



MATHS

BOOKS - DEEPTI MATHS (TELUGU ENGLISH)

MATHEMATICAL REASONING [APPENDIX - 4]

Solved Problems

1. If $p{:}\,7>5, q{:}\,10<12$, then $p\wedge q$

A. True

B. False

C. Can not be determined

D. None

Answer: A

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2. If $p \colon 5 > 7, q \colon 10 < 12$, then $p \lor q$

A. True

B. False

C. Can not be determined

D. None

Answer: A

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3. If $p: x^2 - 16 = 0, q: (x+4)(x-4) = 0$,

then $p \leftrightarrow q$

A. True

B. False

C. Can not be determined

D. None

Answer: A

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4. If $p: 3+5 = 10, q = 3 \times 5 = 15$, then

 $p \leftrightarrow q$

A. True

B. False

C. Can not be determined

D. None

Answer: B

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5. The converse of the statement "If

 $x \in A \cup B$ then $x \in A$ or $x \in B$ " is

A. If $x \in B$, then $x \in A$

B. If B = A, then A = B

C. If $A \subset C$, then $A \subset B$ and $B \subset C$

D. If $x \in A$ or $x \in B$, then $x \in A \cup B$

Answer: D

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1. If sentence can be judged to be true or false,

but not both then it is called

- A. an open sentence
- B. a statement
- C. a tautology
- D. a contradiction

Answer: B

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2. The truthfulness or falsity of a statement is

called its

A. negation

B. converse

C. inverse

D. truth value

Answer: D

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3. The combination of one or more simple statements with connective is called

A. a conjuction

B. a disjunction

C. an open sentence

D. a compound statement

Answer: D

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4. Denial of a statement is called its

A. negation

B. convere

C. inverse

D. truth value

Answer: A

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- 5. The statement which uses the connective
 - \lor (OR) is called a

A. negation

B. disjunction

C. conjunction

D. tautology

Answer: B

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6. The statement which uses the connective

 $\wedge\,$ (AND) is called a

A. conjunction

B. disjunction

C. implication

D. negation

Answer: A

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7. The statement of the form " if.....

then....." is called

A. Disjunction

B. Conjuction

C. Implication

D. Negation

Answer: C

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8. "Earth is a planet", the negation of this statement is

A. The earth is round

B. The earth is not round

C. The earth revolves round the sun

D. The earth is not a planet

Answer: D

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9. The negation of the statement "If I become a

teacher, then I will open a school" is

A. Neither I will become a teacher not I will

open a school

B. I will not become a teacher or I will open a school

C. I will become a teacher and I will not open a school

D. Either I will not become a teacher or I

will not open a school

Answer: C

10. The conjunction of the statements, "5 is an odd number", "5 is positive" is

A. 5 is an odd number and 5 is positive

B. 5 is an odd number or 5 is positive

C. 5 is an odd number and 5 is not positive

D. 5 is not an odd number and 5 is positive

Answer: A

11. The conjunction of the statement,"2 is even", "Its square is even", is

A. 2 is even and its square is even

B. 2 is even or its square is even

C. 2 is even but its square is not even

D.2 is not even and is its square is not

even

Answer: A



12. The disjunction of the statement, "It is raining", The sun is shining", is

A. It is raining and the sun is shining

B. It is raining or the sun is shining

C. It is raining and the sun is not shining

D. It is not raining or the sun is not shining

Answer: B

13. The disjunction of the statement, "Hyderabad is in India", 2+2 = 4" is

A. Hyderabad is in India and 2+2=4

B. Hyderabad is in India or 2+2 = 4

C. Hyderabad is in India but not 2+2=4

D. Hyderabad is not in India or 2+2=4

Answer: B

14. The disjunction of the statement, "1+2 = 3",
"3+4 = 6", is
A. 1+2 = 3 and 3+4 = 6
B. 1 + 2 = 3 or 3 + 4 = 6
C. 1 + 2 = 3 but not 3 + 4 = 6

D. Neither 1 + 2 = 3 nor 3 + 4 = 6

Answer: B

15. The disjunction of 3+5 = 8, 7-4 = 3 is

A. 3+5 = 8 and 7-4=3

B. 3 + 5 = 8 or 7 - 4 = 3

C. If 3 + 5 = 8 then 7 - 4 = 3

D. 3 + 5 = 8 only If 7 - 4 = 3

Answer: B

16. The conjunction of 6+3=9, 8-3 = 5 is

B. 6 + 3 = 9 or 8 - 3 = 5

C. If 6 + 3 = 9 then 8 - 3 = 5

D. 6 + 3 = 9 onlt if 8 - 3 = 5

Answer: A

17. The implication of x+3 = 8, 2x + 5 = 10 is

B. x + 3 = 8 or 2x + 5 = 10

C. If x + 3 = 8 then 2x + 5 = 10

D. x + 3 = 8 only if 2x + 5 = 10

Answer: C

18. "5 + 7 = 10 and 4 + 3 = 7". Write the statement using the appropriate connective A. $5 + 7 = 10 \lor 4 + 3 = 7$ B. $5 + 7 = 10 \land 4 + 3 = 7$ $C.5 + 7 = 10 \Rightarrow 4 + 3 = 7$ $D.5 + 7 = 10 \Leftrightarrow 4 + 3 = 7$

Answer: B

19. "7 is odd Or 7 is prime". Write the statement

using the appropriate connective

- A. 7 is odd \lor 7 is prime
- B. 7 is odd \land 7 is prime
- C. 7 is odd \Rightarrow 7 is prime
- D. 7 is odd \Leftrightarrow 7 is prime

Answer: A

20. "If x + 2 = 0 then x = -2". Write the statement using the appropriate connective

A.
$$x+2=0 \lor x=-2$$

B.
$$x+2=0 \wedge x=-2$$

$$\mathsf{C.}\,x+2=0 \Rightarrow x=\,-2$$

D.
$$x+2=0 \Leftrightarrow x=-2$$

Answer: C

21. "x + 2 = 0 iff x = -2 ". Write the statement

using the appropriate connective

A.
$$x+2=0 \lor x=-2$$

B.
$$x+2=0 \wedge x= -2$$

$$\mathsf{C}.\,x+2=0 \Rightarrow x=\,-\,2$$

D.
$$x+2=0 \Leftrightarrow x=-2$$

Answer: D

22. $(7 \neq 10)$. Write the statement using the

appropriate connective

A. ~
$$(7 = 10)$$

B. ~ $(7 \neq 10)$
C. ~ $(-7 = 10)$
D. $(-7 \neq 10)$

Answer: A

23. The symbolic form of" not p" is

B. ~(*~p*)

A. ~p

С. р

D. $p \sim p$

Answer: A



24. The symbolic form of "p or q" is

A. $p \lor q$

 $\mathsf{B.}\,p\wedge q$

 $\mathsf{C}.\,p \Rightarrow q$

 $\mathsf{D}.\, p \Leftrightarrow q$

Answer: A

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25. The symbolic form of "p and q" is

A. $p \lor q$

 $\mathsf{B.}\,p\wedge q$

$\mathsf{C}.\,p \Rightarrow q$

 $\mathsf{D}.\, p \Leftrightarrow q$

Answer: B

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26. The symbolic form of "p only if q" is

A. $p \lor q$

$\mathsf{B.}\,p\wedge q$

 $\mathsf{C}.\, p \Rightarrow q$

 $\mathsf{D}.\,q \Rightarrow p$

Answer: C



27. The symbolic form of "p iff q" is

A. $p \lor q$

$\mathsf{B}.\, p \wedge q$

$$\mathsf{C}.\,p \Rightarrow q$$

$\mathsf{D}.\, p \Leftrightarrow q$

Answer: D

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28. The symbolic form of "p and not q" is

A.
$$p \wedge (\,{}^{\hspace{-1.5pt}} q)$$

- $\mathsf{B}.\, p \lor (\, {\scriptstyle{\,{\scriptstyle{\sim}}}} q)$
- $\mathsf{C}.\,(\,{\scriptstyle{\,{\scriptstyle\sim}}} p)\,\wedge\,q$

D.
$$(extsf{-}p) \lor q$$





29. The symbolic form of" (not p) or q" is

A.
$$(extsf{-}p) \wedge q$$

$$\mathsf{B.}\,(\,{\scriptstyle{\thicksim}} p) \lor q$$

$$\mathsf{C}.\,p\wedge(\,{\scriptstyle{\sim}} q)$$

D.
$$p \lor (\,{}^{\hspace{-1pt}} q)$$

Answer: B



30. The symbolic form of " (either p) or (not p)"

is

A. $p \lor (\ensuremath{\,}^{\hspace{-0.5mm}} p)$ B. $p \land (\ensuremath{\,}^{\hspace{-0.5mm}} p)$ C. $p \Rightarrow (\ensuremath{\,}^{\hspace{-0.5mm}} p)$

 $\mathsf{D}.\, p \Leftrightarrow (\text{~} p)$

Answer: A





31. The symbolic form of "p or not q" is

A.
$$p \lor (\ensuremath{\,{\sim}} q)$$

B. $p \land (\ensuremath{\,{\sim}} q)$

$$\mathsf{C}.\,p \Rightarrow q$$

D.
$$p \Rightarrow \mathsf{~}q$$

Answer: A


32. The symbolic form of "(not p) and (not q)"

is

A.
$$(\ensuremath{\,{\scriptstyle\sim}} p) \lor (\ensuremath{\,{\scriptstyle\sim}} q)$$

$$\mathsf{B.}\left(\texttt{-}p\right)\wedge\left(\texttt{-}q\right)$$

C. ~
$$p \Rightarrow$$
 ~ q

D. ~
$$p \Leftrightarrow$$
 ~ q

Answer: B

33. The symbol for connective of the following

: p and not p

A.
$$p \lor (\ensuremath{\,{\scriptstyle\sim}} p)$$

- $\mathsf{B}.\, p \lor q$
- $\mathsf{C}.\, p \Leftrightarrow p$
- D. $p \land (\ensuremath{\,{}^{\sim}} p)$

Answer: D



34. p : x is odd , q: x^2 is odd, the symbolic form of "x is even or x^2 is odd", is

A. $p \lor q$

 $\mathsf{B}.\, p \wedge q$

- $\mathsf{C}.\,(\,{\scriptstyle{\,{\scriptstyle\sim}}} p)\,\vee\,q$
- D. $p \lor (\text{~}q)$

Answer: C

35. p : x is odd , q: x^2 is odd. The symbolic form of" x is odd or x^{20} is odd", is

A. $p \lor q$

- $\mathsf{B.}\,p\wedge q$
- $\mathsf{C}.\,(\,{\scriptstyle{\,{\scriptstyle\sim}}} p)\,\vee\,q$

D.
$$p \lor (\mathsf{~}q)$$

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Answer: A

36. p : x is odd : q: x^2 is odd. The symbolic form of "x is odd and x^2 is even", is

A. $p \lor q$

 $\mathsf{B}.\, p \wedge q$

 $\mathsf{C}.\,(\,{\scriptstyle{\,{\scriptstyle\sim}}} p)\,\vee\,q$

D. $p \wedge (\text{~}q)$

Answer: D

37. p : x is odd , q is x^2 is odd. The symbolic form of " x is odd and x^2 is not odd", is

A. $p \lor q$

- $\mathsf{B.}\,p\wedge q$
- $\mathsf{C}.\,(\,{\scriptstyle{\,{\scriptstyle\sim}}} p)\,\vee\,q$

D.
$$p \wedge (\,-q)$$

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Answer: D

38. p : x is odd , q: x^2 is odd. The symbolic form of "If x is odd then x^2 is odd", is

A. $p \lor q$

 $\mathsf{B.}\,p\wedge q$

 $\mathsf{C}.\,p \Rightarrow q$

D.
$$q \Rightarrow p$$

Answer: C

39. p : x is odd , q : x^2 is odd. The symbolic form of "If x is not odd then x^2 is odd", is

A.
$$p \Rightarrow q$$

$$\mathsf{B.}\,q \Rightarrow p$$

$$\mathsf{C.}\left(extsf{-}p
ight) \Rightarrow q$$

D.
$$(extsf{-}q) \Rightarrow p$$

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Answer: C

40. p : x is odd, q: x^2 is odd. The symbolic form of "x is odd iff x^2 is odd", is

A. $p \lor q$

 $\mathsf{B}.\, p \wedge q$

 $\mathsf{C}.\,p \Rightarrow q$

 $\mathsf{D}.\, p \Leftrightarrow q$

Answer: D

41. p : x is odd, $q: x^2$ is odd. The symbolic form of "x is even iff x^2 is even", is

A.
$$p \Leftrightarrow q$$

 $\mathsf{B}.\,p\Leftrightarrow(\,{}^{\mathsf{-}} q)$

$$\mathsf{C}.\,(\side{p}) \Leftrightarrow q$$

$$\mathsf{D}.\,({\scriptstyle{\,{}^{\sim}}} p) \Leftrightarrow ({\scriptstyle{\,{}^{\sim}}} q)$$

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Answer: D

42. p : x is even, $q: x^2$ is even. The symbolic form of "x is even or x^2 is even", is

A. $p \Leftrightarrow q$

 $\mathsf{B.}\,p\wedge q$

 $\mathsf{C}.\, p \lor q$

$$\mathsf{D}.\,p \Rightarrow q$$

Answer: C

43. p : x is even , $q: x^2$ is even. The symbolic form of "x is not even and x^2 is even", is

A. $p \lor q$

- $\mathsf{B.}\,(\,{\scriptstyle{\thicksim}} p) \lor q$
- $\mathsf{C}.\, p \wedge q$

D.
$$(\ \ p) \land q$$

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Answer: D

44. The truth value of "4+3 = 7 or 5 imes 4 = 21 ",

is

A. T

B.F

C. T or F

D. T and F

Answer: A

45. The truth value of "4+2 = 3 or 2 + 3 = 4" is

A. T

B. F

C. T or F

D. T and F

Answer: B

46. The truth value of "20 + 10 = 2 and $20 \times 10 = 200$ ", is

A. T

B. F

C. T or F

D. T and F

Answer: B

47. The truth value of "10 + 2 = 12 and $10 \times 2 = 20$ " is A.T

B.F

C. T or F

D. T and F

Answer: A

48. The truth value of "10 + 15 = 20 and 15 - 10 =

25" is

A. T

B.F

C. T or F

D. T and F

Answer: B

49. The truth value "if 3 + 2 = 5 then 1 imes 0 = 0

" is

A. T

B.F

C. T or F

D. T and F

Answer: A

50. The truth value of "if 3 imes 6=20 then 2 + 7

= 9" is

A. T

B.F

C. T or F

D. T and F

Answer: A

51. The truth value of "if 5 imes 7=30 then 2 + 1

= 4" is

A. T

B.F

C. T or F

D. T and F

Answer: A

52. The truth value of "if 6 imes 7=42 then 6 + 2

= 4" is

A. T

B. F

C. T or F

D. T and F

Answer: B

53. The truth value of $p \wedge q$ is T if

A. The truth value of p is T if

B. The truth value of q is T

C. The truth value of p and q is T

D. The truth value of atleast of p and q is T

Answer: C



54. The truth value of $p \lor q$ is F if

A. The truth value of both p and q is F

B. Truth value of p is T, Truth value of q is F

C. Truth value of p is F, Truth value of q is T

D. The truth value of both p and q is T

Answer: A

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55. The truth value of $p \leftrightarrow \mathsf{q}$ is F if

A. If the truth value of p is T then the truth

value of q is T

B. If the truth value of p is F then the truth

value of p is F

C. The truth value of both p and q is T or F

D. The truth values of p and q are opposite

Answer: C

56. Which of the following is true?

A.
$$4+3=10 \Leftrightarrow 4 imes 3=12$$

 $\texttt{B.} 4 \times 7 = 28 \Leftrightarrow 4 + 7 = 1$

 $\mathsf{C.5}\times8=40\Leftrightarrow8-2=5$

 $\mathsf{D.}\,6-3=3 \Leftrightarrow 6\times 3=18$

Answer: D

57. Which of the following is true ?

A.
$$2+4=5$$
 or $4+2=3$

B. 3+5=8 and 3 imes 2=6

 $\mathsf{C}.\,x^2=4\Rightarrow x=2$

 $\mathsf{D.3}\times 7 = 10 \Leftrightarrow 1\times 2 = 3$

Answer: B

58. Which of the following is true ?

A.
$$3+5=8 \wedge 1+2=3$$

B. $3 \times 5=8 \wedge 2 \times 3=6$
C. $2+4=5 \wedge 4+2=3$

D. $3+5=8\wedge1 imes0=10$

Answer: A

59. Which of the following is true?

A.
$$3+7=10 \Leftrightarrow 1+2=3$$

$$\mathsf{B.3}+7=10 \Leftrightarrow 1+2=2$$

 $\mathsf{C.3}\times 7 = 10 \Leftrightarrow 1\times 3 = 3$

 $\mathsf{D.3}+7=8\Leftrightarrow 1\times 2=2$

Answer: A

60. A = {1,2,3,4,5}. Which of the following is true

- B. $orall x \in A, x+3 < 10$
- C. $\exists x \in A \ \textbf{\textit{9}} \ x + 3 > 10$
- D. $orall x \in A, x+3 \leq 7$

Answer: B

?

61. Biconditional statements are given

below.true statement among them is

A.
$$5x-10=0 \Leftrightarrow x=3$$

B.
$$x^2-16=0 \Leftrightarrow (x+4)(x-4)=0$$

 $\mathsf{C}.\,x^2=1\Leftrightarrow x=1$

D.
$$x^2+9=0 \Leftrightarrow x=3$$

Answer: B

62. Which of the following statement is false?

A.
$$x^2-9=(x+3)(x-3), x\in R$$

$$\mathsf{B}.\, x^2+1=0 \Rightarrow x\in R$$

$$\mathsf{C}.\,x+3=5 \Rightarrow x \in \{2\}$$

D.
$$x^2+1=0\Rightarrow x$$
 (R

Answer: B

63. $p \Rightarrow q$ is false is

A. p is true and q true

B. p is true and q is false

C. p is false and q is true

D. p is false and q is false

Answer: B

64. If p is false, q is true then which of the following is false ?

A. ~
$$(p \Rightarrow q)$$

B. ~*p*

C. ~
$$p \Rightarrow q$$

Answer: D

65. If $p\!:\!10>8,q\!:\!10>12$, then $p\wedge q$

A. True

B. False

C. Cannot be determined

D. none

Answer: B



66. If $p\!:\!7>4,q\!:\!7<9$, then $p\lor q$

A. True

B. False

C. Cannot be determined

D. none

Answer: A

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67. If $p{:}\,3+5=8, q{:}\,2 imes 3=8$ then, $p\leftrightarrow q$

A. True

B. False

C. Cannot be determined

D. none

Answer: B

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68. The converse of $p \Rightarrow q$ is

A.
$$p \Rightarrow q$$

$$\mathsf{B}.\,q \Rightarrow p$$
C. ~
$$p \Rightarrow$$
 ~ q

D. ~
$$q \Rightarrow$$
 ~ p

Answer: B



69. The inverse of $p \Rightarrow q$ is

A.
$$p \Rightarrow q$$

$$\mathsf{B.}\,q \Rightarrow p$$

C. ~
$$p \Rightarrow$$
 ~ q

D. ~
$$q \Rightarrow$$
 ~ p

Answer: C

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70. The contrapositive of $p \Rightarrow q$ is

A.
$$p \Rightarrow q$$

$$\mathsf{B.}\,q \Rightarrow p$$

C. ~
$$p \Rightarrow$$
 ~ q

D. ~
$$q \Rightarrow$$
 ~ p

Answer: D



71. The converse of "If two triangles are congruent then they are similar" is

A. If two triangles are similar then they are

congruent

B. If two triangles are not congruent then

they are not similar

C. If two triangles are not congruent then

they are not similar

D. none

Answer: A

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72. The inverse of "if two triangles are congruent then they are similar" is

A. If two triangles are similar then they are

congruent

B. If two triangles are not congruent then

they are not similar

C. If two triangles are not similar then thay

are not congruent

D. None

Answer: B

73. The contrapositive of "if two triangles are congruent then they are similar" is

A. If two triangles are similar then they are

congruent

B. If two triangles are not congruent then

they are not similar

C. If two triangles are not similar then thay

are not congruent

D. none

Answer: C



74. The converse of "if in a triangle ABC, AB = AC then $\angle B = \angle C$ " is

A. If in a triangle ABC, $\angle B = \angle C$ then AB =

AC

B. If in a triangle ABC, $AB \neq AC$, then

 $\angle B
eq \angle C$

C. If in a triangle ABC, $\angle B \neq \angle C$, then

 $AB \neq AC$

D. If in a triangle ABC, $\angle B \neq \angle C$, then

AB = AC

Answer: A

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75. The inverse of "if in a triangle ABC, AB = AC

then $\angle B = \angle C$ " is

A. If in a triangle ABC, $\angle B = \angle C$ then AB =

AC

B. If in a triangle ABC, $AB \neq AC$, then

 $\angle B \neq \angle C$

C. If in a triangle ABC, $\angle B \neq \angle C$, then

 $AB \neq AC$

D. If in a triangle ABC, $\angle B \neq \angle C$, then

AB = AC

Answer: B

76. The contrapositive of "if in a triangle ABC, AB = AC then $\angle B = \angle C$ " is

A. If in a triangle ABC, $\angle B = \angle C$ then AB =

AC

B. If in a triangle ABC, $AB \neq AC$, then

 $\angle B \neq \angle C$

C. If in a triangle ABC, $\angle B \neq \angle C$, then $AB \neq AC$

D. If in a triangle ABC, $\angle B \neq \angle C$, then AB = ACAnswer: C Watch Video Solution

77. The converse of "if in a triangle ABC, AB > AC then $\angle C > \angle B$ " is

A. If in a triangle ABC, $\angle C > \angle B$ then

AB > AC

B. If in a triangle ABC, AB > AC, then /C > /BC. If in a triange ABC, $\angle C > \angle B$, then AB > ACD. If in a triangle ABC, $\angle C > \angle B$, then AB > AC

Answer: A

78. The inverse of "if in a triangle ABC, AB > AC then $\angle C > \angle B$ " is

A. If in a triangle ABC, $\angle C > \angle B$ then

AB > AC

B. If in a triangle ABC, AB < AC, then

 $\angle C < \angle B$

C. If in a triange ABC, $\angle C > \angle B$, then

AB > AC



AB > AC

Answer: B



79. The contrapositive of "if in a triangle ABC,

AB > AC then $\angle C > \angle B$ " is

A. If in a triangle ABC, $\angle C > \angle B$ then

AB > AC

B. If in a triangle ABC, AB < AC, then /C < /BC. If in a triange ABC, $\angle C < \angle B$, then AB < ACD. If in a triangle ABC, $\angle C < \angle B$, then AB > AC

Answer: C

80. The converse of "if a triangle is equilateral then it is isosceles" is

A. If a triangle is isosceles then it is equilateral

B. If a triangle is not equilateral then it is

not isosceles

C. If a triangle is not isosceles then it is not equilateral

D. if a triangle is not isosceles then it is

equilateral

Answer: A

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81. The inverse of "if a triangle is equilateral

then it is isosceles" is

A. If a triangle is isosceles then it is

equilateral

B. If a triangle is not equilateral then it is

not isosceles

C. If a triangle is not isosceles then it is not

equilateral

D. if a triangle is not isosceles then it is

equilateral

Answer: B

82. The contrapositive of "if a triangle is equilateral then it is isosceles" is

A. If a triangle is isosceles then it is equilateral

B. If a triangle is not equilateral then it is

not isosceles

C. If a triangle is not isosceles then it is not equilateral D. if a triangle is not isosceles then it is

equilateral

Answer: C

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83. The converse of "if a polygon is a square

then it is a rectangular" is

A. If a polygon is a rectangle then it is a

square

B. If a polygon is not a square then it is not

a rectangle

C. If a polygon is not a rectangle then it is

not a square

D. If a polygon is not a rectangle then it is a

square

Answer: A

84. The inverse of "if a polygon is a square then it is rectangle" is

A. If a polygon is a rectangle then it is a square

B. If a polygon is not a square then it is not

a rectangle

C. If a polygon is not a rectangle then it is

not a square

D. If a polygon is not a rectangle then it is a

square

Answer: B

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85. The contrapositive of "if a polygon is a

square then it is a rectangle" is

A. If a polygon is a rectangle then it is a

square

B. If a polygon is not a square then it is not

a rectangle

C. If a polygon is not a rectangle then it is

not a square

D. If a polygon is not a rectangle then it is a

square

Answer: C

86. The converse of the statement "If $x \in A \cup B$ then $x \in A$ or $x \in B$ " is

A. if $x \in A$ or $x \in B$ then $x \in A \cup B$

B. If $x
ot\in A \cup B$ then $x
ot\in A$ and $x
ot\in B$

C. If $x
ot\in A$ and $x
ot\in B$ then $x
ot\in A \cup B$

D. If $x
ot\in A$ and $x
ot\in B$ then $x \in A \cup B$

Answer: A

87. The inverse of "if $x \in A \cup B$ then $x \in A$ or $x \in B$ ", is

A. if $x \in A$ or $x \in B$ then $x \in A \cup B$

B. If $x
otin A \cup B$ then x
otin A and x
otin B

C. If $x
ot\in A$ and $x
ot\in B$ then $x
ot\in A \cup B$

D. If x
otin A and x
otin B then $x \in A \cup B$

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Answer: B

88. The contrapositive of "if $x \in A \cup B$ then $x \in A$ or $x \in B$ ", is

A. if $x \in A$ or $x \in B$ then $x \in A \cup B$

B. If $x
ot\in A \cup B$ then $x
ot\in A$ or $x
ot\in B$

C. If $x
ot\in A$ and $x
ot\in B$ then $x
ot\in A \cup B$

D. If $x
ot\in A$ and $x
ot\in B$ then $x \in A \cup B$

Answer: C

89. The converse of "if $x \in A \cap B$ then $x \in A$ and $x \in B$ ", is

A. if $x \in A$ and $x \in B$ then $x \in A \cap B$

B. If $x
otin A \cap B$ then x
otin A and x
otin B

C. If $x
ot \in A$ or $x
ot \in B$ then $x
ot \in A \cap B$

D. If $x
ot\in A$ or $x
ot\in B$ then $x \in A \cap B$

Answer: A

90. The inverse of ct^2 "if $x \in A \cap B$ then $x \in A$ and $x \in B$ ", is

A. if $x \in A$ or $x \in B$ then $x \in A \cap B$

B. If $x
ot\in A \cap B$ then $x
ot\in A$ or $x
ot\in B$

C. If $x
ot\in A$ or $x
ot\in B$ then $x
ot\in A \cap B$

D. If $x
ot\in A$ or $x
ot\in B$ then $x \in A \cap B$

Answer: B

91. The contrapositive of "if $x \in A \cap B$ then $x \in A$ and $x \in B$ ", is

A. if $x \in A$ or $x \in B$ then $x \in A \cap B$

B. If $x
otin A \cap B$ then x
otin A and x
otin B

C. If $x
ot \in A$ or $x
ot \in B$ then $x
ot \in A \cap B$

D. If $x
ot\in A$ or $x
ot\in B$ then $x \in A \cap B$

Answer: C

92. The converse of "if $x^2 = 1$ then x = 1" is

A. If x = 1 then
$$x^2=1$$

B. If
$$x^2
eq 1$$
 then $x
eq 1$

C. If x
eq 1 then $x^2
eq 1$

D. If
$$x
eq 1$$
 then $x^2=1$

Answer: A

93. The inverse of "if $x^2 = 1$ then x = 1" is

A. If x = 1 then
$$x^2 = 1$$

B. If
$$x^2
eq 1$$
 then $x
eq 1$

C. If
$$x
eq 1$$
 then $x^2
eq 1$

D. If
$$x
eq 1$$
 then $x^2=1$

Answer: B

94. The contrapositive of "if $x^2 = 1$ then x = 1 " is

A. If x = 1 then $x^2 = 1$

B. If
$$x^2
eq 1$$
 then $x
eq 1$

C. If x
eq 1 then $x^2
eq 1$

D. If
$$x
eq 1$$
 then $x^2 = 1$

Answer: C

95. The converse of "if x has courage then x will win", is

A. If x will win then x has courage

B. If x has no courage then x will not win

C. If x will not win then x has no courage

D. If x will not win then x has courage

Answer: A

96. The inverse of "if x has courage then x will win", is

A. If x will win then x has courage

B. If x has no courage then x will not win

C. If x will not win then x has no courage

D. If x will not win then x has courage

Answer: B

97. The contrapositive of "if x has courage then x will win", is

A. If x will win then x has courage

B. If x has no courage then x will not win

C. If x will not win then x has no courage

D. If x will not win then x has courage

Answer: C
98. The converse of "if x is healthy then x is wealthy", is

A. If x is wealthy then x healthy

B. If x is not wealthy then x is not healthy

C. If x is not healthy then x is not wealthy

D. If x is not healthy then x is wealthy

Answer: A

99. The inverse of "if x is healthy then x is wealthy", is

A. If x is wealthy then x healthy

B. If x is not wealthy then x is not healthy

C. If x is not healthy then x is not wealthy

D. If x is not healthy then x is wealthy

Answer: C

100. The contrapositive of "if x is healthy then x is wealthy", is

A. If x is wealthy then x healthy

B. If x is not wealthy then x is not healthy

C. If x is not healthy then x is not wealthy

D. If x is not healthy then x is wealthy

Answer: B

101. The converse of "if x is old then x is clever",

is

A. If x is clever then x is old

B. If x is not old then x is not clever

C. If x is not clever then x is not old

D. If x is not clever then x is old

Answer: A

102. The inverse of "if x is old then x is clever",

is

A. If x is clever then x is old

B. If x is not old then x is not clever

C. If x is not clever then x is not old

D. If x is not clever then x is old

Answer: B

103. The contrapositive of "if x is old then x is clever", is

A. If x is clever then x is old

B. If x is not old then x is not clever

C. If x is not clever then x is not old

D. If x is not clever then x is old

Answer: C

104. p : he is hard working , q : he will win. The symbolic form of" he is hard working but not going to win", is

A. $p \wedge q$ B. $p \wedge (~q)$ C. $p \vee (~q)$ D. $(~p) \wedge q$

Answer: B

105. p : he is hard working, q : he will win. The symbolic form of" if he is hard working then he will win", is

A. $p \lor q$

 $\mathsf{B.}\,p\wedge q$

 $\mathsf{C}.\, p \Rightarrow q$

 $\mathsf{D}.\,q \Rightarrow p$

Answer: C



106. p : he is hard working, q : he will win. The symbolic form of" if he will not win then he is not working" is

A.
$$p \Rightarrow q$$

B. $(\ensuremath{\,}^{} p) \Rightarrow (\ensuremath{\,}^{} q)$
C. $(\ensuremath{\,}^{} q) \Rightarrow (\ensuremath{\,}^{} p)$
D. $(\ensuremath{\,}^{} q) \Rightarrow p$

Answer: C

107. p : She is beautiful, q : she is intelligent. The symbolic form of" she is neither beautiful nor intelligent", is

A.
$$p \wedge q$$

B. $(\ensuremath{\sim} p) \wedge q$
C. $p \wedge (\ensuremath{\sim} q)$
D. $(\ensuremath{\sim} p) \wedge (\ensuremath{\sim} q)$

Answer: D



108. p : She is beautiful, q : she is intelligent. The symbolic form of" if she is intelligent then she is beautiful, is

A.
$$p \Rightarrow q$$

$$\mathsf{B.}\,q \Rightarrow p$$

$$\mathsf{C}.\,p \Rightarrow \mathsf{-}q$$

 $\mathsf{D}.\,(\ensuremath{\,^{\sim}} q) \Rightarrow (\ensuremath{\,^{\sim}} p)$

Answer: B

109. p : she is beautiful, q : she is intelligent. The symbolic form of "if she is not beautiful then she is not intelligent", is

A.
$$p \Rightarrow (\neg q)$$

B. $(\neg p) \Rightarrow q$
C. $(\neg p) \Rightarrow (\neg q)$
D. $(\neg q) \Rightarrow (\neg p)$

Answer: C

110. p : she is beautiful, q : she is happy. The symbolic form of "if she is not happy then she is not beautiful" is

A.
$$p \Rightarrow (~q)$$

B. $(~p) \Rightarrow q$
C. $(~p) \Rightarrow (~q)$
D. $(~q) \Rightarrow (~p)$

Answer: D

111. p : he is hard working , q : he is intelligent. Then $(\neg q) \Rightarrow (\neg p)$ means

A. If he is hard working then he is not intellgent

B. If he is not hard working then he is

intelligent

C. If he is not intelligent then he is not hard working

D. If he is not intelligent then he is hard

working

Answer: C



112. p : she is beautiful, q : she is intelligent. Then $(\sim p) \lor (\sim q)$ means

A. She is beautiful but not intelligent

B. She is intelligent but not beautiful

C. She is neigther beautiful noe intelligent

D. She is not beautiful or she is not

intelligent

Answer: C

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113. p : she is beautiful, q : she is happy. Then $(\ensuremath{\ } p) \Rightarrow (\ensuremath{\ } q)$ means

A. If she is beautiful she is not happy

- B. if she is not beautiful then she is happy
- C. If she is not beautiful then she is not

happy

D. If she is not happy then she is not

beautiful

Answer: C

114. p : she is beautiful , q : she is happy. Then $q \Rightarrow (\ensuremath{\sc r} p)$ means

A. If she is beautiful she is happy

B. if she is beautiful then she is not happy

C. If she is happy then she is not beautiful

D. If she is happy then she is beautiful

Answer: C

115. The truth table of $\sim(\sim p)$ is





Answer: C



116. The truth table of $p \lor q$ is



Δ







Answer: B



117. The truth table of $p \wedge q$ is



Α.







Answer: C

D.



118. The truth table of $p \Rightarrow q$ is

p	q	$p \Rightarrow q$
Т	Т	Т
Т	F	F
F	Т	Т
F	F	Т

A.

	р	q	$p \Rightarrow q$
ĺ	Т	Т	Т
I	Т	F	Т
	F	Т	Т
	F	F	F

Β.

	p	q	$p \Rightarrow q$
	T `	Т	Т
	Т	F	F
	F	Т	F
C	F	Ϋ́F	F
<u> </u>			

р	q	$p \Rightarrow q$
T	T	Т
T	F	F
F	Т	F
F	F	T

Answer: A

D.



Answer: D

D.

p_{-}	q	$p \Leftrightarrow q$
Т	Т	Т
Т	F	F
F	Т	F
F	F	Τ.

C.

p	9	$p \Leftrightarrow q$
Т	Т	Т
Т	F	F
F	T	F
F	F	F

Β.



A. 📄

119. The truth table of $p \Leftrightarrow q$ is



120. The truth table of $(\ensuremath{\,{\scriptstyle\sim}} p) \wedge q$ is



Α.

Β.

C.







Answer: A



121. The truth table of $p \land (\ensuremath{\,^{\sim}} q)$ is



Answer: B



122. The truth table of $(\ensuremath{\,{\scriptstyle\sim}} p) \land (\ensuremath{\,{\scriptstyle\sim}} q)$ is







	p	q	$(\sim p) \land (\sim q)$
П	T	T	T
	T	F	F
	F	T	F
	F	F	F

Answer: C

Β.

123. The truth table of ~p) \lor q is





Answer: A



124. The truth table of $p \lor (\ensuremath{\,^{\sim}} q)$ is









Answer: B



125. The truth table of $(\ensuremath{\sc v} p) \lor (\ensuremath{\sc v} q)$ is









Answer: C



126. The truth table of $p \Rightarrow {}^{\sim}q$









Answer: A

127. The truth table of $(\neg p) \Rightarrow q$ is

р	9	$(\sim p) \Rightarrow q$
Т	Т	F
T	F	Т
F	Т	Т
F	F	Т

A.

р	q	$(\sim p) \Rightarrow q$
Т	Т	T
Т	F	Т
F	Т	Т
F	F	F

Β.

р	q	$(\sim p) \Rightarrow q$
Т	Т	F
Т	F	Т
F	Т	F
F	F	Т

С.

р	q	$(\sim p) \Rightarrow q$
Т	Т	Т
Т	F	F
F	Т	Т
F	F	Т

D.

Answer: B



128. The truth table of $(\ensuremath{\,^{\sim}} p) \Rightarrow (\ensuremath{\,^{\sim}} q)$ is









Answer: C



129. The truth table of $q \Rightarrow (\ensuremath{\,^{\sim}} p)$ is

р	q	$q \Rightarrow \sim p$
Т	Т	Т
Τ	F	Т
F	Т	F
F	F	Т



Β.

С.

p	q	$q \Rightarrow \thicksim p$
Т	Т	F
Т	F	Т
F	Т	Т
F	F	Т

-	р	q	$q \Rightarrow \sim p$
	Т	Т	Т
	Т	F	Т
	F	T	Т
	F	F	F



Answer: B

D.



130. The truth table of $(\ensuremath{\,{\scriptstyle\sim}} q) \Rightarrow \ensuremath{\,{\scriptstyle\sim}} p$ is



$$B. \begin{array}{c|c} p & q & (\sim q) \Rightarrow p \\ \hline T & T & F \\ T & F & T \\ F & T & T \\ \end{array}$$

р	q	$(\sim q) \Rightarrow p$
Т	Т	Т
T	F	Т
F	Т	Т
F	F	F



Answer: C

С.

D.



131. The truth table of $(\ensuremath{\,{\scriptstyle\circ}} q) \Rightarrow \ensuremath{\,{\scriptstyle\circ}} p$ is









Answer: D



132. The truth table of $(\ensuremath{\,{\scriptstyle\sim}} p) \wedge q \Rightarrow p$ is








Answer: A



133. The truth table of $p \lor (\text{~}q) \Rightarrow p$ is









Answer: B



134. The truth table of $p \lor (\text{-}q) \Rightarrow p$ is



Α







Answer: C



135. The truth table of $(\ \ p) \lor q \Rightarrow p$ is









Answer: D



A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: A

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137. $p \land (\ensuremath{\,^{\sim}} p)$ is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: B

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138.
$$p \land (\text{-}q) \Rightarrow p$$
 is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: A



139.
$$p \Rightarrow p \lor q$$
 is

- A. a tautology
- B. a contradiction
- C. a tautology and a contradiction
- D. neither a tautology nor a contradiction

Answer: A



140.
$$(p \Rightarrow q) \land (q \Rightarrow r) \Rightarrow (p \Rightarrow r)$$
 is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: A

141. $[(\ensuremath{\,{\scriptstyle\circ}} p) \Rightarrow p] \land [p \Rightarrow (\ensuremath{\,{\scriptstyle\circ}} p)]$ is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: B

142. $({\scriptstyle{\,{\scriptscriptstyle \sim}}} q) \wedge p \wedge (p \Rightarrow q)$ is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: B

143. $(p \Rightarrow q) \rightarrow [(r \lor p) \Rightarrow (r \lor q)]$ is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: B

144. $(p \Rightarrow q)
ightarrow [(r \lor p) \Rightarrow (r \lor q)]$ is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: A

145. $[p \land (\ensuremath{\,^{\sim}} q)] \land [(\ensuremath{\,^{\sim}} p) \lor q]$ is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: B

146. $p \Rightarrow p'$ is

A. a tautology

B. a contradiction

C. a tautology and a contradiction

D. neither a tautology nor a contradiction

Answer: D

147. The statement $au(p \leftrightarrow au q)$ is

A. a tautology

B. a fallacy

C. equivalent to $p \leftrightarrow q$

D. equivalent to $\ \ p \leftrightarrow q$

Answer: D

148. Statement - I : $(p \land { imes} q) \land ({ imes} p \land q)$ is a fallacy. Statement - II : $(p
ightarrow q) \leftrightarrow (\ensuremath{\,{\scriptstyle\sim}} q
ightarrow \ensuremath{\,{\scriptstyle\sim}} p)$ is a tautology. A. Statement - I is true, statement-II is false B. Statement - I is false, Statement - II is true. C. Statement - I is true, Statement - II is true, Statement - II is a correct explanation for Statement - I

D. Statement-I is true, Statement-II is true,

Statement-II is not a correct explanation

for statement-I

Answer: C

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149. Which of the following is the universal quantifier ?

B. \subset

C. ∀

D. ∃

Answer: C

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150. Which of the following is the existential quantifier ?

Β. ⊂

C. \forall

D. ∃

Answer: D