



MATHS

BOOKS - CENGAGE PUBLICATION

STRAIGHT LINES

Others

1. The pair of lines joining the origin to the points of intersection of the curves

$$ax^2 + 2hxy + by^2 + 2gx + 2fy + c = 0 \text{ and}$$

$$a'x^2 + 2h'xy + b'y^2 + 2g'x + 2f'y + c' = 0$$

will be at right angles to one another, if

[Watch Video Solution](#)

2. Find the angle between the lines joining the origin to the points of intersection of the straight line $y = 3x + 2$ with the curve $x^2 + 2xy + 3y^2 + 4x + 8y = 11 = 0$.

 [Watch Video Solution](#)

3. Prove that the straight lines joining the origin to the points of intersection of the straight line $hx + ky = 2hk$ and the curve $(x - k)^2 + (y - h)^2 = c^2$ are at right angle if $h^2 + k^2 = c^2$.

 [Watch Video Solution](#)

4. If pairs of straight lines $x^2 - 2pxy - y^2 = 0$ and $x^2 - 2qxy - y^2 = 0$ be such that each pair bisects the angle between the other pair, then

 [Watch Video Solution](#)

5. Find the value of a for which the lines represented by $ax^2 + 5xy + 2y^2 = 0$ are mutually perpendicular.

 [Watch Video Solution](#)

6. Find the acute angle between the pair of lines represented by $(x \cos \alpha - y \sin \alpha)^2 = (x^2 + y^2) \sin^2 \alpha$.

 [Watch Video Solution](#)

7. If the angle between the lines represented by $2x^2 + 5xy + 3y^2 + 7x + 13y - 3 = 0$ is $\tan^{-1}(m)$, then m is equal to

 [Watch Video Solution](#)

8. If the pair of straight lines $ax^2 + 2hxy + by^2 = 0$ is rotated about the origin through 90° , then find its equation in the new position.





[Watch Video Solution](#)

9. The orthocenter of the triangle formed by the lines $xy = 0$ and $x + y = 1$ is



[Watch Video Solution](#)

10. The lines joining the origin to the point of intersection of $3x^2 + mxy - 4x + 1 = 0$ and $2x + y - 1 = 0$ are at right angles. Then which of the following is a possible value of m ?



[Watch Video Solution](#)

11. If the slope of one line is double the slope of another line and the combined equation of the pair of lines is $(x^2/a) + (2xy/h) + (y^2/b) = 0$, then find the ratio $ab : h^2$.



[Watch Video Solution](#)

12. Find the combined equation of the pair of lines through the point (1,0) and parallel to the lines represented by $2x^2 - xy - y^2 = 0$.

 [Watch Video Solution](#)

13. The value k for which $4x^2 + 8xy + ky^2 = 9$ is the equation of a pair of straight lines is _____.

 [Watch Video Solution](#)

14. The two lines represented by $3ax^2 + 5xy + (a^2 - 2)y^2 = 0$ are perpendicular to each other for

 [Watch Video Solution](#)

15. If two lines represented by $x^4 + x^3y + cx^2y^2 - xy^3 + y^4 = 0$ bisector of the angle between the other two, then the value of c is

[Watch Video Solution](#)

16. The straight lines represented by $x^2 + mxy - 2y^2 + 3y - 1 = 0$ meet at (a) $\left(-\frac{1}{3}, \frac{2}{3}\right)$ (b) $\left(-\frac{1}{3}, -\frac{2}{3}\right)$ (c) $\left(\frac{1}{3}, \frac{2}{3}\right)$ (d) none of these

[Watch Video Solution](#)

17. The straight lines represented by the equation $135x^2 - 136xy + 33y^2 = 0$ are equally inclined to the line (a) $x - 2y = 7$ (b) $x + 2y = 7$ (c) $x - 2y = 4$ (d) $3x + 2y = 4$

[Watch Video Solution](#)

18. If one of the lines of $my^2 + (1 - m^2)xy - mx^2 = 0$ is a bisector of the angle between the lines $xy = 0$, then m is

[Watch Video Solution](#)

19. Statement 1 : If $-2h = a + b$, then one line of the pair of lines $ax^2 + 2hxy + by^2 = 0$ bisects the angle between the coordinate axes in the positive quadrant. Statement 2 : If $ax + y(2h + a) = 0$ is a factor of $ax^2 + 2hxy + by^2 = 0$, then $b + 2h + a = 0$.

 [Watch Video Solution](#)

20. Show that all chords of the curve $3x^2 - y^2 - 2x + 4y = 0$, which subtend a right angle at the origin, pass through a fixed point. Find the coordinates of the point.

 [Watch Video Solution](#)

21. Area of the triangle formed by the lines $y^2 - 9xy + 18x^2 = 0$ and $y = 6$ is _____.

 [Watch Video Solution](#)

22. The distance between the lines $(x + 7y)^2 + 4\sqrt{7}(x + 7y) - 42 = 0$ is _____.

 [Watch Video Solution](#)

23. $x + y = 7$ and $ax^2 + 2hxy + ay^2 = 0$, ($a \neq 0$), are three real distinct lines forming a triangle is

 [Watch Video Solution](#)

24. If the slope of one of the lines represented by $ax^2 + 2hxy + by^2 = 0$ is the square of the other, then $\frac{a+b}{h} + \frac{8h^2}{ab} =$

 [Watch Video Solution](#)

25. Area of the triangle formed by the line $x + y = 3$ and the angle bisectors of the pairs of straight lines $x^2 - y^2 + 2y = 1$ is (a) 2 sq units

(b) 4 sq units (c) 6 sq units (d) 8 sq units



[Watch Video Solution](#)

26. The sides of a triangle have the combined equation $x^2 - 3y^2 - 2xy + 8y - 4 = 0$. The third side, which is variable, always passes through the point $(-5, -1)$. Find the range of values of the slope of the third line such that the origin is an interior point of the triangle.



[Watch Video Solution](#)

27. Let PQR be a right - angled isosceles triangle , right angled at P(2,1). If the equation of the line QR is $2x + y = 3$, then the equation representing the pair of lines PQ and PR is



[Watch Video Solution](#)

28. The combined equation of three sides of a triangle is $(x^2 - y^2)(2x + 3y - 6) = 0$ if $(-2, a)$ is an interior point and $(b, 1)$ is an exterior point of the triangle, then

 [Watch Video Solution](#)

29. Find the equation of the bisectors of the angles between the lines joining the origin to the point of intersection of the straight line $x - y = 2$ with the curve $5x^2 + 11xy + 8y^2 + 8x - 4y + 12 = 0$

 [Watch Video Solution](#)

30. If θ is the angle between the lines given by the equation $6x^2 + 5xy - 4y^2 + 7x + 13y - 3 = 0$, then find the equation of the line passing through the point of intersection of these lines and making an angle θ with the positive x-axis.

 [Watch Video Solution](#)

31. The distance of a point (x_1, y_1) from each of the two straight lines which pass through the origin of coordinates is p . Find the combined equation of these straight lines .



[Watch Video Solution](#)

32. prove that the product of the perpendiculars drawn from the point (x_1, y_1) to the pair of straight lines $ax^2 + 2hxy + by^2 = 0$ is

$$\left| \frac{ax_1^2 + 2hx_1y_1 + by_1^2}{\sqrt{(a-b)^2 + 4h^2}} \right|$$



[Watch Video Solution](#)

33. Find the area enclosed by the graph of $x^2y^2 - 9x^2 - 25y^2 + 225 = 0$.



[Watch Video Solution](#)

34. Show that the pairs of straight lines $2x^2 + 6xy + y^2 = 0$ and $4x^2 - 18xy + y^2 = 0$ have the same set of angular bisector.



[Watch Video Solution](#)

35. Show that the equation of the pair of lines bisecting the angles between the pair of bisectors of the angles between the pair of lines $ax^2 + 2hxy + by^2 = 0$ is $(a - b)(x^2 - y^2) + 4hxy = 0$



[Watch Video Solution](#)

36. Find the angle between the straight lines joining the origin to the points of intersection of $3x^2 + 5xy - 3y^2 + 2x + 3y = 0$ and $3x - 2y = 1$.



[Watch Video Solution](#)

37. Through a point A on the x -axis, a straight line is drawn parallel to the y -axis so as to meet the pair of straight lines $ax^2 + 2hxy + by^2 = 0$ at B and C . If $AB = BC$, then (a) $h^2 = 4ab$ (b) $8h^2 = 9ab$ (c) $9h^2 = 8ab$ (d) $4h^2 = ab$

 [Watch Video Solution](#)

38. Find the equation of two straight lines whose combined equation is $6x^2 + 5xy - 4y^2 + 7x + 13y - 3 = 0$.

 [Watch Video Solution](#)

39. Does equation $x^2 + 2y^2 - 2\sqrt{3}x - 4y + 5 = 0$ satisfies the condition $abc + 2gh - af^2 - bg^2 - ch^2 = 0$? Does it represent a pair of straight lines ?

 [Watch Video Solution](#)

40. Find the value of λ if $2x^2 + 7xy + 3y^2 + 8x + 14y + \lambda = 0$ represent a pair of straight lines.

 [Watch Video Solution](#)

41. Find the distance between the pair of parallel lines

$$x^2 + 4xy + 4y^2 + 3x + 6y - 4 = 0.$$

 [Watch Video Solution](#)

42. If the pair of lines $ax^2 + 2hxy + by^2 + 2gx + 2fy + c = 0$ intersect on the y-axis, then prove that $2fgh = bg^2 + ch^2$.

 [Watch Video Solution](#)

43. Find the equation of two straight lines whose combined equation is $6x^2 + 5xy - 4y^2 + 7x + 13y - 3 = 0$.



[Watch Video Solution](#)

44. If the component lines whose combined equation is $px^2 - qxy - y^2 = 0$ make the angles α and β with x-axis , then find the value of $\tan (\alpha + \beta)$.



[Watch Video Solution](#)

45. Find the joint equation of pair of lines which passes through origin and are perpendicular to the lines represented by the equation $y^2 + 3xy - 6x + 5y - 14 = 0$.



[Watch Video Solution](#)

46. If the sum of the slopes of the lines given by $x^2 - 2cxy - 7y^2 = 0$ is four times their product , then find the value of c.



[Watch Video Solution](#)

47. The distance between the two lines represented by the equation $9x^2 - 24xy + 16y^2 - 12x + 16y - 12 = 0$

 [Watch Video Solution](#)

48. The gradient of one of the lines $ax^2 + 2hxy + by^2 = 0$ is twice that of the other, then

 [Watch Video Solution](#)

49. If one of the lines of $my^2 + (1 - m^2)xy - mx^2 = 0$ is a bisector of the angle between the lines $xy = 0$, then m is

 [Watch Video Solution](#)

50. Two pairs of straight lines have the equations $y^2 + xy - 12x^2 = 0$ and $ax^2 + 2hxy + by^2 = 0$. One line will be common among them if.

$$a + 8h - 16b = 0 \quad (b) \quad a - 8h + 16b = 0 \quad a - 6h + 9b = 0 \quad (d)$$

$$a + 6h + 9b = 0$$

 [Watch Video Solution](#)

51. If the equation of the pair of straight lines passing through the point $(1, 1)$, one making an angle θ with the positive direction of the x-axis and the other making the same angle with the positive direction of the y-axis, is $x^2 - (a + 2)xy + y^2 + a(x + y - 1) = 0$, $a \neq 2$, then the value of $\sin 2\theta$ is

 [Watch Video Solution](#)

52. If one of the lines given by the equation $2x^2 + pxy + 3y^2 = 0$ coincide with one of those given by $2x^2 + qxy - 3y^2 = 0$ and the other lines represented by them are perpendicular, then value of $p + q$ is

 [Watch Video Solution](#)

53. If $x^2 + 2hxy + y^2 = 0$ represents the equation of the straight lines through the origin which make an angle α with the straight line

$y + x = 0$ then, (a) $\sec 2\alpha = h$ (b) $\cos \alpha = \sqrt{\frac{(1+h)}{(2h)}}$ (c) $2 \sin \alpha$

$$= \sqrt{\frac{(1+h)}{h}} \quad \text{(d) } \cot \alpha = \sqrt{\frac{(1+h)}{(h-1)}}$$



Watch Video Solution

54. The equation to a pair of opposite sides of a parallelogram are

$x^2 - 5x + 6 = 0$ and $y^2 - 6y + 5 = 0$. The equations to its diagonals

are $x + 4y = 13, y = 4x - 7$ (b) $4x + y = 13, 4y = x - 7$

$4x + y = 13, y = 4x - 7$ (d) $y - 4x = 13, y + 4x - 7$



Watch Video Solution

55. The equation $a^2x^2 + 2h(a+b)xy + b^2y^2 = 0$ and

$ax^2 + 2hxy + by^2 = 0$ represent



Watch Video Solution

56. The equation $x^3 + x^2y - xy^2 = y^3$ represents (a) three real straight lines (b) lines in which two of them are perpendicular to each other (c) lines in which two of them are coincident (d) none of these



Watch Video Solution

57. The image of the pair of lines represented by $ax^2 + 2hxy + by^2 = 0$ by the line mirror $y = 0$ is a. $ax^2 - 2hxy - by^2 = 0$ b. $bx^2 - 2hxy + ay^2 = 0$ c. $x^2 + 2hxy + ay^2 = 0$ d. $ax^2 - 2hxy + by^2 = 0$



Watch Video Solution

58. The combined equation of the lines l_1 and l_2 is $2x^2 + 6xy + y^2 = 0$ and that of the lines m_1 and m_2 is $4x^2 + 18xy + y^2 = 0$. If the angle between l_1 and m_2 is α then the angle between l_2 and m_1 will be



Watch Video Solution

59. If the equation $ax^2 - 6xy + y^2 + bx + cy + d = 0$ represents a pair of lines whose slopes are m and m^2 , then the value(s) of a is/are

 [Watch Video Solution](#)

60. The equations of a line which is parallel to the line common to the pair of lines given by $6x^2 - xy - 12y^2 = 0$ and $15x^2 + 14xy - 8y^2 = 0$ and the sum of whose intercepts on the axes is 7, is :

 [Watch Video Solution](#)

61. If the sum of the slopes of the lines given by $x^2 - 2cxy - 7y^2 = 0$ is four times their product, then find the value of c .

 [Watch Video Solution](#)

62. Area of the triangle formed by the line $x + y = 3$ and the angle bisectors of the pairs of straight lines $x^2 - y^2 + 2y = 1$ is (a) 2 sq units (b) 4 sq units (c) 6 sq units (d) 8 sq units



[Watch Video Solution](#)

63. The equation $x^2y^2 - 9y^2 - 6x^2y + 54y = 0$ represents (a) a pair of straight lines and a circle (b) a pair of straight lines and a parabola (c) a set of four straight lines forming a square (d) none of these



[Watch Video Solution](#)

64. The straight lines represented by $(y - mx)^2 = a^2(1 + m^2)$ and $(y - nx)^2 = a^2(1 + n^2)$ form a



[Watch Video Solution](#)

65. If the pairs of lines $x^2 + 2xy + ay^2 = 0$ and $ax^2 + 2xy + y^2 = 0$ have exactly one line in common then the joint equation of the other two lines is given by



Watch Video Solution

66. The condition that one of the straight lines given by the equation $ax^2 + 2hxy + by^2 = 0$ may coincide with one of those given by the equation $a'x^2 + 2h'xy + b'y^2 = 0$ is

$$(ab' - a'b)^2 = 4(ha' - h'a)(bh' - b'h)$$

$$(ab' - a'b)^2 = (ha' - h'a)(bh' - b'h)$$

$$(ha' - h'a)^2 = 4(ab' - a'b)(bh' - b'h)$$

$$(bh' - b'h)^2 = 4(ab' - a'b)(ha' - h'a)$$



Watch Video Solution

67. If the lines represented by the equation $3y^2 - x^2 + 2\sqrt{3}x - 3 = 0$ are rotated about the point $(\sqrt{3}, 0)$ through an angle of 15° , one in

clockwise direction and the other in anticlockwise direction, so that they become perpendicular, then the equation of the pair of lines in the new position is

 [Watch Video Solution](#)

68. A point moves so that the distance between the foot of perpendiculars from it on the lines $ax^2 + 2hxy + by^2 = 0$ is a constant $2d$. Show that the equation to locus is $(x^2 + y^2)(h^2 - ab) = d^2\{(a - b)^2 + 4h^2\}$.

 [Watch Video Solution](#)

69. The angle between the pair of lines whose equation is $4x^2 + 10xy + my^2 + 5x + 10y = 0$ is

 [Watch Video Solution](#)

70. Find the point of intersection of the pair of straight lines represented by the equation $6x^2 + 5xy - 21y^2 + 13x + 38y - 5 = 0$.

 [Watch Video Solution](#)

71. Find the angle between the lines represented by $x^2 + 2xy \sec \theta + y^2 = 0$.

 [Watch Video Solution](#)

72. If the pair of lines $\sqrt{3}x^2 - 4xy + \sqrt{3}y^2 = 0$ is rotated about the origin by $\pi/6$ in the anticlockwise sense, then find the equation of the pair of lines in the new position.

 [Watch Video Solution](#)

73. If the equation $2x^2 + kxy + 2y^2 = 0$ represents a pair of real and distinct lines, then find the values of k .

 [Watch Video Solution](#)

74. If the equation $x^2 + (\lambda + \mu)xy + \lambda\mu y^2 + x + \mu y = 0$ represents two parallel straight lines, then prove that $\lambda = \mu$.

 [Watch Video Solution](#)

75. If one of the lines of the pair $ax^2 + 2hxy + by^2 = 0$ bisects the angle between the positive direction of the axes. Then find the relation for a , b and h .

 [Watch Video Solution](#)

76. Prove that the equation $2x^2 + 5xy + 3y^2 + 6x + 7y + 4 = 0$ represents a pair of straight lines. Find the coordinates of their point of intersection and also the angle between them.



Watch Video Solution

77. A line L passing through the point $(2, 1)$ intersects the curve $4x^2 + y^2 - x + 4y - 2 = 0$ at the point A and B . If the lines joining the origin and the points A, B are such that the coordinate axes are the bisectors between them, then find the equation of line L .



Watch Video Solution

78. Show that straight lines $(A^2 - 3B^2)x^2 + 8ABxy + (B^2 - 3A^2)y^2 = 0$ form with the line $Ax + By + C = 0$ an equilateral triangle of area $\frac{C^2}{\sqrt{3}(A^2 + B^2)}$.



Watch Video Solution

79. If one of the lines denoted by the line pair $ax^2 + 2hxy + by^2 = 0$ bisects the angle between the coordinate axes, then prove that $(a + b)^2 = 4h^2$

 [Watch Video Solution](#)

80. If the middle points of the sides BC, CA, and AB of triangle ABC are (1,3), (5,7), and (-5,7), respectively, the find the equation of the side AB.

 [Watch Video Solution](#)

81. Find the equations of the lines which pass through the origin and are inclined at an angle $\tan^{-1} m$ to the line $y = mx + c$.

 [Watch Video Solution](#)

82. If $(-2,6)$ is the image of the point $(4,2)$ with respect to line $L=0$, then find the equation of line L .

 [Watch Video Solution](#)

83. If the lines $x + (a - 1)y + 1 = 0$ and $2x + a^2y - 1 = 0$ are perpendicular, then find the value of a .

 [Watch Video Solution](#)

84. Find the equation of the right bisector of the line segment joining the points $(3,4)$ and $(-1,2)$.

 [Watch Video Solution](#)

85. Find the slope of the line perpendicular to the line joining the points $(2, - 3)$ and $(1, 4)$.



[Watch Video Solution](#)

86. If the coordinates of the vertices of triangle ABC are $(-1,6)$, $(-3,-9)$, and $(5,-8)$, respectively, then find the equation of the median through C.



[Watch Video Solution](#)

87. Find the equation of the line perpendicular to the line $\frac{x}{b} - \frac{y}{b} = 1$ and passing through a point at which it cuts the x-axis.



[Watch Video Solution](#)

88. Find the area bounded by the curves $x+2|y|=1$ and $x=0$.



[Watch Video Solution](#)

89. Find the equation of the straight line passing through the intersection of the lines $x-2y=1$ and $x+3y=2$ and parallel to $3x+4y=0$.

 [Watch Video Solution](#)

90. Find the value of λ , if the lines $3x-4y-13=0$, $8x-11y-33$, and $2x - 3y + \lambda = 0$ are concurrent.

 [Watch Video Solution](#)

91. If the point $P(a, a^2)$ lies completely inside the triangle formed by the lines $x = 0$, $y = 0$, and $x + y = 2$, then find the exhaustive range of values of a is (A) $(0, 1)$ (B) $(1, \sqrt{2})$ (C) $(\sqrt{2} - 1, 1)$ (D) $(\sqrt{2} - 1, 2)$

 [Watch Video Solution](#)

92. If the point (a, a) is placed in between the lines $|x+y| = 4$, then find the value of a .

 [Watch Video Solution](#)

93. Find the set of positive values of b for which the origin and the point $(1, 1)$ lie on the same side of the straight line, $a^2x + aby + 1 = 0, \forall a \in R, b > 0$

 [Watch Video Solution](#)

94. If the point $P(a^2, a)$ lies in the region of acute angle between the lines $2y=x$ and $4y = x$, then find the values of a .

 [Watch Video Solution](#)

95. Find the range of values of the ordinate of a point moving on the line $x = 1$, which always remain in the interior of the triangle formed by the lines $y = x$, the x-axis and $x + y = 4$.

 [Watch Video Solution](#)

96. The point $(8, -9)$ with respect to the lines $2x + 3y - 4 = 0$ and $6x + 9y + 8 = 0$ lies on

 [Watch Video Solution](#)

97. If point $(a^2, a + 1)$ lies in the angle between the line $3x - y + 1 = 0$ and $x + 2y - 5 = 0$ containing the origin, then find the values of a .

 [Watch Video Solution](#)

98. Find the range of alpha if $(\alpha, 2 + \alpha)$ and $\left(\frac{3\alpha}{2}, a^2\right)$ lie on the opposite sides of the line $2x + 3y = 6$.

 [Watch Video Solution](#)

99. How the following pairs of points are placed w.r.t the line $3x-8y-7=0$?

(i) $(-3, -4)$ and $(1, 2)$ (ii) $(-1, -1)$ and $(3, 7)$

 [Watch Video Solution](#)

100. If the line $\frac{x}{b} + \frac{y}{b} = 1$ moves in such a way that $\frac{1}{a_2} + \frac{1}{b_2} = \frac{1}{c_2}$,

where c is a constant, then prove that the foot of perpendicular from the origin upon the straight line describes the curve

$$x^2 + y(2) = c^2.$$

 [Watch Video Solution](#)

101. Consider the lines given by $L_1: x + 3y - 5 = 0$ $L_2: 3x - ky - 1 = 0$
 $L_3: 5x + 2y - 12 = 0$ Column I | Column II L_1, L_2, L_3 are concurrent if | p.
 $k = -9$ One of L_1, L_2, L_3 is parallel to at least one of the other two
 if | q. $k = -\frac{6}{5}$ L_1, L_2, L_3 form a triangle if | r. $k = \frac{5}{6}$ L_1, L_2, L_3 do not
 form a triangle if | s. $k = 5$



[Watch Video Solution](#)

102. A variable line through the point of intersection of the lines
 $\frac{x}{a} + \frac{y}{b} = 1$ and $\frac{x}{b} + \frac{y}{a} = 1$, meets the co-ordinate axes in A and B,
 then the locus of mid point of AB is



[Watch Video Solution](#)

103. The line $3x+2y=24$ meets the y-axis at A and the x-axis at B. The
 perpendicular bisector of AB meets the line through (0, -1) parallel to the
 x-axis at C. The area of triangle ABC is _____.



[Watch Video Solution](#)

104. Find the equation of the line passing through the point (2,2) and cutting off intercepts on the axes whose sum is 9.

 [Watch Video Solution](#)

105. The area of the parallelogram formed by the lines $y = mx$, $y = xm + 1$, $y = nx$, and $y = nx + 1$ equals.

(a) $\frac{|m + n|}{(m - n)^2}$ (b) $\frac{2}{|m + n|}$ (c) $\frac{1}{(|m + n|)}$ (d) $\frac{1}{(|m - n|)}$

 [Watch Video Solution](#)

106. A ray of light is sent along the line $2x - 3y = 5$. After refracting across the line $x + y = 1$ it enters the opposite side after turning by 15° away from the line $x + y = 1$. Find the equation of the line along which the refracted ray travels.

 [Watch Video Solution](#)

107.

Let

$P \equiv (-1, 0)$, $Q \equiv (0, 0)$, and $R \equiv (3, 3\sqrt{3})$ be three points.

Then the equation of the bisector of $\angle PQR$ is

 [Watch Video Solution](#)

108. A ray of light is sent along the line $x-2y-3=0$. Upon reaching the line $3x-2y-5=0$, the ray is reflected from it.

Find the equation of the line containing the reflected ray.

 [Watch Video Solution](#)

109. Line L has intercepts a and b on the coordinate axes. When the axes are rotated through a given angle keeping the origin fixed, the same line

L has intercepts p and q . Then (a) $a^2 + b^2 = p^2 + q^2$ (b)

$\frac{1}{a^2} + \frac{1}{b^2} = \frac{1}{p^2} + \frac{1}{q^2}$ (c) $a^2 + p^2 = b^2 + q^2$ (d) $\frac{1}{a^2} + \frac{1}{p^2} = \frac{1}{b^2} + \frac{1}{q^2}$

 [Watch Video Solution](#)

[Watch Video Solution](#)

110. If the sum of the distances of a point from two perpendicular lines in a plane is 1, then its locus is

[Watch Video Solution](#)

111. A line $4x + y = 1$ through the point $A(2,-7)$ meets the line BC whose equation is $3x-4y +1 =0$ at the point B . Find the equation of the line AC , so that $AB=AC$,

[Watch Video Solution](#)

112. A straight canal is $4\frac{1}{2}$ miles from a place and the shortest route from this place to the canal is exactly north-east. A village is 3 miles north and four miles east from the place. Does it lie by the nearest edge of the canal?

[Watch Video Solution](#)

113. Let PS be the median of the triangle with vertices $P(2, 2)$, $Q(6, -1)$ and $R(7, 3)$. The equation of the line passing through $(1, -1)$ and parallel to PS is (1) $4x - 7y - 11 = 0$ (2) $2x + 9y + 7 = 0$ (3) $4x + 7y + 3 = 0$ (4) $2x - 9y - 11 = 0$

 [Watch Video Solution](#)

114. Find the equation of the line which satisfy the given conditions : Perpendicular distance from the origin is 5 units and the angle made by the perpendicular with the positive axis is 30° .

 [Watch Video Solution](#)

115. The number of integral values of m for which the x-coordinate of the point of intersection of the lines $3x+4y=9$ and $y=mx+1$ is also an integer is

 [Watch Video Solution](#)

116. Reduce the line $2x-3y + 5 =0$, in slope-intercept, intercept and normal forms. Also, find the distance of the line from origin and inclination of normal of the line with x-axis.



[Watch Video Solution](#)

117. Prove that, The line $5x + 4y = 0$ passes through the point of intersection of straight lines $x+2y-10 = 0$, $2x + y =-5$



[Watch Video Solution](#)

118. Passing through the point $(- 4, 3)$ with slope $1/2$ then the equation of the line is?



[Watch Video Solution](#)

119. The lines $2x + 3y + 19 = 0$ and $9x + 6y - 17 = 0$, cut the coordinate axes at concyclic points.

 [Watch Video Solution](#)

120. The straight lines $3x + y - 4 = 0$, $x + 3y - 4 = 0$ and $x + y = 0$ form a triangle which is : a) isosceles b) right-angled c) equilateral d) scalene

 [Watch Video Solution](#)

121. A Line through the variable point $A(1 + k, 2k)$ meets the lines $7x + y - 16 = 0$; $5x - y - 8 = 0$ and $x - 5y + 8 = 0$ at B,C,D respectively. Prove that AC, AB and AD are in HP.

 [Watch Video Solution](#)

122. Two particles start from the point $(2,-1)$, one moves 2 units along the line $x+y = 1$ and the other moves 5 units along the line $x-2y = 4$. If the particles move upward w.r.t coordinates axes, then find their new positions.

 [Watch Video Solution](#)

123. If $P \equiv (1, 0)$, $Q \equiv (-1, 0)$, $R \equiv (2, 0)$ are three given points, then the locus of the point S satisfying the condition $SQ^2 + SR^2 = 2SP^2$ is

 [Watch Video Solution](#)

124. Distance of point $(1, 3)$ from the line $2x - 3y + 9 = 0$ along $x - y + 1 = 0$

 [Watch Video Solution](#)

125. A rectangle $ABCD$ has its side AB parallel to line $y = x$, and vertices A , B and D lie on $y = 1$, $x = 2$, and $x = -2$, respectively. The locus of vertex C is $x = 5$ (b) $x - y = 5$ $y = 5$ (d) $x + y = 5$



Watch Video Solution

126. Two adjacent vertices of a square are $(1,2)$ and $(-2,6)$. Find the other vertices.



Watch Video Solution

127. The equation of a line through the point $(1, 2)$ whose distance from the point $(3, 1)$ has the greatest value is (a) $y = 2x$ (b) $y = x + 1$ (c) $x + 2y = 5$ (d) $y = 3x - 1$



Watch Video Solution

128. Find the equation of the line through the point $A(2,3)$ and making an angle of 45° with the x axis Also determine the length of intercept on it between A and the line $x+y+1=0$



[Watch Video Solution](#)

129. The line $\frac{x}{a} + \frac{y}{b} = 1$ meets the x -axis at A , the y -axis at B , and the line $y=x$ at C such that the area of $\triangle AOC$ is twice the area of $\triangle BOC$. Then the coordinates of C are



[Watch Video Solution](#)

130. The line joining two points $A(2,0)$ and $B(3,1)$ is rotated about A in anticlockwise direction through an angle of 15° . find the equation of line in the new position. If B goes to C in the new position what will be the coordinates of C .



[Watch Video Solution](#)

131. The area of the triangle formed by the lines $y = ax$, $x + y - a = 0$ and the y-axis is (a) $\frac{1}{2|1+a|}$ (b) $\frac{1}{|1+a|}$ (c) $\frac{1}{2} \left| \frac{a}{1+a} \right|$ (d) $\frac{a^2}{2|1+a|}$

 [Watch Video Solution](#)

132. Find the equation of the lines through the point $(3, 2)$ which make an angle of 45° with the line $x - 2y = 3$.

 [Watch Video Solution](#)

133. Consider the points $A(0, 1)$ and $B(2, 0)$, and P be a point on the line $4x + 3y + 9 = 0$. The coordinates of P such that $|PA - PB|$ is maximum are (a) $\left(-\frac{24}{5}, \frac{17}{5}\right)$ (b) $\left(-\frac{84}{5}, \frac{13}{5}\right)$ (c) $\left(\frac{31}{7}, \frac{31}{7}\right)$ (d) $(-3, 0)$

 [Watch Video Solution](#)

134. A straight line is drawn through the point $P(2,3)$ and is inclined at an angle of 30° with the x -axis . Find the coordinates of two points on it at a distance 4 from point P .



[Watch Video Solution](#)

135. A line of fixed length 2 units moves so that its ends are on the positive x -axis and that part of the line $x + y = 0$ which lies in the second quadrant. Then the locus of the midpoint of the line has equation.



[Watch Video Solution](#)

136. The perpendicular from the origin to a line meets it at the point $(2, 9)$, find the equation of the line.



[Watch Video Solution](#)

137. The line $x/3 + y/4 = 1$ meets y-and x-axis at A and B, respectively. A square ABCD is constructed on the line segment AB away from the origin.

The coordinates of the vertex of the square farthest from the origin are

A. (a) (7,3)

B. (b) (4,7)

C. (c) (6,4)

D. (d) (3,8)

Answer: null



[Watch Video Solution](#)

138. Find the direction in which a straight line must be drawn through the point (-1,2) so that its point of intersection with the line $x+y=4$ may be at a distance of 3 units from this point.



[Watch Video Solution](#)

139. The centroid of an equilateral triangle is $(0, 0)$. If two vertices of the triangle lie on $x + y = 2\sqrt{2}$, then one of them will have its coordinates.

- (a) $(\sqrt{2} + \sqrt{6}, \sqrt{2} - \sqrt{6})$ (b) $(\sqrt{2} + \sqrt{3}, \sqrt{2} - \sqrt{3})$ (c) $(\sqrt{2} + \sqrt{5}, \sqrt{2} - \sqrt{5})$ (d) none of these

 [Watch Video Solution](#)

140. Two fixed point A and B are taken on the coordinate axes such that $OA = a$ and $OB = b$. Two variable points A' and B' are taken on the same axes such that $OA' + OB' = OA + OB$. Find the locus of the point of intersection of AB' and $A'B$.

 [Watch Video Solution](#)

141. Find the equations of the lines, which cut-off intercepts on the axes whose sum and product are 1 and -6 , respectively.

 [Watch Video Solution](#)

142. Find the equation of the straight line which passes through the origin and makes angle 60° with the line $x + \sqrt{3}y + 3$

$$\sqrt{3} = 0$$

 [Watch Video Solution](#)

143. The equation of a straight line passing through the point $(2, 3)$ and inclined at an angle of $\tan^{-1}\left(\frac{1}{2}\right)$ with the line $y + 2x = 5$ (a) $y = 3$ (b)

$$x = 2 \quad 3x + 4y - 18 = 0 \quad \text{(d)} \quad 4x + 3y - 17 = 0$$

 [Watch Video Solution](#)

144. If we reduce $3x + 3y + 7 = 0$ to the form $x \cos \alpha + y \sin \alpha = p$, then find the value of p .

 [Watch Video Solution](#)

145. The equation of the lines on which the perpendicular from the origin make 30° angle with the x-axis and which form a triangle of area $50/\sqrt{3}$ with the axes are

 [Watch Video Solution](#)

146. Line L has intercepts a and b on the coordinate axes. When the axes are rotated through a given angle keeping the origin fixed, the same line L has intercepts p and q . Then (a) $a^2 + b^2 = p^2 + q^2$ (b) $\frac{1}{a^2} + \frac{1}{b^2} = \frac{1}{p^2} + \frac{1}{q^2}$ (c) $a^2 + p^2 = b^2 + q^2$ (d) $\frac{1}{a^2} + \frac{1}{p^2} = \frac{1}{b^2} + \frac{1}{q^2}$

 [Watch Video Solution](#)

147. A line intersects the straight lines $5x-y-4=0$ and $3x-4y-4=0$ at A and B, respectively. If a point P(1,5) on the line AB is such that $AP : PB = 2:1$ (internally), find point A.

 [Watch Video Solution](#)

148. A line L is drawn from $P(4, 3)$ to meet the lines L_1 and L_2 given by $3x + 4y + 5 = 0$ and $3x + 4y + 15 = 0$ at points A and B , respectively. From A , a line perpendicular to L is drawn meeting the line L_2 at A_1 . Similarly, from point B , a line perpendicular to L is drawn meeting the line L_1 at B_1 . Thus, a parallelogram AA_1BB_1 is formed. Then the equation of L so that the area of the parallelogram AA_1BB_1 is the least is (a) $x - 7y + 17 = 0$ (b) $7x + y + 31 = 0$ (c) $x - 7y - 17 = 0$ (d) $x + 7y - 31 = 0$



[Watch Video Solution](#)

149. A straight line through the point $A(3, 4)$ is such that its intercept between the axis is bisected at A then its equation is : A. $x + y = 7$ B. $3x - 4y + 7 = 0$ C. $4x + 3y = 24$ D. $3x + 4y = 24$



[Watch Video Solution](#)

150. Two straight lines $u=0$ and $v=0$ pass through the origin and the angle between them is $\tan^{-1}(7/9)$. If the ratio of the slope of $v=0$ and $u=0$ is

9/2, then their equations are



[Watch Video Solution](#)

151. A straight line through the point (2,2) intersects the lines $\sqrt{3}x + y = 0$ and $\sqrt{3}x - y = 0$ at the points A and B, respectively. Then find the equation of the line AB so that triangle OAB is equilateral.



[Watch Video Solution](#)

152. Let $u = ax + by + a^3\sqrt{b} = 0$, $v = bx - ay + b^3\sqrt{a} = 0$, $a, b \in R$, be two straight lines. The equations of the bisectors of the angle formed by $k_1u - k_2v = 0$ and $k_1u + k_2v = 0$, for nonzero and real k_1 and k_2 are



[Watch Video Solution](#)

153. If the foot of the perpendicular from the origin to a straight line is at $(3,-4)$, then find the equation of the line.

 [Watch Video Solution](#)

154. Two sides of a triangle are parallel to the coordinate axes. If the slopes of the medians through the acute angles of the triangle are 2 and m , then $m =$

 [Watch Video Solution](#)

155. The diagonals AC and BD of a rhombus intersect at $(5, 6)$. If $A = (-3, 2)$, then find the equation of diagonal BD .

 [Watch Video Solution](#)

156. A line which makes an acute angle θ with the positive direction of the x -axis is drawn through the point $P(3, 4)$ to meet the line $x = 6$ at R and $y = 8$ at S . Then,

 [Watch Video Solution](#)

157. Find the values of non-negative real numbers $h_1, h_2, h_3, k_1, k_2, k_3$ such that algebraic sum of the perpendiculars drawn from points $(2, k_1), (3, k_2), (7, k_3), (h_1, 4), (h_2, 5), (h_3, -3)$ on a variable line passing through $(2,1)$ is zero.

 [Watch Video Solution](#)

158. The sides of a triangle ABC lie on the lines $3x + 4y = 0, 4x + 3y = 0$ and $x = 3$. Let (h, k) be the centre of the circle inscribed in $\triangle ABC$. The value of $(h + k)$ equals

 [Watch Video Solution](#)

159. If a and b are two arbitrary constants, then prove that the straight line $(a-2b)x+(a+3b)y+3a+4b=0$ will pass through a fixed point. Find that point.

 [Watch Video Solution](#)

160. Find the incentre of a triangle formed by the lines $x \cos \frac{\pi}{9} + y \sin \frac{\pi}{9} = \pi$, $x \cos \frac{8\pi}{9} + y \sin \frac{8\pi}{9} = \pi$ and $x \cos \frac{13\pi}{9} + y \sin \left(\frac{13\pi}{9} \right) = \pi$.

 [Watch Video Solution](#)

161. If the two sides of rhombus are $x+2y+2=0$ and $2x+y-3=0$, then find the slope of the longer diagonal.

 [Watch Video Solution](#)

162. The lines $x + y - 1 = 0$, $(m - 1)x + (m^2 - 7)y - 5 = 0$, and $(m - 2)x + (2m - 5)y = 0$ are (a) concurrent for three values of m (b) concurrent for no value of m (c) parallel for one value of m (d) parallel for two values of m

 [Watch Video Solution](#)

163. In triangle ABC, the equation of the right bisectors of the sides AB and AC are $x + y = 0$ and $y - x = 0$, respectively.

If $A \equiv (5, 7)$ then find the equation of side BC.

 [Watch Video Solution](#)

164. If $\left(\frac{x}{a}\right) + \left(\frac{y}{b}\right) = 1$ and $\left(\frac{x}{c}\right) + \left(\frac{y}{d}\right) = 1$ intersect the axes at four concyclic points and $a^2 + c^2 = b^2 + d^2$, then these lines can intersect at, $(a, b, c, d > 0)$ `

 [Watch Video Solution](#)

165. Show that the straight lines given by $x(a + 2b) + y(a + 3b) = a + b$ for different values of a and b pass through a fixed point.



Watch Video Solution

166. The straight line $3x + 4y - 12 = 0$ meets the coordinate axes at A and B . An equilateral triangle ABC is constructed. The possible coordinates of vertex C are (a) $\left(2\left(1 - \frac{3\sqrt{3}}{4}\right), \frac{3}{2}\left(1 - \frac{4}{\sqrt{3}}\right)\right)$ (b) $\left(-2(1 + \sqrt{3}), \frac{3}{2}(1 - \sqrt{3})\right)$ (c) $\left(2(1 + \sqrt{3}), \frac{3}{2}(1 + \sqrt{3})\right)$ (d) $\left(2\left(1 + \frac{3\sqrt{3}}{4}\right), \frac{3}{2}\left(1 + \frac{4}{\sqrt{3}}\right)\right)$



Watch Video Solution

167. Let $ax + by + c = 0$ be a variable straight line, where a , b and c are 1^{st} , 3^{rd} and 7^{th} terms of an increasing A.P., respectively.

Then prove that the variable straight line always passes through a fixed point and find that point.

 [Watch Video Solution](#)

168. Angle made with the x-axis by a straight line drawn through (1, 2) so that it intersects $x + y = 4$ at a distance $\frac{\sqrt{6}}{3}$ from (1, 2) is (a) 105° (b) 75° (c) 60° (d) 15°

 [Watch Video Solution](#)

169. Prove that all the having sum of the intercepts on the axes equal to half of the product of the intercepts pass through a fixed point. Also, find that fixed point.

 [Watch Video Solution](#)

170. Three straight lines

$$2x + 11y - 5 = 0, 24x + 7y - 20 = 0 \text{ and } 4x - 3y - 2 = 0$$

 [Watch Video Solution](#)

171. Find the straight line passing through the point of intersection of lines $2x+3y+5=0$ and $5x-2y-16=0$ and through the point $(-1,3)$ using the concept of family of lines.

 [Watch Video Solution](#)

172. Three lines $x + 2y + 3 = 0$, $x + 2y - 7 = 0$, and $2x - y - 4 = 0$ form the three sides of two squares. The equation of the fourth side of each square is

 [Watch Video Solution](#)

173. Consider a family of straight lines $(x + y) + \lambda(2x - y + 1) = 0$.

Find the equation of the straight line belonging to his family that is farthest from $(1,-3)$.



[Watch Video Solution](#)

174. Find α if (α, α^2) lies inside the triangle having sides along the lines $2x+3y=1$, $x+2y-3=0$, $6y=5x-1$.



[Watch Video Solution](#)

175. If $5a+4b+20c=t$, then the value of t for which the line $ax+by+c-1=0$ always passes through a fixed point is



[Watch Video Solution](#)

176. If the chord $y = mx + 1$ subtends an angle of measure 45° at the major segment of the circle $x^2 + y^2 = 1$ then value of 'm' is

 [Watch Video Solution](#)

177. If $\frac{x}{l} + \frac{y}{m} = 1$ is any line passing through the intersection point of the lines $\frac{x}{a} + \frac{y}{b} = 1$ and $\frac{x}{b} + \frac{y}{a} = 1$ then prove that $\frac{1}{l} + \frac{1}{m} = \frac{1}{a} + \frac{1}{b}$

 [Watch Video Solution](#)

178. Two sides of a rhombus OABC (lying in the first or third quadrant) of area equal to 2 sq. units are $y = x / \sqrt{3}$, $y = \sqrt{3}x$. Then the possible coordinates of B are (O being the origin)

 [Watch Video Solution](#)

179. The equation of straight line belonging to both the families of lines

$$(x - y + 1) + \lambda_1(2x - y - 2) = 0 \quad \text{and}$$

$$(5x + 3y - 2) + \lambda_2(3x - y - 4) = 0 \quad \text{where } \lambda_1, \lambda_2 \text{ are arbitrary}$$

numbers is (A) $5x - 2y - 7 = 0$ (B) $2x + 5y - 7 = 0$ (C) $5x + 2y - 7 = 0$

(D) $2x - 5y - 7 = 0$



Watch Video Solution

180. If m_1 and m_2 are the roots of the equation $x^2 - ax - a - 1 = 0$,

then the area of the triangle formed by the three straight lines

$y = m_1x$, $y = m_2x$, and $y = a(a \neq -1)$ is`



Watch Video Solution

181. Let the algebraic sum of the perpendicular distance from the points

(2, 0), (0,2), and (1, 1) to a variable straight line be zero. Then the line

passes through a fixed point whose coordinates are__



Watch Video Solution

182. If the points $\left(\frac{a^3}{(a-1)}\right)$, $\left(\frac{(a^2-3)}{(a-1)}\right)$, $\left(\frac{b^3}{(b-1)}\right)$, $\left(\frac{(b^2-3)}{(b-1)}\right)$, and $\left(\frac{(c^2-3)}{(c-1)}\right)$, where a, b, c are different from 1, lie on the line $lx + my + n = 0$, then

 [Watch Video Solution](#)

183. If a, b, c are in harmonic progression, then the straight line $\left(\frac{x}{a}\right) + \left(\frac{y}{b}\right) + \left(\frac{1}{c}\right) = 0$ always passes through a fixed point. Find that point.

 [Watch Video Solution](#)

184. A variable line cuts n given concurrent straight lines at A_1, A_2, \dots, A_n such that $\sum_{i=1}^n \frac{1}{OA_i}$ is a constant. Show that it always passes through a fixed point, O being the point of intersection of the lines

 [Watch Video Solution](#)

185. Prove that the area of the parallelogram formed by the lines $3x - 4y + a = 0$, $3x - 4y + 3a = 0$, $4x - 3y - a = 0$ and $4x - 3y - 2a = 0$ is $\frac{2a^2}{7}$ sq units.

 [Watch Video Solution](#)

186. Two sides of a rhombus lying in the first quadrant are given by $3x - 4y = 0$ and $12x - 5y = 0$. If the length of the longer diagonal is 12, then find the equation of the other two sides of the rhombus.

 [Watch Video Solution](#)

187. The equation of straight line passing through $(-2, -7)$ and having an intercept of length 3 between the straight lines $4x + 3y = 12$, $4x + 3y = 3$ are :

(A) $7x + 24y + 182 = 0$

(B) $7x + 24y + 18 = 0$

(C) $x + 2 = 0$

(D) $x - 2 = 0$



Watch Video Solution

188. Let ABC be a given isosceles triangle with $AB = AC$. Sides AB and AC are extended up to E and F , respectively, such that $BE \cdot CF = AB^2$. Prove that the line EF always passes through a fixed point.



Watch Video Solution

189. ABC is an equilateral triangle with $A(0,0)$ and $B(a,0)$, ($a > 0$).

L, M and N are the foot of the perpendiculars drawn from a point P to the sides AB, BC , and CA , respectively. If P lies inside the triangle and satisfies the condition $PL^2 = PM \cdot PN$, then find the locus of P .



Watch Video Solution

190. Let $L_1 = 0$ and $L_2 = 0$ be two fixed lines. A variable line is drawn through the origin to cut the two lines at R and S. P is a point on the line AB such that $(m+n)/OP = m/OR + n/OS$. Show that the locus of P is a straight line passing through the point of intersection of the given lines (R,S,P are on the same side of O).

 [Watch Video Solution](#)

191. Find the points on $y - axis$ whose perpendicular distance from the line $4x - 3y - 12 = 0$ is 3.

 [Watch Video Solution](#)

192. Find all the values of θ for which the point $(\sin^2 \theta, \sin \theta)$ lies inside the square formed by the line $xy = 0$ and $4xy - 2x - 2y + 1 = 0$.

 [Watch Video Solution](#)

193. If p and q are the lengths of perpendiculars from the origin to the lines $x \cos \theta - y \sin \theta = k \cos 2\theta$ and $x \sec \theta + y \operatorname{cosec} \theta = k$, respectively, prove that $p^2 + 4q^2 = k^2$.



[Watch Video Solution](#)

194. The equations of two sides of a triangle are $3y-x-2=0$ and $y+x-2=0$. The third side, which is variable, always passes through the point $(5,-1)$. Find the range of the values of the slope of the third side, so that the origin is an interior point of the triangle.



[Watch Video Solution](#)

195. Prove that the lengths of the perpendicular from the points $(m^2, 2m)$, $(mm', m + m')$, and $(m'^2, 2m')$ to the line $x+y+1=0$ are in GP.



[Watch Video Solution](#)

196. A triangle has two sides $y = m_1x$ and $y = m_2x$ where m_1 and m_2 are the roots of the equation $b\alpha^2 + 2h\alpha + a = 0$. If (a, b) be the orthocenter of the triangle, then find the equation of the third side in terms of a, b and h .

 [Watch Video Solution](#)

197. Find the ratio in which the line $3x+4y+2 = 0$ divides the distance between $3x+4y+5=0$ and $3x+4y-5=0$.

 [Watch Video Solution](#)

198. Let $A \equiv (6, 7)$, $B \equiv (2, 3)$ and $C \equiv (-2, 1)$ be the vertices of a triangle. Find the point P in the interior of the triangle such that PBC is an equilateral triangle.

 [Watch Video Solution](#)

199. Find the equations of lines parallel to $3x-4y-5 = 0$ at a unit distance from it.

 [Watch Video Solution](#)

200. Let $P(\sin\theta, \cos\theta)$, $(0 \leq \theta \leq 2\pi)$, be a point in a triangle with vertices $(0,0)$, $(\sqrt{3/2}, 0)$ and $(0, \sqrt{3/2})$. Then ,

 [Watch Video Solution](#)

201. Find the equation of a straight line passing through the point $(-5,4)$ and which cuts off an intercept of $\sqrt{2}$ units between the lines $x+y+1=0$ and $x+y-1=0$

 [Watch Video Solution](#)

202. Are the points $(3,4)$ and $(2,-6)$ on the same or opposite sides of the line $3x-4y=8$?



Watch Video Solution

203. Consider the equation $y - y_1 = m(x - x_1)$. If m and x_1 are fixed and different lines are drawn for different values of y_1 , then (a) the lines will pass through a fixed point (b) there will be a set of parallel lines (c) all the lines intersect the line $x = x_1$ (d) all the lines will be parallel to the line $y = x_1$

- A. (a) the lines will pass through a fixed point
- B. (b) there will be a set of parallel lines
- C. (c) all the lines intersect the line $x = x_1$
- D. (d) all the lines will be parallel to the line $y = x_1$

Answer: null



Watch Video Solution

204. If the straight line $ax + cy = 2b$, where $a, b, c > 0$, makes a triangle of area 2 sq. units with the coordinate axes, then (a) a, b, c are in GP (b) $a, -b, c$ are in GP (c) $a, 2b, c$ are in GP (d) $a, -2b, c$ are in GP



[Watch Video Solution](#)

205. ABCD is a square whose vertices are $A(0, 0)$, $B(2, 0)$, $C(2, 2)$, and $D(0, 2)$. The square is rotated in the XY-plane through an angle 30° in the anticlockwise sense about an axis passing through A perpendicular to the XY-plane. Find the equation of the diagonal BD of this rotated square.



[Watch Video Solution](#)

206. The x-coordinates of the vertices of a square of unit area are the roots of the equation $x^2 - 3|x| + 2 = 0$. The y-coordinates of the vertices are the roots of the equation $y^2 - 3y + 2 = 0$. Then the possible vertices of the square is/are (a) $(1, 1), (2, 1), (2, 2), (1, 2)$
(b) $(-1, 1), (-2, 1), (-2, 2), (-1, 2)$

(c) $(2, 1), (1, -1), (1, 2), (2, 2)$

(d) $(-2, 1), (-1, -1), (-1, 2), (-2, 2)$



[Watch Video Solution](#)

207. Consider a triangle with vertices $A(1, 2), B(3, 1),$ and $C(-3, 0)$.

Find the equation of altitude through vertex A the equation of median through vertex A the equation of internal angle bisector of $\angle A$



[Watch Video Solution](#)

208. If (x, y) is a variable point on the line $y=2x$ lying between the lines

$2(x+1)+y=0,$ and $x+3(y-1)=0,$ then



[Watch Video Solution](#)

209. A rectangle has two opposite vertices at the points $(1, 2)$ and $(5, 5)$. If

the other vertices lie on the line $x = 3$, find the other vertices of the

rectangle.

 [Watch Video Solution](#)

210. If D , E , and F are three points on the sides BC , AC , and AB of a triangle ABC such that AD , BE , and CF are concurrent, then show that $BD \cdot CE \cdot AF = DC \cdot EA \cdot FB$.

 [Watch Video Solution](#)

211. Find the coordinates of the foot of the perpendicular drawn from the point $P(1,-2)$ on the line $y = 2x + 1$. Also, find the image of P in the line.

 [Watch Video Solution](#)

212. Let the sides of a parallelogram be $U=a$, $U=b$, $V=a'$ and $V=b'$, where $U=lx+my+n$, $V=l'x+m'y+n'$. Show that the equation of the diagonal through

the point of intersection of

$$U = a, V = a' \text{ and } U = b, V = b' \text{ is given by } \begin{vmatrix} U & V & 1 \\ a & a' & 1 \\ b & b' & 1 \end{vmatrix} = 0.$$

 [Watch Video Solution](#)

213. Find the image of the point $(-8,12)$ which respect to the line $4x + 7y + 13 = 0$

 [Watch Video Solution](#)

214. One side of a rectangle lies along the line $4x+7y+5=0$. Two of its vertices are $(-3,1)$ and $(1,1)$. Find the equations of the other three sides.

 [Watch Video Solution](#)

215. In a triangle ABC , side AB has equation $2x + 3y = 29$ and side AC has equation $x + 2y = 16$. If the midpoint of BC is $(5, 6)$, then find

the equation of BC .

 [Watch Video Solution](#)

216. The foot of the perpendicular on the line $3x + y = \lambda$ drawn from the origin is C . If the line cuts the x - and the y -axis at A and B , respectively, then $BC : CA$ is

 [Watch Video Solution](#)

217. Two consecutive sides of a parallelogram are $4x + 5y = 0$ and $7x + 2y = 0$. If the equation of one diagonal is $11x + 7y = 9$, find the equation of the other diagonal.

 [Watch Video Solution](#)

218. The real value of a for which the value of m satisfying the equation $(a^2 - 1)m^2 - (2a - 3)m + a = 0$ given the slope of a line parallel to

the y-axis is (a) $\frac{3}{2}$ (b) 0 (c) 1 (d) ± 1

 [Watch Video Solution](#)

219. If one of the sides of a square is $3x-4y-12 = 0$ and the center is $(0,0)$, then find the equations of the diagonals of the square.

 [Watch Video Solution](#)

220. If the quadrilateral formed by the lines $ax + by + c = 0$, $a'x + b'y + c = 0$, $ax + by + c' = 0$, $a'x + b'y + c' = 0$ has perpendicular diagonals, then (a) $b^2 + c^2 = b'^2 + c'^2$ (b) $c^2 + a^2 = c'^2 + a'^2$ (c) $a^2 + b^2 = a'^2 + b'^2$ (d) none of these

 [Watch Video Solution](#)

221. A vertex of an equilateral triangle is $(2,3)$ and the equation of the opposite side is $x+y=2$. Find the equation of the other sides of the

triangle.

 [Watch Video Solution](#)

222. The straight lines $7x - 2y + 10 = 0$ and $7x + 2y - 10 = 0$ form an isosceles triangle with the line $y = 2$. The area of this triangle is equal to $\frac{15}{7}$ sq units (b) $\frac{10}{7}$ sq units $\frac{18}{7}$ sq units (d) none of these

 [Watch Video Solution](#)

223. Find the least value of $(x - 1)^2 + (y - 2)^2$ under the condition $3x + 4y - 2 = 0$.

 [Watch Video Solution](#)

224. θ_1 and θ_2 are the inclination of lines L_1 and L_2 with the x-axis. If L_1 and L_2 pass through $P(x_1, y_1)$, then the equation of one of the angle bisector of these lines is

 [Watch Video Solution](#)

225. Find the least and the greatest values of distance of the point $(\cos\theta, \sin\theta)$, $\theta \in R$, from the line $3x-4y+10=0$.

 [Watch Video Solution](#)

226. A light ray coming along the line $3x + 4y = 5$ gets reflected from the line $ax + by = 1$ and goes along the line $5x - 12y = 10$. Then,

 [Watch Video Solution](#)

227. Prove that the product of the lengths of the perpendiculars drawn from the points $(\sqrt{a^2 - b^2}, 0)$ and $(-\sqrt{a^2 - b^2}, 0)$ to the line $\frac{x}{a} \cos \theta + \frac{y}{b} \sin \theta = 1$

 [Watch Video Solution](#)

228. Line $ax + by + p = 0$ makes angle $\frac{\pi}{4}$ with $x \cos \alpha + y \sin \alpha = p, p \in R^+$. If these lines and the line $x \sin \alpha - y \cos \alpha = 0$ are concurrent, then

 [Watch Video Solution](#)

229. Two sides of a square lie on the lines $x+y=1$ and $x+y+2=0$. What is its area?

 [Watch Video Solution](#)

230. A line is drawn perpendicular to line $y = 5x$, meeting the coordinate axes at A and B . If the area of triangle OAB is 10 sq. units, where O is the origin, then the equation of drawn line is (a) $3x - y - 9$ (b) $x + 5y = 10$ (c) $x + 4y = 10$ (d) $x - 4y = 10$

 [Watch Video Solution](#)

231. Find the coordinates of a point on $x+y+3=0$, whose distance from $x+2y+2=0$ is $\sqrt{5}$.

 [Watch Video Solution](#)

232. If $x - 2y + 4 = 0$ and $2x + y - 5 = 0$ are the sides of an isosceles triangle having area 10 sq units, the equation of the third side is (a) $3x - y = -9$ (b) $3x - y + 11 = 0$ (c) $x - 3y = 19$ (d) $3x - y + 15 = 0$

 [Watch Video Solution](#)

233. If p is the length of the perpendicular from the origin to the line

$\frac{x}{a} + \frac{y}{b} = 1$, then prove that $\frac{1}{p^2} = \frac{1}{a^2} + \frac{1}{b^2}$

 [Watch Video Solution](#)

234. Find the value of a for which the lines $2x + y - 1 = 0$, $ax + 3y - 3 = 0$, $3x + 2y - 2 = 0$ are concurrent.

 [Watch Video Solution](#)

235. The centre of a square is at the origin and one vertex is $A(2,1)$. Find the coordinates of other vertices of the square.

 [Watch Video Solution](#)

236. $ABCD$ is a square $A \equiv (1, 2)$, $B \equiv (3, -4)$. If line CD passes through $(3, 8)$, then the midpoint of CD is (a) $(2, 6)$ (b) $(6, 2)$ (c) $(2, 5)$ (d) $\left(\frac{28}{5}, \frac{1}{5}\right)$

 [Watch Video Solution](#)

237. Find the distance between $A(2, 3)$ on the line of gradient $3/4$ and the point of intersection P of this line with $5x + 7y + 40 = 0$.

 [Watch Video Solution](#)

238. The equation of the straight line which passes through the point $(-4,3)$ such that the portion of the line between the axes is divided internally by the point in the ratio $5:3$ is

 [Watch Video Solution](#)

239. If one side of the square is $2x-y+6=0$ and one of the vertices is $(2,1)$ then find the other sides of the square.

 [Watch Video Solution](#)

240. The equation of the bisector of the acute angle between the lines

$$2x - y + 4 = 0 \text{ and } x - 2y = 1 \text{ is}$$

 [Watch Video Solution](#)

241. Find equation of the line which is equidistant from parallel lines

$$9x + 6y - 7 = 0 \text{ and } 3x + 2y + 6 = 0 .$$

 [Watch Video Solution](#)

242. If the equations $y = mx + c$ and $x \cos \alpha + y \sin \alpha = p$ represent

the same straight line, then (a) $p = c\sqrt{1 + m^2}$ (b) $c = p\sqrt{1 + m^2}$ (c)

$$cp = \sqrt{1 + m^2} \text{ (d) } p^2 + c^2 + m^2 = 1$$

 [Watch Video Solution](#)

243. Find the equation of the line passing through $(2, 3)$ which is parallel to the x-axis.

 [Watch Video Solution](#)

244. Consider three lines as follows. $L_1: 5x - y + 4 = 0$
 $L_2: 3x - y + 5 = 0$ $L_3: x + y + 8 = 0$ If these lines enclose a triangle ABC and the sum of the squares of the tangent to the interior angles can be expressed in the form $\frac{p}{q}$, where p and q are relatively prime numbers, then the value of $p + q$ is

 [Watch Video Solution](#)

245. Find the equation of a straight line cutting off an intercept-1 from the y-axis and being equally inclined to the axes.

 [Watch Video Solution](#)

246. The line $L_1 \equiv 4x + 3y - 12 = 0$ intersects the x-and y-axes at A and B , respectively. A variable line perpendicular to L_1 intersects the x- and the y-axis at P and Q , respectively. Then the locus of the circumcenter of triangle ABQ is

 [Watch Video Solution](#)

247. Find the equation of the line which intersects the y-axis at a distance of 2 units above the origin and makes an angle of 30° with the positive direction of the x-axis.

 [Watch Video Solution](#)

248. Find the locus of the point at which two given portions of the straight line subtend equal angle.

 [Watch Video Solution](#)

249. Find the equation of the perpendicular bisector of the line segment joining the points A(2,3) and B (6,-5).

 [Watch Video Solution](#)

250. Having given the bases and the sum of the areas of a number of triangles which have a common vertex, show that the locus of the vertex is a straight line.

 [Watch Video Solution](#)

251. Find the equation of a line that y-intercept 4 and is perpendicular to the joining A(2,-3) and B(4,2).

 [Watch Video Solution](#)

252. The equations of the diagonals of square formed by lines

$x=0$, $y=0$, $x=1$, and $y=1$ are

 [Watch Video Solution](#)

253. Find the equation of the straight line that passes through the point

$(3, 4)$ and is perpendicular to the line $3x + 2y + 5 = 0$

 [Watch Video Solution](#)

254. Find the equation of the line which is parallel to $3x - 2y + 5 = 0$

and passes through the point $(5, -6)$.

 [Watch Video Solution](#)

255. Consider two lines L_1 and L_2 given by

$a_1x + b_1y + c_1 = 0$ and $a_2x + b_2y + c_2 = 0$ respectively where c_1 and $c_2 \neq 0$

intersecting at point P . A line L_3 is drawn through the origin meeting the lines L_1 and L_2 at A and B , respectively, such that $PA = PB$. Similarly, one more line L_4 is drawn through the origin meeting the lines L_1 and L_2 at A_1 and B_2 , respectively, such that $PA_1 = PB_1$. Obtain the combined equation of lines L_3 and L_4 .

 [Watch Video Solution](#)

256. Find the locus of point P which moves such that its distance from the line $y = \sqrt{3}x - 7$ is the same as its distance from $(2\sqrt{3}, -1)$

 [Watch Video Solution](#)

257. Consider two lines L_1 and L_2 given by $x-y=0$ and $x+y=0$, respectively, and a moving point $P(x,y)$. Let $d(P, L_i)$, $i=1,2$, represents the distance of point P from the line L_i . If point P moves in a certain region R is such a way that $2 \leq d(P, L_1) + d(P, L_2) \leq 4$, find the area of region R .

 [Watch Video Solution](#)

 Watch Video Solution

258. In what ratio does the line joining the points $(2, 3)$ and $(4, 1)$ divide the segment joining the points $(1, 2)$ and $(4, 3)$?

 Watch Video Solution

259. Show that the lines $4x+y-9=0$, $x-2y+3=0$, $5x-y-6=0$ make equal intercepts on any line of slope 2

 Watch Video Solution

260. Find the equation of the bisector of the obtuse angle between of the lines $3x-4y+7 = 0$ and $12+5y-2 = 0$

 Watch Video Solution

261. A Line through the variable point $A(1 + k, 2k)$ meets the lines $7x + y - 16 = 0$; $5x - y - 8 = 0$ and $x - 5y + 8 = 0$ at B, C, D respectively. Prove that AC, AB and AD are in HP.



[Watch Video Solution](#)

262. The incident ray is along the line $24x + 7y + 5 = 0$. Find the equation of mirrors.



[Watch Video Solution](#)

263. If the line $y = \sqrt{3}x$ cuts the curve $x^3 + y^3 + 3xy + 5x^2 + 3y^2 + 4x + 5y - 1 = 0$ at the point A, B, C , then $\angle AOB$ is equal to $\left(\frac{k}{13}\right)(3\sqrt{3} - 1)$. The value of k is _____



[Watch Video Solution](#)

264. Two equal sides of an isosceles triangle are $7x-y+3=0$ and $x+y-3=0$. Its third side passes the point $(1,-10)$.

Determine the equation of the third side.



[Watch Video Solution](#)

265. The area of a parallelogram formed by the lines $ax \pm by \pm c = 0$ is



[Watch Video Solution](#)

266. The vertices, B and C of a triangle ABC lie on the lines $3y=4x$ and $y=0$, respectively. The side BC passes through the point $(\frac{2}{3}, \frac{2}{3})$. If ABOC is a rhombus lying in first quadrant, O being the origin, then find the equation of the line BC.



[Watch Video Solution](#)

267. If each of the points $(x_1, 4)$, $(-2, y_1)$ lies on the line joining the points $(2, -1)$, $(5, -3)$, then the points $P(x_1, y_1)$ lies on the line :

 [Watch Video Solution](#)

268. If the lines $a_1x + b_1y + 1 = 0$, $a_2x + b_2y + 1 = 0$ and $a_3x + b_3y + 1 = 0$ are concurrent, show that the point (a_1, b_1) , (a_2, b_2) and (a_3, b_3) are collinear.

 [Watch Video Solution](#)

269. The diagonals of a parallelogram PQRS are along the lines $x+3y = 4$ and $6x-2y = 7$, Then PQRS must be :

 [Watch Video Solution](#)

270. For the straight lines $4x+3y-6 = 0$ and $5x+12y+9 = 0$, find the equation of the:

- (i) bisector of the obtuse angle between them
- (ii) bisector of the acute angle between them
- (iii) bisector of the angle which contains (1,2)
- (iv) bisector of the angle which contains (0,0)

 [Watch Video Solution](#)

271. A straight line segment AB of length 'a' moves with its ends on the axes. Then the locus of the point P which divides the line in the ratio 1:2 is

 [Watch Video Solution](#)

272. Find the foot of the perpendicular from the point (2, 4) upon $x + y = 1$.

 [Watch Video Solution](#)

273. The lines $x + y - 1 = 0$, $(m - 1)x + (m^2 - 7)y - 5 = 0$, and $(m - 2)x + (2m - 5)y = 0$ are (a) concurrent for three values of m (b) concurrent for no value of m (c) parallel for one value of m (d) parallel for two values of m



[Watch Video Solution](#)

274. In $\triangle ABC$, vertex A is (1,2). If the internal angle bisector of $\angle B$ is $2x - y + 10 = 0$ and the perpendicular bisector of AC is $y = x$, then find the equation of BC.



[Watch Video Solution](#)

275. Find the equation of the bisector of the obtuse angle between of the lines $3x - 4y + 7 = 0$ and $12 + 5y - 2 = 0$



[Watch Video Solution](#)

276. The line $ax+by=1$ passes through the point of intersection of $y=x \tan \alpha + p \sec \alpha$ and $y \sin(30^\circ - \alpha) - x \cos(30^\circ - \alpha) = p$. If it is inclined at 30° with $y = (\tan \alpha)x$, then prove that $a^2 + b^2 = \frac{3}{4p^2}$.

 [Watch Video Solution](#)

277. A straight line L is perpendicular to the line $5x-y=1$. The area of the triangle formed by line L and the coordinate axes is 5. Find the equation of line L.

 [Watch Video Solution](#)

278. The reflection of the point $(4,-13)$ about the line $5x + y + 6 = 0$ is a. $(-1, -14)$ b. $(3, 4)$ c. $(0, -0)$ d. $(1, 2)$

 [Watch Video Solution](#)

279. Triangle ABC with $AB = 13$, $BC = 5$, and $AC = 12$ slides on the coordinates axes with A and B on the positive x -axis and positive y -axis respectively. The locus of vertex C is a line $12x - ky = 0$. Then the value of k is _____

 [Watch Video Solution](#)

280. The line $y = \frac{3x}{4}$ meets the lines $x - y + 1 = 0$ and $2x - y = 5$ at A and B respectively. Find Coordinates of P on $y = \frac{3x}{4}$ such that $PA \cdot PB = 25$.

 [Watch Video Solution](#)

281. In a plane there are two families of lines $y = x + r$, $y = -x + r$, where $r \in \{0, 1, 2, 3, 4\}$. Find the number of squares of diagonals of length 2 formed by the lines

 [Watch Video Solution](#)

282. Line $\frac{x}{a} + \frac{y}{b} = 1$ cuts the co-ordinate axes at $A(a,0)$ and $B(0,b)$ and the line $\frac{x}{a'} + \frac{y}{b'} = -1$ at $A'(-a', 0)$ and $B'(0, -b')$. If the points A, B, A', B' are concyclic then the orthocentre of triangle ABA' is

 [Watch Video Solution](#)

283. If P is a point (x,y) on the line $y=-3x$ such that P and the point $(3,4)$ are on the opposite sides of the line $3x-4y=8$, then

 [Watch Video Solution](#)

284. If the points $(1,2)$ and $(3, 4)$ are on the opposite side of the line $3x - 5y + a = 0$, then :

 [Watch Video Solution](#)

285. Line segment AB of fixed length c slides between coordinate axes such that its ends A and B lie on the axes. If O is origin and rectangle OAPB is completed, then show that the locus of the foot of the perpendicular drawn from P to AB is $x^{\frac{2}{3}} + y^{\frac{2}{3}} = c^{\frac{2}{3}}$.

 [Watch Video Solution](#)

286. All points lying inside the triangle formed by the points $(1, 3)$, $(5, 0)$ and $(-1, 2)$ satisfy

 [Watch Video Solution](#)

287. The equation to the straight line passing through the point $(a\cos^3\theta, a\sin^3\theta)$ and perpendicular to the line $x\sec\theta + y\operatorname{cosec}\theta = a$ is

 [Watch Video Solution](#)

288. The equation of a straight line on which the length of perpendicular from the origin is four units and the line makes an angle of 120° with the x-axis is (a) $x\sqrt{3} + y + 8 = 0$ (b) $x\sqrt{3} - y = 8$ (c) $x\sqrt{3} - y = 8$ (d) $x - \sqrt{3}y + 8 = 0$

 [Watch Video Solution](#)

289. The number of integral values of m for which the x-coordinate of the point of intersection of the lines $3x+4y=9$ and $y=mx+1$ is also an integer is

 [Watch Video Solution](#)

290. If the equation of base of an equilateral triangle is $2x - y = 1$ and the vertex is $(-1, 2)$, then the length of the sides of the triangle is

 [Watch Video Solution](#)

291. The equation of straight line passing through $(-a, 0)$ and making a triangle with the axes of area T is (a) $2Tx + a^2y + 2aT = 0$ (b) $2Tx - a^2y + 2aT = 0$ (c) $2Tx - a^2y - 2aT = 0$ (d) none of these



[Watch Video Solution](#)

292. The line PQ whose equation is $x - y = 2$ cuts the x-axis at P , and Q is $(4, 2)$. The line PQ is rotated about P through 45° in the anticlockwise direction. The equation of the line PQ in the new position is



[Watch Video Solution](#)

293. If the equation of the locus of a point equidistant from the points (a_1, b_1) and (a_2, b_2) is $(a_1 - a_2)x + (b_1 - b_2)y + c = 0$, then the value of C is



[Watch Video Solution](#)

294. If the extremities of the base of an isosceles triangle are the points $(2a, 0)$ and $(0, a)$, and the equation of one of the side is $x = 2a$, then the area of the triangle is

 [Watch Video Solution](#)

295. A triangle is formed by the lines $x + y = 0$, $x - y = 0$, and $lx + my = 1$. If l and m vary subject to the condition $l^2 + m^2 = 1$, then the locus of its circumcenter is (a) $(x^2 - y^2)^2 = x^2 + y^2$ (b) $(x^2 + y^2)^2 = (x^2 - y^2)$ (c) $(x^2 + y^2)^2 = 4x^2y^2$ (d) $(x^2 - y^2)^2 = (x^2 + y^2)^2$

 [Watch Video Solution](#)

296. The line $x + y = p$ meets the x - and y -axes at A and B , respectively. A triangle APQ is inscribed in triangle OAB , O being the origin, with right angle at Q and Q lie, respectively, on OB and AB . If the area of

triangle APQ is $\frac{3}{8}$ th of the area of triangle OAB , the $\frac{AQ}{BQ}$ is equal to

- (a) 2 (b) $\frac{2}{3}$ (c) $\frac{1}{3}$ (d) 3

 [Watch Video Solution](#)

297. A is a point on either of two lines $y + \sqrt{3}|x| = 2$ at a distance of $\frac{4}{\sqrt{3}}$ units from their point of intersection. The coordinates of the foot of perpendicular from A on the bisector of the angle between them are (a)

- (b) $\left(-\frac{2}{\sqrt{3}}, 2\right)$ (c) $(0, 0)$ (d) $\left(\frac{2}{\sqrt{3}}, 2\right)$ (e) $(0, 4)$

 [Watch Video Solution](#)

298. A pair of perpendicular straight lines is drawn through the origin forming with the line $2x + 3y = 6$ an isosceles triangle right-angled at the origin. The equation to the line pair is a. $5x^2 - 24xy - 5y^2 = 0$ b.

$5x^2 - 26xy - 5y^2 = 0$

c.

$5x^2 + 24xy - 5y^2 = 0$

d.

$5x^2 + 26xy - 5y^2 = 0$

 [Watch Video Solution](#)

299. If the vertices P and Q of a triangle PQR are given by $(2, 5)$ and $(4, -11)$, respectively, and the point R moves along the line N given by $9x + 7y + 4 = 0$, then the locus of the centroid of triangle PQR is a straight line parallel to PQ (b) QR (c) RP (d) N



Watch Video Solution

300. Given $A = (1, 1)$ and AB is any line through it cutting the x -axis at B . If AC is perpendicular to AB and meets the y -axis in C , then the equation of the locus of midpoint P of BC is (a) $x + y = 1$ (b) $x + y = 2$ (c) $x + y = 2xy$ (d) $2x + 2y = 1$



Watch Video Solution

301. The straight lines $4ax + 3by + c = 0$ passes through which point?, where $a + b + c = 0$ (a) $(4, 3)$ (b) $\left(\frac{1}{4}, \frac{1}{3}\right)$ (c) $\left(\frac{1}{2}, \frac{1}{3}\right)$ (d) none of these



302. The line parallel to the x-axis and passing through the intersection of the lines $ax + 2by + 3b = 0$ and $bx - 2y - 3a = 0$ where $(a, b) \neq (0, 0)$, is (a) above the x-axis at a distance of $3/2$ units from it (b) above the x-axis at a distance of $2/3$ units from it (c) below the x-axis at a distance of $3/2$ units from it (d) below the x-axis at a distance of $2/3$ units from it

[Watch Video Solution](#)

303. The lines $L_1: y-x=0$ and $L_2: 2x+y=0$ intersect the line $L_3: y+2=0$ at P and Q respectively. The bisector of the acute angle between L_1 and L_2 intersects L_3 at R

Statement - 1 : The ratio PR : PQ equals $2\sqrt{2} : \sqrt{5}$

Statement - 2 : In any triangle, bisector of an angle divides the triangle into two similar triangles

[Watch Video Solution](#)

304. If the lines $ax+y+1=0$, $x+by+1=0$, $x+y+c=0$, (a, b, c are distinct and not equal to -1), are concurrent, then find the value of $\frac{1}{1-a} + \frac{1}{1-b} + \frac{1}{1-c}$

 [Watch Video Solution](#)

305. Two sides of a rhombus ABCD are parallel to the lines $y=x+2$ and $y=7x+3$. If the diagonal of the rhombus intersect at the point $(1,2)$ and the vertex A is on the y-axis, then find the possible coordinates of A.

 [Watch Video Solution](#)

306. Equation(s) of the straight line(s), inclined at 30° to the x-axis such that the length of its (each of their) line segment(s) between the coordinates axes is 10 units, is (are)

 [Watch Video Solution](#)

307. If a pair of perpendicular straight lines drawn through the origin forms an isosceles triangle with the line $2x + 3y = 6$, then area of the triangle so formed is

 [Watch Video Solution](#)

308. The sides of a rhombus are parallel to the lines $x+y-1=0$ and $7x-y-5=0$. It is given that the diagonals of the rhombus intersect at $(1,3)$ and one vertex, A of the rhombus lies on the line $y=2x$. Then the coordinates of vertex A are

 [Watch Video Solution](#)

309. The image of $P(a, b)$ on the line $y = -x$ is Q and the image of Q on the line $y = x$ is R find the mid-point of P and R

 [Watch Video Solution](#)

310. Consider a $\triangle ABC$ whose sides AB , BC and CA are represented by the straight lines $2x + y = 0$, $x + py = q$ and $x - y = 3$ respectively. The point P is $(2, 3)$. If P is orthocentre, then find the value of $(p+q)$ is

 [Watch Video Solution](#)

311. Area of the triangle formed by the line $x + y = 3$ and the angle bisectors of the pairs of straight lines $x^2 - y^2 + 2y = 1$ is (a) 2 sq units (b) 4 sq units (c) 6 sq units (d) 8 sq units

 [Watch Video Solution](#)

312. The sides of a triangle have the combined equation $x^2 - 3y^2 - 2xy + 8y - 4 = 0$. The third side, which is variable, always passes through the point $(-5, -1)$. Find the range of values of the slope of the third line such that the origin is an interior point of the triangle.

 [Watch Video Solution](#)

313. The equation of the lines passing through the point $(1, 0)$ and at a distance $\frac{\sqrt{3}}{2}$ from the origin is (a) $\sqrt{3}x + y - \sqrt{3} = 0$ (b) $x + \sqrt{3}y - \sqrt{3} = 0$ (c) $\sqrt{3}x - y - \sqrt{3} = 0$ (d) $x - \sqrt{3}y - \sqrt{3} = 0$

 [Watch Video Solution](#)

314. The number of values of k for which the lines $(k+1)x+8y=4k$ and $kx+(k+3)y = 3k-1$ are coincident is ____.

 [Watch Video Solution](#)

315. For all real values of a and b lines $(2a + b)x + (a + 3b)y + (b - 3a) = 0$ and $mx+2y+6=0$ are concurrent, then m is equal to

 [Watch Video Solution](#)

316. The line $x = c$ cuts the triangle with corners $(0, 0)$, $(1, 1)$ and $(9, 1)$ into two regions. For the area of the two regions to be the same c must be equal to (A) $\frac{5}{2}$ (B) 3 (C) $\frac{7}{2}$ (D) 5 or 15

 [Watch Video Solution](#)

317. The absolute value of the sum of the abscissas of all the points on the line $x+y=4$ that lie at a unit distance from the line $4x+3y-10=0$ is ____.

 [Watch Video Solution](#)

318. The point (x, y) lies on the line $2x + 3y = 6$. The smallest value of the quantity $\sqrt{x^2 + y^2}$ is m . then the value of $\sqrt{13} m$ is _____

 [Watch Video Solution](#)

319. The equations of the perpendicular bisectors of the sides AB and AC of triangle ABC are $x - y + 5 = 0$ and $x + 2y = 0$, respectively. If the point A is $(1, -2)$, then find the equation of the line BC .



[Watch Video Solution](#)

320. One of the diagonals of a square is the portion of the line $\frac{x}{2} + \frac{y}{3} = 2$ intercepted between the axes. Then the extremities of the other diagonal are: (a) $(5, 5), (-1, 1)$ (b) $(0, 0), (4, 6)$ (c) $(0, 0), (-1, 1)$ (d) $(5, 5), (4, 6)$



[Watch Video Solution](#)

321. Two sides of a triangle are along the coordinate axes and the medians through the vertices (other than the origin) are mutually perpendicular. The number of such triangles is/are (a) zero (b) two (c) four (d) infinite



[Watch Video Solution](#)

322. The graph of $y^2 + 2xy + 40|x| = 400$ divides the plane into regions. Then the area of the bounded region is (a) 200squnits (b) 400squnits (c) 800squnits (d) 500squnits

 [Watch Video Solution](#)

323. In a triangle ABC , $A = (\alpha, \beta)$, $B = (2, 3)$, and $C = (1, 3)$. Point A lies on line $y = 2x + 3$, where $\alpha \in I$. The area of ABC , is such that $[\Delta] = 5$. The possible coordinates of A are (where $[.]$ represents greatest integer function). (a) $(2, 3)$ (b) $(5, 13)$ (c) $(-5, -7)$ (d) $(-3, -5)$

 [Watch Video Solution](#)

324. If the straight lines $2x + 3y - 1 = 0$, $x + 2y - 1 = 0$, and $ax + by - 1 = 0$ form a triangle

with the origin as orthocentre, then (a, b) is given by

 [Watch Video Solution](#)

325. Let O be the origin. If $A(1, 0)$ and $B(0, 1)$ and $P(x, y)$ are points such that $xy > 0$ and $x + y < 1$, then P

 [Watch Video Solution](#)

326. If the area of the rhombus enclosed by the lines $lx \pm my \pm n = 0$ is 2 sq. units, then, a) l, m, n are in G.P b) l, n, m are in G.P. c) $lm = n$ d) $ln = m$

 [Watch Video Solution](#)

327. In a triangle ABC , the bisectors of angles B and C lie along the lines $x = y$ and $y = 0$. If A is $(1, 2)$, then the equation of line BC is

 [Watch Video Solution](#)

328. If $\frac{a}{\sqrt{bc}} - 2 = \sqrt{\frac{b}{c}} + \sqrt{\frac{c}{b}}$, where $a, b, c > 0$, then the family of lines $\sqrt{ax} + \sqrt{by} + \sqrt{c} = 0$ passes through the fixed point given by (a) (1, 1) (b) (1, -2) (c) (-1, 2) (d) (-1, 1)

 [Watch Video Solution](#)

329. $P(m, n)$ (where m, n are natural numbers) is any point in the interior of the quadrilateral formed by the pair of lines $xy = 0$ and the lines $2x + y - 2 = 0$ and $4x + 5y = 20$. The possible number of positions of the point P is. (a) 7 (b) 5 (c) 4 (d) 6

 [Watch Video Solution](#)

330. A diagonal of rhombus $ABCD$ is member of both the families of lines $(x + y - 1) + \lambda(2x + 3y - 2) = 0$ and $(x - y + 2) + \lambda(2x - 3y + 5) = 0$ and rhombus is (3, 2). If the area of the rhombus is $12\sqrt{5}$ sq. units, then find the remaining vertices of the rhombus.



[Watch Video Solution](#)

331. A regular polygon has two of its consecutive diagonals as lines $\sqrt{3}x + y = \sqrt{3}$ and $2y = \sqrt{3}$. Point $(1, c)$ is one of its vertices. Find the equation of the sides of the polygon and also find the coordinates of the vertices.



[Watch Video Solution](#)

332. Find the locus of the circumcenter of a triangle whose two sides are along the coordinate axes and the third side passes through the point of intersection of the lines $ax+by+c=0$ and $lx+my+n=0$.



[Watch Video Solution](#)

333. A line $L_1 = 3y - 2x - 6 = 0$ is rotated about its point of intersection with the y-axis in the clockwise direction to make it L_2 such

that they are formed by L_1 , L_2 , the x-axis, and line $x = 5$ is $\frac{49}{3}$ sq units if its point of intersection with $x = 5$ lies below the x-axis. Find the equation of L_2 .

 [Watch Video Solution](#)

334. Straight lines $y = mx + c_1$ and $y = mx + c_2$ where $m \in \mathbb{R}^+$, meet the x-axis at A_1 and A_2 , respectively, and the y-axis at B_1 and B_2 , respectively. It is given that points A_1 , A_2 , B_1 , and B_2 are concyclic. Find the locus of the intersection of lines A_1B_2 and A_2B_1 .

 [Watch Video Solution](#)

335. Show that the reflection of the line $ax+by+c=0$ in the line $x+y+1=0$ is the line $bx+ay+(a+b-c)=0$, where $a \neq b$.

 [Watch Video Solution](#)

336. Two equal sides of an isosceles triangle are $7x-y+3=0$ and $x+y-3=0$. Its third side passes the point $(1,-10)$.

Determine the equation of the third side.

 [Watch Video Solution](#)

337. The number of possible straight lines passing through $(2,3)$ and forming a triangle with the coordinate axes, whose area is 12sq. Units , is

 [Watch Video Solution](#)

338. In a triangle ABC , if A is $(2, -1)$, and $7x - 10y + 1 = 0$ and $3x - 2y + 5 = 0$ are the equations of an altitude and an angle bisector, respectively, drawn from B , then the equation of BC is (a)

$a + y + 1 = 0$ (b) $5x + y + 17 = 0$ (c) $4x + 9y + 30 = 0$ (d)

$x - 5y - 7 = 0$

 [Watch Video Solution](#)

339. The sides of a triangle are the straight line $x+y=1$, $7y=x$, and $\sqrt{3}y + x = 0$. Then which of the following is an interior point of the triangle?

 [Watch Video Solution](#)

340. One of the diameters of the circle circumscribing the rectangle ABCD is $4y = x + 7$. If A and B are $(-3, 4)$, $(5, 4)$ then find the area of the rectangle.

 [Watch Video Solution](#)

341. The coordinates of two consecutive vertices A and B of a regular hexagon ABCDEF are $(1,0)$ and $(2,0)$, respectively.

The equation of the diagonal CE is

 [Watch Video Solution](#)

342. P is a point on the line $y + 2x = 1$, and Q and R two points on the line $3y + 6x = 6$ such that triangle PQR is an equilateral triangle. The length of the side of the triangle is



[Watch Video Solution](#)

343. The distance of origin from line $(1 + \sqrt{3})y + 1(1 - \sqrt{3})x = 10$ measured along the line $y = \sqrt{3}x + k$ is



[Watch Video Solution](#)

344. In ABC , the coordinates of the vertex A are $(4, -1)$, and lines $x - y - 1 = 0$ and $2x - y = 3$ are the internal bisectors of angles B and C . Then, the radius of the encircle of triangle ABC is (a) $\frac{4}{\sqrt{5}}$ (b) $\frac{3}{\sqrt{5}}$ (c) $\frac{6}{\sqrt{5}}$ (d) $\frac{7}{\sqrt{5}}$



[Watch Video Solution](#)

345. If the equation of any two diagonals of a regular pentagon belongs to the family of lines $(1 + 2\lambda)y - (2 + \lambda)x + 1 - \lambda = 0$ and their lengths are $\sin 36^\circ$, then the locus of the center of circle circumscribing the given pentagon (the triangles formed by these diagonals with the sides of pentagon have no side common) is

(a) $x^2 + y^2 - 2x - 2y + 1 + \sin^2 72^\circ = 0$

(b) $x^2 + y^2 - 2x - 2y + \cos^2 72^\circ = 0$

(c) $x^2 + y^2 - 2x - 2y + 1 + \cos^2 72^\circ = 0$

(d) $x^2 + y^2 - 2x - 2y + \sin^2 72^\circ = 0$

 [Watch Video Solution](#)

346. If it is possible to draw a line which belongs to all the given family of lines

$$y - 2x + 1 + \lambda_1(2y - x - 1) = 0, 3y - x - 6 + \lambda_2(y - 3x + 6) = 0, ax +$$

, then

 [Watch Video Solution](#)

347. The locus of the image of the point $(2, 3)$ in the line

$$(x - 2y + 3) + \lambda(2x - 3y + 4) = 0 \quad \text{is } (\lambda \in R) \quad \text{(a)}$$

$$x^2 + y^2 - 3x - 4y - 4 = 0 \quad \text{(b)} \quad 2x^2 + 3y^2 + 2x + 4y - 7 = 0 \quad \text{(c)}$$

$$x^2 + y^2 - 2x - 4y + 4 = 0 \quad \text{(d) none of these}$$



Watch Video Solution

348. ABC is a variable triangle such that A is $(1, 2)$, and B and C on the

line $y = x + \lambda$ (λ is a variable). Then the locus of the orthocentre of

triangle ABC is $x + y = 0$ (b) $x - y = 0$ $x^2 + y^2 = 4$ (d) $x + y = 3$



Watch Video Solution

349. If $P\left(1 + \frac{\alpha}{\sqrt{2}}, 2 + \frac{\alpha}{\sqrt{2}}\right)$ be any point on a line, then the range of

values of α for which the point P lies between the parallel lines $x+2y=1$

and $2x+4y=15$ is



Watch Video Solution

350. If the intercepts made by the line $y = mx$ by lines $y = 2$ and $y = 6$ is less than 5, then the range of values of m is a. $\left(-\infty, -\frac{4}{3}\right) \cup \left(\frac{4}{3}, \infty\right)$ b. $\left(-\frac{4}{3}, \frac{4}{3}\right)$ c. $\left(-\frac{3}{4}, \frac{4}{3}\right)$ d. none of these

[Watch Video Solution](#)

351. If the extremities of the base of an isosceles triangle are the points $(2a, 0)$ and $(0, a)$, and the equation of one of the side is $x = 2a$, then the area of the triangle is

[Watch Video Solution](#)

352. The coordinates of the foot of the perpendicular from the point $(2, 3)$ on the line $-y + 3x + 4 = 0$ are given by

[Watch Video Solution](#)

353. The straight lines $x + 2y - 9 = 0$, $3x + 5y - 5 = 0$, and $ax + by - 1 = 0$ are concurrent, if the straight line $35x - 22y + 1 = 0$ passes through the point (a) (a, b) (b) (b, a) (c) $(-a, -b)$ (d) none of these

 [Watch Video Solution](#)

354. If lines $x + 2y - 1 = 0$, $ax + y + 3 = 0$, and $bx - y + 2 = 0$ are concurrent, and S is the curve denoting the locus of (a, b) , then the least distance of S from the origin is

 [Watch Video Solution](#)

355. L_1 and L_2 are two lines. If the reflection of L_1 on L_2 and the reflection of L_2 on L_1 coincide, then the angle between the lines is (a) 30° (b) 60° (c) 45° (d) 90°

 [Watch Video Solution](#)

356. $A \equiv (-4, 0)$, $B \equiv (4, 0)$ and N are the variable points of the y-axis such that M lies below N and $MN = 4$. Lines AM and BN intersect at P . The locus of P is

 [Watch Video Solution](#)

357. If $\sin(\alpha + \beta)\sin(\alpha - \beta) = \sin \gamma(2 \sin \beta + \sin \gamma)$, where $0 < \alpha, \beta, \gamma < \pi$, then the straight line whose equation is $x \sin \alpha + y \sin \beta - \sin \gamma = 0$ passes through point (a) $(1, 1)$ (b) $(-1, 1)$ (c) $(1, -1)$ (d) none of these

 [Watch Video Solution](#)

358. Let P be $(5, 3)$ and a point R on $y=x$ and Q on the x-axis such that $PQ+QR+RP$ is minimum. Then the coordinates of Q are

 [Watch Video Solution](#)

359. Given $A(0,0)$ and $B(x,y)$ with $x \in (0, 1)$ and $y > 0$. Let the slope of line AB be m_1 , where $0 < m_2 < m_1$. If the area of triangle ABC can be expressed as $(m_1 - m_2)f(x)$. then the largest possible value of $f(x)$ is

 [Watch Video Solution](#)

360. If the straight lines $x + y - 2 = 0$, $2x - y + 1 = 0$ and $ax + by - c = 0$ are concurrent, then the family of lines $2ax + 3by + c = 0$ (a, b, c are nonzero) is concurrent at (a) $(2, 3)$ (b) $\left(\frac{1}{2}, \frac{1}{3}\right)$ (c) $\left(-\frac{1}{6}, -\frac{5}{9}\right)$ (d) $\left(\frac{2}{3}, -\frac{7}{5}\right)$

 [Watch Video Solution](#)

361. The equation of the lines through the point $(2, 3)$ and making an intercept of length 2 units between the lines $y + 2x = 3$ and $y + 2x = 5$ are

(A) $x + 3 = 0, 3x + 4y = 12$ (B) $y - 2 = 0, 4x - 3y = 6$ (C)

$x - 2 = 0, 3x + 4y = 18$ (D) none of these

 [Watch Video Solution](#)

362. A beam of light is sent along the line $x - y = 1$, which after refracting from the x-axis enters the opposite side by turning through 30° towards the normal at the point of incidence on the x-axis. Then the equation of the refracted ray is (a) $(2 - \sqrt{3})x - y = 2 + \sqrt{3}$ (b) $(2 + \sqrt{3})x - y = 2 + \sqrt{3}$ (c) $(2 - \sqrt{3})x + y = (2 + \sqrt{3})$ (d) $y = (2 - \sqrt{3})(x - 1)$

 [Watch Video Solution](#)

363. Find α if (α, α^2) lies inside the triangle having sides along the lines $2x+3y=1, x+2y-3=0, 6y=5x-1$.

 [Watch Video Solution](#)

364. A line through $A(-5,-4)$ meets the lines $x+3y+2=0$, $2x+y+4=0$ and $x-y-5=0$ at the points B , C and D respectively. If $\left(\frac{15}{AB}\right)^2 + \left(\frac{10}{AC}\right)^2 = \left(\frac{6}{AD}\right)^2$ find the equation of the line.

 [Watch Video Solution](#)

365. If $u = a_1x + b_1y + c_1 = 0$, $v = a_2x + b_2y + c_2 = 0$, and $\frac{a_1}{a_2} = \frac{b_1}{b_2} = \frac{c_1}{c_2}$, then the curve $u + kv = 0$ is (a)the same straight line u (b)different straight line (c)not a straight line (d)none of these

 [Watch Video Solution](#)

366. The point $(2,1)$, translated parallel to the line $x - y = 3$ by the distance of 4 units. If this new position A' is in the third quadrant, then the coordinates of A' are-

 [Watch Video Solution](#)

367. Let ABC be a triangle. Let A be the point $(1, 2)$, $y = x$ be the perpendicular bisector of AB , and $x - 2y + 1 = 0$ be the angle bisector of $\angle C$. If the equation of BC is given by $ax + by - 5 = 0$, then the value of $a + b$ is

- (a) 1 (b) 2 (c) 3 (d) 4

 [Watch Video Solution](#)

368. The area enclosed by $2|x| + 3|y| \leq 6$ is (a) 3 sq. units (b) 4 sq. units
12 sq. units (d) 24 sq. units

 [Watch Video Solution](#)

369. The lines $y = m_1x$, $y = m_2x$ and $y = m_3x$ make equal intercepts on the line $x + y = 1$. Then (a)

$2(1 + m_1)(1 + m_3) = (1 + m_2)(2 + m_1 + m_3)$ (b)

$(1 + m_1)(1 + m_3) = (1 + m_2)(1 + m_1 + m_3)$ (c)

$$(1 + m_1)(1 + m_2) = (1 + m_3)(2 + m_1 + m_3) \quad (d)$$

$$2(1 + m_1)(1 + m_3) = (1 + m_2)(1 + m_1 + m_3)$$

 [Watch Video Solution](#)

370. Find the condition in a, b such that the portion of the line $ax+by=1$, intercepted between the lines $ax+y=0$ and $x + by=0$ sustains a right angle at origin.

 [Watch Video Solution](#)

371. One diagonal of a square is along the line $8x-15y=0$ and one of its vertex is $(1,2)$. Then the equations of the sides of the square passing through this vertex are

 [Watch Video Solution](#)

372. The straight line $ax + by + c = 0$, where $abc \neq 0$, will pass through the first quadrant if (a) $ac > 0, bc > 0$ (b) $ac > 0$ or $bc < 0$ (c) $bc > 0$ or $ac > 0$ (d) $ac < 0$ or $bc < 0$



[Watch Video Solution](#)

373. A square of side a lies above the x -axis and has one vertex at the origin. This side passing through the origin makes an angle α ($0 < \alpha < \pi/4$) with the positive direction of the x -axis. The equation of its diagonal not passing through the origin is



[Watch Video Solution](#)

374. If the sum of the distances of a point from two perpendicular lines in a plane is 1, then its locus is



[Watch Video Solution](#)

375. ABC is a variable triangle such that A is $(1, 2)$, and B and C on the line $y = x + \lambda$ (λ is a variable). Then the locus of the orthocentre of triangle ABC is $x + y = 0$ (b) $x - y = 0$ (c) $x^2 + y^2 = 4$ (d) $x + y = 3$

 **Watch Video Solution**

376. Consider a ΔABC in which sides AB and AC are perpendicular to $x - y - 4 = 0$ and $2x - y - 5 = 0$, respectively. Vertex A is $(-2, 3)$ and the circumcenter of ΔABC is $(3/2, 5/2)$.

The equation of the line in List I is of the form $ax + by + c = 0$, where $a, b, c \in I$. Match it with the corresponding value of c in list II and then choose the correct code.

List I	List II
a. Equation of the perpendicular bisector of side AB	p. -1
b. Equation of the perpendicular bisector of side AC .	q. 1
c. Equation of side AC	r. -16
d. Equation of the median through A	s. -4

Codes :

a b c d

r s p q

s r q p

q p s r

r p s q



Watch Video Solution

377. Column I | Column II Two vertices of a triangle are $(5, -1)$ and $(-2, 3)$. If the orthocentre is the origin, then the coordinates of the third vertex are |p. $(-4, -7)$ A point on the line $x + y = 4$ which lies at a unit distance from the line $4x + 3y = 10$ is |q. $(-7, 11)$ The orthocentre of the triangle formed by the lines $x + y - 1 = 0$, $x - y + 3 = 0$, $2x + y = 7$ is |r. $(2, -2)$ If $2a, b, c$ are in AP, then lines $ax + by = c$ are concurrent at |s. $(-1, 2)$



Watch Video Solution

378. Column I | Column II

a. Four

lines

$$x + 3y - 10 = 0, x + 3y - 20 = 0, 3x - y + 5 = 0, \text{ and } 3x - y - 5 = 0$$

form a figure which is|p. a quadrilateral which is neither a parallelogram nor a trapezium

b.The points $A(1, 2)$, $B(2, 3)$, $C(-1, -5)$, and $D(-2, 4)$ in order are the vertices of|q. a parallelogram

c.The lines $7x + 3y - 33 = 0$, $3x - 7y + 19 = 0$, $3x - 7y - 10$, and $7x + 3y - 4 = 0$ form a figure which is|r. a rectangle of area 10 sq. units

d.Four lines $4y - 3x - 7 = 0$, $3y - 4x + 7 = 0$, $4y - 3x - 21 = 0$, $3y - 4x + 14 = 0$

form a figure which is|s. a square



[Watch Video Solution](#)

379. The lines

$$(a + b)x + (a - b)y - 2ab = 0, (a - b)x + (a + b)y - 2ab = 0 \text{ and } x + y = 0$$

form an isosceles triangle whose vertical angle is



[Watch Video Solution](#)

380. Each equation contains statements given in two columns which have to be matched. Statements (a,b,c,d) in column I have to be matched with Statements (p, q, r, s) in column II. If the correct match are $a\vec{p}$, $a\vec{s}$, $b\vec{q}$, $b\vec{r}$, $c\vec{p}$, $c\vec{q}$, and $d\vec{s}$, then the correctly bubbled 4×4 matrix should be as follows: Figure

Consider the lines represented by equation $(x^2 + xy - x)(x - y) = 0$, forming a triangle. Then match the following:

Column I | Column II

a. Orthocenter of triangle | p. $\left(\frac{1}{6}, \frac{1}{2}\right)$

b. Circumcenter | q. $\left(1(2 + 2\sqrt{2}), \frac{1}{2}\right)$

c. Centroid | r. $\left(0, \frac{1}{2}\right)$

d. Incenter | s. $\left(\frac{1}{2}, \frac{1}{2}\right)$



Watch Video Solution

381. The st. lines $3x + 4y = 5$ and $4x - 3y = 15$ intersect at a point $A(3, -1)$. On these line points B and C are chosen so that $AB = AC$. Find the possible eqns of the line BC pass through the point $(1, 2)$



Watch Video Solution

 Watch Video Solution

382. The area of the triangular region in first quadrant bounded on the left by the line $7x + 4y = 168$, and bounded below by the line $5x + 3y = 121$ is A . Then the value of $\frac{3A}{10}$ is _____

 Watch Video Solution

383. Find the area enclosed by the graph of $x^2y^2 - 9x^2 - 25y^2 + 225 = 0$.

 Watch Video Solution

384. Line $L_1 \equiv ax + by + c = 0$ and $L_2 \equiv lx + my + n = 0$ intersect at point P and make an angle θ with each other Find the equation of a line different from L_2 which passes through P and makes the same angle θ with L_1 .

 Watch Video Solution

385. Let ABC be a triangle with $AB=AC$. If D is the midpoint of BC, E is the foot of the perpendicular drawn from D to AC, and F is the midpoint of DE, then prove that AF is perpendicular to BE.

 [Watch Video Solution](#)

386. For $a > b > c > 0$, the distance between $(1, 1)$ and the point of intersection of the lines $ax + by + c = 0$ and $bx + ay + c = 0$ is less than $2\sqrt{2}$, then

 [Watch Video Solution](#)

387. A straight line L through the point $(3, 2)$ is inclined at an angle 60° to the line $\sqrt{3}x + y = 1$. If L also intersects the x-axis, then the equation of L is

 [Watch Video Solution](#)

388. The locus of the orthocenter of the triangle formed by the line $(1+p)x-py+p(1+p) = 0$, $(1+q)x-ky+q(1+q) = 0$ and $y=0$, where $p \neq q$, is

 [Watch Video Solution](#)

389. The vertices of a triangle are $A(-1, -7)$, $B(5, 1)$ and $C(1, 4)$. If the internal angle bisector of $\angle B$ meets the side AC in D , then find the length AD .

 [Watch Video Solution](#)

390. Let the algebraic sum of the perpendicular distance from the points $(2, 0)$, $(0, 2)$, and $(1, 1)$ to a variable straight line be zero. Then the line passes through a fixed point whose coordinates are ___

 [Watch Video Solution](#)

391. A straight line through the origin 'O' meets the parallel lines $4x + 2y = 9$ and $2x + y = -6$ at points P and Q respectively. Then the point 'O' divides the segment PQ in the ratio : (A) 1:2 (B) 3:2 (C) 2:1 (D) 4:3



[Watch Video Solution](#)

392. A straight line L with negative slope passes through the point (8,2) and cuts the positive coordinate axes at points P and Q. As L varies, the absolute minimum value of $OP+OQ$ is (O is origin)



[Watch Video Solution](#)

393. A straight line L through the origin meets the lines $x+y=1$ and $x+y=3$ at P and Q respectively. Through P and Q two straight lines L_1 and L_2 are drawn, parallel to $2x-y=5$ and $3x+y=5$ respectively. Line L_1 and L_2 intersect at R. Show that the locus of R as L varies is a straight line.



[Watch Video Solution](#)

394. A rectangle PQRS has its side PQ parallel to the line $y = mx$ and vertices P, Q and S on the lines $y = a$, $x = b$ and $x = -b$ respectively, Find the locus of the vertex R.



[Watch Video Solution](#)

395. The area of the triangle formed by the intersection of a line parallel to x-axis and passing through P (h, k) with the lines $y = x$ and $x + y = 2$ is $4h^2$. Find the locus of the point P.



[Watch Video Solution](#)

396. The lines $ax + by + c = 0$, where $3a + 2b + 4c = 0$, are concurrent at the point (a) $\left(\frac{1}{2}, \frac{3}{4}\right)$ (b) (1, 3) (c) (3, 1) (d) $\left(\frac{3}{4}, \frac{1}{2}\right)$



[Watch Video Solution](#)

397. The area enclosed within the curve $|x| + |y| = 1$ is



[Watch Video Solution](#)

398. The orthocentre of the triangle formed by the lines $x + y = 1$, $2x + 3y = 6$ and $4x - y + 4 = 0$ lies in



[Watch Video Solution](#)

399. If a , b and c are in AP , then the straight line $ax + by + c = 0$ will always pass through a fixed point whose coordinates are (a) (1,2) (b) (1,-2) (c) (2,3) (d) (0,0)



[Watch Video Solution](#)

400. Statement-I: If the diagonals of the quadrilateral formed by the lines $px + qy + r = 0$, $p'x + q'y + r' = 0$, are at right angles, then

$$p^2 + q^2 = p'^2 + q'^2 .$$

Statement-2: Diagonals of a rhombus are bisected and perpendicular to each other.

Only conclusion I follows Only

conclusion II follows

Either I or II follows

Neither I nor II follows



[Watch Video Solution](#)

401. Statement :Two different lines can be drawn passing through two given points.



[Watch Video Solution](#)

402. Statement 1: The joint equation of lines $y = x$ and $y = -x$ is $y^2 = -x^2$, i.e., $x^2 + y^2 = 0$

Statement 2: The joint equation of lines $ax + by = 0$ and $cx + dy = 0$ is $(ax + by)(cx + dy) = 0$, where a, b, c, d are constant.



Watch Video Solution

403. Statement 1: If the sum of algebraic distances from point $A(1, 1), B(2, 3), C(0, 2)$ is zero on the line $ax + by + c = 0$, then $a + 3b + c = 0$ Statement 2: The centroid of the triangle is $(1, 2)$



Watch Video Solution

404. Each question has four choice: a, b, c and d, out of which only one is correct. Each question contains Statement 1 and Statement 2. Find the correct answer. Both the Statements are true but Statement 2 is the correct explanation of Statement 1. Both the Statement are True but Statement 2 is not the correct explanation of Statement 1. Statement 1 is True and Statement 2 is False. Statement 1 is False and Statement 2 is True Statement 1: The lines $(a + b)x + (a - 2b)y = a$ are con-current at the point $\left(\frac{2}{3}, \frac{1}{3}\right)$. Statement 2: The lines $x + y - 1 = 0$ and $x - 2y = 0$ intersect at the point $\left(\frac{2}{3}, \frac{1}{3}\right)$.



Watch Video Solution

405. Statement 1: If the point $(2a - 5, a^2)$ is on the same side of the line $x + y - 3 = 0$ as that of the origin, then $a \in (2, 4)$

Statement 2: The points (x_1, y_1) and (x_2, y_2) lie on the same or opposite sides of the line $ax + by + c = 0$, as $ax_1 + by_1 + c$ and $ax_2 + by_2 + c$ have the same or opposite signs.

(a) Both the statements are true, and Statement-1 is the correct explanation of Statement 2.

(b) Both the statements are true, and Statement-1 is not the correct explanation of Statement 2.

(c) Statement 1 is true and Statement 2 is false.

(d) Statement 1 is false and Statement 2 is true.



[Watch Video Solution](#)

406. Statement 1: Each point on the line $y - x + 12 = 0$ is equidistant from the lines $4y + 3x - 12 = 0$, $3y + 4x - 24 = 0$

Statement 2: The locus of a point which is equidistant from two given

lines is the angular bisector of the two lines.

- (a) Statement 1 and Statement 2 are correct. Statement 2 is the correct explanation for the Statement 1
- (b) Statement 1 and Statement 2 are correct. Statement 2 is not the correct explanation for the Statement 1
- (c) Statement 1 is true but Statement 2 is false
- (d) Statement 2 is true but Statement 1 is false



[Watch Video Solution](#)

407. If lines $px + qy + r = 0$, $qx + ry + p = 0$ and $rx + py + q = 0$ are concurrent, then prove that $p + q + r = 0$ (where, p, q, r are distinct).



[Watch Video Solution](#)

408. the diagonals of the parallelogram formed by the the lines $a_1x + b_1y + c_1 = 0$, $a_1x + b_1y + c_1' = 0$, $a_2x + b_2y + c_1 = 0$, $a_2x + b_2y + c_1' = 0$ will be right angles if:



[Watch Video Solution](#)

409. If the lines joining the origin and the point of intersection of curves $ax^2 + 2hxy + by^2 + 2gx + 0$ and $a_1x^2 + 2h_1xy + b_1y^2 + 2g_1x = 0$ are mutually perpendicular, then prove that $g(a_1 + b_1) = g_1(a + b)$.



[Watch Video Solution](#)

410. Find the angle between the lines joining the origin to the points of intersection of the straight line $y = 3x + 2$ with the curve $x^2 + 2xy + 3y^2 + 4x + 8y = 11 = 0$.



[Watch Video Solution](#)

411. Prove that the straight lines joining the origin to the points of intersection of the straight line $hx + ky = 2hk$ and the curve $(x - k)^2 + (y - h)^2 = c^2$ are at right angle if $h^2 + k^2 = c^2$.



[Watch Video Solution](#)

 Watch Video Solution

412. If pairs of straight lines $x^2 - 2pxy - y^2 = 0$ and $x^2 - 2qxy - y^2 = 0$ be such that each pair bisects the angle between the other pair, then

 Watch Video Solution

413. Find the value of a for which the lines represented by $ax^2 + 5xy + 2y^2 = 0$ are mutually perpendicular.

 Watch Video Solution

414. Find the acute angle between the pair of lines represented by $x(\cos \alpha - y \sin \alpha) = (x^2 + y^2) \sin^2 \alpha$

 Watch Video Solution

415. If the angle between the lines represented by $2x^2 + 5xy + 3y^2 + 7x + 13y - 3 = 0$ is $\tan^{-1}(m)$, then m is equal to

 [Watch Video Solution](#)

416. If the pair of straight lines $ax^2 + 2hxy + by^2 = 0$ is rotated about the origin through 90° , then find its equation in the new position.

 [Watch Video Solution](#)

417. The orthocenter of the triangle formed by the lines $xy = 0$ and $x + y = 1$ is

 [Watch Video Solution](#)

418. The lines joining the origin to the point of intersection of $3x^2 + mxy - 4x + 1 = 0$ and $2x + y - 1 = 0$ are at right angles. Then

which of the following is a possible value of m?

 [Watch Video Solution](#)

419. If the slope of one line is double the slope of another line and the combined equation of the pair of lines is $(x^2/a) + (2xy/h) + (y^2/b) = 0$, then find the ratio $ab : h^2$.

 [Watch Video Solution](#)

420. Find the combined equation of the pair of lines through the point (1,0) and parallel to the lines represented by $2x^2 - xy - y^2 = 0$.

 [Watch Video Solution](#)

421. The value k for which $4x^2 + 8xy + ky^2 = 9$ is the equation of a pair of straight lines is _____.

 [Watch Video Solution](#)

422. The two lines represented by $3ax^2 + 5xy + (a^2 - 2)y^2 = 0$ are perpendicular to each other for

 [Watch Video Solution](#)

423. If two lines represented by $x^4 + x^3y + cx^2y^2 - xy^3 + y^4 = 0$ bisector of the angle between the other two, then the value of c is

 [Watch Video Solution](#)

424. The straight lines represented by $x^2 + mxy - 2y^2 + 3y - 1 = 0$ meet at (a) $\left(-\frac{1}{3}, \frac{2}{3}\right)$ (b) $\left(-\frac{1}{3}, -\frac{2}{3}\right)$ (c) $\left(\frac{1}{3}, \frac{2}{3}\right)$ (d) none of these

 [Watch Video Solution](#)

425. The straight lines represented by the equation $135x^2 - 136xy + 33y^2 = 0$ are equally inclined to the line (a) $x - 2y = 7$ (b) $x + 2y = 7$ (c) $x - 2y = 4$ (d) $3x + 2y = 4$



[Watch Video Solution](#)

426. If one of the lines of $my^2 + (1 - m^2)xy - mx^2 = 0$ is a bisector of the angle between the lines $xy = 0$, then m is



[Watch Video Solution](#)

427. Statement 1 : If $-2h = a + b$, then one line of the pair of lines $ax^2 + 2hxy + by^2 = 0$ bisects the angle between the coordinate axes in the positive quadrant. Statement 2 : If $ax + y(2h + a) = 0$ is a factor of $ax^2 + 2hxy + by^2 = 0$, then $b + 2h + a = 0$.



[Watch Video Solution](#)

428. Show that all chords of the curve $3x^2 - y^2 - 2x + 4y = 0$, which subtend a right angle at the origin, pass through a fixed point. Find the coordinates of the point.



Watch Video Solution

429. The distance between the lines $(x + 7y)^2 + 4\sqrt{7}(x + 7y) - 42 = 0$ is _____.



Watch Video Solution

430. $x + y = 7$ and $ax^2 + 2hxy + ay^2 = 0$, ($a \neq 0$), are three real distinct lines forming a triangle is



Watch Video Solution

431. If the slope of one of the lines represented by $ax^2 + 2hxy + by^2 = 0$ is the square of the other, then $\frac{a+b}{h} + \frac{8h^2}{ab} =$



[Watch Video Solution](#)

$$432. \int \left\{ \frac{2 - 3 \sin x}{\cos^2 x} \right\} dx$$



[Watch Video Solution](#)

433. The sides of a triangle have the combined equation $x^2 - 3y^2 - 2xy + 8y - 4 = 0$. The third side, which is variable, always passes through the point $(-5, -1)$. Find the range of values of the slope of the third line such that the origin is an interior point of the triangle.



[Watch Video Solution](#)

434. Let PQR be a right - angled isosceles triangle , right angled at P(2,1). If the equation of the line QR is $2x + y = 3$, then the equation representing the pair of lines PQ and PR is



[Watch Video Solution](#)

435. The combined equation of three sides of a triangle is $(x^2 - y^2)(2x + 3y - 6) = 0$ if $(-2, a)$ is an interior point and $(b, 1)$ is an exterior point of the triangle, then

[Watch Video Solution](#)

436. Find the equation of the bisectors of the angles between the lines joining the origin to the point of intersection of the straight line $x - y = 2$ with the curve $5x^2 + 11xy + 8y^2 + 8x - 4y + 12 = 0$

[Watch Video Solution](#)

437. If θ is the angle between the lines given by the equation $6x^2 + 5xy - 4y^2 + 7x + 13y - 3 = 0$, then find the equation of the line passing through the point of intersection of these lines and making an angle θ with the positive x-axis.

 [Watch Video Solution](#)

438. The distance of a point (x_1, y_1) from each of the two straight lines which pass through the origin of coordinates is p . Find the combined equation of these straight lines.

 [Watch Video Solution](#)

439. Prove that the product of the perpendiculars drawn from the point (x_1, y_1) to the pair of straight lines $ax^2 + 2hxy + by^2 = 0$ is

$$\left| \frac{ax_1^2 + 2hx_1y_1 + by_1^2}{\sqrt{(a-b)^2 + 4h^2}} \right|$$

 [Watch Video Solution](#)

440. Find the area enclosed by the graph of $x^2y^2 - 9x^2 - 25y^2 + 225 = 0$.

 [Watch Video Solution](#)

441. Show that the pairs of straight lines $2x^2 + 6xy + y^2 = 0$ and $4x^2 + 18xy + y^2 = 0$ are equally inclined

 [Watch Video Solution](#)

442. The product of the perpendiculars from origin to the pair of lines $ax^2 + 2hxy + by^2 + 2gx + 2fy + c = 0$ is

 [Watch Video Solution](#)

443. Find the angle between the straight lines joining the origin to the points _____ of _____ intersection _____ of $3x^2 + 5xy - 3y^2 + 2x + 3y = 0$ and $3x - 2y = 1$.

 [Watch Video Solution](#)

444. Through a point $A(2,0)$ on the x-axis, a straight line is drawn parallel to the y-axis so as to meet the pair of straight lines $ax^2 + 2hxy + by^2 = 0$ at B and C . If $AB = BC$, then (a) $h^2 = 4ab$ (b) $8h^2 = 9ab$ (c) $9h^2 = 8ab$ (d) $4h^2 = ab$

 [Watch Video Solution](#)

445. Find the equation of two straight lines whose combined equation is $6x^2 + 5xy - 4y^2 + 7x + 13y - 3 = 0$.

 [Watch Video Solution](#)

446. Does equation $x^2 + 2y^2 - 2\sqrt{3}x - 4y + 5 = 0$ satisfies the condition $abc + 2gh - af^2 - bg^2 - ch^2 = 0$? Does it represent a pair of straight lines ?

 [Watch Video Solution](#)

447. Find the value of λ if $2x^2 + 7xy + 3y^2 + 8x + 14y + \lambda = 0$ represent a pair of straight lines.

 [Watch Video Solution](#)

448. Find the distance between the pair of parallel lines

$$x^2 + 4xy + 4y^2 + 3x + 6y - 4 = 0.$$

 [Watch Video Solution](#)

449. If the pair of lines $ax^2 + 2hxy + by^2 + 2gx + 2fy + c = 0$ intersect on the y-axis, then prove that $2fgh = bg^2 + ch^2$.

 [Watch Video Solution](#)

450. Find the equation of two straight lines whose combined equation is

$$6x^2 + 5xy - 4y^2 + 7x + 13y - 3 = 0.$$

 [Watch Video Solution](#)

451. If the component lines whose combined equation is $px^2 - qxy - y^2 = 0$ make the angles α and β with x-axis, then find the value of $\tan(\alpha + \beta)$.



[Watch Video Solution](#)

452. Find the joint equation of pair of lines which passes through origin and are perpendicular to the lines represented by the equation $y^2 + 3xy - 6x + 5y - 14 = 0$.



[Watch Video Solution](#)

453. If the sum of the slopes of the lines given by $x^2 - 2cxy - 7y^2 = 0$ is four times their product, then find the value of c .



[Watch Video Solution](#)

454. The distance between the two lines represented by the sides of an equilateral triangle a right-angled triangle an isosceles triangle

 [Watch Video Solution](#)

455. If the gradient of one of the lines $x^2 + hxy + 2y^2 = 0$ twice that of the other , then sum of possible values of h _____.

 [Watch Video Solution](#)

456. If one of the lines of $my^2 + (1 - m^2)xy - mx^2 = 0$ is a bisector of the angle between the lines $xy = 0$, then m is

 [Watch Video Solution](#)

457. Two pairs of straight lines have the equations $y^2 + xy - 12x^2 = 0$ and $ax^2 + 2hxy + by^2 = 0$. One line will be common among them if



[Watch Video Solution](#)

458. If the equation of the pair of straight lines passing through the point $(1, 1)$, one making an angle θ with the positive direction of the x -axis and the other making the same angle with the positive direction of the y -axis, is $x^2 - (a + 2)xy + y^2 + a(x + y - 1) = 0, a \neq 2$, then the value of $\sin 2\theta$ is



[Watch Video Solution](#)

459. If one of the lines given by the equation $2x^2 + pxy + 3y^2 = 0$ coincide with one of those given by $2x^2 + qxy - 3y^2 = 0$ and the other lines represented by them are perpendicular, then value of $p + q$ is



[Watch Video Solution](#)

460. If $x^2 + 2hxy + y^2 = 0$ represents the equation of the straight lines through the origin which make an angle α with the straight line

$$y + x = 0 \text{ then, (a) } \sec 2\alpha = h \text{ (b) } \cos \alpha = \sqrt{\frac{(1+h)}{(2h)}} \text{ (c) } 2 \sin \alpha$$

$$= \sqrt{\frac{(1+h)}{h}} \text{ (d) } \cot \alpha = \sqrt{\frac{(1+h)}{(h-1)}}$$

 [Watch Video Solution](#)

461. The equation to a pair of opposite sides of a parallelogram are

$x^2 - 5x + 6 = 0$ and $y^2 + 5 = 0$. The equations to its diagonals are

$x + 4y = 13, y = 4x - 7$ (b) $4x + y = 13, 4y = x - 7$

$4x + y = 13, y = 4x - 7$ (d) $y - 4x = 13, y + 4x - 7$

 [Watch Video Solution](#)

462. The equation $a^2x^2 + 2h(a+b)xy + b^2y^2 = 0$ and

$ax^2 + 2hxy + by^2 = 0$ represent

 [Watch Video Solution](#)

463. The equation $x^3 + x^2y - xy^2 = y^3$ represents (a) three real straight lines (b) lines in which two of them are perpendicular to each other (c) lines in which two of them are coincident (d) none of these



Watch Video Solution

464. The image of the pair of lines represented by $ax^2 + 2hxy + by^2 = 0$ by the line mirror $y = 0$ is

a. $ax^2 - 2hxy - by^2 = 0$ b. $bx^2 - 2hxy + ay^2 = 0$

c. $x^2 + 2hxy + ay^2 = 0$ d. $ax^2 - 2hxy + by^2 = 0$



Watch Video Solution

465. The combined equation of the lines l_1 and l_2 is $2x^2 + 6xy + y^2 = 0$ and that of the lines m_1 and m_2 is $4x^2 + 18xy + y^2 = 0$. If the angle between l_1 and m_2 is α then the angle between l_2 and m_1 will be $\frac{\pi}{2} - \alpha$

(b) 2α (c) $\frac{\pi}{4} + \alpha$ (d) α



Watch Video Solution

466. If the equation $ax^2 - 6xy + y^2 + 2bx + 2cy + d = 0$ represents a pair of lines whose slopes are m and m^2 , then value (s) of a is /are

 [Watch Video Solution](#)

467. The equations of a line which is parallel to the line common to the pair of lines given by $6x^2 - xy - 12y^2 = 0$ and $15x^2 + 14xy - 8y^2 = 0$ and the sum of whose intercepts on the axes is 7, is :

 [Watch Video Solution](#)

468. If the sum of the slopes of the lines given by $x^2 - 2cxy - 7y^2 = 0$ is four times their product, then find the value of c .

 [Watch Video Solution](#)

469. Area of the triangle formed by the line $x + y = 3$ and angle bisectors of the pair of straight lines $x^2 - y^2 + 2y = 1$ is

- a. 2squnits
- b. 4squnits
- c. 6squnits
- d. 8squnits



[Watch Video Solution](#)

470. The equation $x^2y^2 - 9y^2 + 6x^2y + 54y = 0$ represents a pair of straight lines and a circle a pair of straight lines and a parabola a set of four straight lines forming a square none of these



[Watch Video Solution](#)

471. The straight lines represented by $(y - mx)^2 = a^2(1 + m^2)$ and $(y - nx)^2 = a^2(1 + n^2)$ form a



[Watch Video Solution](#)

472. If the pairs of lines $x^2 + 2xy + ay^2 = 0$ and $ax^2 + 2xy + y^2 = 0$ have exactly one line in common then the joint equation of the other two lines is given by

 [Watch Video Solution](#)

473. The condition that one of the straight lines given by the equation $ax^2 + 2hxy + by^2 = 0$ may coincide with one of those given by the equation $a'x^2 + 2h'xy + b'y^2 = 0$ is

$$(ab' - a'b)^2 = 4(ha' - h'a)(bh' - b'h)$$

$$(ab' - a'b)^2 = (ha' - h'a)(bh' - b'h)$$

$$(ha' - h'a)^2 = 4(ab' - a'b)(bh' - b'h)$$

$$(bh' - b'h)^2 = 4(ab' - a'b)(ha' - h'a)$$

 [Watch Video Solution](#)

474. If the lines represented by the equation $3y^2 - x^2 + 2\sqrt{3}x - 3 = 0$ are rotated about the point $(\sqrt{3}, 0)$ through an angle of 15° , one in clockwise direction and the other in anticlockwise direction, so that they become perpendicular, then the equation of the pair of lines in the new position is

 [Watch Video Solution](#)

475. A point moves so that the distance between the foot of perpendiculars from it on the lines $ax^2 + 2hxy + by^2 = 0$ is a constant $2d$. Show that the equation to locus is $(x^2 + y^2)(h^2 - ab) = d^2\{(a - b)^2 + 4h^2\}$.

 [Watch Video Solution](#)

476. The angle between the pair of lines whose equation is $4x^2 + 10xy + my^2 + 5x + 10y = 0$ is

 [Watch Video Solution](#)

477. Find the point of intersection of the pair of straight lines represented by the equation $6x^2 + 5xy - 21y^2 + 13x + 38y - 5 = 0$.

 [Watch Video Solution](#)

478. Find the angle between the lines represented by $x^2 + 2xy \sec \theta + y^2 = 0$.

 [Watch Video Solution](#)

479. If the pair of lines $\sqrt{3}x^2 - 4xy + \sqrt{3}y^2 = 0$ is rotated about the origin by $\pi/6$ in the anticlockwise sense, then find the equation of the pair of lines in the new position.

 [Watch Video Solution](#)

480. If the equation $2x^2 + kxy + 2y^2 = 0$ represents a pair of real and distinct lines, then find the values of k .



[Watch Video Solution](#)

481. If the equation $x^2 + (\lambda + \mu)xy + \lambda\mu y^2 + x + \mu y = 0$ represents two parallel straight lines, then prove that $\lambda = \mu$.



[Watch Video Solution](#)

482. If one of the lines of the pair $ax^2 + 2hxy + by^2 = 0$ bisects the angle between the positive direction of the axes. Then find the relation for a , b and h .



[Watch Video Solution](#)

483. Prove that the equation $2x^2 + 5xy + 3y^2 + 6x + 7y + 4 = 0$ represents a pair of straight lines. Find the coordinates of their point of intersection and also the angle between them.



[Watch Video Solution](#)

484. A line L passing through the point $(2, 1)$ intersects the curve $4x^2 + y^2 - x + 4y - 2 = 0$ at the point A and B . If the lines joining the origin and the points A, B are such that the coordinate axes are the bisectors between them, then find the equation of line L .



[Watch Video Solution](#)

485. Show that straight lines $(A^2 - 3B^2)x^2 + 8ABxy + (B^2 - 3A^2)y^2 = 0$ form with the line $Ax + By + C = 0$ an equilateral triangle of area $\frac{C^2}{\sqrt{3}(A^2 + B^2)}$.



[Watch Video Solution](#)

486. If one of the lines denoted by the line pair $ax^2 + 2hxy + by^2 = 0$ bisects the angle between the coordinate axes, then prove that $(a + b)^2 = 4h^2$



Watch Video Solution