# ©゙" doubtnut 

## MATHS

# BOOKS - UNITED BOOK HOUSE 

## Question Paper 2017

## Exercise

1. The least Fermat number is
A. 1
B. 3
C. 5
D. none of these

## Answer:

## - Watch Video Solution

2. Indicate the type of data : 'Blood group of any person'
A. Attribute
B. Discrete variable
C. Continuous variable
D. none of these
3. Quartiles of a frequency distribution obtained from
A. Frequency polygon
B. Histogram
C. Ogive
D. none of these

## Answer:

## - Watch Video Solution

4. Frequency density is necessary for drawing
A. Ogive

# B. Step diagram 

C. Histogram
D. Bar diagram

## Answer:

## - Watch Video Solution

5. Sum of the absolute deviation is minimum when it is taken about
A. mean
B. median
C. mode
D. none of these

## Answer:

## - Watch Video Solution

6. If $P(A)=\frac{1}{4}, P(B)=\frac{1}{3}$ then maximum possible value of $P(A \cup B)$ is
A. $\frac{1}{2}$
B. $\frac{5}{6}$
C. $\frac{7}{12}$
D. none of these

## - Watch Video Solution

7. The number of condition for three events $A, B$ and $C$ are to be mutually independent is
A. 3
B. 4
C. 7
D. none of these

## Answer:

- Watch Video Solution

8. In a life table $d_{x}$ means
A. $1_{x}+1-1_{x}$
B. $1_{x}-1 x+1$
C. $\Delta d_{x}$
D. $\frac{1_{x}+1_{x}+1}{2}$

## Answer:

## D Watch Video Solution

9. Mention one situation where Harmonic Mean will be a suitable average.
10. If $x+3 y-7=0$ is the relation between $x$ and $y$ and s.d.
$(y)=7$ then find the s.d. $(x)$

## - Watch Video Solution

11. Write sample space when a coin is tossed until first head appears.

## - Watch Video Solution

12. Write down two cases when mean deviation about mean and standard deviations are equal.
13. If $\mathrm{a}, \mathrm{b}$ and c are three positive real numbers, then show that $a^{3}+b^{3}+c^{3}>3 a b c$.

## - Watch Video Solution

14. If $\mathrm{P}(\mathrm{A})=\mathrm{a}$ and $\mathrm{P}(\mathrm{B})=\mathrm{b}$, then show that $P\left(\frac{A}{B}\right) \leq \frac{a}{b}$.

## - Watch Video Solution

15. Define Real Wage.

## - Watch Video Solution

16. Define Real Wage.

## - Watch Video Solution

17. State the Factor Reversal Test of index number.

## - Watch Video Solution

18. Show that for a set of first $n(\leq 2)$ natural number
$n<\left[n+\frac{1}{2}\right]^{n}$
19. What is the difference between cross sectional data and Time series data?

## - Watch Video Solution

20. If $A$ and $B$ are two events then show that $P(B)=P(A) \cdot P\left(\frac{B}{A}\right)+P\left(A^{C}\right) \cdot P\left(\frac{B}{A^{C}}\right) \cdot 0<P(A)<1$

## - Watch Video Solution

21. If $A^{c}$ and $B^{c}$ are two independent events, then show that $A$ and $B$ are also independent.
22. x and y are two variables, such that $y=(3)^{\frac{1}{x}}$. If the harmonic mean of x is 3 , find the geometric mean of y .

## - Watch Video Solution

23. What are the differences between primary data and secondary data?

## - Watch Video Solution

24. What is mail questionnaire method? When this method is useful?
25. If two positive values of a variable be $x_{1}$ and $x_{2}$ and the arithmetic mean be A, geometric mean be $G$ and the harmonic mean be H , then prove that $G^{2}=A H$

## - Watch Video Solution

26. State and prove that Cauchy-Schwarz inequality.

## - Watch Video Solution

27. Derive the expression of 4 th order central moments in terms of raw moment.
28. If three numbers are drawn are drawn at random from the frist 30 natural numbers, then the probability that they are in A.P.

## - Watch Video Solution

29. The harmonic mean of $4,8,16$ is

## - Watch Video Solution

30. What is Family budget enquiry?

## - Watch Video Solution

31. What is real life application of Life Table?

## - Watch Video Solution

32. State Lagrange's interpolation formula.

## - Watch Video Solution

33. If $s$ and $R$ are respectively the standard deviation and range of set of $n$ values of a variable $x$, then prove that $\frac{R^{2}}{2 n} \leq s^{2}$.
34. Prove that mean deviation will be minimum when deviation are taken from median.

## - Watch Video Solution

35. A problem of Statistics is given to three students A, B and C, where chances of solving the problem individually are $1 / 2,1 / 3$ and $1 / 4$ respectively. Find the probability that exactly one of them solve the problem.

## D Watch Video Solution

