



MATHS

BOOKS - A N EXCEL PUBLICATION

RELATIONS AND FUNCTIONS

Question Type

1. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation R in the set

$A = \{1,2,3,\dots,13,14\}$ defined as $R = \{(x,y) : 3x - y = 0\}$



Watch Video Solution

2. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation in the set N of natural numbers defined as

$$R = \{(x, y) : y = x + 5 \text{ and } x < 4\}$$



Watch Video Solution

3. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation R on the set $A = \{1,2,3,4,5,6\}$ as

$$R = \{(X,Y) : Y \text{ IS divisible by } x \}$$



[Watch Video Solution](#)

4. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation R in the set Z of all integers defined

as

$$R = \{(x,y) : x-y \text{ is an integer}\}$$



[Watch Video Solution](#)

5. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation R in the set A of human beings in a town at a particular time given by

$$R = \{(x, y) : x \text{ and } y \text{ work at the same place}\}$$



[Watch Video Solution](#)

6. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation R in the set A of human beings in a town at a particular time given by

$$R = \{(x, y) : x \text{ and } y \text{ live in the same locality}\}$$



[Watch Video Solution](#)

7. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation R in the set A of human beings in a

town at a particular time given by

$$R = \{(x, y) : x \text{ is exactly 7 cm taller than } y\}$$



[Watch Video Solution](#)

8. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation R in the set A of human beings in a town at a particular time given by

$$R = \{(x, y) : x \text{ is wife of } y\}$$



[Watch Video Solution](#)

9. Determine whether each of the following relations is reflexive, symmetric and transitive.

Relation R in the set A of human beings in a town at a particular time given by

$$R = \{(x, y) : x \text{ is father of } y\}$$



[Watch Video Solution](#)

10. Show that the relation R in the set R of real number, defined as

$R = \{(a, b) : a \leq b^2\}$ is neither reflexive nor symmetric nor transitive.



[Watch Video Solution](#)

11. Check whether the relation R defined in the set $\{1,2,3,4,5,6\}$ as

$R = \{(a,b) : b = a + 1\}$ is reflexive, symmetric or transitive.



[Watch Video Solution](#)

12. Show that the relation R in \mathbb{R} defined as $R = \{(a, b) : a \leq b\}$ is reflexive and transitive but

not symmetric.



[Watch Video Solution](#)

13. Check whether the relation R in \mathbb{R} defined by $R = \{(a, b) : a \leq b^3\}$ is reflexive, symmetric or transitive.



[Watch Video Solution](#)

14. Show that the relation R in the set $\{1,2,3\}$ given by $R = \{(1,2), (2,1)\}$ is symmetric

but neither reflexive nor transitive



Watch Video Solution

15. Show that the relation R in the set A of all the book in a library of a college, given by $R = \{(x,y): x \text{ and } y \text{ have the same number of pages}\}$ is an equivalence relation.



Watch Video Solution

16. Show that the relation R in the set $A = \{1,2,3,4,5\}$ given by $R = \{(a,b) : |a - b| \text{ is even} \}$, is an equivalence relation. Show that all the elements of $\{1,3,5\}$ are related to each other and all the elements of $\{2,4\}$ are related to each other. But no element of $\{1, 3, 5\}$ is related to any element of $\{2,4\}$.



Watch Video Solution

17. Show that each of the relation R in the set

$$A = \{x \in \mathbb{Z} : 0 \leq x \leq 12\}, \text{ given by}$$

$R = \{(a,b) : |a-b| \text{ is a multiple of } 4\}$ is an equivalence relation. Find the set of all elements related to 1 in each case.



Watch Video Solution

18. Show that each of the relation R in the set

$$A = \{x \in \mathbb{Z} : 0 \leq x \leq 12\}, \text{ given by}$$

$R = \{(a,b) : a=b\}$ is an equivalence relation. Find

the set of all elements related to 1 in each case.



[Watch Video Solution](#)

19. Give an example of a relation, which is Symmetric but neither reflexive nor transitive.



[Watch Video Solution](#)

20. Give an example of a relation, which is Transitive but neither reflexive nor symmetric.



[Watch Video Solution](#)

21. Give an example of a relation, which is Reflexive and symmetric but not transitive



[Watch Video Solution](#)

22. Give an example of a relation, which is Reflexive and transitive but not symmetric



[Watch Video Solution](#)

23. Give an example of a relation, which is Symmetric and transitive but not reflexive



Watch Video Solution

24. Show that the relation R in the set A of all points in a plane given by

$R = \{(P, Q) : \text{the distance of the points } P \text{ from the point } Q \text{ from the origin}\}$, is an equivalence relation. Further show that the set of all points related to a point $p \neq (0, 0)$ is the circle passing through P with origin as centre.



Watch Video Solution

25. Show that the relation R . defined in the set A of all triangle as $R = \{(T_1, T_2) : T_1 \text{ is similar to } T_2\}$, is an equivalence relation. Consider three right angled triangles T_1 with sides 3,4,5, T_2 with sides 5,12,13 and T_3 with sides 6,8,10. Which triangle among T_1, T_2 and T_3 are related ?



Watch Video Solution

26. Show that the relation R defined in the set A of all polygons as

$R = \{(P_1, P_2) : P_1 \text{ and } P_2 \text{ have the same number of sides}\}$, is an equivalence relation. What is the set of all elements in A related to the right angled triangle T with sides 3, 4 and 5?



[Watch Video Solution](#)

27. Let L be the set of all line in XY plane and R be the relation in L defined as

$R = \{(L_1, L_2) : L_1 \text{ is parallel to } L_2\}$ Show that

R is an equivalence relation. Find the set of all

line related to the line $y=2x+4$



[Watch Video Solution](#)

28. Let R be the relation in the set $\{1,2,3,4\}$

given by $R = \{(1,2),(2,2),(1,1),(4,4),(1,3),(3,3),$

$(3,2)\}$. Choose the correct answer. a) R is

reflexive and symmetric but not transitive b) R

is reflexive and transitive but not symmetric c)

R is symmetric and transitive but not reflexive

d) R is an equivalence relation

A. R is reflexive and symmetric but not transitive.

B. R is reflexive and transitive but not symmetric.

C. R is symmetric and transitive but not reflexive.

D. R is an equivalence relation.

Answer: B



Watch Video Solution

29. Let R be the relation in the set N given by

$$R = \{(a, b) : a = b - 2, b > 6\}$$

choose the correct answer

A. $(2, 4) \in R$

B. $(3, 8) \in R$

C. $(6, 8) \in R$

D. $(8, 7) \in R$

Answer: C



Watch Video Solution

Question Bank

1. Let A be the set of all 50 students of class X in a school. Let $f: A \rightarrow \mathbb{N}$ be function defined by $f(x) =$ roll numbers of the student x . Show that f is one-one but not onto



Watch Video Solution

2. Show that $f: N \rightarrow N$ given by

$$f(x) = \begin{cases} (x + 1) & \text{if } x \text{ is odd} \\ (x - 1) & \text{if } x \text{ is even} \end{cases}$$

is both one-one and onto.



[Watch Video Solution](#)

3. Consider a function $f: \left[0, \frac{\pi}{2}\right] \rightarrow R$

given by $f(x) = \sin x$ and $g: \left[0, \frac{\pi}{2}\right] \rightarrow R$

given by $g(x) = \cos x$. Show that f and g are

one-one, but $f + g$ is not one-one.



[Watch Video Solution](#)

4. Show that the function $f: R_* \rightarrow R_*$ defined by $f(x) = \frac{1}{x}$ is one-one and onto, where R_* is the set of all non-zero real numbers. Is the result true, if the domain R_* is replaced by N with co-domain being same as R_* ?



[Watch Video Solution](#)

5. Check the injective and surjective of the following functions : $f: N \rightarrow N$ given by

$$f(x) = x^2$$



[Watch Video Solution](#)

6. Check the injective and surjective of the following functions : $f: \mathbb{Z} \rightarrow \mathbb{Z}$ given by

$$f(x) = x^2$$



[Watch Video Solution](#)

7. Check the injective and surjective of the following functions : $f: \mathbb{R} \rightarrow \mathbb{R}$ given by

$$f(x) = x^2$$



[Watch Video Solution](#)

8. Check the injective and surjective of the following functions : $f: N \rightarrow N$ given by

$$f(x) = x^2$$



[Watch Video Solution](#)

9. Check the injective and surjective of the following functions : $f: Z \rightarrow Z$ given by

$$f(x) = x^3$$



Watch Video Solution

10. Prove that the greatest integer function $f: \mathbb{R} \rightarrow \mathbb{R}$ given by $f(x) = [x]$ is neither one-one nor onto, where $[x]$ denotes the greatest integer less than or equal to x .



Watch Video Solution

11. Show that the modulus function $f: \mathbb{R} \rightarrow \mathbb{R}$ given by $f(x) = |x|$, is neither one-one nor onto.



Watch Video Solution

12. Show that the signum function $f: \mathbb{R} \rightarrow \mathbb{R}$

given by $f(x) = \begin{cases} 1 & \text{if } x > 0 \\ 0 & \text{if } x = 0 \\ -1 & \text{if } x < 0 \end{cases}$ is

neither one-one nor onto.



Watch Video Solution

13. Let $A = \{1, 2, 3\}$, $B = \{4, 5, 6\}$ and let $f = \{(1,4), (2,5), (3,6)\}$ be a function from A to B . Show that f is one-one.



[Watch Video Solution](#)

14. In each of the following cases, states whether the function is one-one, onto or bijective. Justify your answer.
 $f: \mathbb{R} \rightarrow \mathbb{R}$ defined by $f(x) = 3 - 4x$



[Watch Video Solution](#)

15. In each of the following cases, states whether the function is one-one, onto or bijective. Justify your answer.

$$f: \mathbb{R} \rightarrow \mathbb{R} \text{ defined by } f(x) = 1 + x^2$$



[Watch Video Solution](#)

16. Let A and B be sets. Show that

$$f: A \times B \rightarrow B \times A \text{ such that}$$

$$f(a, b) = (b, a) \text{ is a bijective function}$$



[Watch Video Solution](#)

17. Let $f: \mathbb{N}$ to \mathbb{N} be defined by

$$f(n) = \begin{cases} \left(\frac{n+1}{2}\right) & \text{if } n \text{ is odd} \\ \frac{n}{2} & \text{if } n \text{ is even} \end{cases} \quad \text{for all } n \in \mathbb{N}$$

State whether the function f is bijective. Justify your answer.



[Watch Video Solution](#)

18. Let $A = \mathbb{R} - \{-3\}$ and $B = \mathbb{R} - \{1\}$

Consider the function $f: A \rightarrow B$ defined by

$f(x) = \frac{x-2}{x-3}$. Is f one-one and onto? Justify

your answer.



[Watch Video Solution](#)

19. Let $f: \mathbb{R} \rightarrow \mathbb{R}$ be defined as $f(x) = x^4$

Choose the correct answer

A. f is one-one onto

B. f is many one

C. f is one-one but not onto

D. f is neither one-one nor onto

Answer: D



Watch Video Solution

20. Let $f: R \rightarrow R$ be defined as $f(x) = 3x$

Choose the correct answer

A. f is one-one onto

B. f is many one

C. f is one-one but not onto

D. f is neither one-one nor onto

Answer: A



Watch Video Solution

21. Let $A = \{a, b, c\}$, $B = \{p, q, r\}$ and $f: A \rightarrow B$

be given by

$f = \{(a, q), (b, r), (c, p)\}$. will f^{-1} exist ? justify

your answer.



Watch Video Solution

22. If $f: \mathbb{R} \rightarrow \mathbb{R}$ be defined by $f(x) = 5x - 3$, then prove that f is one-one and onto and find a formula for f^{-1}



Watch Video Solution

23. Let $N \rightarrow \mathbb{R}$ be a function defined as $f(x) = 4x^2 + 12x + 15$ Show that $f: N \rightarrow S$, where, S is the range of f , is invertible. Find the inverse of f .



Watch Video Solution

24. Consider of $f: N \rightarrow N$ and $h: N \rightarrow R$

defined as $f(x) = 2x$, $g(y) = 3y + 4$

and $h(z) = \sin z, \forall, x, y$ and z in N . Show that

$ho(gof) = (hog)of$.



[Watch Video Solution](#)

25. if the function $f: R \rightarrow R$ be defined by $f(x)$

$= x^2 + 5x + 9$ find $f^{-1}(9)$.



[Watch Video Solution](#)

26. Let $S = \{1, 2, 3\}$. Determine whether the function $f: S \rightarrow S$ defined as below have inverses. Find f^{-1} , if it exists

(a) $f = \{(1,1), (2,2), (3,3)\}$

(b) $f = \{(1,2), (2,1), (3,1)\}$

(c) $f = \{(1,3), (3,2), (2,1)\}$



Watch Video Solution

27. Let $f: \{1, 3, 4\} \rightarrow \{1, 2, 5\}$ and

$g: \{1, 2, 5\} \rightarrow \{1, 3\}$ be given by

$f = \{(1,2), (3,5), (4,1)\}$ and

$g = \{(1,3), (2,3), (5,1)\}$

Write down $g \circ f$



[Watch Video Solution](#)

28. Let f , g , and h be functions from \mathbb{R} to \mathbb{R} .

Show that

$$(f + g) \circ h = f \circ h + g \circ h$$



[Watch Video Solution](#)

29. Let f , g , and h be functions from \mathbb{R} to \mathbb{R} .

Show that

$$(f \cdot g) \circ h = (f \circ h) \cdot (g \circ h)$$



Watch Video Solution

30. Find $f \circ g$ and $g \circ f$

$$f(x) = |x| \text{ and } g(x) = |5x - 2|$$



Watch Video Solution

31. If $f(x) = 8x^3$ and $g(x) = x^{\frac{1}{3}}$, find $g(f(x))$ and $f(g(x))$



Watch Video Solution

32. If $f(x) = \frac{4x + 3}{6x - 4}$, $x \neq \frac{2}{3}$, show that $(f \circ f)(x) = x$, for all $x \neq \frac{2}{3}$.

What is the inverse of f ?



Watch Video Solution

33. State with reason whether the following functions have inverse

$f : \{1,2,3,4\}$ to $\{10\}$ with

$$f = \{(1,10),(2,10),(3,10),(4,10)\}$$



[Watch Video Solution](#)

34. State with reason whether the following functions have inverse

$g : \{5, 6, 7, 8\} \rightarrow \{1, 2, 3, 4\}$ with

$$g = \{(5, 4), (6, 3), (7, 4), (8, 2)\}$$





Watch Video Solution

35. State with reason whether the following functions have inverse

$h : \{2, 3, 4, 5\} \rightarrow \{7, 9, 11, 13\}$ with

$h = \{(2,7), (3,9), (4, 11), (5, 13)\}$



Watch Video Solution

36. Show that $f: [-1, 1] \rightarrow \mathbb{R}$ given by

$f(x) = \frac{x}{x+2}$ is one-one.



Watch Video Solution

37. Consider $f: \mathbb{R} \rightarrow \mathbb{R}$ given $f(x) = 4x + 3$.

Show that f is invertible. Find the inverse of f .



Watch Video Solution

38. Consider $f: \mathbb{R}^+ \rightarrow [-5, \infty)$ given by

$f(x) = 9x^2 + 6x - 5$. Show that f is invertible

with $f^{-1}(y) = \frac{\sqrt{y+6} - 1}{3}$



Watch Video Solution

39. Let $f: X \rightarrow Y$ be invertible, show that f has unique inverse



Watch Video Solution

40. Consider $f: \{1, 2, 3\} \rightarrow \{a, b, c\}$ given by $f(1) = a$, $f(2) = b$ and $f(3) = c$. find f^{-1} and show that $(f^{-1})^{-1} = f$



Watch Video Solution

41. Let $f: X \rightarrow Y$ be invertible, show that the inverse of $f^{-1} = f$,
i.e., $(f^{-1})^{-1} = f$.



Watch Video Solution

42. If $f: R \rightarrow R$ be given by $f(x) = (3 - x^3)^{\frac{1}{3}}$,
then $(f \circ f)(x)$ is

A. $x^{\frac{1}{3}}$

B. x^3

C. x

D. $(3 - x^3)'$

Answer: C



Watch Video Solution

43. $f : R - \left\{ \frac{-4}{3} \right\} \rightarrow R$ be a function defined as $f(x) = \frac{4x}{3x + 4}$. The inverse of f is the map $g : \text{Range } f \rightarrow R - \left\{ \frac{-4}{3} \right\}$ given by

$$\text{A. } g(y) = \frac{3y}{3 - 4y}$$

$$\text{B. } g(y) = \frac{4y}{4 - 3y}$$

$$\text{C. } g(y) = \frac{4y}{3 - 4y}$$

$$\text{D. } g(y) = \frac{3y}{4 - 3y}$$

Answer: B



Watch Video Solution

44. Determine which of the following binary operation on the set R are associative and which are commutative.

$$a * b = 1$$



Watch Video Solution

45. Check whether the following binary operation on the set R are associative and commutative.

$$a * b = \frac{(a + b)}{2} \quad \forall a, b \in R$$



Watch Video Solution

46. Determine whether or not each of the definitions of $*$ given below gives a binary

operation. In the event that $*$ is not a binary operation, give justification for this

on Z^+ , define $*$ by $a * b = a - b$



[Watch Video Solution](#)

47. Determine whether or not each of the definitions of $*$ given below gives a binary operation. In the event that $*$ is not a binary operation, give justification for this

on Z^+ , define $*$ by $a * b = ab$



[Watch Video Solution](#)

48. Determine whether or not each of the definitions of $*$ given below gives a binary operation. In the event that $*$ is not a binary operation, give justification for this

on R , define $*$ by $a * b = ab^2$



Watch Video Solution

49. Determine whether or not each of the definitions of $*$ given below gives a binary operation. In the event that $*$ is not a binary

operation, give justification for this

on Z^+ , define $*$ by $a * b = |a - b|$



[Watch Video Solution](#)

50. Determine whether or not each of the definitions of $*$ given below gives a binary operation. In the event that $*$ is not a binary operation, give justification for this

on Z^+ , define $*$ by $a * b = a$



[Watch Video Solution](#)

51. For each binary operation $*$ defined below, determine whether $*$ is commutative or associative

on \mathbb{Z} , define $a * b = a - b$



Watch Video Solution

52. For each binary operation $*$ defined below, determine whether $*$ is commutative or associative

on \mathbb{Q} , define $a * b = ab + 1$



Watch Video Solution

53. For each binary operation $*$ defined below, determine whether $*$ is commutative or associative

on \mathbb{Q} , define $a * b = 2^{ab}$



Watch Video Solution

54. For each binary operation $*$ defined below, determine whether $*$ is commutative

or associative

on \mathbb{Z} , define $a * b = a - b$



[Watch Video Solution](#)

55. For each binary operation $*$ defined below, determine whether $*$ is commutative or associative

on \mathbb{Z}^+ , define $a * b = a^b$



[Watch Video Solution](#)

56. For each binary operation $*$ defined below, determine whether $*$ is commutative or associative

on $R - \{-1\}$, define $a * b = \frac{a}{b+1}$



[Watch Video Solution](#)

57. Consider the binary operation \wedge on the set $\{1,2,3,4,5\}$ defined by $a \wedge b = \min\{a,b\}$. Write the operation table of the operation \wedge .



[Watch Video Solution](#)

58. Consider the binary operation $*$ on the set $A = \{1, 2, 3, 4, 5\}$ given by the following multiplication table

Compute $(2 * 3) * 4$ and $2 * (3 * 4)$

$*$	1	2	3	4	5
1	1	1	1	1	1
2	1	2	1	2	1
3	1	1	3	1	1
4	1	2	1	4	1
5	1	1	1	1	5



[Watch Video Solution](#)

59. Consider the binary operation $*$ on the set $A = \{1,2,3,4,5\}$ given by the following multiplication table

Is $*$ commutative ?

$*$	1	2	3	4	5
1	1	1	1	1	1
2	1	2	1	2	1
3	1	1	3	1	1
4	1	2	1	4	1
5	1	1	1	1	5



Watch Video Solution

60. Consider the binary operation $*$ on the set $A = \{1,2,3,4,5\}$ given by the following multiplication table

Compute $(2*3)*(4*5)$

$*$	1	2	3	4	5
1	1	1	1	1	1
2	1	2	1	2	1
3	1	1	3	1	1
4	1	2	1	4	1
5	1	1	1	1	5



Watch Video Solution

61. Let $*$ be the binary operation on the set $\{1,2,3,4,5\}$ defined by $a * b = \text{H.C.F. of } a \text{ and } b$. Is the operation $*$ same as the operation $*$ defined in Exercise 4 above ?

Justify your answer.



[View Text Solution](#)

62. Let $*$ be the binary operation on \mathbb{N} given by $a * b = \text{L.c.m. of } a \text{ and } b$. Find $5 * 7, 20 * 16$



[Watch Video Solution](#)

63. Let $*$ be the binary operation on \mathbb{N} given by $a * b = \text{L.c.m. of } a \text{ and } b$. Is $*$ commutative ?



[Watch Video Solution](#)

64. Let $*$ be the binary operation on \mathbb{N} given by $a * b = \text{L.c.m. of } a \text{ and } b$. Is $*$ associative ?



[Watch Video Solution](#)

65. Let $*$ be the binary operation on \mathbb{N} given by $a * b = \text{L.c.m. of } a \text{ and } b$. Find the identity of $*$ in \mathbb{N}



[Watch Video Solution](#)

66. Let $*$ be the binary operation on \mathbb{N} given by $a * b = \text{L.c.m. of } a \text{ and } b$. Which elements of \mathbb{N} are invertible for the operation $*$?



[Watch Video Solution](#)

67. Consider an operation $*$ defined on the set

$A = \{1, 2, 4, 8\}$ by $a * b = LCM$ of a and b .

Show that $*$ is a binary operation.



[Watch Video Solution](#)

68. Let $*$ be a binary operation on \mathbb{N} defined by $a * b = HCF$ of a and b

Is $*$ commutative?



[Watch Video Solution](#)

69. Let $*$ be a binary operation on the set \mathbb{Q} of rational numbers as follows

$$a * b = a - b.$$

Check whether $*$ is commutative and associative



[Watch Video Solution](#)

70. Let $*$ be a binary operation on the set \mathbb{Q} of rational numbers as follows

$$a * b = a^2 + b^2.$$

Is the binary operation commutative and associative ?



[Watch Video Solution](#)

71. Let $*$ be a binary operation on the set Q of rational numbers as follows

$$a * b = a + ab.$$

Is the binary operation commutative and associative ?



[Watch Video Solution](#)

72. Let $*$ be a binary operation on the set \mathbb{Q} of rational numbers as follows

$$a * b = (a - b)^2.$$

Is the binary operation commutative and associative ?



[Watch Video Solution](#)

73. Consider the binary operation $*$ on the set \mathbb{R} of real numbers, defined by $a * b = ab/4$

Show that $*$ is commutative and associative.



[Watch Video Solution](#)

74. Determine whether or not each of the definitions of $*$ given below gives a binary operation. In the event that $*$ is not a binary operation, give justification for this

on R , define $*$ by $a * b = ab^2$



[Watch Video Solution](#)

75. Find which of the following of the operations given above has identity.



[View Text Solution](#)

76. Find which of the following of the operations given above has identity.



[View Text Solution](#)

77. Find which of the following of the operations given above has identity.



[View Text Solution](#)

78. Find which of the following of the operations given above has identity.



View Text Solution

79. Let $*$ be a binary operation on the set Z of integers as $a * b = a + b + 1$. Then find the identity element:



Watch Video Solution

80. Let

$$A = N \times N \text{ and } *$$

be a binary operation on A defined by $(a,b)*$

$$(c,d) = (a + c, b + d)$$

Prove that

*

is associative



Watch Video Solution

81. State whether the following statements are true or false. Justify

For an arbitrary binary operation $*$ on N ,

$$a * a = a \forall a \in N$$



[Watch Video Solution](#)

82. State whether the following statements are true or false. Justify

If $*$ is a commutative binary operation on N ,

$$\text{then } a * (b * c) = (c * b) * a$$



83. Consider a binary operation $*$ on \mathbb{N} defined as $a * b = a^3 + b^3$. Choose the correct answer. a) both associative and commutative
b) commutative but not associative c) associative but not commutative d) neither commutative nor associative

- A. $*$ both associative and commutative
- B. $*$ commutative but not associative
- C. $*$ associative but not commutative

D. * neither commutative nor associative

Answer: B



Watch Video Solution

84. Let $f: R \rightarrow R$ be defined as $f(x) = 10x+7$

Find the function $g: R \rightarrow R$ such that $g \circ f =$

$f \circ g = I_R$



Watch Video Solution

85. Let $f: W \rightarrow W$ be defined as $f(n) = n-1$ if n

is odd and

$f(n) = n+1$ if n is even.

Show that f is invertible. Find the inverse of f .

Here W is the set of all whole numbers.



[Watch Video Solution](#)

86. If $f: R \rightarrow R$ is defined by

$f(x) = x^2 - 3x + 2$, find $f(f(x))$



[Watch Video Solution](#)

