



MATHS

BOOKS - MBD

Areas of Parallelograms and Triangles

Exercise

1. Match the following:

Match the following :

(a) Fluorine

(i) Metalloid

(b) Neon

(c) Sodium

(d) Arsenic

(ii) Halogen

(iii) Noble gas

(iv) Alkali metal



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2. Match the following :

(i) $\sin (90^\circ - A)$ (a) $\sin A$

(ii) $\cos 0^\circ$ (b) 0

(iii) $\sin 0^\circ$ (c) 1

(iv) $\cos (90^\circ - A)$ (d) $\cos A$



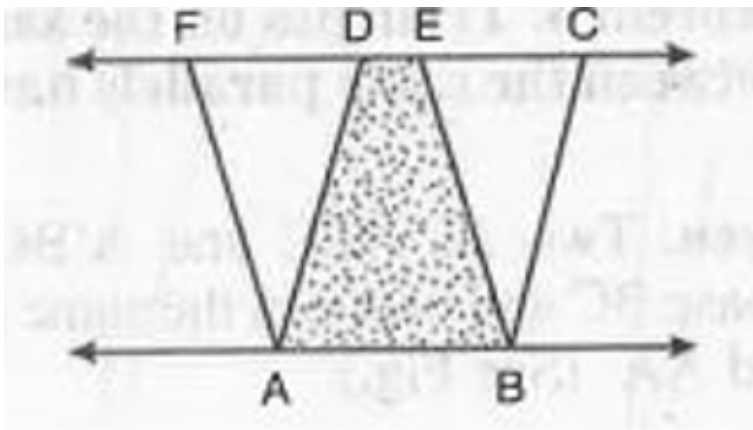
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3. A diagonal of parallelogram divides it into four triangles of equal area.



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4. Parallelogram on the same base and between the same parallels (i.e. of equal altitude) are equal in area.





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5. Match the following :

- | | |
|----------------------------|--------------|
| (i) $\sin (90^\circ - A)$ | (a) $\sin A$ |
| (ii) $\cos 0^\circ$ | (b) 0 |
| (iii) $\sin 0^\circ$ | (c) 1 |
| (iv) $\cos (90^\circ - A)$ | (d) $\cos A$ |



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6. Parallelogram on equal bases and between the same parallels are equal in area.





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7. In Fig.



ABCD is a parallelogram, $AE \perp DC$ and $CF \perp AD$. If $AB = 16$ cm, $AE = 8$ cm and $CF = 10$ cm, find AD.



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8. If E, F, G and H are respectively the mid-points of the sides of a parallelogram ABCD, show that $\text{ar}(EFGH) = \frac{1}{2} \text{ar}(ABCD)$.



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9. P and Q are any two points lying on the sides DC and AD respectively of a parallelogram ABCD. Show that $\text{ar}(\text{APB}) = \text{ar}(\text{BQC})$.



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10. In Fig.



, P is a point in the interior of a

parallelogram ABCD. Show that

$$ar(APB) + ar(PCD) = \frac{1}{2}ar(ABCD).$$



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11. In Fig.



P is a point in the interior of a parallelogram ABCD. Show that


$$ar(APD) + ar(PBC) = ar(APB) + ar(PCD)$$

.



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12. In fig.

 PQRS and ABRS are parallelograms and X is any point on side BR. Show that $ar(PQRS) = ar(ABRS)$.



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13. In fig.

 PQRS and ABRS are parallelograms and X is any point on side BR. Show that $ar(AXS) = \frac{1}{2}ar(PQRS)$.



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14. A farmer was having a field in the form of a parallelogram PQRS. She took any point A on RS and joined it to points P and Q. In how many parts the field is divided ? What are the shapes of these parts ? The farmer wants to sow wheat and pulses in equal portions of the field separately. How should she do it ?



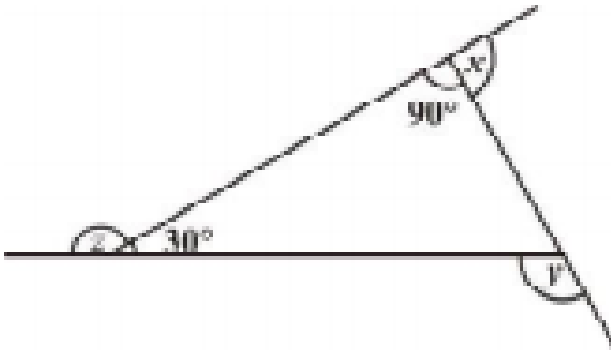
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15. In $\square ABCD$, $AB = 14$ cm. The altitude corresponding to sides AB and AD are 8 cm and 7 cm. Find AD .



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16. Find $x+y+z$





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17. Match the following :

(i) $\sin (90^\circ - A)$ (a) $\sin A$

(ii) $\cos 0^\circ$ (b) 0

(iii) $\sin 0^\circ$ (c) 1

(iv) $\cos (90^\circ - A)$ (d) $\cos A$



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18. Match the following :

(i) $\sin (90^\circ - A)$ (a) $\sin A$

(ii) $\cos 0^\circ$ (b) 0

(iii) $\sin 0^\circ$ (c) 1

(iv) $\cos (90^\circ - A)$ (d) $\cos A$



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19. Given figure



is a parallelogram. P is a point on DC such

that $\text{ar} (\Delta APD) = 24\text{cm}^2$ and ar

$(\Delta BPC) = 16\text{cm}^2$. Find $CP : PD$.



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20. Match the following :

(i) $\sin (90^\circ - A)$ (a) $\sin A$

(ii) $\cos 0^\circ$ (b) 0

(iii) $\sin 0^\circ$ (c) 1

(iv) $\cos (90^\circ - A)$ (d) $\cos A$



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21. Match the following :

(i) $\sin (90^\circ - A)$ (a) $\sin A$

(ii) $\cos 0^\circ$ (b) 0

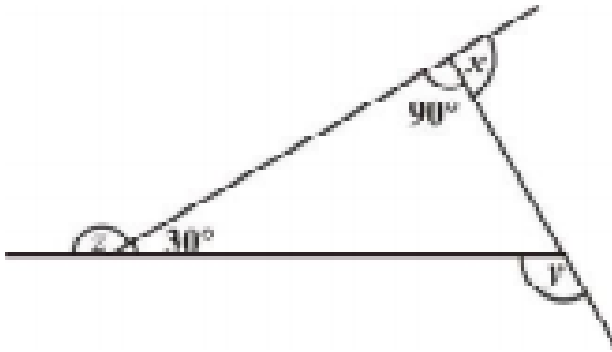
(iii) $\sin 0^\circ$ (c) 1

(iv) $\cos (90^\circ - A)$ (d) $\cos A$



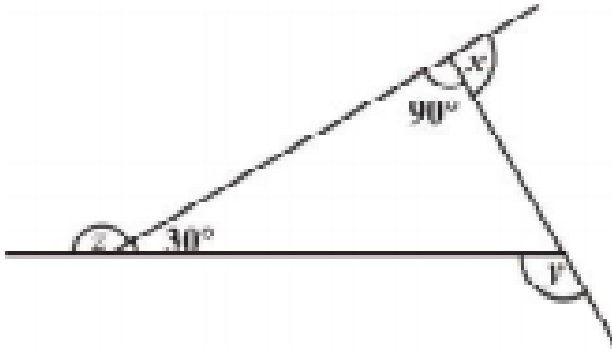
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22. Find $x+y+z$



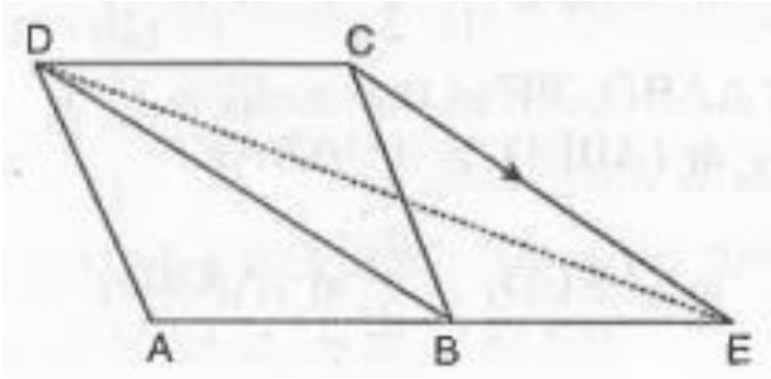
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23. Find $x+y+z$



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24. In the given figure

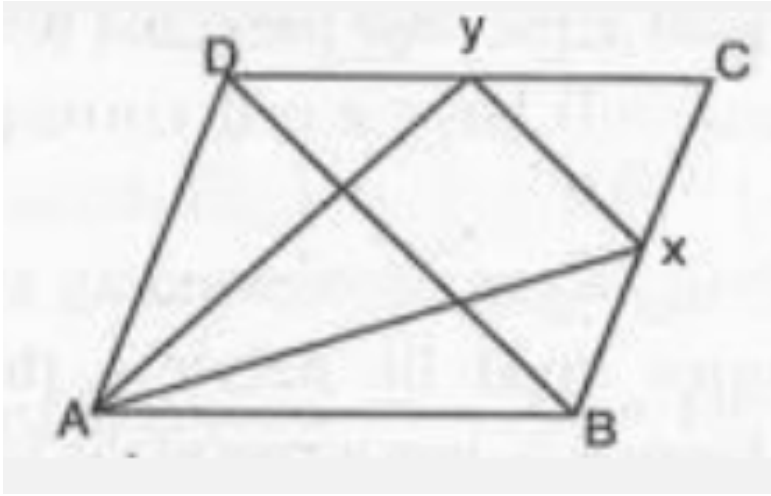


$CE \parallel DB$. If $\text{ar}(\triangle DBE) = 36\text{cm}^2$ and $\text{ar}(\triangle ADB) = 44\text{cm}^2$ find $\text{ar}(\triangle DAE)$.

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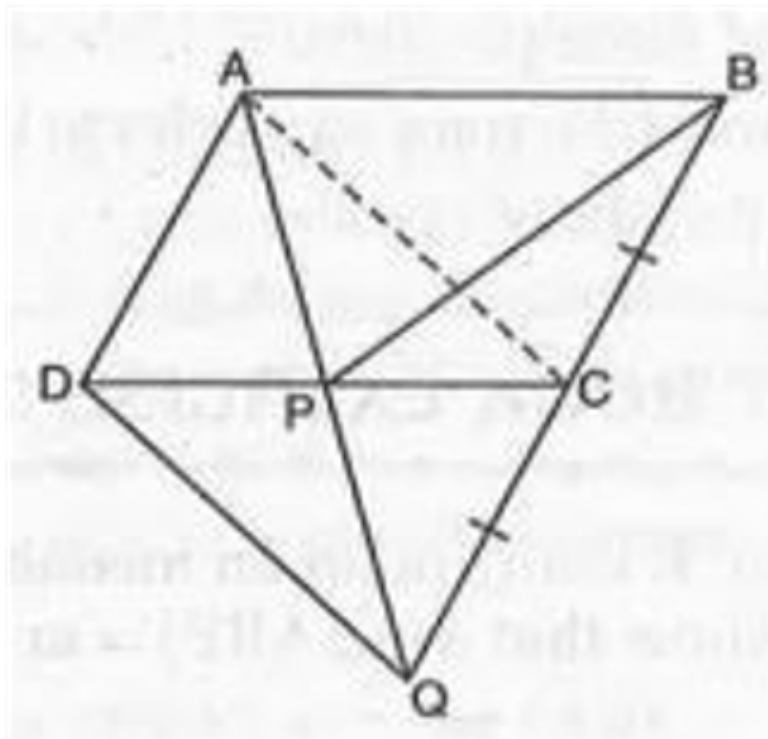
25. ABCD is parallelogram. X and Y are the mid-points of BC and CD respectively. Prove that $\text{ar}(\triangle AXY) = \frac{1}{4} \text{ar}(\text{parallelogram ABCD})$.

$$(\Delta AXY) = \frac{3}{8} \text{ ar } (\quad)^{gm} ABCD.$$



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26. In Fig.



ABCD is a parallelogram. Prove that $\text{ar}(\Delta ACP) = \text{ar}(\Delta DPQ)$.



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27. In Fig.



, $ABCD$ is a parallelogram and $EFCD$ is a rectangle. Also $AL \perp DC$. Prove that : ar
 $(ABCD) = DC \times AL$.

A. pages missing for image

B.

C.

D.

Answer:



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28. In Fig. 9.13, ABCD is a parallelogram and EFCD is a rectangle. Also, $AL \perp DC$. Prove that (i) $\text{ar}(\text{ABCD}) = \text{ar}(\text{EFCD})$ (ii) $\text{ar}(\text{ABCD}) = DC \times AL$

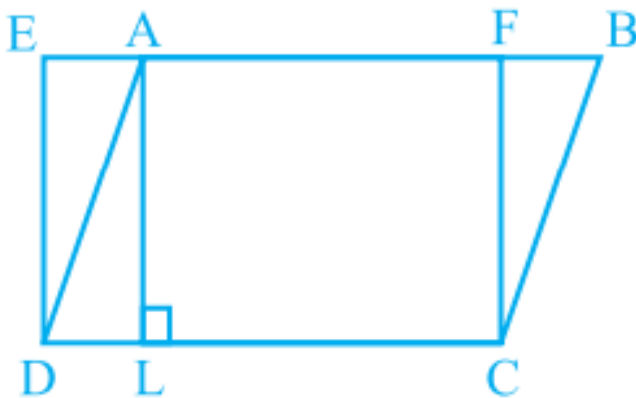


Fig. 9.13

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B.

C.

D.

Answer:



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29. In Fig.



diagonals AC and BD of quadrilateral ABCD intersect at O such that $OB = OD$. If $AB = CD$, then show that : $\text{ar}(\text{DCB}) = \text{ar}(\text{ACB})$.



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30. In Fig.



diagonals AC and BD of quadrilateral $ABCD$ intersect at O such that $OB = OD$. If $AB = CD$, then show that : $DA \parallel CB$ or $ABCD$ is a parallelogram.



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31. Diagonals AC and BD of a quadrilateral $ABCD$ intersect at O in such a way that $\text{ar}(\triangle AOD) = \text{ar}(\triangle BOC)$. Prove that $ABCD$ is a trapezium.



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32. D and E are points on sides AB and AC respectively of $\triangle ABC$ such that $\text{ar}(\triangle DBC) = \text{ar}(\triangle EBC)$. Prove that $DE \parallel BC$.



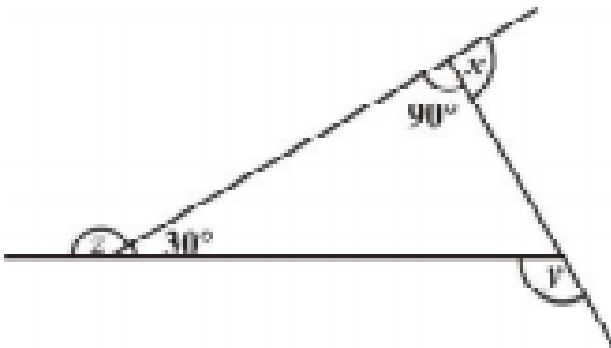
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33. XY is a line parallel to side BC of triangle ABC . If $BE \parallel AC$ and $CF \parallel AB$ meet XY at E and F respectively, show that $\text{ar}(\triangle ABE) = \text{ar}(\triangle ACF)$.



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34. Find $x+y+z$





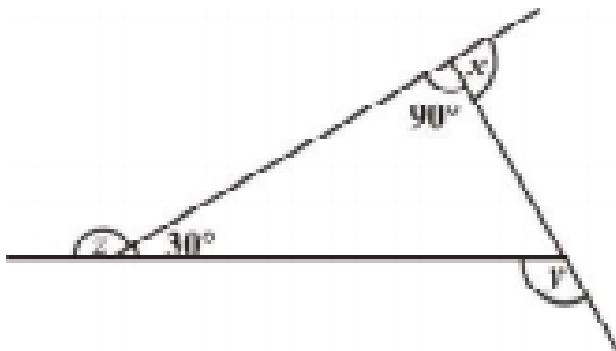
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35. Diagonals AC and BD of a quadrilateral ABCD intersect at O in such a way that $\angle AOD = \angle BOC$. Prove that ABCD is a trapezium.



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36. Find $x+y+z$



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37. D and E are points on sides AB and AC respectively of a $\triangle ABC$ such that ar

$(\Delta BCE) = ar(\Delta BCD)$. Show that

$DE \parallel BC$.



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38. Determine a triangle equal in area to a given quadrilateral.



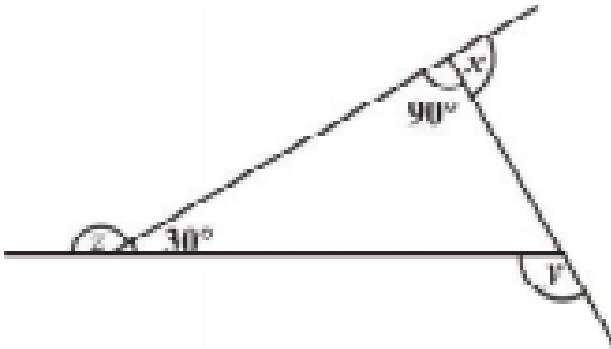
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39. ABCD is a parallelogram whose diagonals intersect at E. AC is produced to F such that CF

= AE Prove that ar $(\triangle BDF)$ = ar
(| | gm ABCD).

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40. Find $x+y+z$

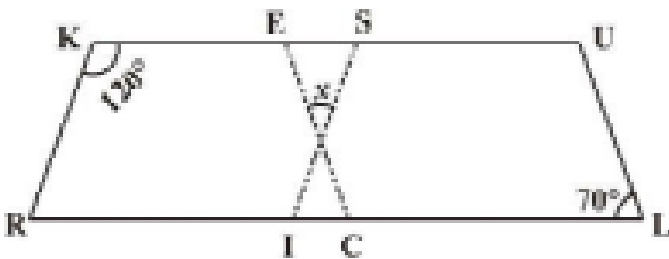


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41. Parallelogram ABCD and rectangle ABEF are on the same base AB and have equal areas. Show that the perimeter of the parallelogram is greater than that of the rectangle.

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42.



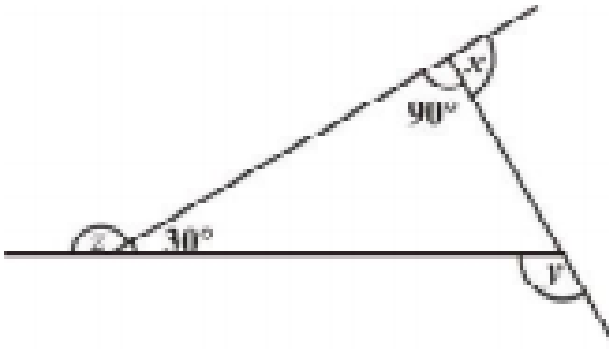
In the

above figure both RISK and CLUE are parallelograms. Find the value of x .



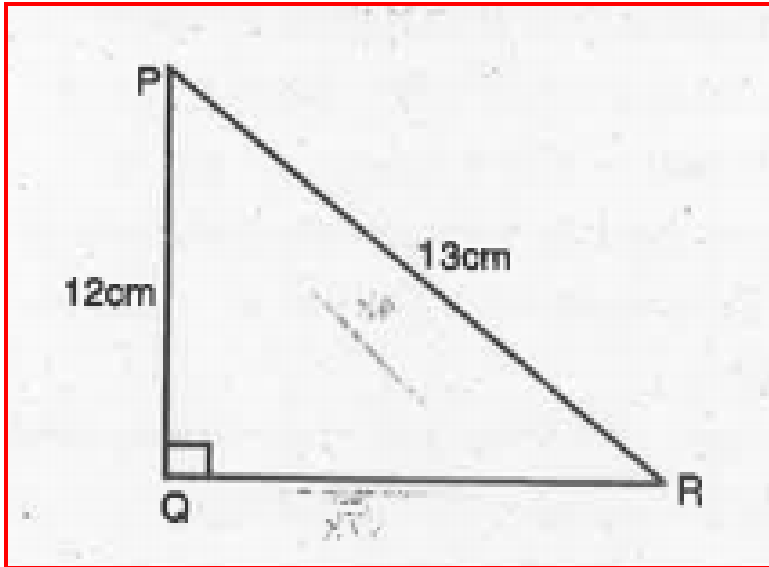
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43. Find $x+y+z$



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44. In fig., find $\tan P - \cot R$.



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45. In Fig.




, ABC and BDE are two equilateral triangles

such that D is the midpoint of BC. If AE intersects BC at F, show that : $\text{ar}(\text{BDE}) = \frac{1}{2} \text{ar}(\text{BAE})$.



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46. In Fig.

, ABC and BDE are two equilateral triangles such that D is the midpoint of BC. If AE intersects BC at F, show that : $\text{ar}(\text{BFE}) = \text{ar}(\text{AFD})$.



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47. In Fig.

, ABC and BDE are two equilateral triangles such that D is the midpoint of BC. If AE intersects BC at F, show that : $\text{ar}(\text{BFE})=2\text{ar}(\text{FED})$.



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48. In Fig.

, ABC and BDE are two equilateral triangles such that D is the midpoint of BC. If AE intersects BC at F, show that : $\text{ar}(\text{BFE})=2\text{ar}(\text{FED})$.



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49. In Fig.

 ABC and BDE are two equilateral triangles such that D is the midpoint of BC. If AE intersects BC at F, show that : $\text{ar}(\text{FED}) = \frac{1}{8} \text{ar}(\text{AFC})$.



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50. ABC and BDE are two equilateral triangles such that D is the mid-point of BC. Then ar

$$(BDE) = \frac{1}{4} \text{ar}(ABC).$$



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51. Diagonals AC and BD of quadrilateral ABCD intersect each other at P. Show that $\text{ar}(APB) \times \text{ar}(CPD) = \text{ar}(APD) \times \text{ar}(BPC)$.



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52. P and Q are respectively the midpoints of sides AB and BC of a triangle ABC and R is the mid-point of AP, show $\text{ar}(\text{PRQ}) = \frac{1}{2} \text{ar}(\text{ABC})$.



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53. P and Q are respectively the midpoints of sides AB and BC of a triangle ABC and R is the mid-point of AP, show $\text{ar}(\text{RQC}) = \frac{3}{8} \text{ar}(\text{ABC})$.



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54. P and Q are respectively the midpoints of sides AB and BC of a triangle ABC and R is the mid-point of AP, show $\text{ar}(\text{PBQ}) = \text{ar}(\text{ARC})$.



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55. In Fig.



ABC is a right triangle right angled at A. BCED, ACFG and ABMN are squares on the sides BC, CA and AB respectively. Line segment $AX \perp DE$ meets BC at Y. Show that :
 $\triangle FCB \cong \triangle ACE$.



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56. In Fig.



ABC is a right triangle right angled at A.

BCED, ACFG and ABMN are squares on the

sides BC, CA and AB respectively. Line segment

$AX \perp DE$ meets BC at Y. Show that :

$\text{ar}(\text{BYXD}) = \text{ar}(\text{ABMN})$.



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57. In Fig.



ABC is a right triangle right angled at A. BCED, ACFG and ABMN are squares on the sides BC, CA and AB respectively. Line segment $AX \perp DE$ meets BC at Y. Show that : $\text{ar}(CYXE) = \text{ar}(ACFG)$.



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58. In Fig.



ABC is a right triangle right angled at A. BCED, ACFG and ABMN are squares on the

sides BC, CA and AB respectively. Line segment

$AX \perp DE$ meets BC at Y. Show that :

$\Delta MBC \cong \Delta ABD$.



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59. In Fig.



ABC is a right triangle right angled at A.

BCED, ACFG and ABMN are squares on the


sides BC, CA and AB respectively. Line segment

$AX \perp DE$ meets BC at Y. Show that :

$\text{ar}(CYXE) = \text{ar}(ACFG)$.

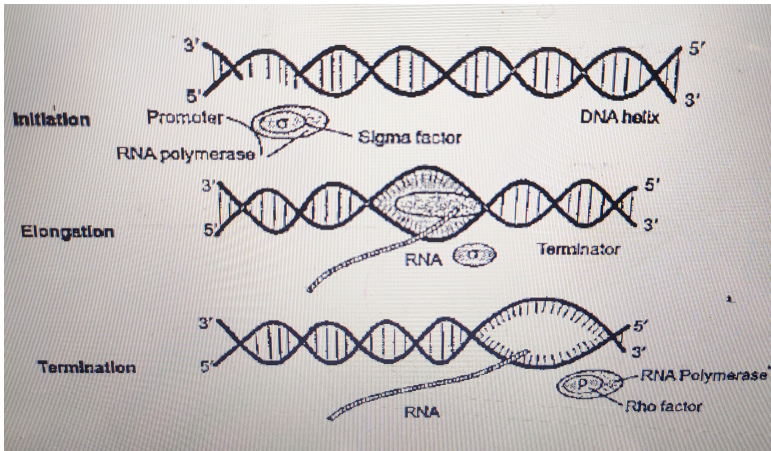
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60. In Fig.

 ABC is a right triangle right angled at A. BCED, ACFG and ABMN are squares on the sides BC, CA and AB respectively. Line segment $AX \perp DE$ meets BC at Y. Show that :
 $\text{ar}(BCED) = \text{ar}(ABMN) + \text{ar}(ACFG)$.

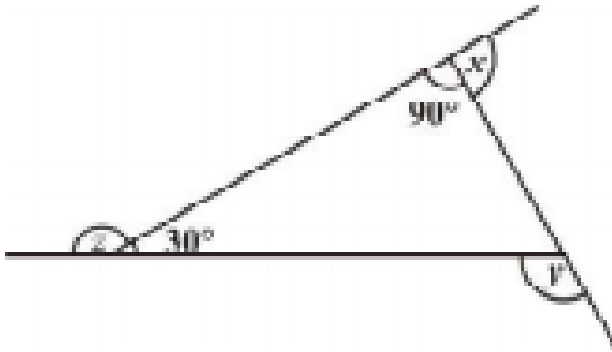
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61. Identify (a),(b) and (c)



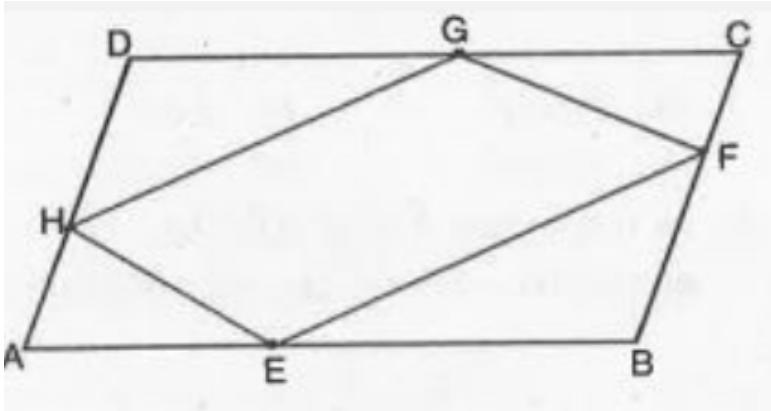
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62. Find $x+y+z$



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63. If E, F, G and H are the mid-points of sides of a parallelogram ABCD then ar (EFGH) =



A. $\frac{1}{3}$ ar(ABCD)

B. ar(ABCD)

C. $\frac{1}{2}$ ar(ABCD)

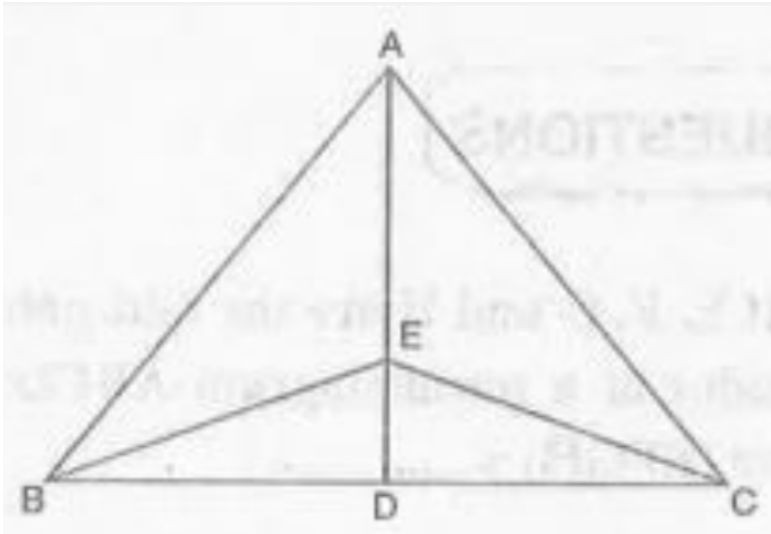
D. $\frac{1}{4}$ ar(ABCD).

Answer:



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64. E is any point on median AD of $\triangle ABC$. If $\text{ar}(\triangle ABE) = 10\text{cm}^2$ then $\text{ar}(\triangle ACE)$ is :



A. 20cm^2

B. 5cm^2

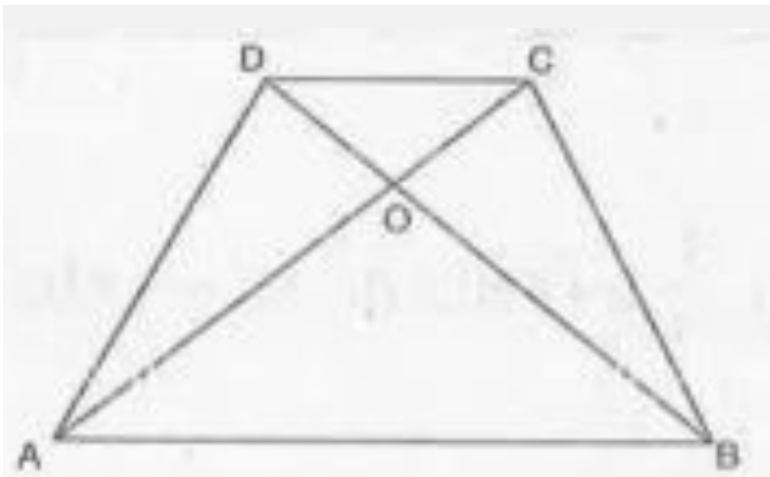
C. 30cm^2

D. 10cm^2 .

Answer:

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65. In trapezium ABCD $AB \parallel DC$. If ar (AOD) = 15cm^2 then ar (BOC) is :



A. 30cm^2

B. 15cm^2

C. 10cm^2

D. 7.5cm^2 .

Answer:



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66. The median of a triangle divides it into two

A. triangles of equal area

B. congruent triangles

C. right triangles

D. isosceles triangles

Answer:



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67. In which of the following figures , you find two polygons on the same base and between the same parallels ?

A.



B.



C.



D.



Answer:



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68. The figure obtained by joining the midpoints of the adjacent sides of a rectangle of sides 8 cm and 6 cm is :

A. a rectangle of area 24cm^2

B. a square of area 25cm^2

C. a trapezium of area 24cm^2

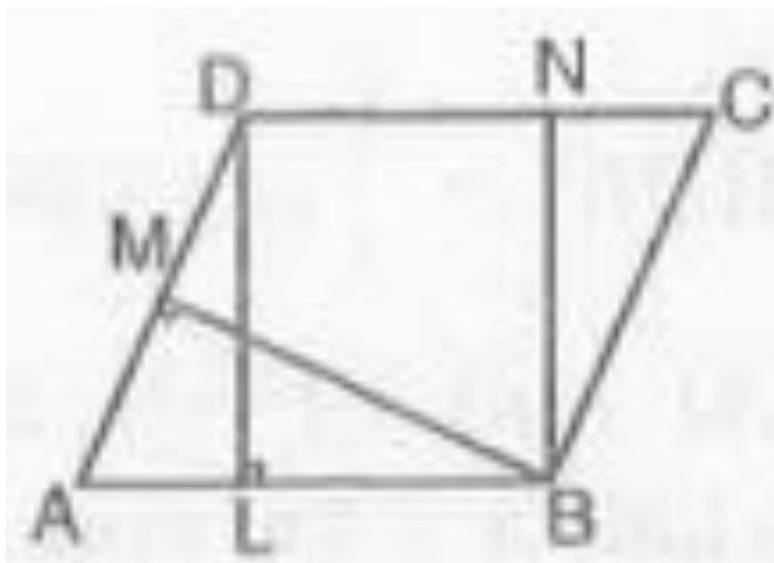
D. a rhombus of area 24cm^2 .

Answer:



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69. In Fig.



the area of parallelogram ABCD is :

A. $AB \times BM$

B. $BC \times BN$

C. $DC \times DL$

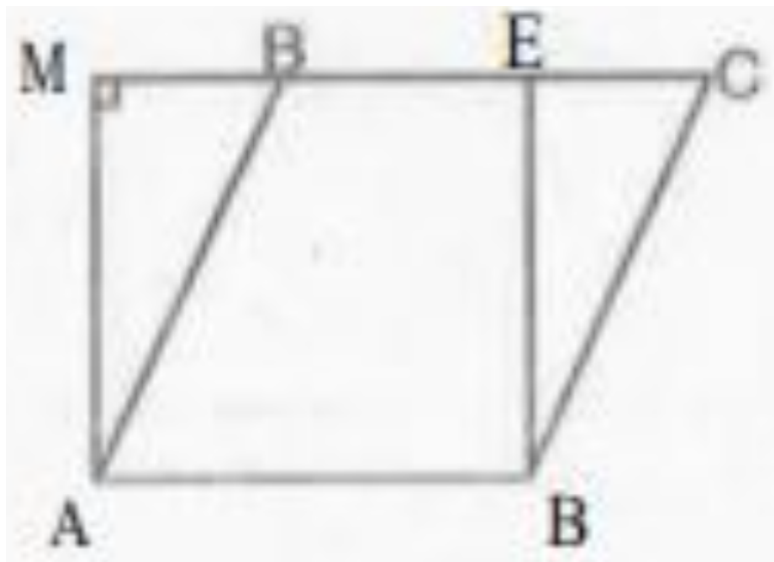
D. $AD \times DL$

Answer:



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70. In Fig.



If parallelogram ABCD and rectangle ABEF are of equal area,

then :

A. Perimeter of ABCD = Perimeter of ABEM

B. Perimeter of ABCD $<$ Perimeter of ABEM

C. Perimeter of ABCD $>$ Perimeter of ABEM

D. Perimeter of ABCD $= \frac{1}{2}$ (Perimeter of ABEM).

Answer:



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71. The mid-point of the sides of a triangle along with any of the vertices as the fourth point make a parallelogram of area equal to

A. $\frac{1}{2}ar(ABC)$

B. $\frac{1}{3}ar(ABC)$

C. $\frac{1}{4}ar(ABC)$

D. $ar(ABC)$.

Answer:



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72. Two parallelograms are on equal bases and between the same parallels. The ratio of their areas is

A. 1:2

B. 1:1

C. 2:1

D. 3:1.

Answer:



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73. ABCD is a quadrilateral whose diagonal AC divides it into two parts, equal in area, then ABCD

A. is a rectangle

B. is always a rhombus

C. is a parallelogram

D. need not be any of (A), (B) or (C)

Answer:



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74. If a triangle and a parallelogram are on the same base and between same parallels, then the ratio of the area of the triangle to the area of parallelogram is

A. 1 : 3

B. 1 : 2

C. 3 : 1

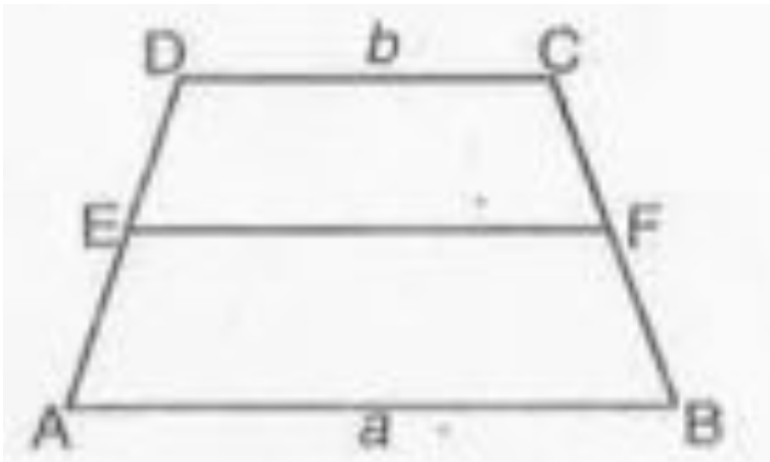
D. 1 : 4.

Answer:



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75. ABCD is a trapezium with parallel sides $AB = a$ cm and $DC = 6$ cm. E and F are the mid-points of the non-parallel sides. The ratio of ar (ABFE) and ar (EFCD) is



A. $a : b$

B. $(3a + b) : (a + 3b)$

C. $(a + 3b) : (3a + b)$

D. $(2a + b) : (3a + b)$.

Answer:



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76. ABCD is a parallelogram and X is the midpoint of AB. If $\text{ar}(\text{AXCD}) = 24\text{cm}^2$, then $\text{ar}(\text{ABC}) = 24\text{cm}^2$.

A. 1

B.

C.

D.

Answer:



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77. PQRS is a rectangle inscribed in a quadrant of a circle of radius 13 cm. A is any point on PQ.

If $PS = 5$ cm, then $\text{ar}(\triangle PAS) = 30\text{cm}^2$.

A. 1

B.

C.

D.

Answer:



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78. PQRS is a parallelogram whose area is 180cm^2 and A is any point on the diagonal QS.

The area of $\triangle ASR = 90\text{cm}^2$.

A. 1

B.

C.

D.

Answer:



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79. ABC and BDE are two equilateral triangles such that D is the mid-point of BC. Then ar

$$\text{ar(BDE)} = \frac{1}{4} \text{ar(ABC)}.$$

A. 1

B.

C.

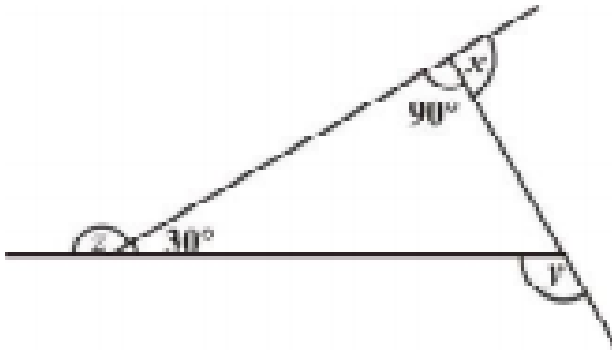
D.

Answer:



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80. Find $x+y+z$



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