

MATHS

BOOKS - CHETANA MATHS (MARATHI ENGLISH)

SIMILARITY



1. Base of a triangle is 9 cm and height is 5 cm. Base of another triangle is 10 cm and height is 6 cm. Find the ratio of areas of these triangles.

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2. Ratio of areas of two triangles with equal height is 2:3. If base of smaller triangle is 6 cm then find the corresponding base of the bigger triangle.

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3. In ΔMNP , NQ is a biscetor of $\angle N$. If MN = 5, PN = 7, MQ

= 2.5, then find QP.



4. In ΔLMN , ray MT bisects $\angle LMN$. If $LM=6,\,MN=10.$

TN = 8 then find LT.



5. In $\triangle ABC$ Seg BD bisects $\angle ABC$. If AB = x, BC = x + 5, AD = x - 2, DC = x + 2,

then find the value of x.





6. In $\triangle ABC$, ray BD bisects $\angle ABC$ and ray CE bisects $\angle ACB$.

If seg AB \cong seg AC, then prove that ED || BC.

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7. In trapezium ABCD side $AB \mid \mid$ side $PQ \mid \mid$ side DC,

AP = 15, PD = 12, QC = 14, find BQ.



8. As shown in the figures, two poles of height 8m and 4m are perpendicular to the ground. If the length of shadow smaller pole

due to sunlight is 6 m then long will be the shadow of the

bigger





9. In trapezium PQRS, $PQ \mid |SR. A$ is intersection point of diagonals. AR = 5AP and AS = 5AQ. Prove that SR = 5PQ

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10. $\Box ABCD$ is a parallelogram. Point E is on side BC. Line DE intersects Ray AB in point T. Prove that $DE \times BE = CE \times TE$.

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12. Ratio of corresponding sides of two similar triangles is

3:5, then find ratio of their areas.

13.

riangle ABC~ $riangle PQR, A(\ riangle ABC) = 841, A(\ riangle PQR) = 625$, then $rac{AB}{PQ} = ?$

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 $A(\bigtriangleup LMN) = 9$. If QR = 20 then find MN.

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15. Areas two similar triangles are 225 sq.cm, 81 sq.cm. If a side of the smaller triangle is 12 cm, then find

lf

corresponding side of bigger triangle.



16. $\triangle ABC$ and $\triangle DEF$ both are equilateral triangles. $A(\triangle ABC): A(\triangle DEF)$ =1:2. If AB = 4, then what is the length of DE? a) $4\sqrt{2}$ b)8 c)4 d)2

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1. If in $\triangle ABC$ and $\triangle PQR$ for some one-one correspondence if $\frac{AB}{QR} = \frac{BC}{PR} = \frac{CA}{PQ}$ then: a) $\triangle PQR \sim \triangle ABC$ b) $\triangle PQR \sim \triangle CAB$

c)

riangle CBA~ riangle PQR d) riangle BCA~ riangle PQR

A. riangle PQR~ riangle ABC

B. $\triangle PQR \sim \triangle CAB$

C. $\triangle CBA \sim \triangle PQR$

D. $\triangle BCA \sim \triangle PQR$

Answer:



2. If in $\triangle DEF$ and $\triangle PQR, \angle D \cong \angle Q, \angle E \cong \angle R$, then which of the following statement is false? a) $\frac{DE}{PQ}$ = $\frac{DE}{QR}$ b) $\frac{DF}{QP}$ = $\frac{EF}{RP}$ c) $\frac{EF}{RP}$ = $\frac{DE}{QR}$ d) $\frac{DE}{QR}$ = $\frac{DF}{QP}$

A.
$$Erac{F}{P}R = Drac{F}{P}Q$$

B. $Drac{E}{P}Q = Erac{F}{R}P$
C. $Drac{E}{Q}R = Drac{F}{P}Q$
D. $Erac{F}{R}P = Drac{E}{Q}R$

Answer:

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3. In $\triangle ABC$ and $\triangle DEF$, $\angle B \cong \angle E$, $\angle F \cong \angle C$ and AB = 3DE, then which statement regarding two triangles is true? a)Triangles are not congruent and not similar b)Triangles are similar but not congruent c)Triangles are congruent and similar d)None of these

A. the triangles are not congruent and not similar

B. The triangles are similar but not congruent

C. The triangles are congruent and similar

D. None of the statements above is true.

Answer:

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4. \triangle *DEF*~ \triangle *MNK*, if DE=5 and MN=6, then find the value of $A(\triangle$ *DEF*): $A(\triangle$ *MNK*).

A. $2\sqrt{2}$

B. 4

C. 8

D. $4\sqrt{2}$

Answer:



5. Triangle ABC is such that, AB=3 cm, BC=2 cm and AC=2.5

cm. Triangle DEF ~ Triangle ABC. If EF=4 cm, then the

perimeter of Triangle DEF?

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6. The side of two similar triangles are 4:9. What is the ratio

of their area?

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7. The areas of two similar triangles are $18cm^2$ and $32cm^2$ respectively. What is the ratio of their corresponding sides? a)3:4b)4:3c)9:16d)16:9

A. 3:4

B.4:3

C. 9:16

D. 16:9



AB = 6cm, BC = 8cm, CA = 10cm and QR = 6cm.

What is the length of side PR in cm? a)8 b)10 c)4.5 d)7.5

A. 8 cm

B. 10 cm

C. 4.5 cm

D. 7.5 cm



9. In $\triangle XYZ$, ray YM is the bisector of $\angle XYZ$ where XY=YZ and X-M-Z, then which of the relation is true? a) XM = MZ b) $XM \neq MZ$ c)XM > MZ d)None of these

A. XM = MZ

B. $XM \neq MZ$

 $\mathsf{C}.\,XM > MZ$

D. None



10. In $\triangle ABC$, AB=6 cm, BC=8 cm and AC=10 cm. $\triangle ABC$ is enlarged to $\triangle PQR$ such that the largest side is 12.5 cm. What is the length of the smallest side of $\triangle PQR$? a) 7.5cm b) 9cm c) 8cm d) 10cm

A. 7.5 cm

B. 9 cm

C. 8 cm

D. 10 cm



11. In $\triangle ABC, B - D - C$ and BD=6 cm, DC=4 cm. What is $A(\triangle ABC): A(\triangle ACD)$? a)2:3 b)5:2 c)3:2 d)5:3

A. 2:3

- B. 5:2
- C.3:2
- D. 5:3





XQ = 4.8cm, then what is XZ? a)15.6cm b)20.4cm c)7.8cm d)10.2cm

A. 15.6 cm

B. 20.4 cm

C. 7.8 cm

D. 10.2 cm

Answer:



13. In $\triangle ABC$, P is a point on side BC such that BP=4 cm and PC=7 cm. $A(\triangle APC): A(\triangle ABC)=$a)11:7 b)7:11 c)4:7 d)7:4 A. 11:7

B. 7:11

C. 4:7

D. 7:4

Answer:

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14. In riangle PQR, seg RS is the bisector of $\angle PRQ$, PS=8,

SQ=6, PR=20, then QR=.....a)10 b)15 c)30 d)40

A. 10

B. 15

C. 30

D. 40

Answer:



15. In $\ riangle ABC, l \in ePQ \ | \ | \ sideBC,$ AP=3,BP=6,AQ=5 then

the value of QC is.....

A. 20

B. 10

C. 5

D. 16



16. The ratio of the areas of two triangles with the common base is 6:5. Height of the larger triangle is 9 cm. Find the corresponding height of the smaller triangle.



17. In $\triangle RTK$, P is a point on RK such that R-P-K. RP:PK=3:2, then find the value of $A(\triangle TRP): A(\triangle TPK)$



18. In $\triangle RTK$, P is a point on RK such that R-P-K. RP:PK=3:2, then find the value of $A(\triangle TRK): A(\triangle TPK)$

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19. In $\triangle RTK$, P is a point on RK such that R-P-K. RP:PK=3:2, then find the value of $A(\triangle TRP): A(\triangle TRK)$

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20. The ratio of the areas of two triangles with equal height is 3:2. The base of the larger triangle is 18 cm. Find the

corresponding base of the smaller triangle.



21. In \triangle *DEF*, line PQ||side EF such that D-P-E and D-Q-F.

DQ=1.8, QF=5.4, PE=7.2. Find DE.

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22. In riangle PQR, seg RS is bisector of $\angle PRQ$. PS=6, SQ=8,

PR=15. Find QR.



23. In riangle XYZ, XY=YZ. Ray YM bisects riangle XYZ. X-M-Z. Prove

that M is midpoint of XZ.

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24. $\Box ABCD$ is a trapezium in which $AB \mid \ \mid DC$ and its
diagonals intersect each other at point O. Show that AO:BO
= CO:DO.
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25. In ΔABC , point D and E are the points on sides AB and

AC such that AB=5.6, AD=1.4, AC=7.2 and AE=1.8. Show that

DE||BC.



26. In $\triangle PQR$, ray QS bisects of $\angle PQR$. P-S-R. Show that $\frac{A(\triangle PQS)}{A(\triangle QRS)} = \frac{PQ}{QR}$.

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27. A vertical pole of a length 6 m casts a shadow of 4 m long on the ground. At the same time a tower casts a shadow 28m long. Find the height of the tower.



28. In $\triangle ABC$, AB=5, BC=6, AC=7. $\triangle PQR \sim \triangle ABC$. Perimeter of $\triangle PQR$ is 360. Find PQ, QR and PR.



A-D-B and A-E-C. AD=6, AB=12, AC=18, then find AE.

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30. In the adjoining figure, in ΔABC , point D is on side BC

such that, $\angle BAC = \angle ADC$. Prove that,







31. In $\triangle ABC$, points D and E are on sides BC and AB such that AD and CE intersect at point P. $CE \perp AB$, $AD \perp BC$.

Prove that $\ riangle AEP imes CDP$



32. In $\triangle ABC$, points D and E are on sides BC and AB such that AD and CE intersect at point P. $CE \perp AB$, $AD \perp BC$. Prove that $\triangle AEP \sim \triangle ADB$

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33. In $\triangle ABC$, M and N are points on sides AB and AC respectively. $\triangle ABN \cong \triangle ACM$, show that $\triangle AMN \sim \triangle ABC$

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34. \triangle *DEF*~ \triangle *MNK*, if DE=5 and MN=6, then find the value of $A(\triangle$ *DEF*): $A(\triangle$ *MNK*).



35. If $\triangle ABC \sim \triangle DEF$ such that the area of $\triangle ABC$ is $9cm^2$ and the area of $\triangle DEF$ is $16cm^2$. If BC=2.1 cm, find the length of EF.

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36. In $\triangle ABC$, points D and E are on sides AB and AC such that A-D-B and A-E-C. DE|| BC. If DE:BC=3:5, then find

 $A(\bigtriangleup ADE) : A(\Box DBCE)$

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37. In $\triangle ABC$, PQ is a line segment intersecting AB at point P and AC at point Q such that $PQ \mid BC$. If PQ divides $\triangle ABC$ into two equal parts equal in area. find BP:AB.

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38. In $\triangle ABC$, $\angle ABC = 90^{\circ}$. $\triangle PAB$, $\triangle QAC$ and $\triangle RBC$ are the equilateral triangles constructed on side AB, AC and BC respectively. Prove that: $A(\triangle PAB) + A(\triangle RBC) = A(\triangle QAC)$

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39. In $\triangle ABC$, P and Q lie on sides AB and BC such that PQ||AC. BP=6, PA=8, BQ=9, then QC=.....a)15 b)12 c)18 d)20

A. 15

B. 12

C. 18

D. 20

Answer:

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40. In $\triangle ABC$, points X and Y lie on AB and AC such that XY||BC, then which of the following statement is true? a)

$$\frac{AB}{AC} = \frac{AX}{AY} \qquad \text{b})\frac{AX}{XB} = \frac{AY}{AC} \qquad \text{c})\frac{AX}{YC} = \frac{AY}{XB} \qquad \text{d})$$
$$\frac{AB}{YC} = \frac{AV}{XB}$$

A.
$$A \frac{B}{A}C = A \frac{X}{A}Y$$

B. $A \frac{X}{X}B = A \frac{Y}{A}C$
C. $A \frac{X}{Y}C = A \frac{Y}{X}B$
D. $A \frac{B}{Y}C = A \frac{C}{X}B$

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43. In riangle PQR, PM is a median and Q-M-R. Prove that A(riangle PQM) = A(riangle PRM).

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44. In \triangle *DEF*, DX=4, DE=8, FY=6, DF=12 where X and Y lie on DE and DF respectively such that D-X-E and D-Y-F. Prove





45. In $\Box ABCD$, AB||CD. Diagonals AC and BD intersect each other at point P. Prove that $A(\bigtriangleup ABP)$: $A(\bigtriangleup CPD)=(AB)^2:(CD)^2.$

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46. D is a point on side BC of $\triangle ABC$ such that, $\angle ADC = \angle BAC$. Show that $AC^2 = BC \times DC$.

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47. Prove:In a triangle the angle bisector divides the side

opposite to the angle in the ratio of the remaining sides.

