ (ii) $ar\Delta ABE = rac{1}{4}ar(\Delta ABC)$





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3. In the figure, \triangle ABC and \triangle ABD are two triangles on the same base AB. If line segment CD is bisected by \overline{AB} at O, show that ar $(\triangle ABC) = ar(\triangle ABD).$



4. In the figure, ΔABC , D, E, F are the midpoints of sides BC, CA and AB respectively. Show that

(i) BDEF is a parallelogram

(ii)
$$ar(\Delta DEF) = \frac{1}{4}ar(\Delta ABC)$$

(iii) $ar(BDEF) = \frac{1}{2}ar(\Delta ABC)$



5. In the figure D, E are points on the sides AB and AC respectively of ΔABC such that $ar(\Delta DBC) = ar(\Delta EBC)$. Prove that DE || BC.



6. In the figure, XY is a line parallel to BC is drawn through A. If BE \parallel CA and CF \parallel BA are drawn to meet XY at E and F respectively. Show that

 $ar(\Delta ABE) = ar(\Delta ACF).$



7. In the figure, diagonals AC and BD of a trapezium ABCD with AB || DC intersect each other at O. Prove that $ar(\Delta AOD) = ar(\Delta BOC)$.



8. In the figure, ABCDE is a pentagon. A line through B parallel to AC meets DC produced at F. Show that

(i) $ar(\Delta ACB) = ar(\Delta ACF)$

(ii) ar(AEDF) = ar(ABCDE)



 $\Delta RAS = ar \Delta RBS$ and $[ar(\Delta QRB) = ar(\Delta PAS)$ then show that

both the quadrilaterals PQSR and RSBA are trapeziums.



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